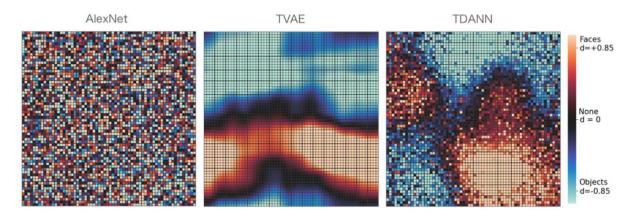
# Best ideas of 2021



# Branch:-( Design Concept

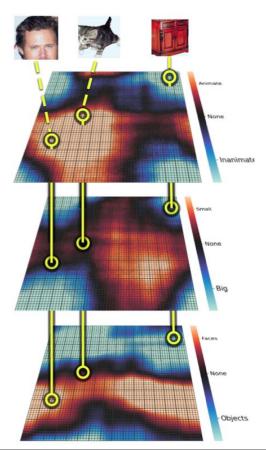
#### Eloy Geenjaar

# **Topographic VAEs**



The cortex is topographic. https://arxiv.org/pdf/2110.13911.pdf

Topographic VAEs learn equivariant capsules https://arxiv.org/pdf/2110.13911.pdf



#### "MLP-Mixer: An all-MLP Architecture for Vision" Mixer Layer Skip-connections Skip-connections Channels Patches MLP 2 MLP 1 MLP 2 MLP 1 MLP 2 MLP 1 Layer MLP 2 MLP 1 MLP 2 MLP 2 Class Fully-connected MLP Global Average Pooling Fully-connected N x (Mixer Layer) **GELU** Fully-connected Per-patch Fully-connected

# **Explicit Input Patches in Vision**

Masked Autoencoders are Scalable Vision Learner

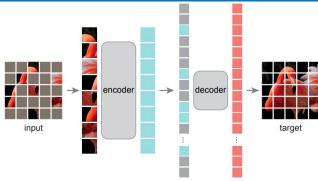


Figure 1. **Our MAE architecture**. During pre-training, a large random subset of image patches (*e.g.*, 75%) is masked out. The encoder is applied to the small subset of *visible patches*. Mask tokens are introduced *after* the encoder, and the full set of encoded patches and mask tokens is processed by a small decoder that reconstructs the original image in pixels. After pre-training, the decoder is discarded and the encoder is applied to uncorrupted images (full sets of patches) for recognition tasks.

# Swin Transformer: Hierarchical Vision Transformer using Shifted Windows

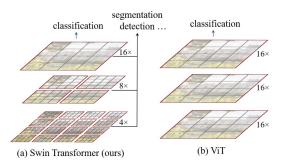


Figure 1. (a) The proposed Swin Transformer builds hierarchical feature maps by merging image patches (shown in gray) in deeper layers and has linear computation complexity to input image size due to computation of self-attention only within each local window (shown in red). It can thus serve as a general-purpose backbone for both image classification and dense recognition tasks. (b) In contrast, previous vision Transformers [20] produce feature maps of a single low resolution and have quadratic computation complexity to input image size due to computation of self-attention globally.

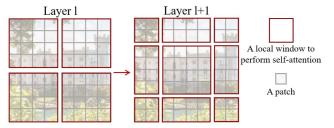


Figure 2. An illustration of the *shifted window* approach for computing self-attention in the proposed Swin Transformer architecture. In layer l (left), a regular window partitioning scheme is adopted, and self-attention is computed within each window. In the next layer l+1 (right), the window partitioning is shifted, resulting in new windows. The self-attention computation in the new windows crosses the boundaries of the previous windows in layer l, providing connections among them.

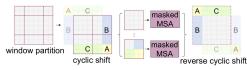
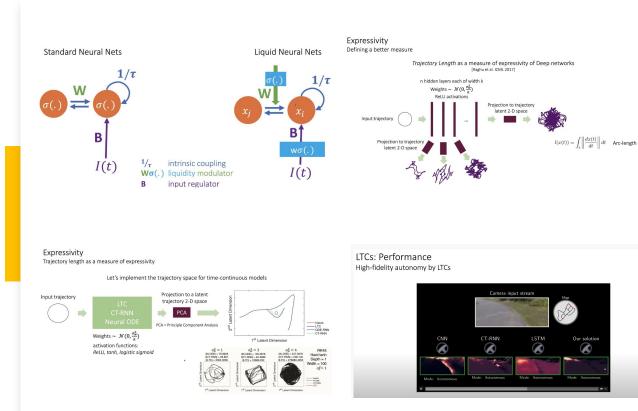


Figure 4. Illustration of an efficient batch computation approach for self-attention in shifted window partitioning.

