

EC999: Collocations

Thiemo Fetzer

University of Chicago & University of Warwick

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Collocations

Collocations of a given word are statements of the habitual or customary places of that word.

- ▶ Noun phrases: “strong tea” and “weapons of mass destruction”
- ▶ Phrasal verbs: like “to make up”,
- ▶ Stock phrases: “the rich and powerful”

Collocations very useful for *terminology extraction*.

Measuring Political Slant

Panel A: Phrases used more often by Democrats

Two-word phrases

private accounts
trade agreement
american people
tax breaks
trade deficit
oil companies
credit card
nuclear option
war in iraq
middle class

rosa parks
president budget
republican party
change the rules
minimum wage
budget deficit
republican senators
privatization plan
wildlife refuge
card companies

workers rights
poor people
republican leader
arctic refuge
cut funding
american workers
living in poverty
senate republicans
fuel efficiency
national wildlife

Identify n-grams (*collocations*) and extract those that are distinctively more likely to appear in the corpus of republican versus democratic congressional speeches.

Gentzkow, M., & Shapiro, J. M. (2010). What Drives Media Slant? Evidence From U.S. Daily Newspapers. *Econometrica*, 78(1), 35???71.

Measuring Political Slant

Panel B: Phrases used more often by Republicans

Two-word phrases

stem cell	personal accounts	retirement accounts
natural gas	saddam hussein	government spending
death tax	pass the bill	national forest
illegal aliens	private property	minority leader
class action	border security	urge support
war on terror	president announces	cell lines
embryonic stem	human life	cord blood
tax relief	chief justice	action lawsuits
illegal immigration	human embryos	economic growth

Identify n-grams (*collocations*) and extract those that are distinctively more likely to appear in the corpus of republican versus democratic congressional speeches.

Gentzkow, M., & Shapiro, J. M. (2010). What Drives Media Slant? Evidence From U.S. Daily Newspapers. *Econometrica*, 78(1), 35-71.

Plan

Heuristic Approaches

Statistical Tests

Application: χ^2 test for corpus similarity

A heuristic way of identifying collocations

A simple heuristic approach to identify collocations is simply counting raw occurrences of word sequences, e.g. $C(w_1, w_2)$

```
library(quanteda)
library(data.table)
data(SOTUCorpus, package = "quantedaData")
TOKENS <- unlist(tokenize(corpus_subset(SOTUCorpus, Date > "1993-01-01"), ngrams = 2,
  removeNumbers = TRUE, removePunct = TRUE, removeSymbols = TRUE, concatenator = " "))
## Error in corpus_subset(SOTUCorpus, Date > "1993-01-01"): object 'SOTUCorpus' not found
DF <- data.table(token = TOKENS, president = names(TOKENS))
## Error in data.table(token = TOKENS, president = names(TOKENS)): object 'TOKENS' not found
DF[, .N, by = token][order(N, decreasing = TRUE)][1:15]
## Error in eval(expr, envir, enclos): object 'DF' not found
```

selecting the most frequently occurring bigrams is not very interesting...

A refinement to heuristic

A simple method to make these more informative is to remove *stopwords*. Quanteda has a nice feature facilitating this through the `removeFeatures()` function.

```
TOKENS<-removeFeatures(tokenize(corpus_subset(SOTUCorpus, Date>'1994-01-01'), removePunct = TRUE), stopwords("
TOKENS<-unlist(tokens_ngrams(TOKENS, n=2, concatenator=" "))
DF<-data.table("token"=TOKENS, "president"=names(TOKENS))
DF<-DF[, .N, by=token][order(N, decreasing=TRUE)]
DF$N<-as.numeric(DF$N)
DF[1:10]
```

```
##           token      N
## 1:    health care 130
## 2: American people 117
## 3:   United States 106
## 4: Social Security  96
## 5:      men women  83
## 6:    make sure   73
## 7:   21st century  67
## 8:    years ago   59
## 9:    last year   53
## 10: ask Congress  52
```

```
#DF<-DF[1:5000]
```

the resulting bigrams are much more intuitive. Though this still presents no formal statistical method.

