

Transforming Exponential Functions II (7.2) p354 day 3

Stocks

Mutual funds **Index Funds**

How to buy and sell

Transforming Exponential Functions II (7.2) p354 day 3

hw: p354#3cde, 7ab

7. Describe the transformations that must be applied to the graph of each exponential function $f(x)$ to obtain the transformed function. Write each transformed function in the form $y = a(c)^{b(x-h)} + k$.

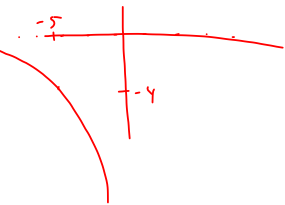
c) $m(x) = -4(3)^{x+5}$

d) $y = \left(\frac{1}{2}\right)^{2(x-1)}$

e) $n(x) = -\frac{1}{2}(5)^{2(x-4)} + 3$

a) $f(x) = \left(\frac{1}{2}\right)^x, y = f(x-2) + 1$

b) $f(x) = 5^x, y = -0.5f(x-3)$



Quiz tomorrow

Transforming Exponential Functions II (7.2) p354 day 3

ex1: The half life of Polonium-210 is 4 days.

a) Write an equation modelling what happens if you start with 25 g.

$$A(t) = 25\left(\frac{1}{2}\right)^{\frac{t}{4}}$$

$$A(t) = A_0 \left(\frac{1}{2}\right)^{\frac{t}{h}} \quad \leftarrow \begin{array}{l} \text{half} \\ \text{life} \end{array}$$

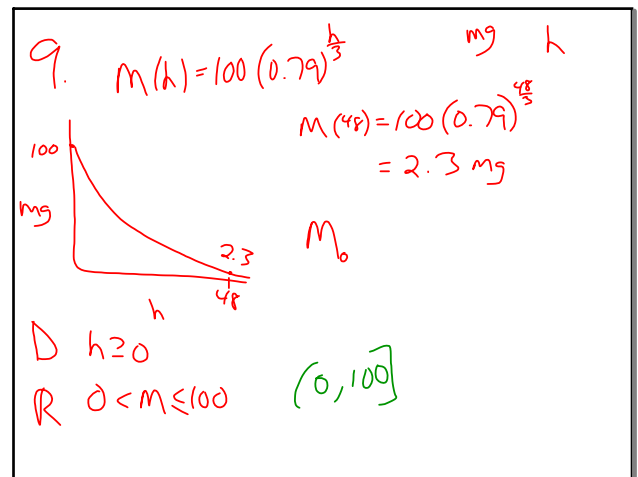
initial amount

b) How much will be left in 3 weeks?

$$A(21) = 25\left(\frac{1}{2}\right)^{\frac{21}{4}}$$

21 days = 3 weeks

0.66g



Transforming Exponential Functions II (7.2) p354 day 3

ex2: From 1985 to 2000, coyote populations on PEI increased at a rate of 10% per year. There were 200 coyotes in 1985.

a) Write a function modelling the number of coyotes with respect to years since 1985.

$$P(t) = 200(1.1)^t$$

b) How many were there in 1990? How about 1995?

$$P(5) = 200(1.1)^5$$

322

$$P(10) = 200(1.1)^{10}$$

519

c) How long did it take the population to double?

$$400 = 200(1.1)^t$$

$$2 = 1.1^t$$

guess & check

t = 7.3

d) What is the range of this function?

→ 2000 / 5 yrs

$$P(15) = 200(1.1)^{15}$$

835

[200, 835]

Rule of 72

how long will it take something to double?

growing at 10%

$$\frac{72}{10} = 7.2 \text{ years}$$

growing at 6%

$$\frac{72}{6} = 12 \text{ years}$$

Transforming Exponential Functions II (7.2) p354 day 3

ex3: School populations on PEI dropped from 28,000 in 1977 to 20,000 in 2009.

Create a function to model the school population wrt years since 1977.

$$P(n) = 28000(r)^n$$

$$20000 = 28000(r)^{32}$$

$$0.714 = r^{32}$$

$$\sqrt[32]{0.714}$$

$$0.9895 = r$$

$$1 - 0.99 = 0.01$$

1% decay

Predict how many students are in the system in 2021.

$$P(44) = 28000(0.99)^{44}$$

compare to 2018

20,600

$$= 17,993$$

Transforming Exponential Functions II (7.2) p354 day 3

hw: p354 #3fg, 11, 12

Quiz MacBeth

Teens and risk

Are they stupid?

Can they accurately assess risk?

Why do they do foolish things?

Rewards