

Project Report

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Project Overview: Describe the Project along with Project Outcomes (Explain the Project in your own words in 15 – 20 lines)

The project objective is to create a perform linear regression analysis for the dataset mtcars and forecast on the dependent variable. This is to be accomplished using both R and Azure Machine Learning.

The data was extracted from a motor trend US magazine at year 1974 and comprises fuel consumption and 10 aspects of automobile design and performance for 32 automobiles (1973-74 models).

The variables and a short description of them are as such:

1. **mpg - Miles/(US) gallon**
2. **cyl - Number of cylinders**
3. **disp - Displacement (cu.in.)**
4. **hp - Gross horsepower**
5. **drat - Rear axle ratio**
6. **wt - Weight (1000 lbs)**
7. **qsec - 1/4 mile time**
8. **vs - Engine (0 = V-shaped, 1 = straight)**
9. **am - Transmission (0 = automatic, 1 = manual)**
10. **gear - Number of forward gears**
11. **carb - Number of carburetors**

For the first part of the project, R programming is used. Data are required to be first separated accordingly to their own categories. Numeric, independent variables and other categorical data types are then later used to determine the correlation. With only numeric variables in hand, the correlation matrix is plotted to better visualize the correlation weightage between each independent variable. The best fit model is then selected to predict mpg data in Rstudio.

After which we explore Azure machine learning to compare the forecast and understand the functionality and comprehensiveness of both software.

1. Project Technical Environment: (Describe the project with Tools and algorithm used)

In a summary, there are a total of 10 activities to complete and achieve the desired prediction outcome of mpg. From activity 1 to 9, this project will utilise R programming to import, transform, explore, and extract the dataset from mtcars.

The dataset will then be used to visualise using the library packages (corrplot, caret, ggplot2, lattice) and to create the linear model for mpg prediction.

The activity 10 will utilise the Azure Machine Learning to train and create model for the mpg prediction model.

Procedure for the project

R Programming:

Step 1: Import dataset mtcars

Step 2: Checking summary and structure of the dataset respectively for distribution and data type

Step 3: Data transformation

Step 4: Separate independent/dependent variables

Step 5: EDA - visual to check the independent columns impacting mpg

Step 6: Check correlation for numeric variables

Step 7: Train model

Step 8: Plotting the model

Step 9: Prediction

Azure Machine Learning End to end solution:

Step 1: Load the dataset mtcars

Step 2: Preprocess the data

Step 3: Define the features

Step 4: Select an algorithm and train the model

Step 5: Score the model

Step 6: Evaluate the model accuracy by measuring the Coefficient of Determination

Activity 1: Define data management structures to align and streamline processes of data ownership, retrieval, combination, and usage (Explain the process of the data flow, retrieval, combination of both R and AML and its usage)

- As the mtcars dataset is a built-in dataset in R, it can be retrieved either from inbuilt method of data() or by using read.csv.

Sample Code:

```
#Load preset datasets
```

```
data(mtcars)
```

```
#Reading file csv file
```

```
mtcars<-read.csv("C:/Users/Downloads/mtcars.csv")
```

Variable Name		Description	Comments
mpg		Miles per gallon	Amount of distance travelled per gallon
cyl		Cylinder	Amount of cylinder in an engine
disp		Displacement	Overall volume in the engine
hp		Gross horsepower	Engine output power
drat		Rear axle ratio	Number of turns of drive shaft for every one rotation of wheel axle
wt		Weight	Overall weight of vehicle per 1000lbs
qsec		1/4 mile time	Fastest time to travel 1/4 mile from stationary in seconds
vs		V-shape / Straight line	Arrangement of cylinder in V-shaped = 0, Straight line = 1
am		Transmission type	Automatic = 0, Manual = 1
gear		No. of forward gears	No. of gear in transmission
carb		No. of carburetors	No. of carburetor barrels

Activity 2: Create R code for effective data loading, storage and utilization

Install the required visualisation packages (ggplot2, caret, corrplot) using the install.package

```
1 #Activity 2
2 install.packages("ggplot2")
3 install.packages("caret")
4 install.packages("corrplot")
5
6 library(ggplot2)
7 library(caret)
8 library(corrplot)
9
```

The dataset is then analyse by using:

```
R 4.1.3 · ~/R Files/Project module/
> ##To get the names of the column
> names(mtcars)
[1] "mpg" "cyl" "disp" "hp" "drat" "wt" "qsec" "vs" "am" "gear" "carb"
>
> ##To view the data type or structure
> str(mtcars)
'data.frame': 32 obs. of 11 variables:
 $ mpg : num 21 21 22.8 21.4 18.7 18.1 14.3 24.4 22.8 19.2 ...
 $ cyl : Factor w/ 3 levels "4","6","8": 2 2 1 2 3 2 3 1 1 2 ...
 $ disp: num 160 160 108 258 360 ...
 $ hp : num 110 110 93 110 175 105 245 62 95 123 ...
 $ drat: num 3.9 3.9 3.85 3.08 3.15 2.76 3.21 3.69 3.92 3.92 ...
 $ wt : num 2.62 2.88 2.32 3.21 3.44 ...
 $ qsec: num 16.5 17 18.6 19.4 17 ...
 $ vs : Factor w/ 2 levels "0","1": 1 1 2 2 1 2 1 2 2 2 ...
 $ am : Factor w/ 2 levels "0","1": 2 2 2 1 1 1 1 1 1 1 ...
 $ gear: Factor w/ 3 levels "3","4","5": 2 2 2 1 1 1 1 2 2 2 ...
 $ carb: num 4 4 1 1 2 1 4 2 2 4 ...
>
> ##To view the data layout. By default the function produces the top 6 observation of the dataframe
> head(mtcars)
      mpg  cyl  disp  hp  drat   wt   qsec vs  am  gear carb
Mazda RX4    21.0   6  160 110  3.90 2.620 16.46 0  1    4    4
Mazda RX4 wag 21.0   6  160 110  3.90 2.875 17.02 0  1    4    4
Datsun 710   22.8   4  108  93  3.85 2.320 18.61 1  1    4    1
Hornet 4 Drive 21.4   6  258 110  3.08 3.215 19.44 1  0    3    1
Hornet Sportabout 18.7   8  360 175  3.15 3.440 17.02 0  0    3    2
Valiant     18.1   6  225 105  2.76 3.460 20.22 1  0    3    1
>
> ##To view the data layout. By default the function produces the bottom 6 observation of the dataframe
> tail(mtcars)
      mpg  cyl  disp  hp  drat   wt   qsec vs  am  gear carb
Porsche 914-2 26.0   4 120.3  91  4.43 2.140 16.7 0  1    5    2
Lotus Europa  30.4   4  95.1 113  3.77 1.513 16.9 1  1    5    2
Ford Pantera L 15.8   8 351.0 264  4.22 3.170 14.5 0  1    5    4
Ferrari Dino   19.7   6 145.0 175  3.62 2.770 15.5 0  1    5    6
Maserati Bora  15.0   8 301.0 335  3.54 3.570 14.6 0  1    5    8
Volvo 142E     21.4   4 121.0 109  4.11 2.780 18.6 1  1    4    2
>
> ##To view the summary of the variables in term of min, max, mean and quartile
> summary(mtcars)
      mpg      cyl      disp      hp      drat      wt      qsec      vs      am
Min.   :10.40   4:11   Min.   : 71.1   Min.   : 52.0   Min.   :2.760   Min.   :1.513   Min.   :14.50   0:18   0:19
1st Qu.:15.43   6: 7   1st Qu.:120.8   1st Qu.: 96.5   1st Qu.:3.080   1st Qu.:2.581   1st Qu.:16.89   1:14   1:13
Median :19.20   8:14   Median :196.3   Median :123.0   Median :3.695   Median :3.325   Median :17.71
Mean   :20.09                Mean   :230.7   Mean   :146.7   Mean   :3.597   Mean   :3.217   Mean   :17.85
3rd Qu.:22.80                3rd Qu.:326.0   3rd Qu.:180.0   3rd Qu.:3.920   3rd Qu.:3.610   3rd Qu.:18.90
Max.   :33.90                Max.   :472.0   Max.   :335.0   Max.   :4.930   Max.   :5.424   Max.   :22.90
      gear      carb
3:15   Min.   :1.000
4:12   1st Qu.:2.000
5: 5    Median :2.000
       Mean   :2.812
       3rd Qu.:4.000
       Max.   :8.000
>
> ##To get the dimensions of the dataset in terms of number of rows and columns.
> dim(mtcars)
[1] 32 11
```

names(mtcars) – To retrieve the name of the columns

head(mtcars) – To view the data layout. By default, the function produces the top 6 observation of the dataframe

