

A Generative Model for Volume Rendering

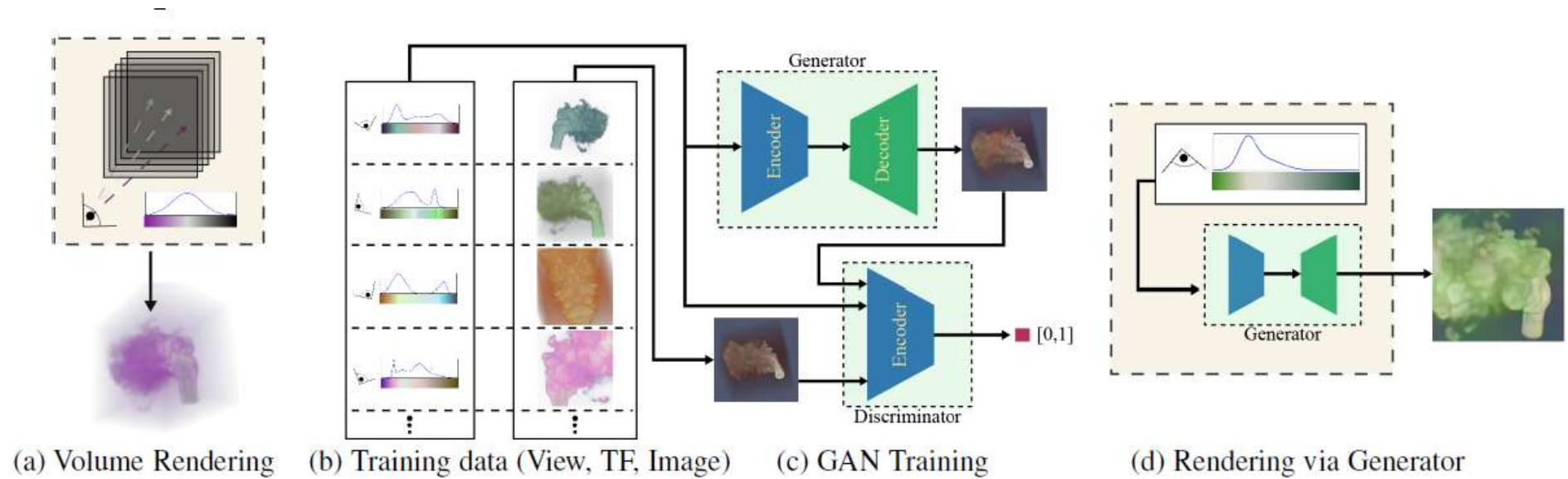
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Introduction

- Technique to synthesize and analyze volume-rendered images
- Using Generative Adversarial Model (GAN) model
- Dataset: volume rendered images, conditioned on
 - 1) viewpoint
 - 2) transfer function for opacity and color
- Byproduct
 - Guide the user in transfer function editing
 - Transform transfer function into a view-invariant latent space

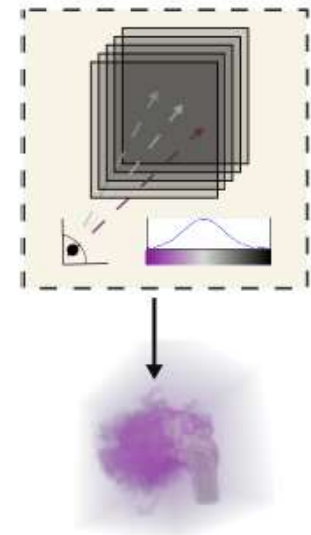
Overall Process



Traditional Volume Renedering

- A basic algorithm
- Input parameter:
 - Input volumetric scalar field
 - Viewpoint
 - Opacity and color transfer function
- Composting

