



**Week 1, video 3:**

# **Classifiers, Part 1**

# Prediction

- Develop a model which can infer a single aspect of the data (predicted variable) from some combination of other aspects of the data (predictor variables)
- Sometimes used to predict the future
- Sometimes used to make inferences about the present

# Classification

- There is something you want to predict (“the label”)
- The thing you want to predict is categorical
  - ▣ The answer is one of a set of categories, not a number
  - ▣ CORRECT/WRONG (sometimes expressed as 0,1)
    - We’ll talk about this specific problem later in the course within latent knowledge estimation
  - ▣ HELP REQUEST/WORKED EXAMPLE REQUEST/ATTEMPT TO SOLVE
  - ▣ WILL DROP OUT/WON’T DROP OUT
  - ▣ WILL ENROLL IN MOOC A,B,C,D,E,F, or G

# Where do those labels come from?

---

- ❑ In-software performance
- ❑ School records
- ❑ Test data
- ❑ Survey data
- ❑ Field observations or video coding
- ❑ Text replays

# Classification

- Associated with each label are a set of “features”, which maybe you can use to predict the label

| Skill         | pknow | time | totalactions |
|---------------|-------|------|--------------|
| right         |       |      |              |
| ENTERINGGIVEN | 0.704 | 9    | 1            |
| WRONG         |       |      |              |
| ENTERINGGIVEN | 0.502 | 10   | 2            |
| RIGHT         |       |      |              |
| USEDIFFNUM    | 0.049 | 6    | 1            |
| WRONG         |       |      |              |
| ENTERINGGIVEN | 0.967 | 7    | 3            |
| RIGHT         |       |      |              |
| REMOVECOEFF   | 0.792 | 16   | 1            |
| WRONG         |       |      |              |
| REMOVECOEFF   | 0.792 | 13   | 2            |

# Classification

- The basic idea of a classifier is to determine which features, in which combination, can predict the label

| Skill                  | pknow | time | totalactions |
|------------------------|-------|------|--------------|
| right<br>ENTERINGGIVEN | 0.704 | 9    | 1            |
| WRONG<br>ENTERINGGIVEN | 0.502 | 10   | 2            |
| RIGHT<br>USEDIFFNUM    | 0.049 | 6    | 1            |
| WRONG<br>ENTERINGGIVEN | 0.967 | 7    | 3            |
| RIGHT<br>REMOVECOEFF   | 0.792 | 16   | 1            |
| WRONG                  |       |      |              |

# Classifiers

- There are hundreds of classification algorithms
- A good data mining package will have many implementations
  - ▣ RapidMiner
  - ▣ SAS Enterprise Miner
  - ▣ Weka
  - ▣ KEEL

# Classification



- Of course, usually there are more than 4 features
- And more than 7 actions/data points



# Domain-Specificity

- Specific algorithms work better for specific domains and problems
- We often have hunches for why that is
- But it's more in the realm of “lore” than really “engineering”

# Some algorithms I find useful

- Step Regression
- Logistic Regression
- J48/C4.5 Decision Trees
- JRip Decision Rules
- K\* Instance-Based Classifiers
  
- There are many others!

# Step Regression

- ***Not step-wise regression***
- Used for binary classification (0,1)

# Step Regression

- Fits a linear regression function
  - ▣ (as discussed in previous class)
  - ▣ with an arbitrary cut-off
- Selects parameters
- Assigns a weight to each parameter
- Computes a numerical value
- Then all values below 0.5 are treated as 0, and all values  $\geq 0.5$  are treated as 1

# Example

- $Y = 0.5a + 0.7b - 0.2c + 0.4d + 0.3$
- Cut-off 0.5

| a  | b  | c | d | Y |
|----|----|---|---|---|
| 1  | 1  | 1 | 1 |   |
| 0  | 0  | 0 | 0 |   |
| -1 | -1 | 1 | 3 |   |

# Example

- $Y = 0.5a + 0.7b - 0.2c + 0.4d + 0.3$
- Cut-off 0.5

| a  | b  | c | d | Y |
|----|----|---|---|---|
| 1  | 1  | 1 | 1 | 1 |
| 0  | 0  | 0 | 0 |   |
| -1 | -1 | 1 | 3 |   |

