

# Intro to AI Project 1

Tim Raymaker and Mike Rizzo

July 17, 2019

## 1 Part 1: Understanding the Methods

### 1a

The agent will move toward the cell with the lowest  $f$ -value. The  $f$ -value is determined from the sum of the cost from the start, or  $g$ -value, and the heuristic value to the goal, or  $h$ -value. For the first move, each possible direction is one tile away from the start, meaning that the  $g$ -value for each move will be the same, and differences in the  $h$ -value will be the deciding factor on where to move. Since the agent does not know that cells D3 and E4 are blocked, it will move to the east, the direction that leads to the cell with the lowest  $h$ -value and therefore the lowest  $f$ -value.

### 1b

The answer has been divided into four cases:

1. Case 1: The agent can find the target and the target is reachable.  
The agent will go about expanding nodes that lead it closer and closer to the target until eventually it will encounter the target and stop.
2. Case 2: The agent can tell there is no solution when the target is unreachable.
3. Case 3: The agent makes upper-bounded number of moves when the target is reachable.
4. Case 4: The agent makes an upper-bounded number of moves when the target is unreachable.

## **2 Part 2: The Effects of Ties**

We observed for that favoring a high or low  $g$  in the case of a tie value had little to no effect on the performance of the Repeated Forward A\* search. On average, the runtime for favoring low  $g$  was 5.84 seconds. Favoring high  $g$  was nearly identical, being slower on average only by a hundredth of a second at 5.86 seconds. Investigating further, we see the median Though our runtimes were nearly identical, using  $g$  to tiebreak would likely be useful for performance on an empty map as it would help limit expansions. In the maps provided, the amount of obstacles in the way means that there is relatively little gain with manipulating  $g$ .

## **3 Part 3: Forward vs. Backward**

The Repeated Forward A\* search and Repeated Backward A\* search were both able to find possible solutions, where solutions existed, but their exact paths differed in most cases. The difference comes from the difference in path planning and replanning. Because backward plans from the goal, different blocked and unblocked cells are found at each iteration. Neither method's path was consistently superior to that of the other.

## **4 Part 4: Heuristics in the Adaptive A\* (i)**

The "Manhattan Distance" can be described as the number of moves required to reach a goal given no obstacles. Therefore, it makes sense that said distance will be consistent. If an h-value in adaptive A\* becomes inconsistent, it is because something is in the way. In this case, the heuristic will be updated and will become consistent again.

Given a node  $s$  and neighbor  $m$ :

## **5 Part 5: Heuristics in the Adaptive A\* (iI)**

## **6 Part 6: Memory Issues**

### **6a Improvements to Our Implementation**

We currently use Python's tuples to record  $(x, y)$  coordinate information. According to Python's "sizeof" function, for one, 2-integer tuple, the memory

consumption is 40 bytes. We could reduce this by storing the coordinates in the minimum number of bits it takes to store two  $0 \rightarrow 100$  values. We could then also keep the tree pointers on two bits with the binary values

## 6b Calculations

$(1,001 \times 1,001) = 1002001$  cells

At 2 bits per cell:

$2 * 1002001 = 2,004,002$  bits    250 kB

4MB = 32000000 bits

At 2 bits per cell:

16000000 cells possible

grid size =  $\sqrt{16000000} = 4000 \times 4000$  grid

## 7 Data, Methods, and Observations

Data was collected for Repeat Forward A\* with Tie-breaking in favor of Low  $g$ -values, Repeat Forward A\* with Tie-breaking in favor of High  $g$ -values, Repeat Backward A\* with Tie-breaking in favor of Low  $g$ -values, Repeat Backward A\* with Tie-breaking in favor of High  $g$ -values, Adaptive A\* with Tie-breaking in favor of High  $g$ -values algorithms. The searches were each performed on the 50 maps generated in Part 0. The start and end goal were standardized to  $(0,0)$  and  $(100,100)$ . Of the 50, 26 had solutions. The 24 without solutions are marked in red and their runtimes are not included in the data because animation conflicted with reporting significant and comparable runtimes. For each of the 5 algorithms, we have calculated and provided a median and mean runtime. These values are recorded in the Figure 1:

map #	RFAS, low g	RFAS, high g	RBAS, low g	RBAS, high g	Adaptive, high g
0	7.7213574	9.1950901	6.7969897	7.8623861	9.0152847
2	6.9196187	6.9712262	7.6465468	5.5816107	5.6690023
3	3.9915893	4.3840804	6.7751229	7.1500973	4.2392989
4	5.9092012	6.0295224	11.0584462	8.4783229	7.0102482
8	4.6046704	12.5949367	11.3128128	13.7844876	8.4654507
9	6.8428818	5.7294314	7.6365113	6.9002095	8.309093
10	4.7868589	3.042356	10.605645	3.366994	3.0213504
11	3.7711137	3.361756	5.7730264	5.2442304	4.0409993
13	5.1367127	4.8565318	4.7986285	5.2731823	5.2888487
14	4.7563143	4.0845828	3.2024566	4.5925566	6.0809099
16	4.8462931	3.5783031	6.7569728	7.5016737	5.1775221
17	8.1781014	5.9725671	6.3026338	8.0480699	6.5414467
21	5.3414607	6.6613533	10.2345253	4.3040543	6.1683117
26	7.1164372	5.8671252	17.3251894	12.5306752	6.0977053
27	10.260051	7.6755199	7.6325636	13.9176276	8.506881
28	6.9538869	7.150394	11.333109	5.1050541	8.8734808
29	2.8755443	5.5396908	7.9331223	4.9588877	8.0512628
31	6.1890968	4.4748292	4.1596228	3.8154154	8.1954607
36	5.3203536	6.2204821	4.4558545	10.1051347	6.3781885
38	4.5374294	4.4214935	5.267704	5.9583476	2.8418502
39	5.2069622	4.6570976	4.033652	14.0452184	6.0060953
40	6.912583	7.1265559	2.7502696	10.3243313	7.8313355
42	7.9304773	6.647907	7.701683	8.7141308	6.3253358
45	5.6581125	5.6563307	5.6652659	5.8762738	6.642757
48	5.4622862	6.4065723	7.2156794	4.1108994	5.4881515
49	4.8295453	4.2993716	7.9657949	3.7306057	4.8967266
Median Values	5.40187345	5.7982783	7.00633455	6.42927855	6.24682375
Mean Values	5.848420742	5.869427196	7.397685712	7.356941423	6.352422985

Figure 1: Our Data

Sources of error can be attributed to small sample size and random choices in cases of  $g$ -values also tying. If there were more time, we would have like to address the small sample size by generating more graphs that tested specific edge cases as well as graphs at varying amounts of blockages. As well, the randomization in the implementation can lead to variance in the paths taken and nodes expanded even by the same search on the same map. Finally, optimization differences between different hardware and software may also have played a role in the uniformity of our data. We acknowledge these issues and have answered the as best as possible.