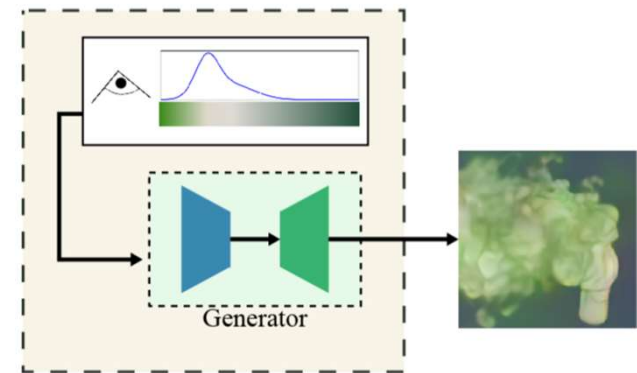
$$\mathbf{I}(x,y)_{i+1} = \mathbf{I}(x,y)_i + (1 - \tau'_i)\mathbf{c}_i\tau_i$$
$$\tau'_{i+1} = \tau'_i + (1 - \tau'_i)\tau_i,$$



(a) Volume Rendering

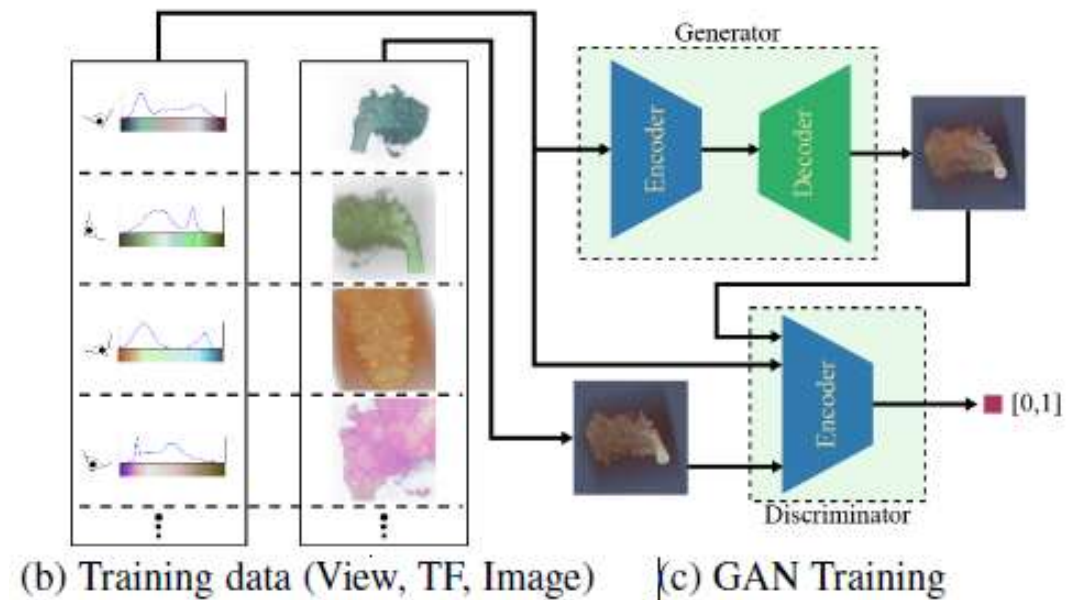
GAN based volume rendering

- This paper instead view volume rendering as a purely computational process
 - Using a generative model to approximate the function (see the right figure)
- Inputs:
 - viewpoints and TFs
- Outputs:
 - volume rendered images



Training process

- Data preparation
 - Viewpoint
 - Randomly sampled
 - Opacity TF
 - Sample from a Gaussian mixture model
 - Randomly sample number of modes in the GMM (1-5)
 - Each model -> Gaussian model with a random mean and std
 - Color TF
 - First sample random color at opacity TF GMM means & scalar value global optimal
 - Then piecewise lerp



Network training

- Use GAN as a model
 - input of G: viewpoint and transfer function
 - Viewpoint information
 - n_v parameters $v \in \mathbb{R}^{n_v}$
 - $n_v = 5$ – for azimuth, elevation, in-plane rotation, and distance to the camera
 - TF information
 - $t_o \in \mathbb{R}^{n_t}$
 - $t_c \in \mathbb{R}^{3n_t}$
 - $n_t = 256$, which is the sample step
 - Output of G: a color image $I \in \mathbb{R}^{3wh}$
- input of D: viewpoint, transfer function & an image
- Output of D: score 0-1 – whether the image is a true volume-rendering or is fake one produced by G

Network training (cont'd)

