Princess

Theorem Proving in First-Order Logic modulo Linear Integer
Arithmetic

October 2, 2012

Authors

- Philipp Rümmer (main developer) (Department of Information Technology, Uppsala University)
- Angelo Brillout (Eidgenössische Technische Hochschule Zürich)

Code-Language / License

written in Scala licensed under GPL v3

Facts

- uses Presburger arithmetic
- can eliminate quantifiers
- handling of (partial and total) functions via an encoding into uninterpreted predicates
- input formates
 - native format
 - ▶ SMT-LIB 2
 - FOF/TFF/CNF dialects of TPTP.
- handling of the theory of arrays via user-specified axioms

Native Input Language

Native Input Language

```
\existentialConstants {
  int my years;
\problem {
  \exists int grandson_years, son_years,
              grandson_months, son_weeks, grandson_days; (
    grandson days = grandson months * 4 * 7 &
    grandson months = grandson years * 12 &
    son_weeks = son_years * 12 * 4 &
    grandson_days = son_weeks &
    grandson months = my years &
    grandson_years + son_years + my_years = 140
Formula is valid, satisfying assignment for the existential constants is:
(mv \ vears + -84 = 0)
```

Presburger arithmetic

$$\neg (0 = x + 1)$$

$$x+1 = y+1 \to x = y$$

$$x + 0 = x$$

$$(x+y)+1=x+(y+1)$$

$$(P(0) \land \forall x (P(x) \to P(x+1))) \to \forall y P(y).$$

Performance

- TPTP Performance (June 2012)
 - ► TFA: Winner, place 1/3
 - FOF: place 12/16
 - FOF@Turing: place 12/16
- AUFLIA Benchmarks (November 2011)
 benchmarks on containing arrays, uninterpreted functions, integer arithmetic, and quantifiers
 place 2