Another refinement to heuristic

A further refinement due to Part of speech (POS) tag patterns for collocation filtering. We will talk more about POS, but here is just an illustration

```
# install.packages('pacman')
library(pacman)
# loads packages in development
pacman::p_load_gh(c("trinker/termco", "trinker/tagger", "trinker/textshape"))
# THIS TAKES A WHILE
TAGGED <- unlist(lapply(lapply(tag_pos(DF$token), names), function(x) paste(x,
  collapse = " ")))
DF <- cbind(DF, TAGGED)
head(DF)
```

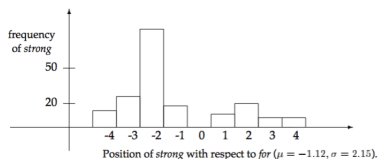
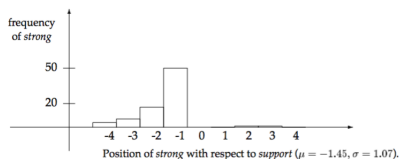
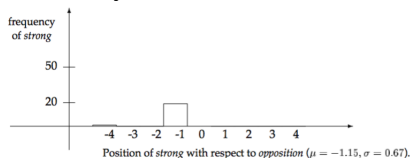
```
##           token    N   TAGGED
## 1:   health care 130    NN NN
## 2: American people 117   JJ NNS
## 3:   United States 106  NNP NNPS
## 4: Social Security  96  NNP NNP
## 5:      men women   83  NNS NNS
## 6:      make sure   73   VB JJ
```

We can now filter out individual sequences of words that are common.

```
##           token TAGGED           token TAGGED
## 1:   health care  NN NN 21st century  JJ NN
## 2: health insurance  NN NN   last year  JJ NN
## 3:   world power    NN NN   Last year  JJ NN
## 4:   tax relief    NN NN  first time  JJ NN
## 5:   tax credit    NN NN  high school  JJ NN
## 6:   child care    NN NN clean energy  JJ NN
```


Word location distances

An alternative method is to look at the distribution of distances between words in a corpus of texts and pick candidate word pairs as those that are “nearby”.



Summary Heuristic Approaches

Can be surprisingly successful in identifying collocations. In this case, we saw that

1. A simple quantitative technique - a mere frequency filter
2. Joint with the importance of parts of speech

is able to produce quite some nice results.

We next turn to more formal statistical methods to identify and differentiate collocations.

Plan

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Statistical Tests

Application: χ^2 test for corpus similarity

Formal Statistical Tests

We now turn to formal statistical tests to identify collocations. The tests are all a variant of testing the hypothesis that the sequence of words is drawn at random, formally this hypothesis can be stated as

$$H_0 : P(w_1, w_2) = P(w_1)P(w_2)$$

We present three approaches

- ▶ Simple T-tests
- ▶ χ^2 tests (also used to evaluate similarity of corpora)
- ▶ Likelihood ratio tests

T-Tests

For a word pair $w_1 w_2$, the hypothesis we want to test is whether:

$$H_0 : P(w_1 w_2) = P(w_1)P(w_2)$$

We can estimate the three parameters by looking at our data and estimating the number of times a word appears. For example for the word pair `health care`.

```
DF[token == "health care"]$N
## [1] 130
sum(DF[grep("^\\bhealth\\b", token)]$N)
## [1] 237
sum(DF[grep("\\bcare\\b$", token)]$N)
## [1] 239
sum(DF$N)
## [1] 78631
```

Under the Null, this is a *Bernoulli trial* whose probability of success we can estimate as:

$$\begin{aligned} P(\text{health care}) &= P(\text{health}) \times P(\text{care}) \\ &= \frac{237}{7.8631 \times 10^4} \times \frac{239}{7.8631 \times 10^4} = 9.1613326 \times 10^{-6} \end{aligned}$$

T-Tests

```
DF[token == "health care"]$N
## [1] 130
sum(DF$N)
## [1] 78631
xbar = DF[token == "health care"]$N/sum(DF$N)
```

We estimate

$$P(\text{health care}) = \frac{130}{7.8631 \times 10^4}$$

Under H_0 , T-statistic follows approximately a t-distribution with $N - 1$ degrees of freedom.

$$T = \frac{\bar{X} - \mu}{\sqrt{\frac{s^2}{N}}}$$

with $\mu =$ and variance $\sigma^2 = p(1 - p)$ (Variance of Bernoulli distribution).