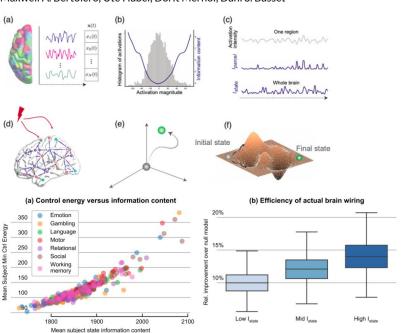
Liquid Neural Networks (Liquid Time-constant Networks)



# (a) Mean information content across tasks (b) Regional skew of information content Gambling Language Relational Social Working 75 100 Region (sorted by information content)

# The Information Content of Brain States is Explained by Structural Constraints on State Energetics

By Leon Weninger, Pragya Srivastava, Dale Zhou, Jason Z. Kim, Eli J. Cornblath, Maxwell A. Bertolero, Ute Habel, Dorit Merhof, Dani S. Basset



Other notable papers:

- SwinIR: Image Restoration Using Swin Transformer by J. Liang et al. [link]
- A Continuized Accelerations of Deterministic and Stochastic Gradient Descents, and of Gossip Algorithms by Even et al. [link]
- Reward is enough by Silver et al. [link]
- BioGrad: Biologically Plausible Gradient-Based Learning for Spiking Neural Networks by Tang et al. [link]
- Reduced, Reused and Recycled: The Life of a Dataset in Machine Learning Research by Koch et al. [link]
- Can a Fruit Fly Learn Word Embeddings? by Y. Liang et al. [link]

Source: https://arxiv.org/pdf/2110.13781.pdf

#### Improving Deep Learning Interpretability by Saliency Guided Training

Aya Abdelsalam Ismail, Héctor Corrada Bravo, Soheil Feizi

#### Traditional versus Saliency Guided training model accuracy drop for different saliency methods on MNIST

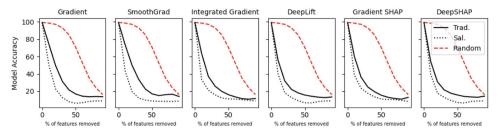


Figure 3: Model accuracy drop when removing features with high saliency using traditional and the saliency guided training for different gradient-based methods against a random baseline. A steeper drop indicates a better performance. We find that regardless of the saliency method used, the performance improves by the saliency guided training.

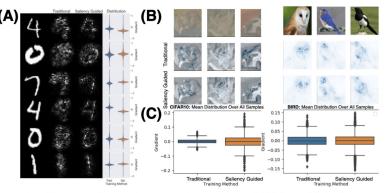
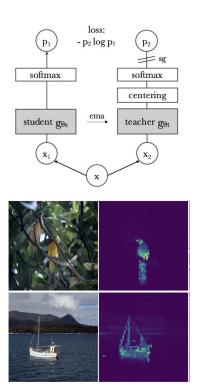


Figure 2: (A) Comparison between different training methods on MNIST along with distributions of gradient values in each sample. (B) Saliency maps for CIFAR10 and BIRD datasets using regular and saliency guided training. (C) Distribution of gradient means across examples. Maps produced by saliency guided training are more precise: most features have gradient values around zero with large gaps between mean and outliers. Here gradients around zero indicate uninformative features, while very large and very small gradients indicate informative features. Saliency guided training helps reduce noisy fluctuating gradients in between as shown in the box plots.

$$\underset{\theta}{\text{minimize}} \ \frac{1}{n} \sum_{i=1}^{n} \left[ \mathcal{L}\left(f_{\theta}\left(X_{i}\right), y_{i}\right) + \lambda D_{KL}\left(f_{\theta}\left(X_{i}\right) \parallel f_{\theta}(\widetilde{X_{i}})\right) \right]$$

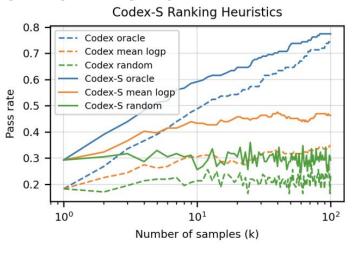
#### DINO: **Emerging** Properties in Self-Supervised Vision Transformer



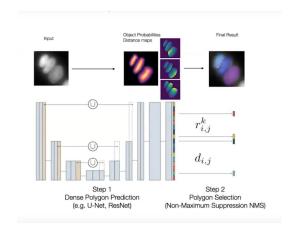


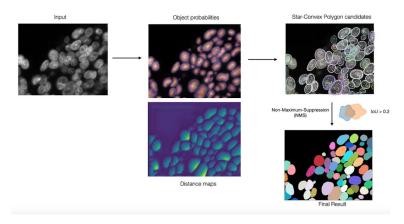
#### **Evaluating Large Language Models Trained on Code**