# Example

- $Y = 0.5a + 0.7b - 0.2c + 0.4d + 0.3$
- Cut-off 0.5

| a  | b  | c | d | Y |
|----|----|---|---|---|
| 1  | 1  | 1 | 1 | 1 |
| 0  | 0  | 0 | 0 | 0 |
| -1 | -1 | 1 | 3 |   |

# Example

- $Y = 0.5a + 0.7b - 0.2c + 0.4d + 0.3$
- Cut-off 0.5

| a  | b  | c | d | Y |
|----|----|---|---|---|
| 1  | 1  | 1 | 1 | 1 |
| 0  | 0  | 0 | 0 | 0 |
| -1 | -1 | 1 | 3 | 0 |



# Quiz

- $Y = 0.5a + 0.7b - 0.2c + 0.4d + 0.3$
- Cut-off 0.5

| a | b  | c | d | Y |
|---|----|---|---|---|
| 2 | -1 | 0 | 1 |   |
|   |    |   |   |   |
|   |    |   |   |   |

# Note

---

- Step regression is used in RapidMiner by using linear regression with binary data
- Other functions in different packages

# Step regression: should you use it?

- Step regression is not preferred by statisticians due to lack of closed-form expression
- But often does better in EDM, due to lower over-fitting

# Logistic Regression

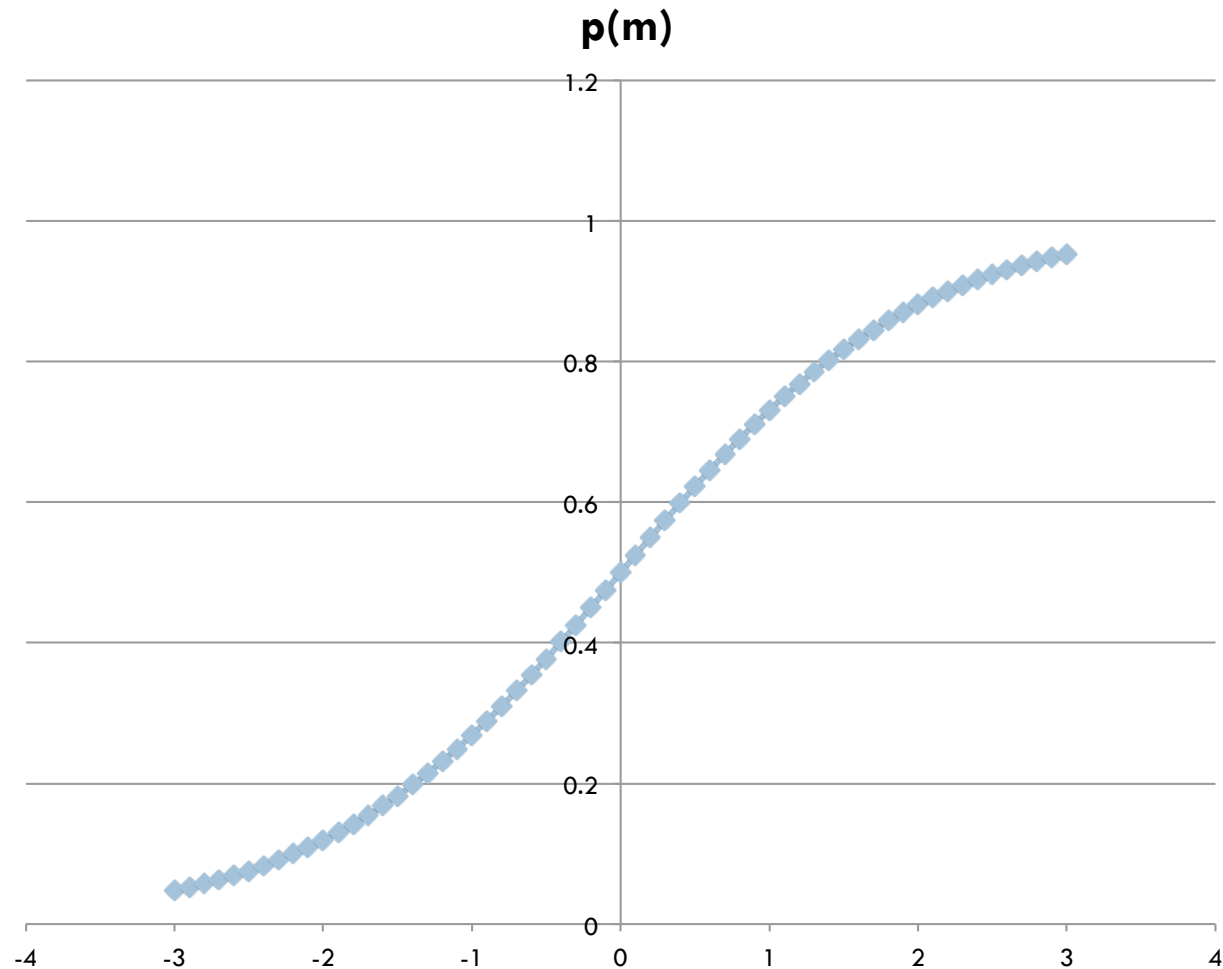
---

- Another algorithm for binary classification (0,1)

# Logistic Regression

- Given a specific set of values of predictor variables
- Fits logistic function to data to find out the frequency/odds of a specific value of the dependent variable

# Logistic Regression



# Logistic Regression

$$m = \alpha_0 + \alpha_1 v_1 + \alpha_2 v_2 + \alpha_3 v_3 + \alpha_4 v_4 \dots$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$



# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A | B | C | M | P(M) |
|---|---|---|---|------|
| 0 | 0 | 0 |   |      |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A | B | C | M | P(M) |
|---|---|---|---|------|
| 0 | 0 | 0 | 0 | 0.5  |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A | B | C | M | P(M) |
|---|---|---|---|------|
