

# EE360T/382V Software Testing

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# Overview

Now – Logic coverage

Last time – Graph coverage for designs and specs

Next time – Continue with logic coverage

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## Chapter 3\*: Logic Coverage

\*Introduction to Software Testing by Ammann and Offutt

# Criteria based on structures

The textbook focuses on four kinds of structures to define criteria:

- Graphs
  - E.g., control-flow graphs (CFGs)
- Logical expressions
  - E.g., if-conditions
- Input domain characterization
  - E.g., sorted array
- Syntactic structures
  - E.g., mutation

# 3.1 Overview: logical expressions

**Predicate** – expression that evaluates to a boolean value, e.g., “ $((a > b) \parallel C) \&\& p(x)$ ”

- May contain variables (boolean or non-boolean) and methods
- Internal structure defined by logical operators, e.g., “!”, “&&”, “||”

**Clause** – predicate that contains no logical operator, e.g., “ $a > b$ ”, “ $C$ ”, and “ $p(x)$ ”

Logical expressions come from various sources, e.g., program source-code

## 3.2 Logic expression coverage criteria

$P$  – set of predicates

$C$  – set of clauses in predicates in  $P$

**C3.12 Predicate coverage (PC)** – for each  $p \in P$ ,  $TR$  contains two requirements:

- $p$  evaluates to *true*; and
- $p$  evaluated to *false*

**C3.13 Clause coverage (CC)** -- for each  $c \in C$ ,  $TR$  contains two requirements:

- $c$  evaluates to *true*; and
- $c$  evaluated to *false*

# PC and CC relation

Consider the predicate “ $((a > b) \parallel C) \&\& p(x)$ ”

Predicate coverage satisfied by two tests:

1.  $a = 5, b = 4, C = \text{true}, p(x) = \text{true}$
  2.  $a = 5, b = 4, C = \text{true}, p(x) = \text{false}$
- The two tests do not satisfy clause coverage

Clause coverage satisfied by two tests:

1.  $a = 5, b = 5, C = \text{false}, p(x) = \text{true}$
  2.  $a = 5, b = 4, C = \text{true}, p(x) = \text{false}$
- The two tests do not satisfy predicate coverage!

**PC does not subsume CC and CC does not subsume PC**

# Combinatorial coverage

$C_p$  – set of clauses in predicate  $p$

**C3.14 Combinatorial coverage (CoC)** – for each  $p \in P$ ,  $TR$  has test requirements for the clauses in  $C_p$  to evaluate to each possible combination of truth values

- Also called multiple condition coverage

Example: “!a || b”

$a$	$b$	$!a    b$
$F$	$F$	$T$
$F$	$T$	$T$
$T$	$F$	$F$
$T$	$T$	$T$

Predicate with  $n$  clauses has  $2^n$  possible assignments  
Often impractical for predicates with > a few clauses



# Determination

Motivation – need criteria that capture the effect of each clause using a reasonable number of tests

- Would like to exercise conditions where flipping a clause flips the predicate

**Major clause** – clause  $c_i$  that is our focus

**Minor clause** – clause  $c_j$  where  $j \neq i$

**D3.42 Determination** – major clause  $c_i$  *determines* predicate  $p$  if the minor clauses have values so that changing the truth value of  $c_i$  changes the value of  $p$

# Active clause coverage

**D3.43 Active clause coverage (ACC)\*** –  $TR$  has two requirements for each active clause  $c_i \in C_p$  for each  $p \in P$ :  $c_i$  evaluates to *true*; and  $c_i$  evaluates to *false*

**Example** – consider predicate  $p = a \mid \mid b$

- $a$  determines  $p$  iff  $b$  is false; likewise for  $b$
- 4 requirements:
  - $c_i = a$ :  $\{ \langle a = T, b = f \rangle, \langle a = F, b = f \rangle \}$
  - $c_i = b$ :  $\{ \langle a = f, b = T \rangle, \langle a = f, b = F \rangle \}$
  - 2 of these are identical, so 3 in total

Key question in ACC – do minor clauses have constant values when major clause  $c_i$  is and when  $c_i$  is false?