So compute

$$T = \frac{0.0016533 - 9.1613326 \times 10^{-6}}{\sqrt{\frac{9.1612486 \times 10^{-6}}{7.8631 \times 10^4}}} = 152.3196326$$

T-Tests for whole data frame

```
DF[, `:=`(ttest, (N/total - c_1/total * c_2/total)/(((c_1/total * c_2/total *  
(1 - c_1/total * c_2/total))/total)^0.5))]
```

```
DF[order(ttest, decreasing = TRUE)][c_1 + c_2 > 20][1:20]
```

##		token	N	TAGGED	total		w1	w2	c_1
## 1:	vacant storefronts	19	JJ	NNS	78631	vacant storefronts	20		
## 2:	Left Behind	11	VBN	IN	78631	Left Behind	11		
## 3:	Social Security	96	NNP	NNP	78631	Social Security	96		
## 4:	Child Left	11	NN	VBN	78631	Child Left	13		
## 5:	Middle East	43	NNP	NNP	78631	Middle East	48		
## 6:	Saddam Hussein	25	NNP	NNP	78631	Saddam Hussein	31		
## 7:	Armed Forces	12	NNP	NNPS	78631	Armed Forces	12		
## 8:	United States	106	NNP	NNPS	78631	United States	107		
## 9:	al Qaeda	11	JJ	NNP	78631	al Qaeda	17		
## 10:	minimum wage	24	NN	NN	78631	minimum wage	26		
## 11:	men women	83	NNS	NNS	78631	men women	106		
## 12:	God bless	28	NNP	VB	78631	God bless	47		
## 13:	New Covenant	12	NNP	NNP	78631	New Covenant	23		
## 14:	Tucson reminded	10	NNP	VBD	78631	Tucson reminded	14		
## 15:	distinguished guests	10	VBN	NNS	78631	distinguished guests	14		
## 16:	mass destruction	17	NN	NN	78631	mass destruction	24		
## 17:	activist judges	8	NN	NNS	78631	activist judges	9		
## 18:	teen pregnancy	7	JJ	NN	78631	teen pregnancy	13		
## 19:	General ferret	7	NNP	NN	78631	General ferret	15		
## 20:	Laden Zarqawi	7	NNP	NNP	78631	Laden Zarqawi	13		

```
##      c_2      ttest
```

```
## 1: 19 273.2425
```

```
## 2: 12 268.4333
```

```
## 3: 108 264.0123
```

```
## 4: 11 257.8991
```

```
## 5: 46 256.4379
```

```
## 6: 25 251.7183
```

```
## 7: 16 242.7947
```

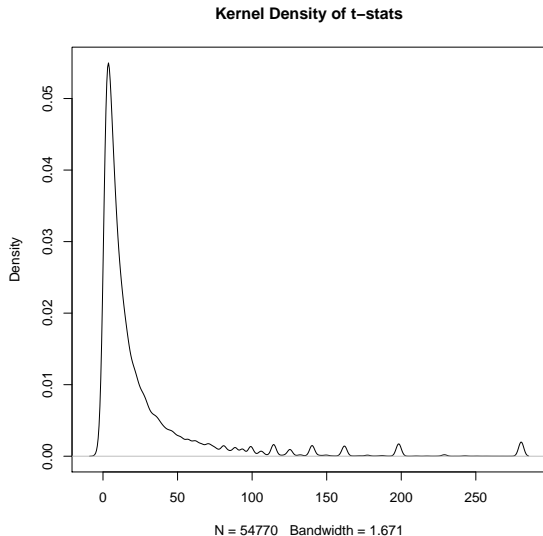
```
## 8: 141 241.5544
```

```
## 9: 11 225.5147
```

```
## 10: 36 219.8643
```

T-Tests for whole data frame

```
plot(density(DF$ttest), main = "Kernel Density of t-stats")
```



Pearson's χ^2 tests

It turns out that t-tests are extremely optimistic (lots of false positives), but also that the underlying assumption of approximate normality is often invalid due to low counts. The χ^2 test we discuss next is more useful and allows for meaningful cross corpora analysis. The χ^2 test

- Compares the observed frequencies in the table with the frequencies expected for independence.
- If the difference between observed and expected frequencies is large, then we can reject the null hypothesis of independence.

We can think of as word counts for a specific bigram to be arranged in tabular format

	$w_1 = \text{health}$	$w_1 \neq \text{health}$
$w_2 = \text{care}$	130	109
$w_2 \neq \text{care}$	107	7.8394×10^4

Note that $\sum_j C(w_1 = \text{health}, w_j) = C(w_1 = \text{health})$.

