day 4

Reflections 9. Describe what happens to the graph of n28 a function y = f(x) after the following changes are made to its equation.

day 4

using the graph shown. A merchandise calls for the altered to y = f(0.5x). Sk he new design.

Consider each gra

a) Replace x with 4x. $\forall = f(\forall x)$

ex1: Write a mapping for the following transformations of y=f(x).

- Copy the graph sketch its reflec the same set of
- b) Replace x with $\frac{1}{4}x$. $\sqrt{-}$ $f(\frac{1}{4}x)$

a) y = 3f(x) $(x, y) \rightarrow (x, y)$

- State the equati function in sim
- c) Replace y with 2y d) Replace y with $\frac{1}{4}y$.

y = f(-x) $(x, y) \rightarrow (-x, y)$

- State the domai function.
- e) Replace x with -3x. f) Replace y with $-\frac{1}{2}y$.

c) y = -f(x) $(x, y) \rightarrow (x, y)$

- = C(x) -4=36x Y=-3f(x)

d) y = f(4x) $(x, y) \rightarrow (\frac{1}{4}x, y)$

Reflections & Stretches II (1.2)

Reflections & Stretches II (1.2)

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ex2: Given y=f(x), graph y = -f(x)and then state:

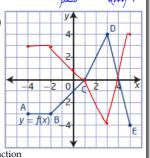
V. refl.

the mapping used

 $(x,y) \Rightarrow (x,y)$

any invariant points

(LO) (YO)



the domain and range of the new function

D- {-45x55} R= {-45 y 5 4} Reflections & Stretches II (1.2)

ex3: Given y=f(x), graph $y = \frac{1}{2} f(x)$ and then state:

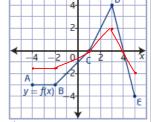
V. Comp

the mapping used

(xH)->(X'7)

any invariant points

(1,0) (4,0)



day 4

the domain and range of the new function

D=[-4,5]

R=[-2,2]

interval notation

Reflections & Stretches II (1.2)

ex4: Given y=f(x), graph y = f(2x)and then state:

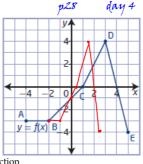
h. comp

the mapping used

 $(x,y) \rightarrow (x,y)$

any invariant points

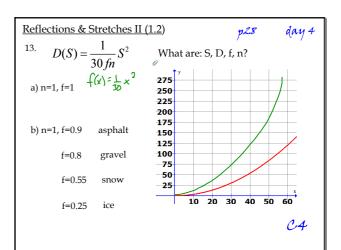
(d)-1)

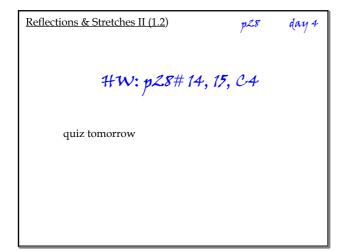


the domain and range of the new function

D=[5, 2.2] R=[-4,4]

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Reflections & Stretches II (1.2)
$$y = af(b(x-h)) + k$$
note on mappings
$$y = -f(x) \qquad (x,y) \to (x,-y)$$

$$y = f(-x) \qquad (x,y) \to (-x,y)$$

$$y = af(x) \qquad (x,y) \to (x,ay)$$

$$y = f(bx) \qquad (x,y) \to (\frac{1}{b}x,y)$$