| 1 | 1 | 1 | 1 | 0.73 |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A  | B  | C  | M  | P(M) |
|----|----|----|----|------|
| -1 | -1 | -1 | -1 | 0.27 |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A | B | C | M | P(M) |
|---|---|---|---|------|
| 2 | 2 | 2 | 2 | 0.88 |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A | B | C | M | P(M) |
|---|---|---|---|------|
| 3 | 3 | 3 | 3 | 0.95 |

# Logistic Regression

$$m = 0.2A + 0.3B$$

$$p(m) = \frac{1}{1 + e^{-m}}$$

| A  | B  | C  | M  | P(M) |
|----|----|----|----|------|
| 50 | 50 | 50 | 50 | ~1   |

# Relatively conservative

- Thanks to simple functional form, is a relatively conservative algorithm
  - ▣ I'll explain this in more detail later in the course



# Good for

- Cases where changes in value of predictor variables have predictable effects on probability of predicted variable class
- $m = 0.2A + 0.3B + 0.5C$
- Higher A always leads to higher probability
  - ▣ But there are some data sets where this isn't true!

# What about interaction effects?

- $A = \text{Bad}$

- $B = \text{Bad}$

- $A+B = \text{Good}$

# What about interaction effects?

- Ineffective Educational Software = Bad
- Off-Task Behavior = Bad
- Ineffective Educational Software **PLUS**  
Off-Task Behavior = Good

Logistic and Step Regression are good when interactions

are not particularly common

- Can be given interaction effects through automated feature distillation
  - ▣ We'll discuss this later
- But is not particularly optimal for this

# What about interaction effects?

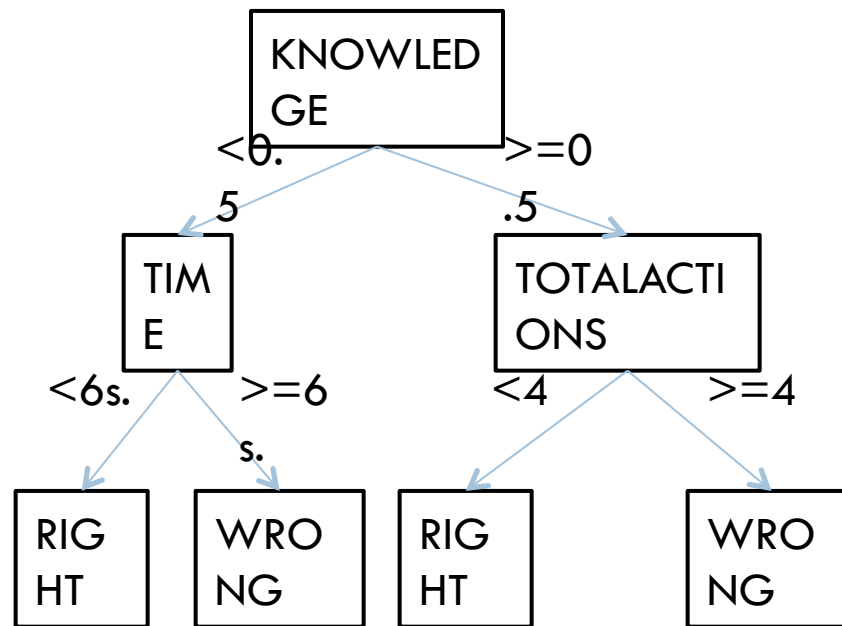
- Fast Responses + Material Student Already Knows -  
> Associated with Better Learning
- Fast Responses + Material Student Does not Know -  
> Associated with Worse Learning