- adversarial loss in a GAN

$$L_{adv}(G, D) = \mathbb{E}_{\mathbf{I}, \mathbf{w} \sim p_{data}} \log(D(\mathbf{w}, \mathbf{I})) + \mathbb{E}_{\mathbf{w} \sim p_{vis}} \log(D(\mathbf{w}, G(\mathbf{w}))), \quad (4)$$

- generator and discriminator compete in a min-max game

$$\min_G \max_D L_{adv}(G, D).$$

Network design

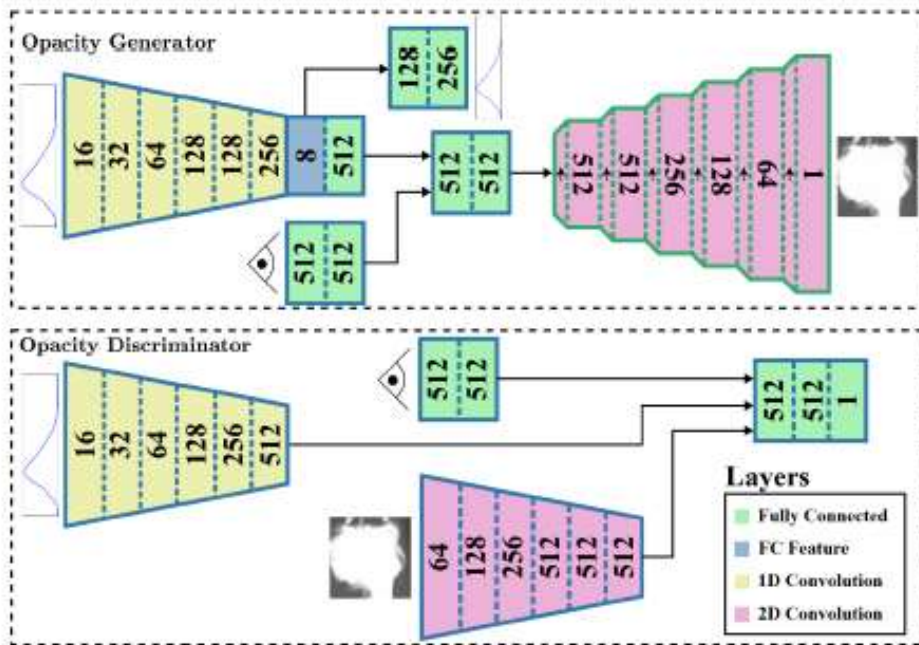
- Generating 256x256 image – difficult
 - Only at that time, InSituNet generate 256x256 image in one stage
- Solution: break the problem into two simpler generation tasks
 - Both represented as separate GANs

Opacity GAN

- Objective

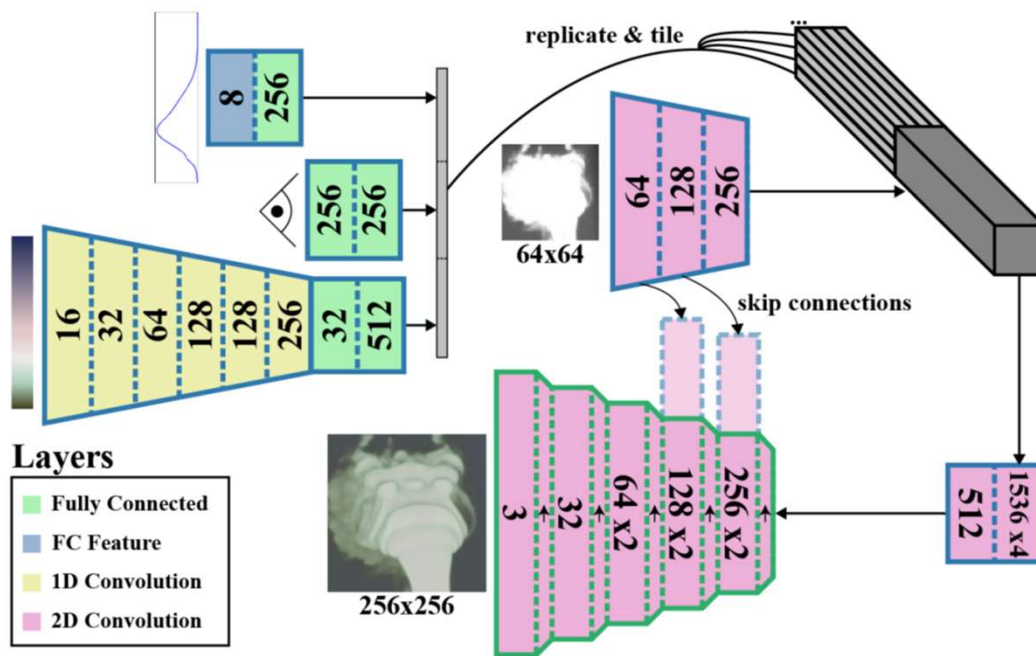
- Combine adversarial loss with autoencoder loss