Pearson's χ^2 tests

We can think of as word counts for a specific bigram to be arranged in tabular format

	$w_1 = \text{health}$	$w_1 \neq \text{health}$
$w_2 = \text{care}$	130	109
$w_2 \neq \text{care}$	107	7.8394×10^4

The χ^2 test statistic sums the differences between observed and expected values in all cells of the table, scaled by the magnitude of the expected values, as follows

$$\chi^2 = \sum_{ij} \frac{(O_{ij} - E_{ij})^2}{E_{ij}}$$

where O_{ij} measures the observed count, while E_{ij} measures the expected count. It is usually thought of as a measure of *goodness of fit* to evaluate the fit of empirical against. χ^2 tests are commonly implemented for collocation detected, e.g. in the quanteda R-package.

Computing χ^2 tests statistic

	$w_1 = \text{health}$	$w_1 \neq \text{health}$	
$w_2 = \text{care}$	130 0.7203647	109 238.2796353	239
$w_2 \neq \text{care}$	107 236.2796353	7.8285×10^4 7.815572×10^4	7.8392×10^4
	237	7.8394×10^4	7.8631×10^4

- ▶ Expected frequencies E_{ij} computed from the marginal probabilities; compute totals of rows and columns and convert to proportions.
- ▶ Example: expected frequency (“health care”) is marginal probability of “health” occurring as the first part of a bigram times the marginal probability of “care” occurring as the second.

$$\chi^2 = \frac{(130 - 0.7203647)^2}{0.7203647} + \frac{(109 - 238.2796353)^2}{238.2796353} + \frac{(107 - 236.2796353)^2}{236.2796353} + \frac{(7.8285 \times 10^4 - 7.815572 \times 10^4)^2}{7.815572 \times 10^4}$$

Special formula for 2x2 tables

	$w_1 = \text{health}$	$w_1 \neq \text{health}$	
$w_2 = \text{care}$	130	109	239
$w_2 \neq \text{care}$	107	7.8285×10^4	7.8392×10^4
	237	7.8394×10^4	7.8631×10^4

For 2×2 tables, there is a condensed formula [Can you show this?]

$$\chi^2 = \frac{N(O_{11}O_{22} - O_{12}O_{21})^2}{(O_{11} + O_{12})(O_{11} + O_{21})(O_{12} + O_{22})(O_{21} + O_{22})}$$

For a 2×2 design, this statistic has a χ^2 distribution with one degree of freedom. Can you show that this statistic reaches maximal value in case off diagonals are zero (words exclusively appear together)?

Identified Bigrams in State of the Union Speeches

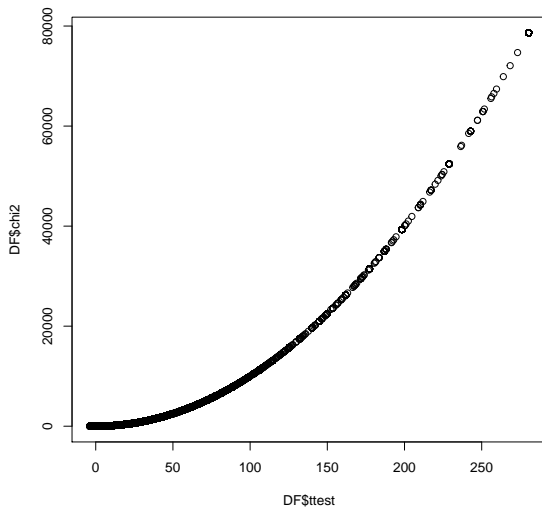
```
DF[, `:=`(O11, N)]
DF[, `:=`(O12, (c_2 - N))]
DF[, `:=`(O21, (c_1 - N))]
DF[, `:=`(O22, (total - c_1 - c_2 + N))]
DF[, `:=`(chi2, (total * (O11 * O22 - O12 * O21)^2)/((O11 + O12) * (O11 + O21) *
(O12 + O22) * (O21 + O22)))]
```

```
DF[c_1 + c_2 > 20][order(chi2, decreasing = TRUE)][1:30]
```