`tail(mtcars)` – To view the data layout. By default, the function produces the bottom 6 observation of the dataframe

`str(mtcars)` – To view the data type or structure

`summary(mtcars)` – To view the summary of the variables in term of min, max, mean and quartile

`dim(mtcars)` – To get the dimensions of the dataset in terms of number of rows and columns. 32 observations and 11 variables were printed in the console

*Mention the number of records and fields from MTCARS in your project report

Dataset 'mtcars' is a data frame with 32 observations (rows) of 11 variables (columns)

Activity 3: Data Preprocessing, handling and updating standards and procedures

Factorise the variable cyl, am, vs and gear

```
#Activity 3
##Factor cyl, vs, am, gear as variables are ordered which can be factorised
mtcars$cyl <- as.factor(mtcars$cyl)
mtcars$am <- as.factor(mtcars$am)
mtcars$gear <- as.factor(mtcars$gear)
mtcars$vs <- as.factor(mtcars$vs)
```

Dropping dependent variable for calculating Multicollinearity(mpg)

```
#Subsetting mtcars without the dependent variable to mtcars_indpt_variables
mtcars_indpt_variables <- subset(mtcars[-1])
```

Display the new data and check if mpg is displayed or not

```
#Checking dataset without mpg
str(mtcars_indpt_variables)

> str(mtcars_indpt_variables)
'data.frame': 32 obs. of 10 variables:
 $ cyl: Factor w/ 3 levels "4","6","8": 2 2 1 2 3 2 3 1 1 2 ...
 $ disp: num 160 160 108 258 360 ...
 $ hp : num 110 110 93 110 175 105 245 62 95 123 ...
 $ drat: num 3.9 3.9 3.85 3.08 3.15 2.76 3.21 3.69 3.92 3.92 ...
 $ wt : num 2.62 2.88 2.32 3.21 3.44 ...
 $ qsec: num 16.5 17 18.6 19.4 17 ...
 $ vs : Factor w/ 2 levels "0","1": 1 1 2 2 1 2 1 2 2 2 ...
 $ am : Factor w/ 2 levels "0","1": 2 2 2 1 1 1 1 1 1 1 ...
 $ gear: Factor w/ 3 levels "3","4","5": 2 2 2 1 1 1 1 2 2 2 ...
 $ carb: num 4 4 1 1 2 1 4 2 2 4 ...
```

Activity 4: Identifying numeric variables

Identifying numeric variables using apply function and display

```
#Activity 4
#Identify numeric variables, sapply or lapply can used
#sapply provides a vector output compared to lapply which provides a list output
#create a dataset with only numeric independent variables called mtcars_numeric
mtcars_numeric <- sapply(mtcars_indpt_variables, FUN = is.numeric)
mtcars_numeric
```

```
> mtcars_numeric <- sapply(mtcars_indpt_variables, FUN = is.numeric)
> mtcars_numeric
  cyl disp  hp drat   wt  qsec   vs   am  gear  carb
FALSE TRUE  TRUE  TRUE  TRUE  TRUE FALSE FALSE FALSE  TRUE
```

Observation is seen that disp, hp, drat, wt, qsec and carb are the numeric variables. It is then extracted to another data called *mtcars_numeric*

```
mtcars_numeric <- mtcars_indpt_variables[mtcars_numeric]
mtcars_numeric
```

```
> mtcars_numeric <- mtcars_indpt_variables[mtcars_numeric]
> mtcars_numeric
```

	disp	hp	drat	wt	qsec	carb
Mazda RX4	160.0	110	3.90	2.620	16.46	4
Mazda RX4 wag	160.0	110	3.90	2.875	17.02	4
Datsun 710	108.0	93	3.85	2.320	18.61	1
Hornet 4 Drive	258.0	110	3.08	3.215	19.44	1
Hornet Sportabout	360.0	175	3.15	3.440	17.02	2
Valiant	225.0	105	2.76	3.460	20.22	1
Duster 360	360.0	245	3.21	3.570	15.84	4
Merc 240D	146.7	62	3.69	3.190	20.00	2
Merc 230	140.8	95	3.92	3.150	22.90	2
Merc 280	167.6	123	3.92	3.440	18.30	4
Merc 280C	167.6	123	3.92	3.440	18.90	4
Merc 450SE	275.8	180	3.07	4.070	17.40	3
Merc 450SL	275.8	180	3.07	3.730	17.60	3
Merc 450SLC	275.8	180	3.07	3.780	18.00	3
Cadillac Fleetwood	472.0	205	2.93	5.250	17.98	4
Lincoln Continental	460.0	215	3.00	5.424	17.82	4
Chrysler Imperial	440.0	230	3.23	5.345	17.42	4
Fiat 128	78.7	66	4.08	2.200	19.47	1
Honda Civic	75.7	52	4.93	1.615	18.52	2
Toyota Corolla	71.1	65	4.22	1.835	19.90	1
Toyota Corona	120.1	97	3.70	2.465	20.01	1
Dodge Challenger	318.0	150	2.76	3.520	16.87	2
AMC Javelin	304.0	150	3.15	3.435	17.30	2
Camaro Z28	350.0	245	3.73	3.840	15.41	4
Pontiac Firebird	400.0	175	3.08	3.845	17.05	2
Fiat X1-9	79.0	66	4.08	1.935	18.90	1
Porsche 914-2	120.3	91	4.43	2.140	16.70	2
Lotus Europa	95.1	113	3.77	1.513	16.90	2
Ford Pantera L	351.0	264	4.22	3.170	14.50	4
Ferrari Dino	145.0	175	3.62	2.770	15.50	6
Maserati Bora	301.0	335	3.54	3.570	14.60	8
Volvo 142E	121.0	109	4.11	2.780	18.60	2

Activity 5: Data management tools / standard for Correlation Matrix and Correlated attributes

Calculating Correlation

```
#Activity 5
#Calculating correlation
mt_correlation <- cor(mtcars_numeric)

#Checking correlation within independent variables
mt_correlation

> mt_correlation
```

	disp	hp	drat	wt	qsec	carb
disp	1.0000000	0.7909486	-0.71021393	0.8879799	-0.43369788	0.3949769
hp	0.7909486	1.0000000	-0.44875912	0.6587479	-0.70822339	0.7498125
drat	-0.7102139	-0.4487591	1.00000000	-0.7124406	0.09120476	-0.0907898
wt	0.8879799	0.6587479	-0.71244065	1.0000000	-0.17471588	0.4276059
qsec	-0.4336979	-0.7082234	0.09120476	-0.1747159	1.00000000	-0.6562492
carb	0.3949769	0.7498125	-0.09078980	0.4276059	-0.65624923	1.0000000

Observation shows that there is a strong correlation between wt and disp as a cor value of 0.8879799 is displayed. There are also some strong correlated variables ranging from 0.71 magnitude onwards.