# Decision Trees



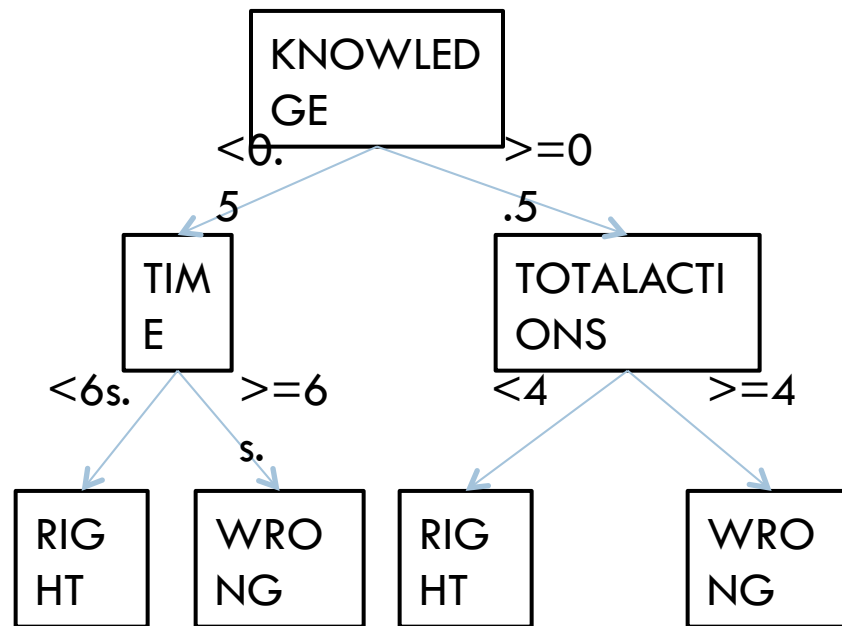
- An approach that explicitly deals with interaction effects

# Decision Tree



| Skill        | knowledge    | time   |   |
|--------------|--------------|--------|---|
|              | totalactions | right? |   |
| COMPUTESLOPE | 0.544        | 9      | 1 |
|              | ?            |        |   |

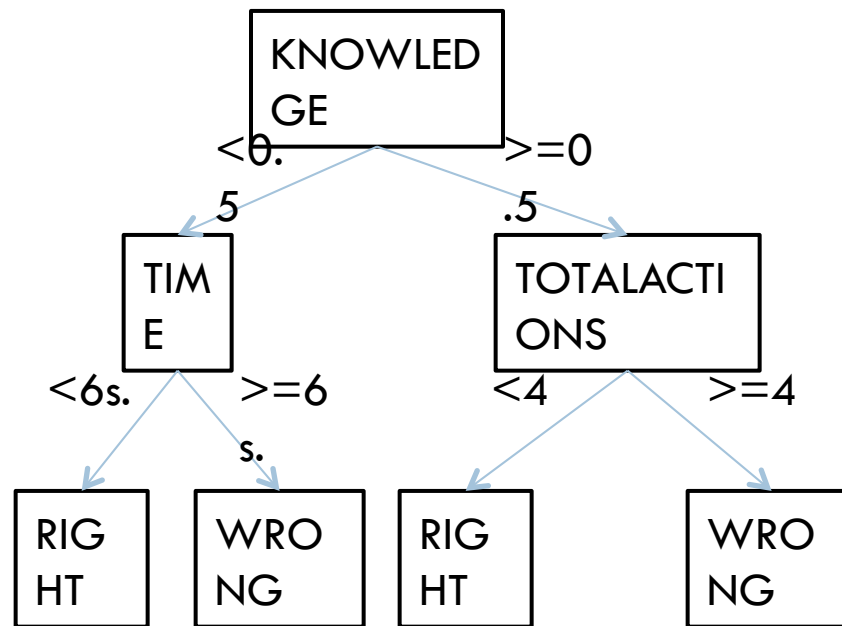
# Decision Tree



| Skill        | knowledge    | time   |   |
|--------------|--------------|--------|---|
|              | totalactions | right? |   |
| COMPUTESLOPE | 0.544        | 9      | 1 |
|              | RIGHT        |        |   |