$$\min_G \max_D L_{adv}(G, D) + \|G_{dec}(G_{enc}(\mathbf{t}_o)) - \mathbf{t}_o\|_2^2,$$



Network structure

Opacity-to-Color Translation GAN



The generator for the opacity-to-color translation GAN

- discriminator – very similar to the Opacity GAN's discriminator
 - Main addition: inclusion of the color TF transformation

- Objective:

$$\min_G \max_D L_{adv}(G, D) + \lambda \|G(\mathbf{v}, \mathbf{t}_o, \mathbf{t}_c) - I\|_1,$$

- I – the ground truth image
- λ weights the importance of the l_1 loss.

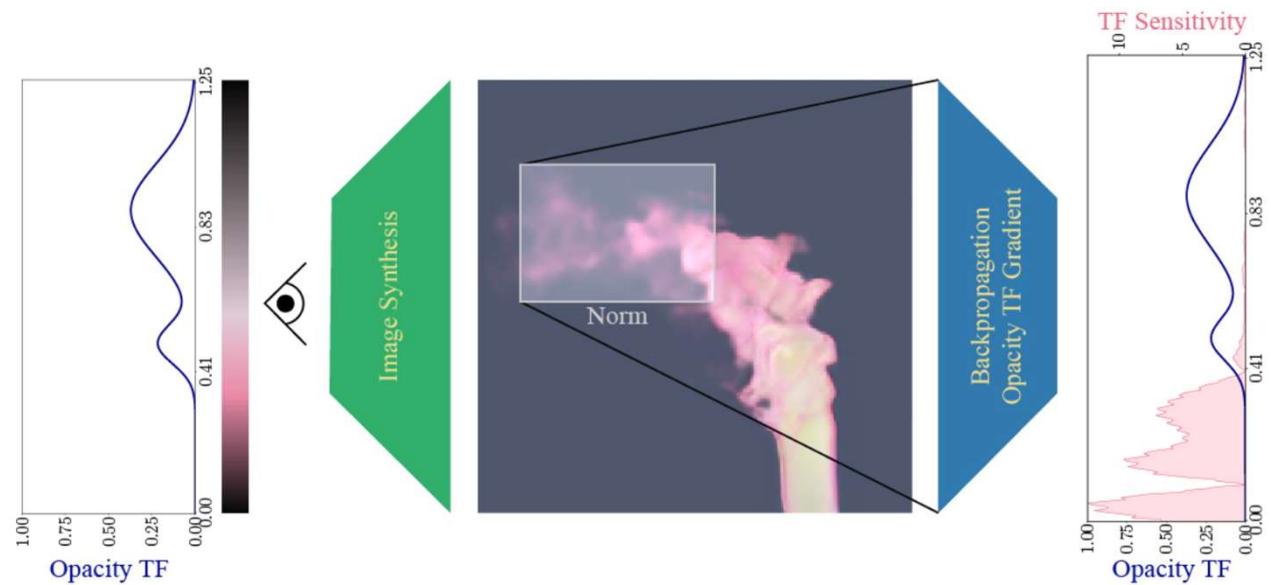
Applications

- 1st application: transfer function sensitivity and exploration
- transfer function sensitivity $\sigma : R \rightarrow R^{256}$

$$\sigma(R) = \nabla_{\mathbf{t}_o} \|G_t((G_o(\mathbf{v}, \mathbf{t}_o)), \mathbf{v}, \mathbf{t}_o, \mathbf{t}_c)\|_R,$$