##	token	N	TAGGED	total	w1	w2	c_1
## 1:	vacant storefronts	19	JJ NNS	78631	vacant storefronts		20
## 2:	Left Behind	11	VBN IN	78631	Left Behind		11
## 3:	Social Security	96	NNP NNP	78631	Social Security		96
## 4:	Child Left	11	NN VBN	78631	Child Left		13
## 5:	Middle East	43	NNP NNP	78631	Middle East		48
## 6:	Saddam Hussein	25	NNP NNP	78631	Saddam Hussein		31
## 7:	Armed Forces	12	NNP NNPS	78631	Armed Forces		12
## 8:	United States	106	NNP NNPS	78631	United States		107
## 9:	al Qaeda	11	JJ NNP	78631	al Qaeda		17
## 10:	minimum wage	24	NN NN	78631	minimum wage		26
## 11:	men women	83	NNS NNS	78631	men women		106
## 12:	God bless	28	NNP VB	78631	God bless		47
## 13:	New Covenant	12	NNP NNP	78631	New Covenant		23
## 14:	Tucson reminded	10	NNP VBD	78631	Tucson reminded		14
## 15:	distinguished guests	10	VBN NNS	78631	distinguished guests		14
## 16:	mass destruction	17	NN NN	78631	mass destruction		24
## 17:	activist judges	8	NN NNS	78631	activist judges		9
## 18:	teen pregnancy	7	JJ NN	78631	teen pregnancy		13
## 19:	General ferret	7	NNP NN	78631	General ferret		15
## 20:	Laden Zarqawi	7	NNP NNP	78631	Laden Zarqawi		13
## 21:	White House	23	NNP NNP	78631	White House		29
## 22:	preparing abandon	11	VBG NN	78631	preparing abandon		15
## 23:	face bigger	49	NN RBR	78631	face bigger		107
## 24:	playing field	9	VBG NN	78631	playing field		15
## 25:	Madam Speaker	18	NNP NNP	78631	Madam Speaker		18
## 26:	North Korea	12	NNP NNP	78631	North Korea		25

Identified Bigrams in State of the Union Speeches

```
plot(DF$ttest, DF$chi2)
```



Problems for χ^2 tests

- ▶ T-test and χ^2 test statistic provide almost identical ordering
- ▶ χ^2 test is also appropriate for large probabilities, for which the normality assumption of the t-test fails.
- ▶ But approximation to the chi-squared distribution breaks down if expected frequencies are too low. It will normally be acceptable so long as no more than 20% of the events have expected frequencies below 5 (Read and Cressie 1988) \rightarrow this is violated here.
- ▶ Rule of thumb: advise against using χ^2 if the expected value in any of the cells is 5 or less, use likelihood ratio test presented next.
- ▶ In case of low expected counts, perform *Yates correction*, modifying
$$\chi^2 = \sum_{ij} \frac{|(O_{ij} - E_{ij}) - 0.5|^2}{E_{ij}}$$

Likelihood Ratio Tests

Likelihood ratios are another approach to hypothesis testing. Developed in Dunning (1993), they are most appropriate for working with sparse data (few cell counts).

Two alternative hypothesis:

- ▶ Hypothesis 1: $P(w_2|w_1) = p = P(w_2|\neg w_1)$
- ▶ Hypothesis 2: $P(w_2|w_1) = p_1 \neq p_2 = P(w_2|\neg w_1)$

Hypothesis 1 is just another way of stating the independence assumption (a draw of word w_2 is independent of any information regarding the occurrence or non-occurrence of word w_1). Hypothesis 2 says that the probability of w_2 following w_1 is different from probability of w_2 not following w_1 .

It is clear that H_1 is *nested* into H_2 .

Likelihood ratio test

Denote c_1 , c_2 and c_{12} , for the number of occurrences of word w_1 , w_2 and the pair $w_1 w_2$.

$$p = \frac{c_2}{N} \quad p_1 = \frac{c_{12}}{c_1} \quad p_2 = \frac{c_2 - c_{12}}{N - c_1}$$

We assume that word counts are binomially distributed

$$B(k; n, p) = \binom{n}{k} p^k (1 - p)^{(n-k)}$$

Binomial distribution gives the probability of observing k heads in a sequence of n coin tosses, with success probability p .