We can refer to the below table to determine whether the correlation strength.

Variables which have correlation more than .8(-ve or +ve) will be dropped

Correlation checking is for numeric variables, not for factor/categorical

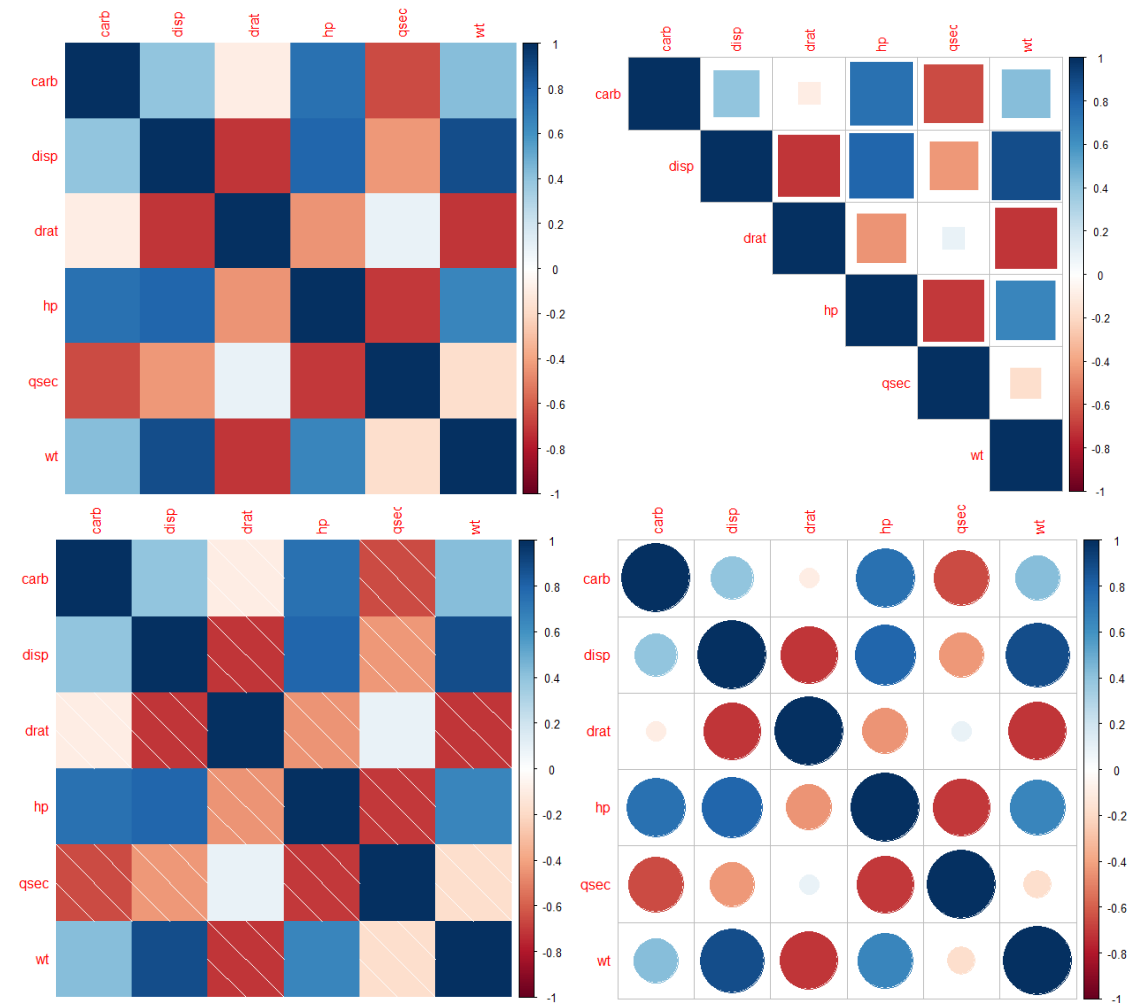
Size of correlation coefficient	Strength of correlation
.91 until 1.00 or -.91 until -1.00	Very strong
.71 until .90 or -.71 until -.90	Strong
.51 until .70 or -.51 until -.70	Moderate
.31 until .50 or -.31 until -.50	Weak
.01 until .30 or -.01until -.30	Very weak
.00	No correlation

Visualise Correlation matrix

The `corrplot()` function is applied to allow us to easier identify strong correlated variables through a visual display instead of a numeric table.

```
#Visualisation of mt_correlation
corrplot(mt_correlation, method = 'color', order = 'alphabet')
corrplot(mt_correlation, method = 'square', order = 'alphabet', type = 'upper')
corrplot(mt_correlation, method = 'shade', order = 'alphabet')
corrplot(mt_correlation, method = 'circle', order = 'alphabet')
```

In the syntax, `method` represents the kind of shape or representation it will display follow by the `order` which it will display. As for the second visualisation `upper` is applied to represent the data in a upper triangular fashion.



Identifying Variable Names of Highly Correlated Variables and print the variables

Using findCorrelation(), the highly correlated variables can be identified by indicating the cutoff value. The cutoff value that we will be using are 0.8 and 0.71.

```
#Identifying variable Names of Highly Correlated variables
high_rel_1 <- findCorrelation(mt_correlation, cutoff = 0.80)
high_rel_1

high_rel<-findCorrelation(mt_correlation, cutoff = 0.71)
high_rel

#Getting the column names of the variables
hig_rel_names<- colnames(mtcars_numeric[high_rel_1])
hig_rel_names

hig_rel_n<- colnames(mtcars_numeric[high_rel])
hig_rel_n

> #Identifying variable Names of Highly Correlated variables
> high_rel_1 <- findCorrelation(mt_correlation, cutoff = 0.80)
> high_rel_1
[1] 1
>
> high_rel<-findCorrelation(mt_correlation, cutoff = 0.71)
> high_rel
[1] 2 1 4
>
> #Getting the column names of the variables
> hig_rel_names<- colnames(mtcars_numeric[high_rel_1])
> hig_rel_names
[1] "disp"
>
> hig_rel_n<- colnames(mtcars_numeric[high_rel])
> hig_rel_n
[1] "hp" "disp" "wt"
```

Remove highly correlated variables and create a new dataset
 Create a variable x_new and x_new2 to store and create the new datasets.

```
> #Removing the variable showing high correlation, x_new to be variables without cor value more than 0.80
> x_new <- mtcars_numeric[, -which(colnames(mtcars_numeric) %in% hig_rel_names)]
> x_new
```

	hp	drat	wt	qsec	carb
Mazda RX4	110	3.90	2.620	16.46	4
Mazda RX4 Wag	110	3.90	2.875	17.02	4
Datsun 710	93	3.85	2.320	18.61	1
Hornet 4 Drive	110	3.08	3.215	19.44	1
Hornet Sportabout	175	3.15	3.440	17.02	2
Valiant	105	2.76	3.460	20.22	1
Duster 360	245	3.21	3.570	15.84	4
Merc 240D	62	3.69	3.190	20.00	2
Merc 230	95	3.92	3.150	22.90	2
Merc 280	123	3.92	3.440	18.30	4
Merc 280C	123	3.92	3.440	18.90	4
Merc 450SE	180	3.07	4.070	17.40	3
Merc 450SL	180	3.07	3.730	17.60	3
Merc 450SLC	180	3.07	3.780	18.00	3
Cadillac Fleetwood	205	2.93	5.250	17.98	4
Lincoln Continental	215	3.00	5.424	17.82	4
Chrysler Imperial	230	3.23	5.345	17.42	4
Fiat 128	66	4.08	2.200	19.47	1
Honda Civic	52	4.93	1.615	18.52	2
Toyota Corolla	65	4.22	1.835	19.90	1
Toyota Corona	97	3.70	2.465	20.01	1
Dodge Challenger	150	2.76	3.520	16.87	2
AMC Javelin	150	3.15	3.435	17.30	2
Camaro Z28	245	3.73	3.840	15.41	4
Pontiac Firebird	175	3.08	3.845	17.05	2
Fiat X1-9	66	4.08	1.935	18.90	1
Porsche 914-2	91	4.43	2.140	16.70	2
Lotus Europa	113	3.77	1.513	16.90	2
Ford Pantera L	264	4.22	3.170	14.50	4
Ferrari Dino	175	3.62	2.770	15.50	6
Maserati Bora	335	3.54	3.570	14.60	8
Volvo 142E	109	4.11	2.780	18.60	2

```
> dim(x_new)
[1] 32 5
```