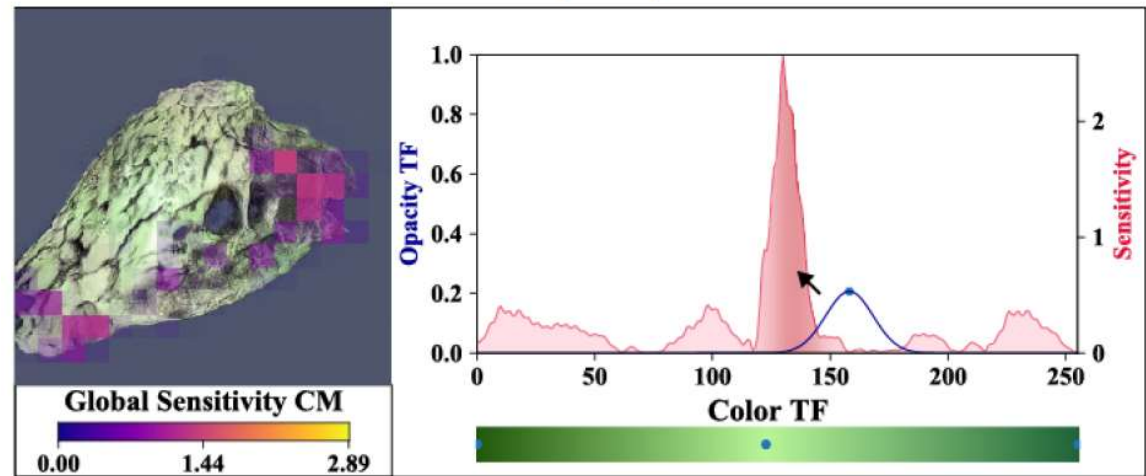
- 1st feed input parameters into the network
- 2nd compute the l_2 norm of a region R
- 3rd perform backpropagation to compute opacity TF gradient

Visualization techniques



- Region Sensitivity Plots
 - plot σ directly with the opacity TF
- Example: right-hand side of the figure above
 - Region Sensitivity Plot for a user-specified region

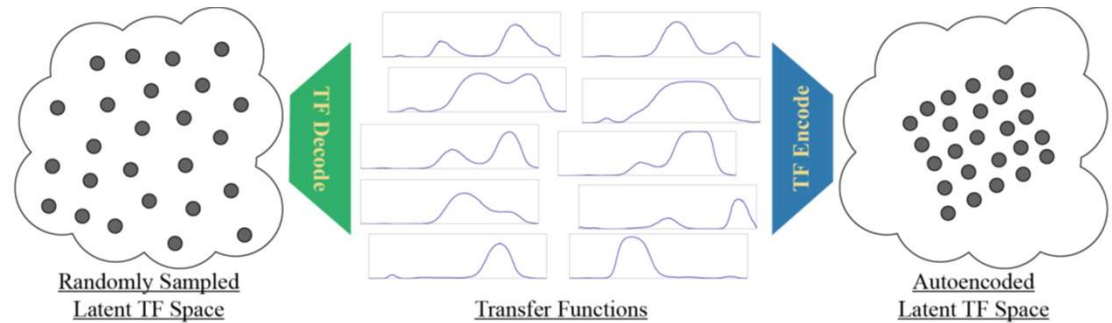
Visualization techniques



- Scalar Value Sensitivity Field
 - 1st define a grid resolution r & divide the image into $r \times r$ blocks
 - 2nd

$$\sigma(R) = \nabla_{\mathbf{t}_o} \|G_t((G_o(\mathbf{v}, \mathbf{t}_o)), \mathbf{v}, \mathbf{t}_o, \mathbf{t}_c)\|_R,$$
 - Compute TF sensitivity for for each block
 - Produce 3-tensor $S \in \mathbb{R}^{256 \times r \times r}$
- Example: left hand-side in the figure above