What is the probability of observing counts c_{12} in c_1 trials?

$$B(c_{12}; c_1, p) = \binom{c_1}{c_{12}} p^{c_{12}} (1 - p)^{(c_1 - c_{12})}$$

What is the probability of observing counts $c_2 - c_{12}$ in $N - c_{12}$ trials?
I.e. probability of seeing c_2 by itself?

$$B(c_2 - c_{12}; N - c_{12}, p) = \binom{N - c_{12}}{c_2 - c_{12}} p^{c_2 - c_{12}} (1 - p)^{(N - c_{12})}$$

Likelihood ratio test

Under Hypothesis 1 & 2, the likelihood of observing counts are given as

$$\begin{aligned}L(H_1) &= B(c_{12}; c_1, p)B(c_2 - c_{12}; N - c_1, p) \\L(H_2) &= B(c_{12}; c_1, p_1)B(c_2 - c_{12}; N - c_1, p_2)\end{aligned}$$

Likelihood ratio

$$\begin{aligned}\log(\lambda) &= \log \frac{L(H_1)}{L(H_2)} \\&= \log(p^{(c_1 - c_{12})}(1 - p)^{c_1}) + \log(p^{(c_2 - c_{12})}(1 - p)^{(N - c_1)}) \\&\quad - \log(p_1^{(c_1 - c_{12})}(1 - p_1)^{c_1}) - \log(p_2^{(c_2 - c_{12})}(1 - p_2)^{(N - c_1)})\end{aligned}$$

Advantage of LR test

- ▶ One advantage of likelihood ratios is that they have a clear intuitive interpretation: the exp of the LR provides a number that tells us how much more likely one hypothesis is than the other.
- ▶ So numbers are easier to interpret than the scores of the χ^2 test
- ▶ If λ is a likelihood ratio of a particular form, then the quantity $-2 \log \lambda$ is asymptotically χ^2 distributed
- ▶ Dunning (1993) shows they are more appropriate for sparse data.

Plan

Heuristic Approaches

Statistical Tests

Application: χ^2 test for corpus similarity

χ^2 test for corpus similarity

- ▶ So far, we have used various statistical tests to study whether words appearing together appear so in a non-random fashion.
- ▶ We were comparing observed frequencies of pairs appearing with some notion of expected frequency under a null-hypothesis of independence.
- ▶ We can apply the same test to distinguish word use *between* texts.
- ▶ The null-hypothesis here is that the probability of observing a word or a word pair is independent across speakers.

χ^2 test for corpus similarity

We can use the χ^2 statistic to differentiate two corpora from one another or to identify distinctive word features characteristic of a corpus. Below is an example of Bush versus Obama state of the union speeches.

```
TOK <- data.table(sotu = names(TOKENS), token = TOKENS)
TOK[, `:=`(president, str_extract(sotu, "[A-z]*"))]
TOK <- TOK[, .N, by = c("president", "token")] [president %in% c("Bush", "Obama")]
TOK[order(N, decreasing = TRUE)][1:20]
```

##	president	token	N
## 1:	Bush	Social Security	45
## 2:	Bush	United States	44
## 3:	Obama	health care	44
## 4:	Obama	American people	44
## 5:	Bush	men women	41
## 6:	Obama	United States	37
## 7:	Bush	health care	34
## 8:	Bush	ground United	33
## 9:	Obama	make sure	31
## 10:	Obama	face bigger	28
## 11:	Obama	clean energy	28
## 12:	Obama	right now	27
## 13:	Bush	American people	26
## 14:	Bush	Middle East	26
## 15:	Bush	America will	25
## 16:	Obama	years ago	24
## 17:	Bush	Members Congress	23
## 18:	Obama	States America	23
## 19:	Bush	Saddam Hussein	22
## 20:	Bush	tax relief	21

χ^2 test to identify distinct words across corpora

We can convert this into wide format and compute the χ^2 test statistic for each word feature, i.e. computing

$$\chi^2 = \frac{N(O_{11}O_{22} - O_{12}O_{21})^2}{(O_{11} + O_{12})(O_{11} + O_{21})(O_{12} + O_{22})(O_{21} + O_{22})}$$

```
WIDE <- data.table(join(TOK[president == "Bush"][, list(token, bushcount = as.numeric(N))],
  TOK[president == "Obama"][, list(token, obamacount = as.numeric(N))], type = "full"))
WIDE[is.na(obamacount)]$obamacount <- 0
WIDE[is.na(bushcount)]$bushcount <- 0
WIDE[, `:=`(totalcount, obamacount + bushcount)]
WIDE <- WIDE[order(totalcount, decreasing = TRUE)][totalcount > 5]
WIDE[, `:=`(totalobama, sum(obamacount))]
WIDE[, `:=`(totalbush, sum(bushcount))]
WIDE[, `:=`(chi2, (totalobama + totalbush) * (bushcount * (totalobama - obamacount) -
  obamacount * (totalbush - bushcount))^2 / ((bushcount + obamacount) * (bushcount +
  (totalbush - bushcount)) * (obamacount + (totalobama - obamacount)) * ((totalbush -
  bushcount) + (totalobama - obamacount))))]
```