*disp is removed

```
> #Removing the variable showing high correlation, x_new2 to be variables without cor value more than 0.71
> x_new2 <- mtcars_numeric[, -which(colnames(mtcars_numeric) %in% hig_rel_n)]
> x_new2
```

	drat	qsec	carb
Mazda RX4	3.90	16.46	4
Mazda RX4 Wag	3.90	17.02	4
Datsun 710	3.85	18.61	1
Hornet 4 Drive	3.08	19.44	1
Hornet Sportabout	3.15	17.02	2
Valiant	2.76	20.22	1
Duster 360	3.21	15.84	4
Merc 240D	3.69	20.00	2
Merc 230	3.92	22.90	2
Merc 280	3.92	18.30	4
Merc 280C	3.92	18.90	4
Merc 450SE	3.07	17.40	3
Merc 450SL	3.07	17.60	3
Merc 450SLC	3.07	18.00	3
Cadillac Fleetwood	2.93	17.98	4
Lincoln Continental	3.00	17.82	4
Chrysler Imperial	3.23	17.42	4
Fiat 128	4.08	19.47	1
Honda Civic	4.93	18.52	2
Toyota Corolla	4.22	19.90	1
Toyota Corona	3.70	20.01	1
Dodge Challenger	2.76	16.87	2
AMC Javelin	3.15	17.30	2
Camaro Z28	3.73	15.41	4
Pontiac Firebird	3.08	17.05	2
Fiat X1-9	4.08	18.90	1
Porsche 914-2	4.43	16.70	2
Lotus Europa	3.77	16.90	2
Ford Pantera L	4.22	14.50	4
Ferrari Dino	3.62	15.50	6
Maserati Bora	3.54	14.60	8
Volvo 142E	4.11	18.60	2

```
> dim(x_new2)
[1] 32 3
```

*disp, wt and hp is removed from the dataset

Activity 6: Propose Model Creation

Build Linear Regression Model

Build a linear regression model based on the new variables, x_new and x_new2 that was created in activity 5.

Set y with our dependent variable mpg

```
y <- mtcars$mpg  
  
#Creating model/ building model for x_new  
y <- mtcars$mpg  
fit_model_1<- lm(y ~.,data=x_new)  
fit_model_2<- lm(y ~.,data=x_new2)
```

Checking summary

After creating the linear model, the next step is to check the summary of the linear model by adding summary() with the "fit" variable.

```
> summary(fit_model_1)  
  
Call:  
lm(formula = y ~ ., data = x_new)  
  
Residuals:  
    Min       1Q   Median       3Q      Max   
-3.7011 -1.5939 -0.2785  0.9175  5.3075   
  
Coefficients:  
            Estimate Std. Error t value Pr(>|t|)      
(Intercept) 18.97886    10.45652   1.815 0.081073 .      
hp           -0.01409     0.01629  -0.865 0.394817      
drat          1.99965     1.36766   1.462 0.155698      
wt           -3.56476     0.92705  -3.845 0.000699 ***   
qsec          0.46303     0.45231   1.024 0.315407      
carb         -0.28748     0.49790  -0.577 0.568646      
---  
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1  
  
Residual standard error: 2.571 on 26 degrees of freedom  
Multiple R-squared:  0.8473,    Adjusted R-squared:  0.818   
F-statistic: 28.86 on 5 and 26 DF,  p-value: 7.865e-10
```

```
> summary(fit_model_2)
```

```
Call:
```

```
lm(formula = y ~ ., data = x_new2)
```

```
Residuals:
```

Min	1Q	Median	3Q	Max
-6.0161	-2.4474	-0.1745	1.4097	7.9116

```
Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	-4.8172	9.9557	-0.484	0.63224	
drat	7.1501	1.1577	6.176	1.14e-06	***
qsec	0.2197	0.4572	0.480	0.63463	
carb	-1.6813	0.5058	-3.324	0.00248	**

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 3.429 on 28 degrees of freedom
```

```
Multiple R-squared:  0.7076,    Adjusted R-squared:  0.6763
```

```
F-statistic: 22.59 on 3 and 28 DF,  p-value: 1.234e-07
```

Extract the coefficient using the `summary()` function and use the subset to extract the coefficient, “\$coeff”.

```
> #Checking coefficients
```

```
> summary(fit_model_1$coefficients)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
-3.5648	-0.2191	0.2245	2.9292	1.6155	18.9789

```
> summary(fit_model_2$coefficients)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
-4.8172	-2.4653	-0.7308	0.2178	1.9523	7.1501

Activity 7: Plot model

- Plot the fit model in a 2*2 matrix using par

The following task is to plot the model in a 2*2 matrix by using the par() function.

```
##Activity 7|  
#Plotting the model
```

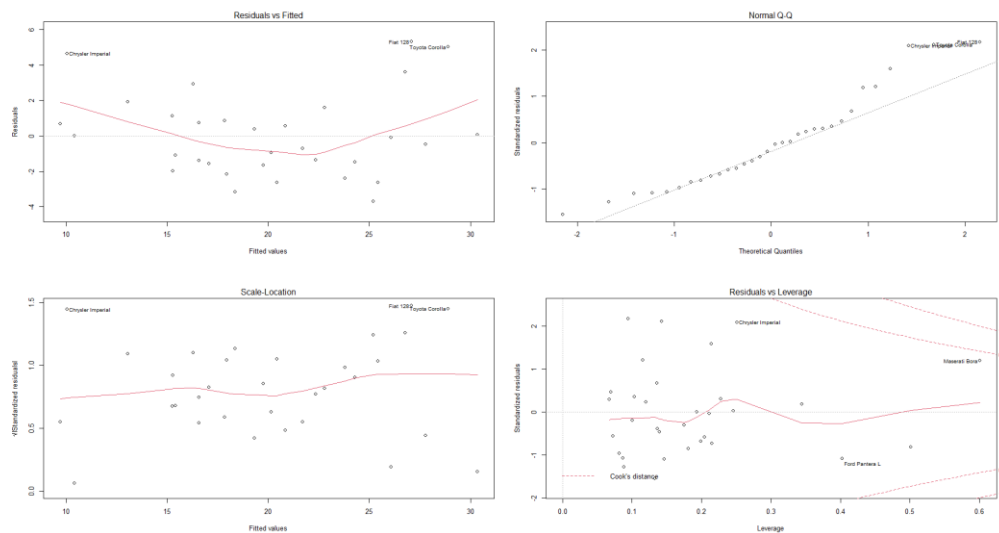
```
saved_par <- par()  
par(mfrow=c(2,2))  
plot(fit_model_1)  
plot(fit_model_2)
```

We first save our default par settings in saved_par in case for easy retrieve.