# CACC and RACC

**C3.16 Correlated active clause coverage (CACC)** – *TR* has two requirements for each major clause  $c_i \in C_p$  for each  $p \in P$ :  $c_i$  evaluates to *true*; and  $c_i$  evaluates to *false*. **The values chosen for minor clauses  $c_j$  ( $j \neq i$ ) must cause  $p$  to be true for one value of  $c_i$ , and false for the other**

**C3.17 Restricted active clause coverage (RACC)** – *TR* has two requirements for each major clause  $c_i \in C_p$  for each  $p \in P$ :  $c_i$  evaluates to *true*; and  $c_i$  evaluates to *false*. **The values chosen for minor clauses  $c_j$  ( $j \neq i$ ) must be the same when  $c_i$  is *true* as when  $c_i$  is *false***

# CACC and RACC Example

$a$  determines the predicate “ $a \ \&\& \ (b \ || \ c)$ ” when “ $(b \ || \ c)$ ” is true

- $\langle b = T, c = T \rangle$
- $\langle b = T, c = F \rangle$
- $\langle b = F, c = T \rangle$

CACC – pick one of  $\{ 1, 2, 3 \}$  and one of  $\{ 5, 6, 7 \}$

- 9 choices

RACC – pick one of  $\langle 1, 5 \rangle$ ,  $\langle 2, 6 \rangle$ , and  $\langle 3, 7 \rangle$

- 3 choices

	$a$	$b$	$c$	$a \ \&\& \ (b \    \ c)$
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

# Inactive clause coverage

Basis – check that changing a clause that should not affect the predicate does not, in fact, affect it

**D3.44 Inactive clause coverage (ICC)** – for each  $p \in P$  and each major clause  $c_i \in C_p$ , choose minor clauses  $c_j$  ( $j \neq i$ ) so that  $c_i$  does **not** determine  $p$ .  $TR$  has four test requirements for  $c_i$ :

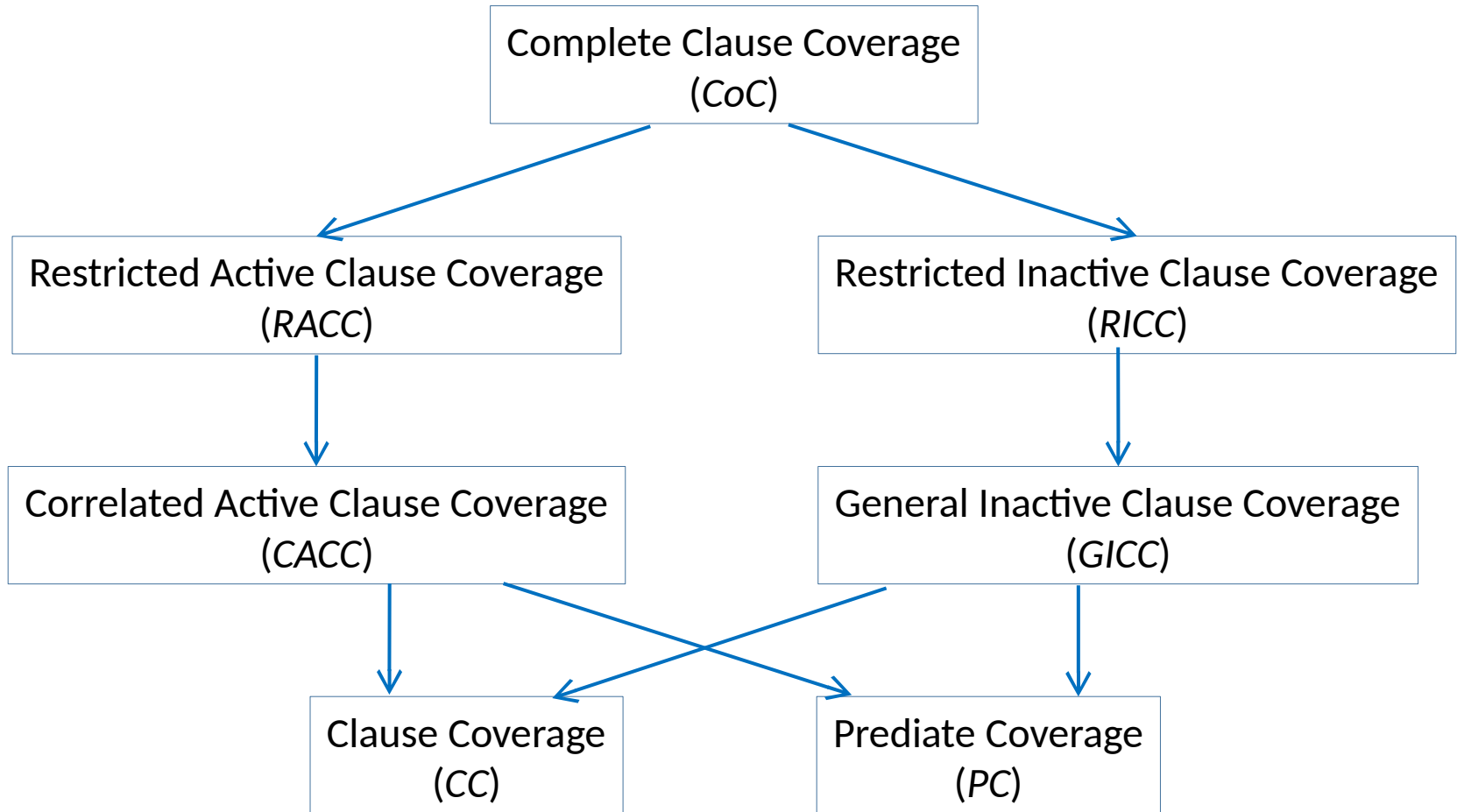
1.  $c_i$  evaluates to *true* with  $p$  *true*;
2.  $c_i$  evaluates to *false* with  $p$  *true*;
3.  $c_i$  evaluates to *true* with  $p$  *false*; and
4.  $c_i$  evaluates to *false* with  $p$  *false*;