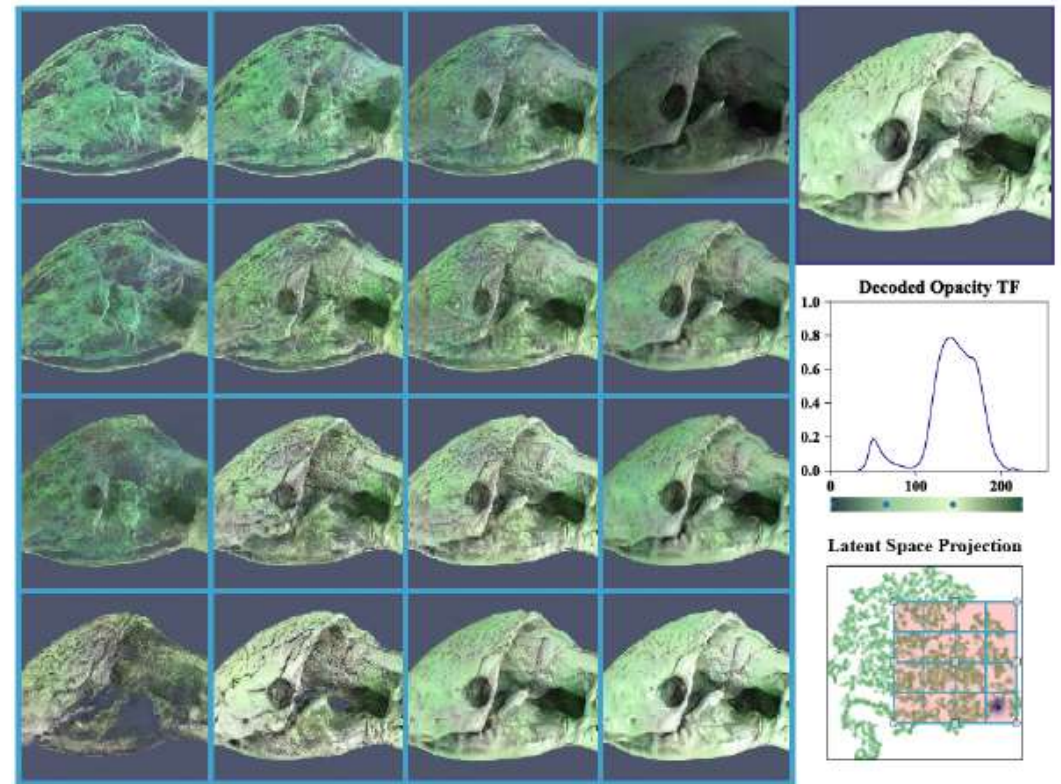
Applications



- 2nd application: Exploring the Opacity TF Latent Space
- Make use of the 8-dim latent space for transfer function
- Steps:
 - 1. sample the latent space
 - Perform uniform sampling
 - Decode each sample to reconstruct a TF
 - Encode the set of TFs back into the latent space
 - 2. 2D Projection
 - Use t-SNE to project the latent vector into 2D space

Exploring the Opacity TF Latent Space (cont'd)