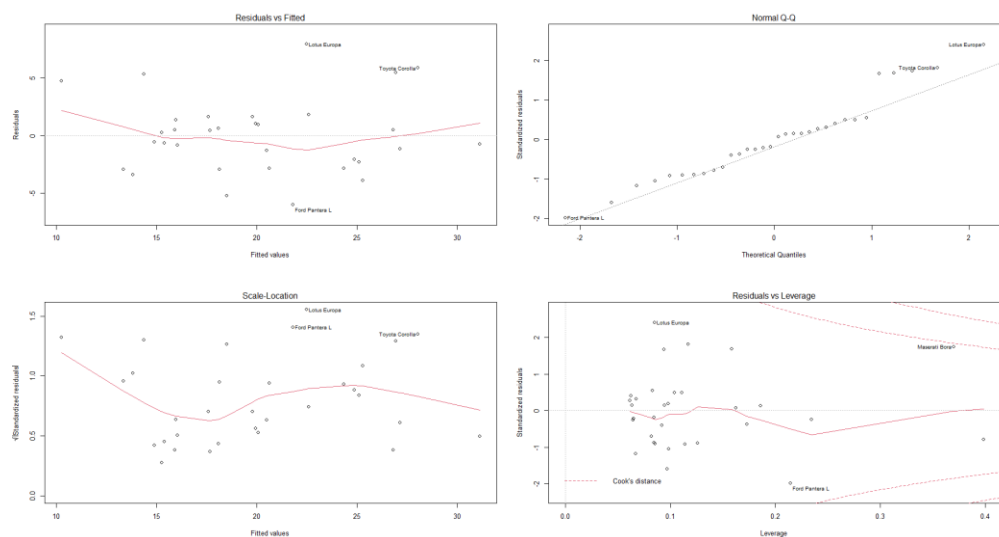
Both fit model are then plot in a 2,2 setting.

This is the plot output after using par and the plot function

Fit_model_1



Fit_model_2



Activity 8: Establish internal processes to Calculating Model Performance, monitor compliance of data with relevant metrics procedure

Extracting R-squared value

In this activity, we will be extracting r-squared from the summary() function with the line, “\$r.squared”. The r-squared is a statistical measure that represents the proportion of the variance for a dependent variable that's explained by an independent variable or variables in a regression model.

```
> summary(fit_model_2)$r.squared
[1] 0.7075948
> #Extracting R Square and adjusted R Square
> summary(fit_model_1)$r.squared
[1] 0.8473426
> summary(fit_model_2)$r.squared
[1] 0.7075948
>
> summary(fit_model_1)$adj.r.squared
[1] 0.8179855
> summary(fit_model_2)$adj.r.squared
[1] 0.6762656
```

Activity 9: Predict mpg

Use cbind to combine original mtcars and predicted values d mpg

Prediction of mpg will be conducted using the predict() function to estimate mpg values based on our two linear models. Next the mpg will be cbind with the prediction values to compare them side by side.

```
141 #Activity 9
142 ##dataset mtcars created for prediction
143 new_data <- mtcars|
144
145 prediction_model_1 <- predict(fit_model_1, new_data)
146 new_data$predicted <- prediction_model_1
147
148
149 prediction_model_2 <- predict(fit_model_2, new_data)
150 #You can also insert the prediction_model_2 by: new_data$predicted_2 <- prediction_model_2
151
152 new_data <- cbind(new_data, prediction_model_2)
153
154 view(new_data)
```

Print both actual and printed mpg

```
mpg_values <- new_data[,c("mpg", "predicted", "predicted_2")]
mpg_values
```

A subset data called mpg_values is created and printed to display the values for both actual and printed mpg

	mpg	predicted	predicted_2
Mazda RX4	21.0	22.359084	19.95859
Mazda RX4 Wag	21.0	21.709366	20.08160
Datsun 710	22.8	25.426068	25.11740
Hornet 4 Drive	21.4	20.840604	19.79411
Hornet Sportabout	18.7	17.854430	18.08169
Valiant	18.1	19.758979	17.67740
Duster 360	14.3	15.403122	14.88880
Merc 240D	24.4	22.797806	22.59736
Merc 230	22.8	24.278020	24.87892
Merc 280	19.2	20.144732	20.50577
Merc 280C	17.8	20.422549	20.63757
Merc 450SE	16.4	15.266662	15.91180
Merc 450SL	17.3	16.571288	15.95573
Merc 450SLC	15.2	16.578261	16.04360
Cadillac Fleetwood	10.4	10.409035	13.35684
Lincoln Continental	10.4	9.713723	13.82220
Chrysler Imperial	14.7	10.058647	15.37887
Fiat 128	32.4	27.092485	26.95084
Honda Civic	30.4	30.347521	31.13843
Toyota Corolla	33.9	28.886770	28.04632
Toyota Corona	21.5	25.201098	24.35240
Dodge Challenger	15.5	17.072265	15.26018
AMC Javelin	15.2	18.354235	18.14319
Camaro Z28	13.3	15.281350	18.51242
Pontiac Firebird	19.2	16.284616	17.58777
Fiat X1-9	27.3	27.773220	26.82563
Porsche 914-2	26.0	26.083843	27.16358
Lotus Europa	30.4	26.781734	22.48842
Ford Pantera L	15.8	17.960438	21.81610
Ferrari Dino	19.7	19.328934	14.38298
Maserati Bora	15.0	13.070531	10.25058
Volvo 142E	21.4	23.788583	25.29289

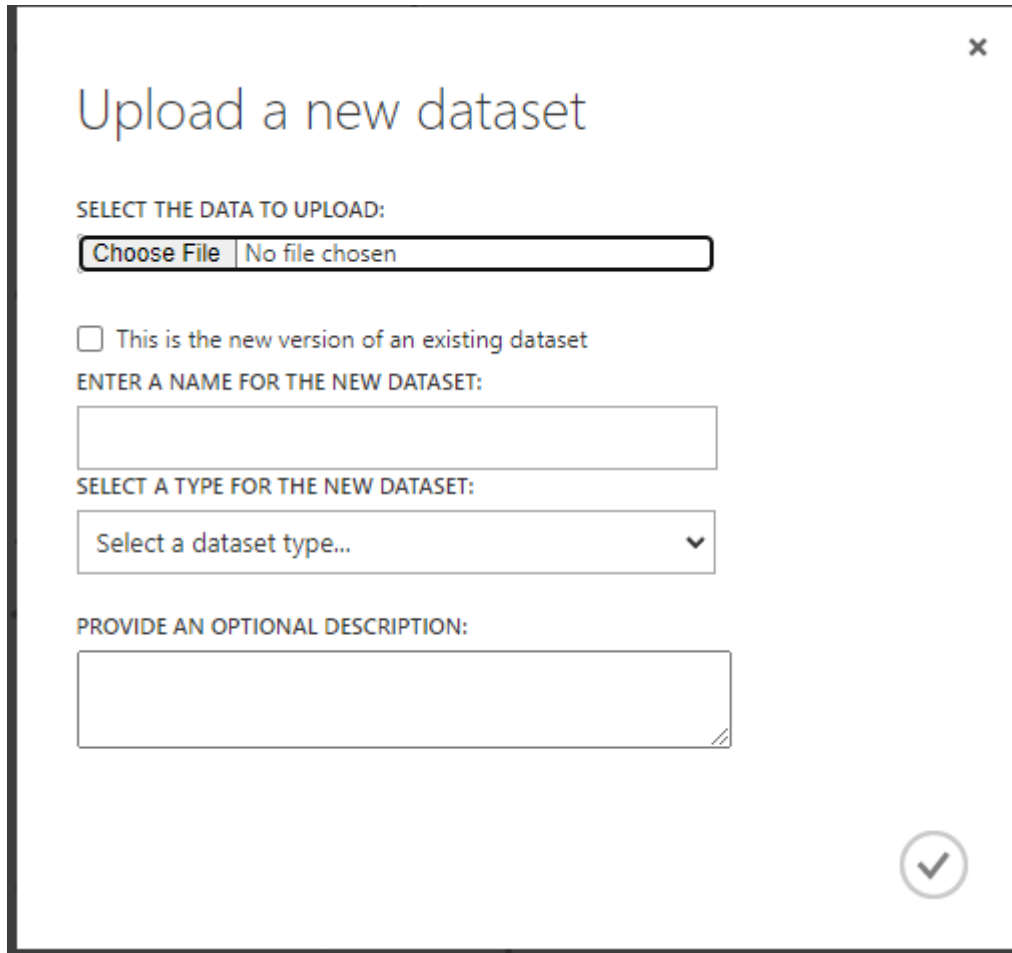
**Actual and printed mpg values*

Activity 10: AML rules and guidelines to ensure proper adoption and adherence of same R program in AML

- **Login to AML studio and Upload the dataset in AML studio**

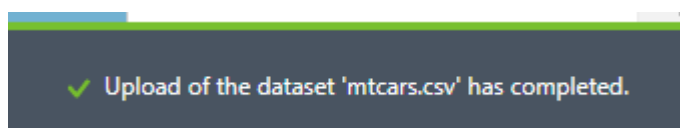
After logging in to AML studio, the first step is to upload the dataset.

