(Force between two)
point charges

force of multiple Charges on a single point

Definition of electric field

Using test charge to determine force direction of the electric field

Electric field due to a finite num of point Charges

Acceleration of a charge particle

$$\vec{\alpha} = \frac{q\vec{E}}{m}$$

ke= 8.987 × 10 Nm22 - Coulomb Constant

e = ± 1.602×10°C - Charge of electron/proton

9n = Electric force exerted by charge n

r = Distance between point charges

F = Vector representing force on a charge

E = Vector representing the force of an electric field

Fe = Vector representing the electric force of an electric field acting on a test charge within the bounds of the electric field

nº = Unit vector pointed from q toward q.

ri = Distance from the ith source charge qi to point P

m = mass of particle

$$V_f^2 = V_i^2 + 2a(x_f - x_i)$$

$$\phi_{\rm E}$$
 = EA

$$\phi_{\epsilon} = EA \cos \theta$$

$$\phi_{E} = \frac{q}{\epsilon_{o}}$$

$$X = position$$

$$\phi_e = \frac{q_{in}}{\epsilon_o}$$

Change in electric potential energy of a system

$$V = \frac{U_E}{9}$$

$$\Delta V = \frac{\Delta u_E}{\varrho} = -\int_{AE}^{B} \vec{E} \cdot d\vec{s}$$

Work done by an external agent

Change in potential energy

9:n = represents the net charge inside the surface

K= Kinetic Energy

DK+DUE=0

Potential Difference

Electric potential energy of a pair of point charges

UE = ke 1/2

Electric field of radial

distance

Er = - dV Electric potential at point P

 $dV = ke \frac{dq}{r} = ke \int \frac{dq}{r}$ 

Distance from field and potential

E = -

V= kQ

△U = -9 Ed

Capacitance

$$C = \frac{Q}{\Delta V}$$

capacitance of an isolated charged sphere

$$C = \frac{Q}{\Delta V} = \frac{Q}{k_e Q_a} = \frac{Q}{k_e} = 4\pi \epsilon_0 a$$

Surface charge density on each plate

C = Capacitance (F)

Q = Charge

DV = Potential difference

a = Radius of sphere

5 = Surface charge density