D. Polycarp and Div 3

time limit per test 3 seconds memory limit per test 256 megabytes input standard input output standard output

Polycarp likes numbers that are divisible by 3.

He has a huge number S. Polycarp wants to cut from it the maximum number of numbers that are divisible by 3. To do this, he makes an arbitrary number of vertical cuts between pairs of adjacent digits. As a result, after m such cuts, there will be $\mathsf{m}+1$ parts in total. Polycarp analyzes each of the obtained numbers and finds the number of those that are divisible by 3. For example, if the original number is s=3121, then Polycarp can cut it into three parts with two cuts: 3|1|21. As a result, he will get two numbers that are divisible by 3. Polycarp can make an arbitrary number of vertical cuts, where each cut is made between a pair of adjacent digits. The resulting numbers cannot contain extra leading zeroes (that is, the number can begin with 0 if and only if this number is exactly one character '0'). For example, 007, 01 and 00099 are not valid numbers, but 90, 0 and 10001 are valid. What is the maximum number of numbers divisible by 3 that Polycarp can obtain?

Input

The first line of the input contains a positive integer S. The number of digits of the number S is between 1 and $2 \cdot 10^5$, inclusive. The first (leftmost) digit is not equal to 0.

Output

Copy

Print the maximum number of numbers divisible by 3 that Polycarp can get by making

vertical cuts in the given number S. **Examples** input Copy 3121 output Copy 2 input Copy output Copy input

100000000000000000000000000000000000000	
output	
Copy	
33	
input	
Copy	
201920181	
output	
Copy	
4	
Note	

In the first example, an example set of optimal cuts on the number is 3 | 1 | 21. In the second example, you do not need to make any cuts. The specified number 6 forms one

number that is divisible by 3.

In the third example, cuts must be made between each pair of digits. As a result, Polycarp gets one digit 1 and 33 digits 0. Each of the 33 digits 0 forms a number that is divisible by 3. In the fourth example, an example set of optimal cuts is 2 | 0 | 1 | 9 | 201 | 81. The numbers 0, 9, 201 and 81 are divisible by 3.