This can be accomplished by using the “+new” button



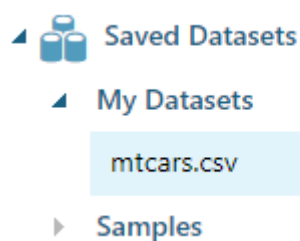
The screenshot shows a dialog box titled "Upload a new dataset" with a close button (X) in the top right corner. The dialog contains the following fields and options:

- SELECT THE DATA TO UPLOAD:** A button labeled "Choose File" and a text field showing "No file chosen".
- ☐ This is the new version of an existing dataset
- ENTER A NAME FOR THE NEW DATASET:** An empty text input field.
- SELECT A TYPE FOR THE NEW DATASET:** A dropdown menu with the text "Select a dataset type..." and a downward arrow.
- PROVIDE AN OPTIONAL DESCRIPTION:** A large empty text area.
- A confirmation button with a checkmark icon in the bottom right corner.



Select the file in the local drive and it will be uploaded with the file type it is in.

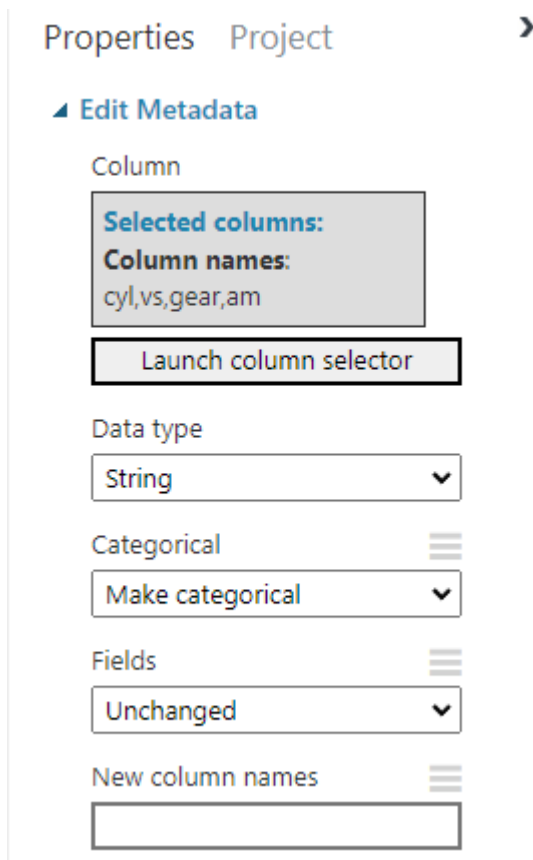
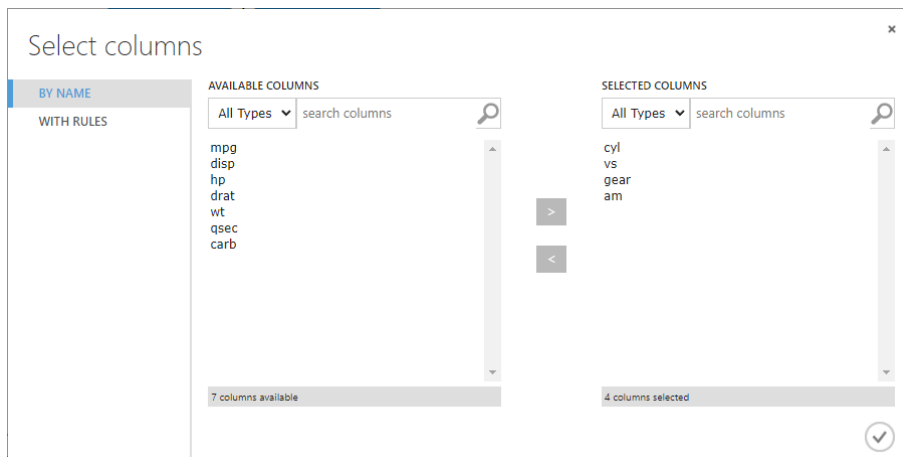
After uploading the dataset, it will be reflected the uploaded dataset under “my dataset”.



- Use edit metadata to make cyl,vs,am,gear fields categorical

After the data has loaded, it will load as a module. The next following step is similar to 'r' but in this case, we can search for edit metadata from the search bar and drag it to the module.

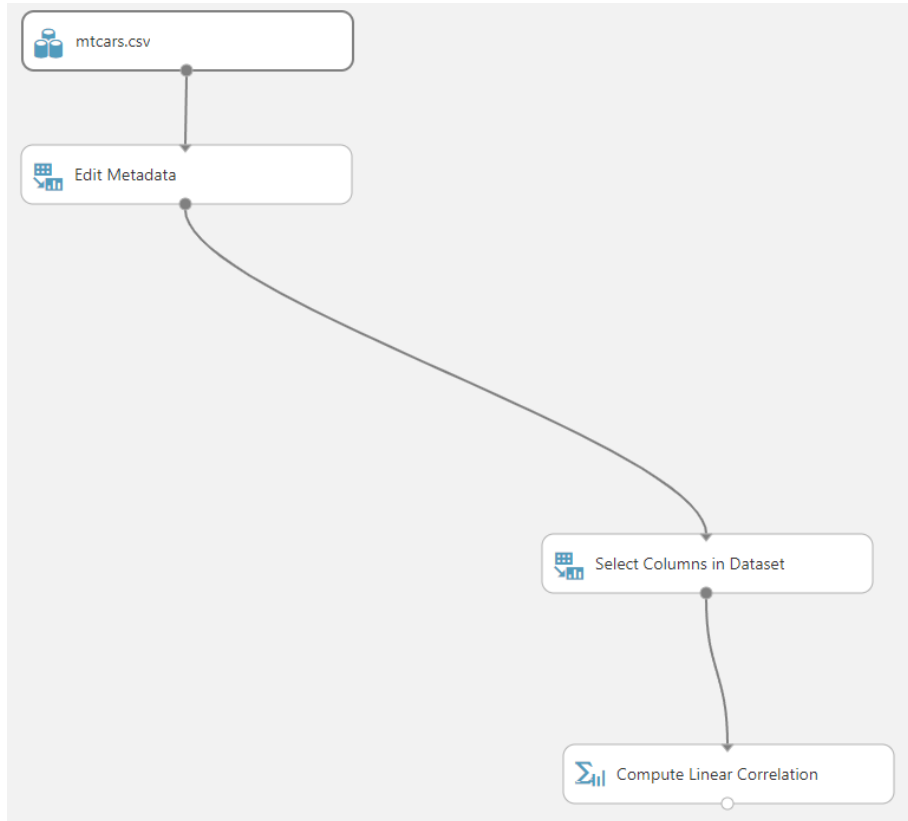
After dragging the module, we can include the variables that we would like to change to categorical from the side bar.