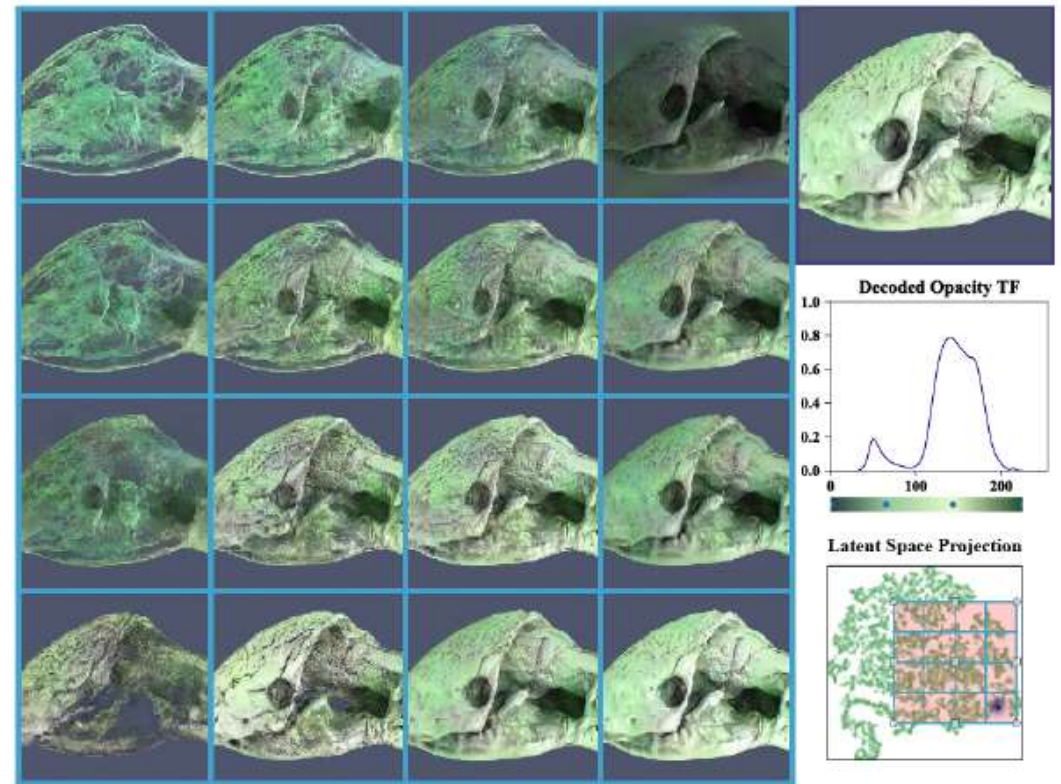
- Steps:
 - 3. Structured Latent Space Browsing
 - brush a 4 x 4 rectangular grid on the 2D projection
 - For a given cell, compute the mean & synthesize the image from the mean
 - Eg. Figure c (left)



(c) Transfer Function Latent Space Projection

Exploring the Opacity TF Latent Space (cont'd)

- Steps:
 - 4. Latent Space Interpolation
 - For a given point in the 2D projection (highlighted in blue, lower left)
 - scattered data interpolation of latent opacity
 - synthesized image shown at the upper-right









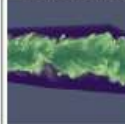
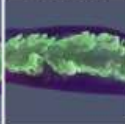













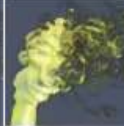








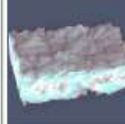






























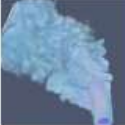










(c) Transfer Function Latent Space Projection

experimental results

- Steps:
 - Dataset characteristics (left)
 - Quantitative evaluation of the model (right)

Dataset	Resolution	Precision	Size (MB)	Rendering Model	Training Images Creation	Image RMSE	Color EMD
Combustion	$170 \times 160 \times 140$	float	15	No Illumination	2.7 hours	0.046	0.011
				Direct Illumination	5 hours	0.060	0.011
				Global Illumination	14 hours	0.060	0.010
Engine	$256 \times 256 \times 110$	byte	7	No Illumination	3 hours	0.061	0.015
Visible Male	$128 \times 256 \times 256$	byte	8	Global Illumination	14 hours	0.075	0.013
Foot	$256 \times 256 \times 256$	byte	16	No Illumination	3.3 hours	0.064	0.017
Jet	$768 \times 336 \times 512$	float	504	No Illumination	4 hours	0.086	0.022
Spathorynchus	$1024 \times 1024 \times 750$	byte	750	Global Illumination	5 days	0.116	0.020

experimental results

Combustion		Foot		Engine		Jet		Global Illumination Combustion		Global Illumination Visible Male	
Ground Truth	Predicted	Ground Truth	Predicted	Ground Truth	Predicted	Ground Truth	Predicted	Ground Truth	Predicted	Ground Truth	Predicted
											
											
											
											
											
											

Discussion

- Potential future work
 - Train the network in-situ
 - Design a network to learn from both time-varying and multivariant data
 - Improve the quality of results
 - Apply depth based measurements
 - Explore different ways of sampling views and TFs
 - maybe data-driven manner
 - explore different kinds of TFs
 - One direction is 2D transfer functions
 - let the GAN condition on the volume
 - Consider GAN to synthesize TFs rather than images