

Applications of Sinusoidal Functions II (5.4) p276 day 8


first impressions
accurate or not

prof evaluations
doctors

thin slicing
how it works

15. In Inuvik, Northwest Territories (latitude 68.3° N), the Sun does not set for 56 days during the summer. The midnight Sun sequence below illustrates the rise and fall of the polar Sun during a day in the summer.

Functions II (5.4) p276 day 8
1276#9, 10, 15

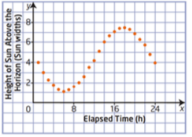


$d = \frac{7.5 + 1}{2} = 4.25$

$a = 7.5 - 4.25 = 3.25$

per 24
 $b = \frac{2\pi}{24} = \frac{\pi}{12}$

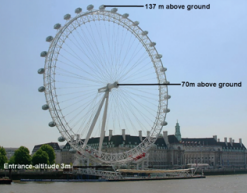
$h(t) = -3.25 \sin \frac{\pi}{12} t + 4.25$



a) Determine the maximum and minimum heights of the Sun above the horizon in terms of Sun widths.
b) What is the period?
c) Determine the sinusoidal equation that

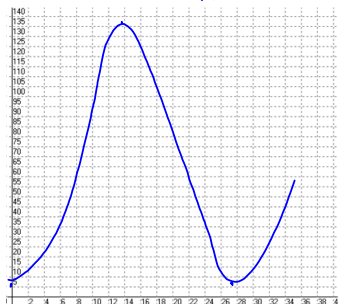
10. Michelle is balancing the wheel of her bicycle. She has marked a point on the tire that when rotated can be by the function $h(t) = 59 + 2 \cos t$ where h is the height, in centimetres, of the mark, to the nearest centimetre, when $t = 17.5$ s.

Applications of Sinusoidal Functions II (5.4) p276 day 8
work on ferris wheel sheet



equation $h(t) = -67 \cos \left(\frac{\pi}{14} t \right) + 70$

$a = 67$
 $b = \frac{2\pi}{28} = \frac{\pi}{14}$
 $c = 0$ -cos
 $d = 70$



$h(t) = 67 \cos \left[\frac{\pi}{14} (t - 14) \right] + 70$


$h(87.5) = 67 \cos \left[\frac{\pi}{14} (87.5 - 14) \right] + 70$

$= 67 \cos \left[\frac{\pi}{14} (-5.25) \right] + 70$

$= 67 \cos (-1.178) + 70$

$= 67 (0.383) + 70$

$= 95.6 \text{ m}$



Applications of Sinusoidal Functions II (5.4) p276 day 8
work on temperatures sheet

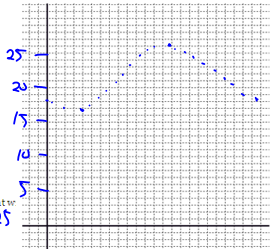
Time	Temp
12 am	17.9
1 am	17.7
2 am	16.9
3 am	16.3
4 am	16.4
5 am	16.3
6 am	17.3
7 am	18.3
8 am	19.1
9 am	21
10 am	22.4
11 am	23.4
12 pm	25.4
1 pm	25.4
2 pm	26.1
3 pm	25.6
4 pm	23.7
5 pm	23
6 pm	24.6
7 pm	23.3
8 pm	22.3
9 pm	21.4
10 pm	20.1
11 pm	19
12 am	18

The temperatures in this table were recorded by Environment Canada on July 7, 1995.

Graph the data points. Let t represent the number of hours since midnight.

Use the table to find:
amplitude: 4.85
period: 24 h b: $\frac{\pi}{12}$
shift: 14
displacement: 21.25

Now write an equation for the cosine function that will model the data.
 $T(t) = 4.85 \cos \left(\frac{\pi}{12} (t - 14) \right) + 21.25$



12, 13

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#W: p276#12, 13, 19