Launch column selector and select the desired columns, from the categorical field select Make categorical and save the changes.

- **Perform Compute Linear Correlation**

To compute the linear correlation, we must first search for “Select Columns in Dataset”. After which numeric independent columns are then selected and the compute linear correlation is dragged out to place on the tray canvas. From there, we must link it from the edit metadata to “compute line correlation”.



We then run the linear correlation to find out that disp hp, and wt are highly correlated.

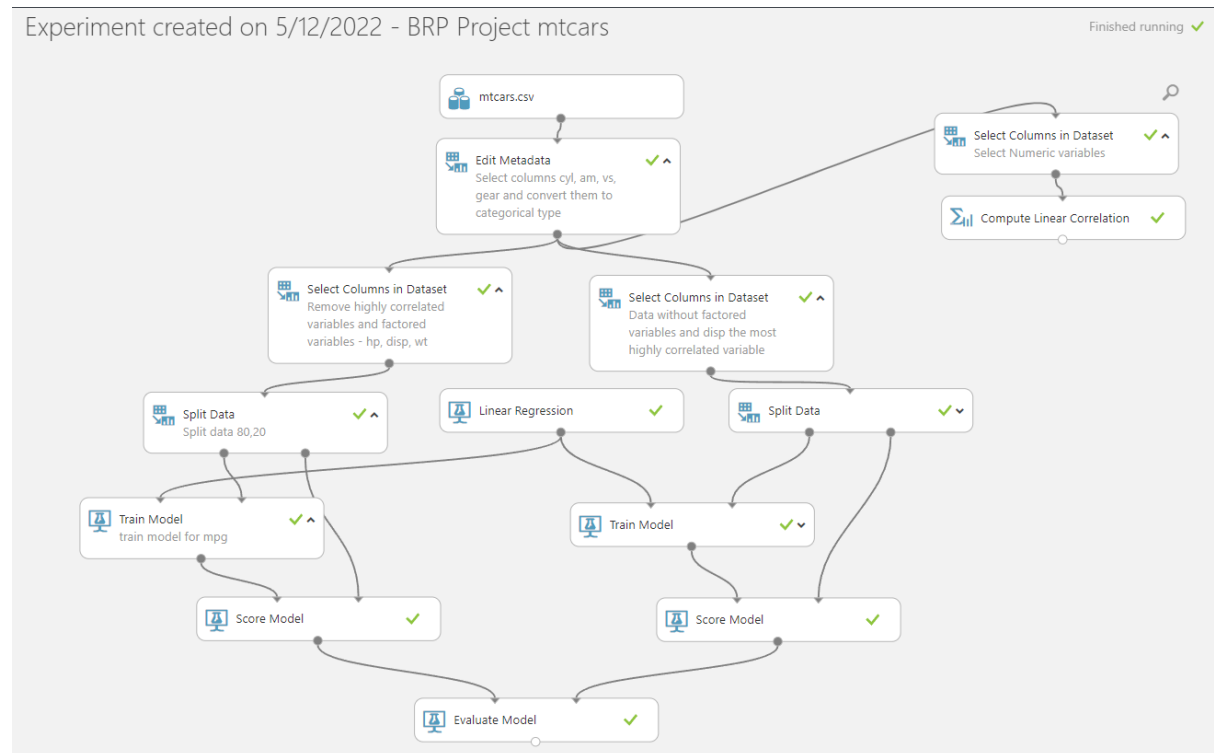
Experiment created on 5/12/2022 > Compute Linear Correlation > Results dataset

rows	columns					
6	6					
	disp	hp	drat	wt	qsec	carb
view as						
1	0.790949	-0.710214	0.88798	-0.433698	0.394977	
0.790949	1	-0.448759	0.658748	-0.708223	0.749812	
-0.710214	-0.448759	1	-0.712441	0.091205	-0.09079	
0.88798	0.658748	-0.712441	1	-0.174716	0.427606	
-0.433698	-0.708223	0.091205	-0.174716	1	-0.656249	
0.394977	0.749812	-0.09079	0.427606	-0.656249	1	

We will be doing 2 analysis.

First: select columns in dataset and exclude disp, hp and wt as they are highly correlated along with the factored variables as they are not applicable for the analysis.

Second: select columns in dataset and exclude only factorised variables (am,vs,cyl,gear) and the most highly correlated variable.



Select Columns in Dataset

Select columns

Selected columns:
All columns
Exclude column names:
cyl,disp,hp,wt,vs,am,gear

Launch column selector

START TIME	5/12/2022 ...
END TIME	5/12/2022 ...
ELAPSED TIME	0:00:01.594
STATUS CODE	Finished
STATUS DETAILS	None

[View output log](#)

Select Columns in Dataset

Select columns

Selected columns:
All columns
Exclude column names:
cyl,vs,am,gear,disp

Launch column selector

START TIME	5/13/2022 ...
END TIME	5/13/2022 ...
ELAPSED TIME	0:00:01.688
STATUS CODE	Finished
STATUS DETAILS	None

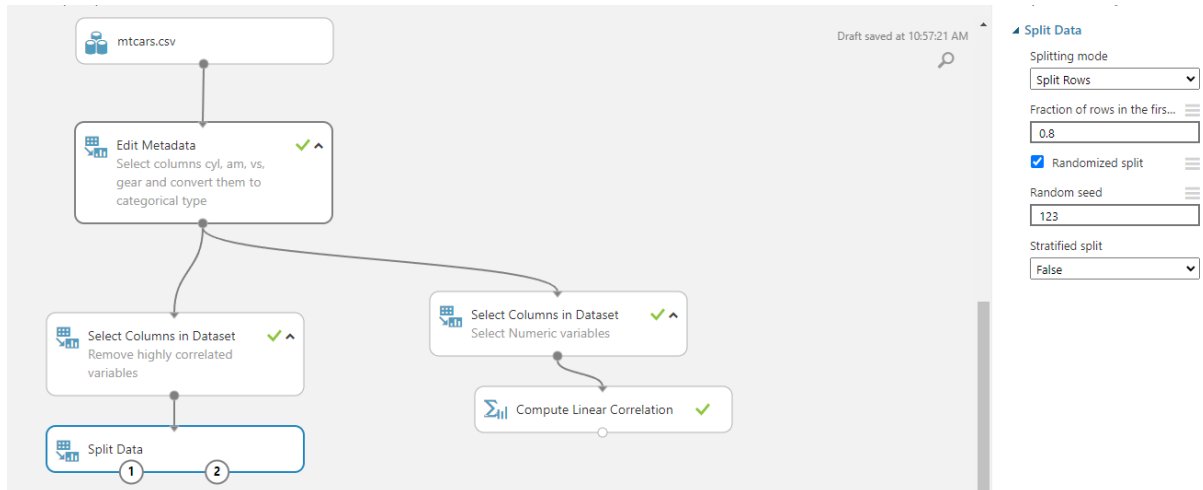
[View output log](#)

An output of 4 columns versus 6 columns is observed.

- **Split the data to 80:20 and train the model using Linear regression to predict MPG field**

Drag and drop the “split data” into the canvas. Input 0.8 as the 80% split data between train model data (consists of 26 rows, 4 columns) and apply to the 20% test data in the next score model (consists of 6 rows, 4 columns).

Random seed of 123 is input to ensure same value every time you run the above code.