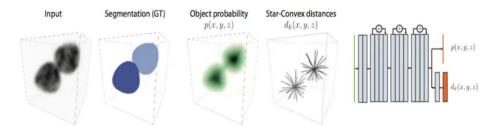
```
def incr_list(l: list):
   """Return list with elements incremented by 1.
   >>> incr_list([1, 2, 3])
   [2, 3, 4]
   >>> incr_list([5, 3, 5, 2, 3, 3, 9, 0, 123])
   [6, 4, 6, 3, 4, 4, 10, 1, 124]
   return [i + 1 for i in 1]
def solution(lst):
   """Given a non-empty list of integers, return the sum of all of the odd elements
   that are in even positions.
   Examples
   solution([5, 8, 7, 1]) \Rightarrow 12
   solution([3, 3, 3, 3, 3]) = > 9
   solution([30, 13, 24, 321]) =⇒0
   return sum(lst[i] for i in range(0,len(lst)) if i % 2 == 0 and lst[i] % 2 == 1)
def encode_cyclic(s: str):
   returns encoded string by cycling groups of three characters.
   # split string to groups. Each of length 3.
   groups = [s[(3 * i):min((3 * i + 3), len(s))] for i in range((len(s) + 2) // 3)]
   # cycle elements in each group. Unless group has fewer elements than 3.
   groups = [(group[1:] + group[0]) if len(group) == 3 else group for group in groups]
   return "".join(groups)
def decode_cyclic(s: str):
   takes as input string encoded with encode_cyclic function. Returns decoded string.
   # split string to groups. Each of length 3.
   groups = [s[(3 * i):min((3 * i + 3), len(s))] for i in range((len(s) + 2) // 3)]
   # cycle elements in each group.
   groups = [(group[-1] + group[:-1]) if len(group) == 3 else group for group in groups]
   return "".join(groups)
```



#### Star-convex Polyhedra for 3D Object Detection and Segmentation in Microscopy







### Towards Causal Representation Learning

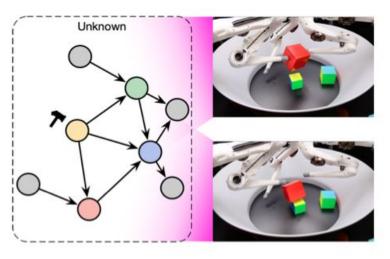
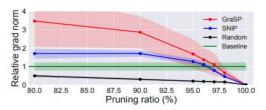


Fig. 3. Example of the SMS hypothesis where an intervention (which may or may not be intentional/observed) changes the position of one finger (4), and as a consequence, the object falls. The change in pixel space is entangled (or distributed), in contrast to the change in the causal model.

#### **Pruning at Initialization**

A range of techniques have emerged in the last couple of years to tackle the problem of pruning at initialization i.e. pruning before training. These methods try to tackle the problem of finding out the most important connections in model before training the model.

SNIP and GraSP are the two most popular methods that have emerged.



**Figure 2:** The gradient norm of ResNet32 after pruning on CIFAR-100 of various pruning ratios. Shaded area is the 95% confidence interval calculated with 10 trials.

SNIP: Single Shot Network Pruning Based on Connection Sensitivity Namhoon Lee et al.

Based on the criterion of connection sensitivity to loss.

$$S(\theta_q) = \lim_{\epsilon \to 0} \left| \frac{\mathcal{L}(\boldsymbol{\theta}_0) - \mathcal{L}(\boldsymbol{\theta}_0 + \epsilon \boldsymbol{\delta}_q)}{\epsilon} \right| = \left| \theta_q \frac{\partial \mathcal{L}}{\partial \theta_q} \right|$$

GraSP: Picking Winning Tickets Before Training By Preserving Gradient Flow Chaoqi Wang et al.

A larger gradient norm indicates that, to the first order, each gradient update achieves a greater loss reduction characterized by the following directional derivative:

$$\Delta \mathcal{L}(\boldsymbol{\theta}) = \lim_{\epsilon \to 0} \frac{\mathcal{L}\left(\boldsymbol{\theta} + \epsilon \nabla \mathcal{L}(\boldsymbol{\theta})\right) - \mathcal{L}(\boldsymbol{\theta})}{\epsilon} = \nabla \mathcal{L}(\boldsymbol{\theta})^{\top} \nabla \mathcal{L}(\boldsymbol{\theta})$$

A Taylor approximation is used to characterize how removing one weight will affect the gradient flow after pruning.

$$\begin{split} \mathbf{S}\left(\boldsymbol{\delta}\right) &= \Delta \mathcal{L}(\boldsymbol{\theta}_0 + \boldsymbol{\delta}) - \underbrace{\Delta \mathcal{L}(\boldsymbol{\theta}_0)}_{\text{Const}} = 2\boldsymbol{\delta}^{\top} \nabla^2 \mathcal{L}(\boldsymbol{\theta}_0) \nabla \mathcal{L}(\boldsymbol{\theta}_0) + \mathcal{O}(\|\boldsymbol{\delta}\|_2^2) \\ &= 2\boldsymbol{\delta}^{\top} \mathbf{H} \mathbf{g} + \mathcal{O}(\|\boldsymbol{\delta}\|_2^2), \end{split}$$

## **MLBBQ LOGO DESIGN**

https://docs.google.com/presentatio n/d/1ZbgWZLNnKpcDPjAemLNrWq sFHjC4Gadl 42NAP9XbRq/edit

