

Homework4

yxu66

2.8 “Translate 0xabcdef12 into decimal.”

0xabcdef12(hex)
= $10 \cdot 16^7 + 11 \cdot 16^6 + 12 \cdot 16^5 + 13 \cdot 16^4 + 14 \cdot 16^3 + 15 \cdot 16^2 + 1 \cdot 16^1 + 2 \cdot 16^0$
= 2882400018(decimal)

2.11 “For each MIPS instruction, show the value of the opcode (OP), source register (RS), and target register (RT) fields. For the I-type instructions, show the value of the immediate field, and for the R-type instructions, show the value of the destination register (RD) field.”

All value are decimal.

(1). addi \$t0, \$s6, 4

Format: I

$R[rt] = R[rs] + \text{SignExtImm}$

So OP = 8, RS = 22, RT = 8, immediate field = 4

(2). add \$t1, \$s6, \$0

Format: R

$R[rd] = R[rs] + R[rt]$

So OP = 0, RD = 9, RS = 22, RT = 0

(3). sw \$t1, 0(\$t0)

Format: I

$M[R[rs] + \text{SignExtImm}] = R[rt]$

So OP = 43, RS = 8, immediate field = 0, RT = 9

(4). lw \$t0, 0(\$t0)

Format: I

$R[rt] = M[R[rs] + \text{SignExtImm}]$

So OP = 35, RT = 8, RS = 8, immediate field = 0

(5). add \$s0, \$t1, \$t0

Format: R

$$R[rd] = R[rs] + R[rt]$$

So OP = 0, RD = 16, RS = 9, RT = 8

2.12.3 “For the contents of registers \$s0 and \$s1 as specified above, what is the value of \$t0 for the following assembly code? sub \$t0, \$s0, \$s1”

“Assume that registers \$s0 and \$s1 hold the values 0x80000000 and 0xD0000000, respectively.”

\$s0 has the value: 0x80000000(hex) = $8 \cdot 16^7 = 2147483648$ (decimal)

\$s1 has the value: 0xD0000000(hex) = $13 \cdot 16^7 = 3489660928$ (decimal)

So \$t0 = 2147483648 - 3489660928 = -1342177280(decimal) = -0x50000000(hex)

2.14 “Provide the type and assembly language instruction for the following binary value: 0000 0010 0001 0000 1000 0000 0010 0000two”

From 0000 0010 0001 0000 1000 0000 0010 0000two we can get :
000000(OP) 10000(RS) 10000(RT) 10000(RD) 00000(shamt)
100000(func)

So: OP = 0, RS = $2^4=16$, RT = 16, RD = 16, shamt = 0, FUNCT = $2^5 = 32$

So it's format is R and according to the green sheet:

OP = 0 and FUNCT = 32(decimal) = 20(hex), that's add, R-type.

So assembly language instruction is: add \$s0, \$s0, \$s0

2.15 “Provide the type and hexadecimal representation of following instruction: sw \$t1, 32(\$t2)”

According to the green sheet: the type is I.

$$M[R[rs]+SignExtImm] = R[rt]$$

So OP = 43, RS = 10, SignExtImm = 32, RT = 9

Then we got: 101011 01010 01001 0000000000100000 (two) -> 1010 1101 0100 1001 0000 0000 0010 0000(hex) -> 0xad49 0020

2.16 “Provide the type, assembly language instruction, and

binary representation of instruction described by the following MIPS fields:

op=0, rs=3, rt=2, rd=3, shamt=0, funct=34”

According to the green sheet: funct = 34(decimal) = 22(hex)

So it's sub: $R[rd] = R[rs] - R[rt]$, type is R.

Assembly language instruction is: sub \$v1, \$v1, \$v0

Binary representation: 000000 00011 00010 00011 00000 100010

2.17 “Provide the type, assembly language instruction, and binary representation of instruction described by the following MIPS fields:

op=0x23, rs=1, rt=2, const=0x4”

According to the green sheet, it's beq, I-type.

if($R[rs] == R[rt]$) 4_{hex}

PC=PC+4+BranchAddr

OP = 35, const = 4 It's lw, R-type.

lw \$v0, 4(\$at)

100011 00001 00010 0000000000000100

2.21 “Provide a minimal set of MIPS instructions that may be used to implement the following pseudoinstruction:

not \$t1, \$t2 // bit-wise invert”

addi \$t0, \$t0, 1

sub \$t1, \$t0, \$t2

1. Convert 1234 from decimal into binary

$1234 = 2^{10} + 2^7 + 2^6 + 2^4 + 2 = 10011010010$

2. Convert 4321 from decimal into hexadecimal

$4321 \% 16 = 1$

$4321 / 16 = 270$

$$270 \% 16 = 14$$

$$270 / 16 = 16$$

$$16 \% 16 = 0$$

$$16 / 16 = 1$$

$$1 \% 16 = 1$$

$$1 / 16 = 0$$

So it's 0x10e1

3. Convert 0110 1011 from binary into decimal

$$2^6 + 2^5 + 2^3 + 2^1 + 2^0 = 107$$

4. Convert 0x1234 from hexadecimal into decimal

$$1 \cdot 16^3 + 2 \cdot 16^2 + 3 \cdot 16^1 + 4 \cdot 16^0 = 4660$$

5. In an 8-bit system find the two's complement representation of the decimal value -21.

$$21 = 0001\ 0101 \text{ (binary in 8 bit)}$$

$$\sim y + 1 = 0001\ 0101$$

$$\sim y = 0001\ 0100$$

$$y = 1110\ 1011$$

6. In a 16-bit system find the two's complement representation of the decimal value -21.

$$21 = 0000\ 0000\ 0001\ 0101 \text{ (binary in 16 bit)}$$

$$\sim y + 1 = 0000\ 0000\ 0001\ 0101$$

$$\sim y = 0000\ 0000\ 0001\ 0100$$

$$y = 1111\ 1111\ 1110\ 1011$$