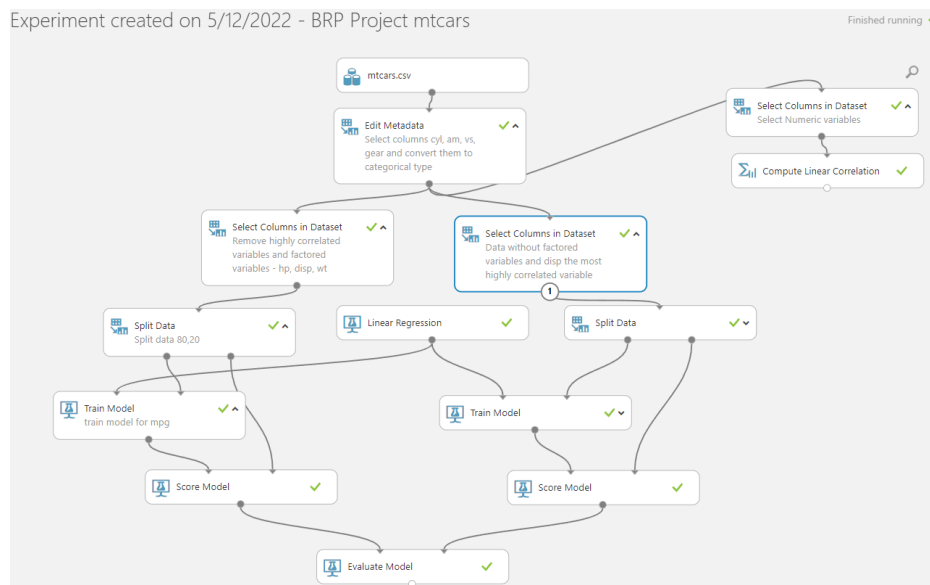


Next, it is to predict the mpg. We search for linear progression and train model under the search bar and dragged it to the grey canvas. From there we will link the first point of the split data to the train model and the point from linear regression to the train model.

- **Score model and take screenshot of the predicted values**

Now, we then score the model, by doing the same step, search and drag the score model from the search. We will then have to link the 2nd output to the score module and linked the 80% trained model to the score output.








In the Train model, *mpg* is selected.



- **Score model**










Analysis 1:

Experiment created on 5/12/2022 - BRP Project mtcars ▶ Score Model

rows	columns					
6	5					
		mpg	drat	qsec	carb	Scored Labels
view as						
						
		21	3.9	17.02	4	19.771964
		30.4	4.93	18.52	2	30.097285
		22.8	3.85	18.61	1	24.618333
		24.4	3.69	20	2	21.923423
		15.5	2.76	16.87	2	15.581908
		33.9	4.22	19.9	1	27.143529

Analysis 2:

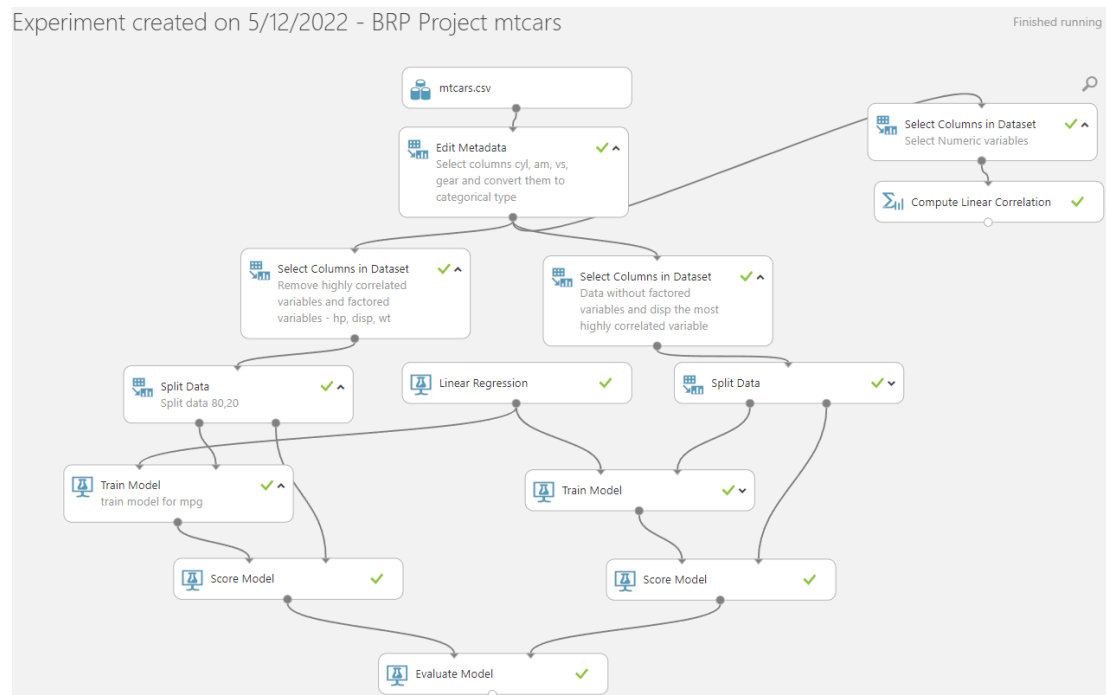
Experiment created on 5/12/2022 - BRP Project mtcars ▶ Score Model ▶ Scored dataset

rows	columns							
6	7	mpg	hp	drat	wt	qsec	carb	Scored Labels
view as								
								
		21	110	3.9	2.875	17.02	4	21.672939
		30.4	52	4.93	1.615	18.52	2	29.274455
		22.8	93	3.85	2.32	18.61	1	25.062137
		24.4	62	3.69	3.19	20	2	22.377905
		15.5	150	2.76	3.52	16.87	2	17.872775
		33.9	65	4.22	1.835	19.9	1	27.955666

We can infer that the scored labels are predicting a similar score to the actual mpg values.

- **Evaluate model**

The final step is to evaluate the model. We will have to step for evaluate model, dragged to the grey canvas and then linked from the score model to the evaluate model.

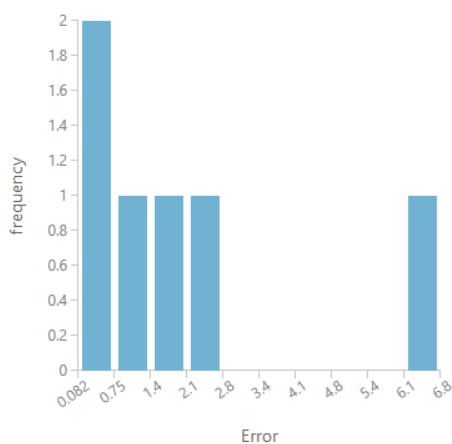


Experiment created on 5/12/2022 - BRP Project mtcars > Evaluate Model > Evaluation results

Metrics

Mean Absolute Error	2.110673
Root Mean Squared Error	3.073979
Relative Absolute Error	0.423075
Relative Squared Error	0.258705
Coefficient of Determination	0.741295

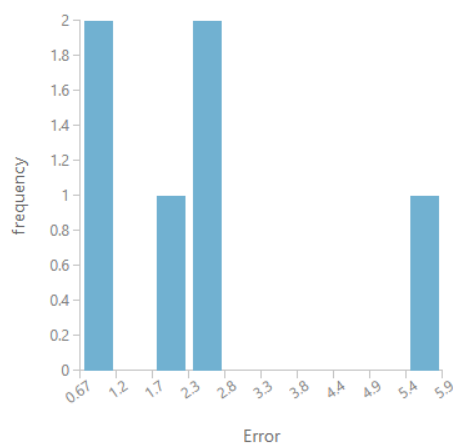
Error Histogram



Metrics

Mean Absolute Error	2.399971
Root Mean Squared Error	2.940833
Relative Absolute Error	0.481063
Relative Squared Error	0.236779
Coefficient of Determination	0.763221

Error Histogram



We manage to achieve 74.1% (Without highly correlated variables) versus 76.3% (With highly correlated variables) accuracy by using this linear model, as illustrated in the Coefficient of Determination.