# Quiz



| Skill        | knowledge    | time   |   |
|--------------|--------------|--------|---|
|              | totalactions | right? |   |
| COMPUTESLOPE | 0.444        | 9      | 1 |
|              | ?            |        |   |

# Decision Tree Algorithms

- There are several
- I usually use J48, which is an open-source re-implementation in Weka/RapidMiner of C4.5 (Quinlan, 1993)

# J48/C4.5

- Can handle both numerical and categorical predictor variables
  - ▣ Tries to find optimal split in numerical variables
- Repeatedly looks for variable which best splits the data in terms of predictive power for each variable
- Later prunes out branches that turn out to have low predictive power
- Note that different branches can have different features!

# Can be adjusted...

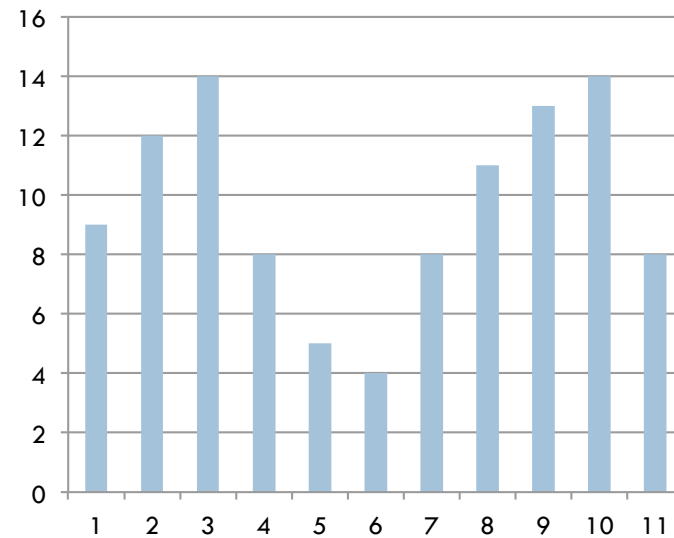
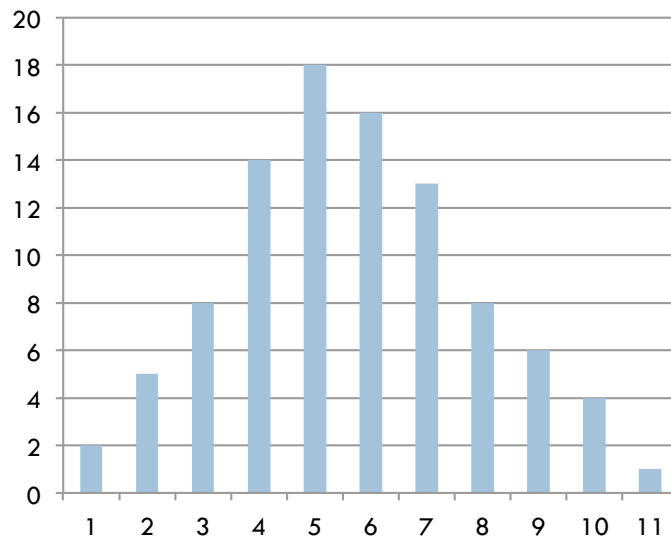
---

- To split based on more or less evidence
- To prune based on more or less predictive power

# Relatively conservative

- Thanks to pruning step, is a relatively conservative algorithm
  - ▣ We'll discuss conservatism in a later class

# Good when data has natural splits



Good when multi-level interactions  
are common



# Good when same construct can be arrived at in multiple ways

- A student is likely to drop out of college when he
  - ▣ Starts assignments early but lacks prerequisites
- OR when he
  - ▣ Starts assignments the day they're due



# Later Lectures



- More classification algorithms
- Goodness metrics for comparing classifiers
- Validating classifiers
- What does it mean for a classifier to be conservative?

# Next Lecture

---

- Building regressors and classifiers in RapidMiner