χ^2 test to identify distinct words across corpora

Present list sorted by X^2 test statistic score

```
WIDE[1:20][order(chi2, decreasing = TRUE)]
```

##	token	bushcount	obamacount	totalcount	totalobama	totalbush
## 1:	Social Security	45	11	56	2225	1776
## 2:	ground United	33	5	38	2225	1776
## 3:	right now	1	27	28	2225	1776
## 4:	clean energy	2	28	30	2225	1776
## 5:	Members Congress	23	5	28	2225	1776
## 6:	Middle East	26	7	33	2225	1776
## 7:	men women	41	21	62	2225	1776
## 8:	face bigger	8	28	36	2225	1776
## 9:	America will	25	14	39	2225	1776
## 10:	States America	7	23	30	2225	1776
## 11:	years ago	8	24	32	2225	1776
## 12:	every American	7	21	28	2225	1776
## 13:	ask Congress	18	11	29	2225	1776
## 14:	United States	44	37	81	2225	1776
## 15:	will help	16	10	26	2225	1776
## 16:	make sure	16	31	47	2225	1776
## 17:	health insurance	16	12	28	2225	1776
## 18:	American people	26	44	70	2225	1776
## 19:	will continue	18	16	34	2225	1776
## 20:	health care	34	44	78	2225	1776

```
## chi2
```

```
## 1: 29.76542402
```

```
## 2: 28.01000046
```

```
## 3: 19.03112218
```

```
## 4: 17.42404175
```

```
## 5: 16.28159834
```

```
## 6: 15.95019450
```

```
## 7: 12.05764904
```

```
## 8: 7.23091592
```

```
## 9: 6.20036699
```

```
## 10: 5.42860232
```


Combine this with POS Tag patterns

```
WIDE <- join(WIDE, DF[, list(token, TAGGED)])[grep("NN.? NN.?|JJ.? NN.?", TAGGED)]
WIDE[1:20][order(chi2, decreasing = TRUE)]
```

##		token	bushcount	obamacount	totalcount	totalobama	totalbush
## 1:	Social Security	45	11	56	2225	1776	
## 2:	ground United	33	5	38	2225	1776	
## 3:	Saddam Hussein	22	0	22	2225	1776	
## 4:	tax relief	21	2	23	2225	1776	
## 5:	clean energy	2	28	30	2225	1776	
## 6:	Members Congress	23	5	28	2225	1776	
## 7:	Middle East	26	7	33	2225	1776	
## 8:	fellow citizens	20	4	24	2225	1776	
## 9:	men women	41	21	62	2225	1776	
## 10:	first time	2	20	22	2225	1776	
## 11:	hard work	3	15	18	2225	1776	
## 12:	States America	7	23	30	2225	1776	
## 13:	United States	44	37	81	2225	1776	
## 14:	high school	7	19	26	2225	1776	
## 15:	last year	7	17	24	2225	1776	
## 16:	health insurance	16	12	28	2225	1776	
## 17:	American people	26	44	70	2225	1776	
## 18:	small businesses	10	14	24	2225	1776	
## 19:	health care	34	44	78	2225	1776	
## 20:	Vice President	10	12	22	2225	1776	

##		chi2	TAGGED
## 1:	29.76542402	NNP	NNP
## 2:	28.01000046	NN	NNP
## 3:	27.71432764	NNP	NNP
## 4:	20.62658903	NN	NN
## 5:	17.42404175	JJ	NN
## 6:	16.28159834	NNS	NNP
## 7:	15.95019450	NNP	NNP
## 8:	14.83470943	NN	NNS
## 9:	12.05764904	NNS	NNS
## 10:	11.16558446	JJ	NN
## 11:	5.62926109	JJ	NN