



PADRE CONCEIÇÃO COLLEGE OF ENGINEERING, VERNA-  
GOA

### TUTORIAL NO: 7 (Batch 1)

**Semester:** II (RC 2019-'20)

**Course Instructor:** Prof. Komal Paroolkar

**Course:** FE210

Mathematics-II

*Topic: Applications of Double Integration.*

- |  | <u>CO</u>  | <u>CL</u>  |
|--|------------|------------|
| <b>Q1.</b> Use double integration to find the area of the region bounded by $x^2 + y^2 = a^2$ and $x + y = a$ lying in the 1 <sup>st</sup> quadrant.           | <b>CO2</b> | <b>CL3</b> |
| <b>Q2</b> Evaluate the area of the region between $r = 1$ and $r = 3$ using double integration.  | <b>CO2</b> | <b>CL3</b> |
| <b>Q3</b> The region bounded by the curve $r = 2a \cos \theta$ is revolved about the initial line. Find the volume of the object generated.                    | <b>CO2</b> | <b>CL3</b> |
| <b>Q4.</b> Find, by double integration, the volume of the object formed by the revolution of the region bounded by $x^2 + \frac{y^2}{4} = 1$ about the X-axis. | <b>CO2</b> | <b>CL3</b> |
| <b>Q5.</b> Find the mass of the area bounded by the curves $y = x^2$ and $x = y^2$ if $\rho = K(x^2 + y^2)$ .  | <b>CO2</b> | <b>CL3</b> |



PADRE CONCEIÇÃO COLLEGE OF ENGINEERING, VERNA-  
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**TUTORIAL NO: 7 (Batch 2)**

**Semester:** II (RC 2019-'20)

**Course Instructor:** Prof. Komal Paroolkar

**Course:** FE210

Mathematics-II

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***Topic: Applications of Double Integration.***

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|--|------------|------------|
| <b>Q1.</b> Find the area that lies inside $r = a(1 + \cos \theta)$ and outside $r = a$ .   | <b>CO2</b> | <b>CL3</b> |
| <b>Q2</b> Find the area bounded by $x^2 + y^2 = 4$ , $x = y$ and $x = 0$ lying in the first quadrant.  | <b>CO2</b> | <b>CL3</b> |
| <b>Q3</b> Find, by double integration, the volume of the object formed by the revolution of the region bounded by $x^2 + y^2 = 4$ about the line $x = 3$ . | <b>CO2</b> | <b>CL3</b> |
| <b>Q4.</b> The region bounded by the curve $r = 1 + \cos \theta$ is revolved about the initial line. Find the volume of the object generated.              | <b>CO2</b> | <b>CL3</b> |
| <b>Q5.</b> Find the mass of a plate between $r = 1$ and $r = 4$ if the density varies as the square of the distance of a point from the pole.              | <b>CO2</b> | <b>CL3</b> |



PADRE CONCEIÇÃO COLLEGE OF ENGINEERING, VERNA-  
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**TUTORIAL NO: 7 (Batch 3)**

**Semester:** II (RC 2019-'20)

**Course Instructor:** Prof. Komal Paroolkar

**Course:** FE210

Mathematics-II

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***Topic: Applications of Double Integration.***

- |  | <u>CO</u>  | <u>CL</u>  |
|--|------------|------------|
| <b>Q1.</b> Find the area of the region bounded by $y = x^2$ and $y = 1$  | <b>CO2</b> | <b>CL3</b> |
| <b>Q2</b> Find the area of the region $r \leq 3 + \cos \theta$ .   | <b>CO2</b> | <b>CL3</b> |
| <b>Q3</b> The region $y \geq x^2$ and $y \leq 1$ is revolved about the Y-axis. Find the volume of the object formed.   | <b>CO2</b> | <b>CL3</b> |
| <b>Q4.</b> The cardioid $r = 1 + \sin \theta$ is revolved about its own axis. Find the volume of the object formed.  | <b>CO2</b> | <b>CL3</b> |
| <b>Q5.</b> Find the mass of a plate in the form of $r = 2 \cos \theta$ if the density varies as the distance of a point (in the region) from the initial line. | <b>CO2</b> | <b>CL3</b> |

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