# *GICC* and *RICC*

**C 3.18 General inactive clause coverage (*GICC*)** – ICC such that the values chosen for the minor clauses for a given major clause may vary among the four cases

**C 3.19 Restricted inactive clause coverage (*RICC*)** – ICC such that the values chosen for the minor clauses for a given major clause must be the same in cases (1) and (2), and also be the same in cases (3) and (4)

# Subsumption



# Making a clause determine a predicate

Let  $p$  be a predicate and  $c$  be a clause in  $p$

Let  $p_{c=true}$  be  $p$  with  $c$  set to *true*

Let  $p_{c=false}$  be  $p$  with  $c$  set to *false*

Then, *solutions* to formula  $p_{c=true} \oplus p_{c=false}$  give values for clauses  $\neq c$  such that  $c$  determines  $p$

- Each solution is assignment of values to clauses in  $p_{c=true} \oplus p_{c=false}$  such that the formula is *true*



# Example of making a clause active

$$p = a \mid \mid b$$

$$\begin{aligned}\text{To make } a \text{ active, solve } p_a &= p_{a=\text{true}} \oplus p_{a=\text{false}} \\ &= (\text{true} \mid \mid b) \oplus (\text{false} \mid \mid b) \\ &= \text{true} \oplus b \\ &= !b\end{aligned}$$

There is one solution to  $p_a$ , which is  $b = \text{false}$

Thus, setting  $b = \text{false}$  makes clause  $a$  active

By symmetry,  $p_b = !a$

# Another example

$$p = a \ \&\& \ b$$

$$\begin{aligned} \text{To make } a \text{ active, solve } p_a &= p_{a=true} \oplus p_{a=false} \\ &= (true \ \&\& \ b) \oplus (false \ \&\& \ b) \\ &= b \oplus false \\ &= b \end{aligned}$$

There is one solution to  $p_a$ , which is  $b = true$

Thus, setting  $b = true$  makes clause  $a$  active

By symmetry,  $p_b = a$

# An example with no constraint

$$p = a \Leftrightarrow b$$

To make  $a$  active, solve  $p_a = p_{a=true} \oplus p_{a=false}$

$$\begin{aligned} &= (true \Leftrightarrow b) \oplus (false \Leftrightarrow b) \\ &= b \oplus !b \\ &= true \end{aligned}$$

Any value of  $b$  is a solution

Thus, setting  $b$  to any value makes clause  $a$  active

By symmetry,  $p_b = true$

# A degenerate case

$$p = a \ \&\& \ b \ || \ a \ \&\& \ !b$$

To make  $b$  active, solve  $p_b = p_{b=true} \oplus p_{b=false}$

$$= (a \ \&\& \ true \ || \ a \ \&\& \ !true) \oplus (a \ \&\& \ false \ || \ a \ \&\& \ !false)$$

$$= (a \ || \ false) \oplus (false \ || \ a)$$

$$= a \oplus a$$

$$= false$$

There is no solution to  $p_b$

Thus, there is no value for  $a$  that makes  $b$  active

# An example with 3 clauses

$$p = a \ \&\& \ (b \ || \ c)$$

$$\begin{aligned} \text{To make } a \text{ active, solve } p_a &= p_{a=\text{true}} \oplus p_{a=\text{false}} \\ &= (\text{true} \ \&\& \ (b \ || \ c)) \oplus (\text{false} \ \&\& \ (b \ || \ c)) \\ &= (b \ || \ c) \oplus \text{false} \\ &= b \ || \ c \end{aligned}$$

There are three distinct solutions to  $p_a$ :

- $\langle b = T, c = T \rangle$ ,  $\langle b = T, c = F \rangle$ , and  $\langle b = F, c = T \rangle$

Any of these three pairs makes clause  $a$  active

**Exercise** – make  $b$  active

?/!