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## Homework 4

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### Problem 4.1

```
clc;
clear;

% a -----

% Define the values of n for which you want to calculate  $\gamma[n]$ 
n_alpha_a = -2:1;
n_beta_a = 0:4;

% origin offset of each function
origin_alpha_a = 3; % n=0 is the third index
origin_beta_a = 1; % n=0 is the first index

% Define the first pair of  $\alpha[n]$  and  $\beta[n]$ 
alpha_a = (-0.9).^(1 - n_alpha_a);
alpha_a(2) = 0; %
corrects n= -1
beta_a = cos(0.25 .* pi .* n_beta_a);
beta_a(1) = 0;

% Calculate  $\gamma[n]$  for the first pair
gamma_a = conv(alpha_a, beta_a);

% Calculate alignment for the graph
origin_gamma_a = origin_alpha_a + origin_beta_a - 1;
n_gamma_a = (0:length(gamma_a)-1)-(origin_gamma_a - 1);

% Plot the nonzero values of  $\gamma[n]$  vs. n for both pairs
figure;
plot(n_gamma_a, gamma_a);
title('Part A');
xlabel('n');
ylabel('γ[n]');
grid on;

% b -----

% Define the values of n for which you want to calculate  $\gamma[n]$ 
```

```

n_alpha_b = -1:3;
n_beta_b = 1:5;

% origin offset of each function
origin_alpha_b = 2;
the third index
origin_beta_b = -1;

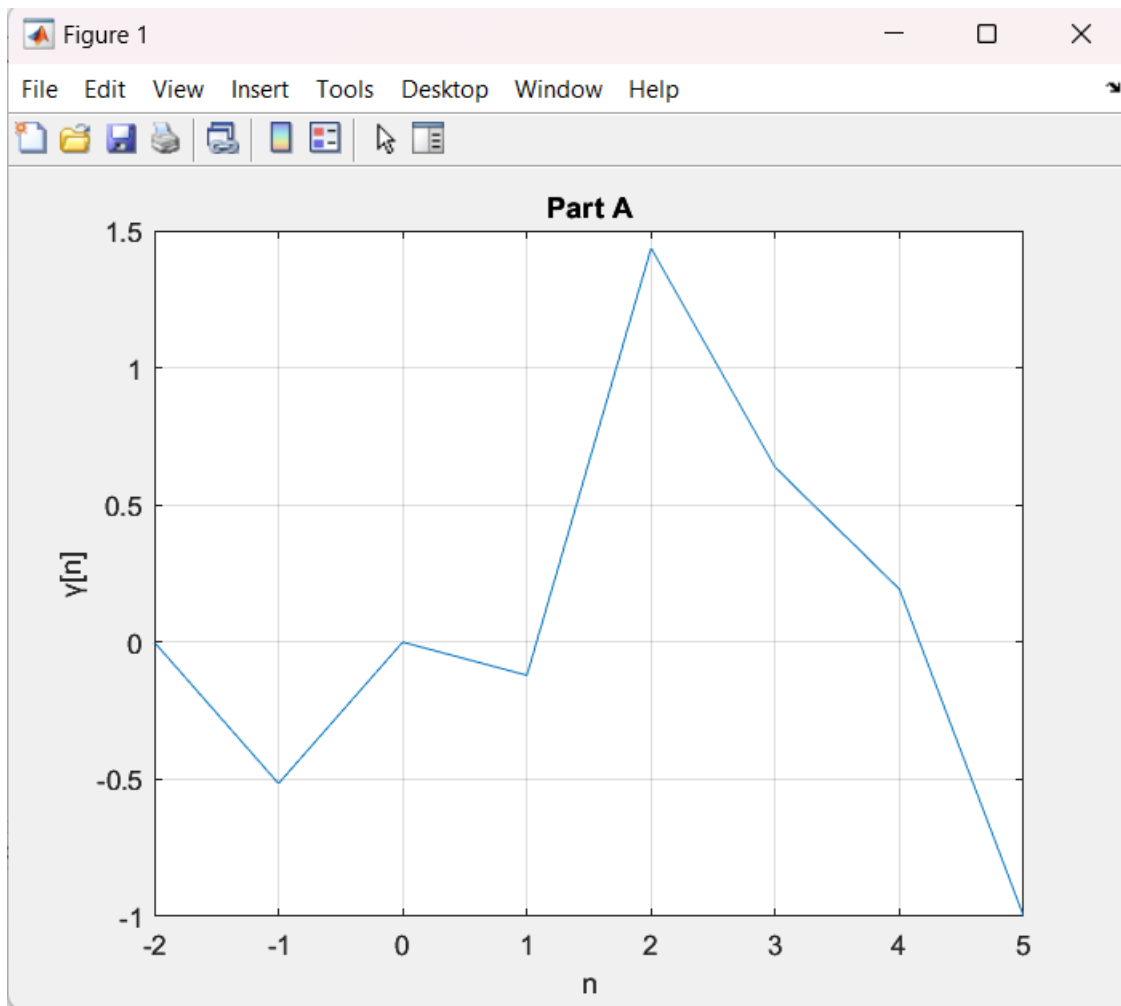
% Define the second pair of  $\alpha[n]$  and  $\beta[n]$ 
alpha_b = 36 .^ (n_alpha_b / 2 - 1);
beta_b = (1 ./ (n_beta_b + 1));

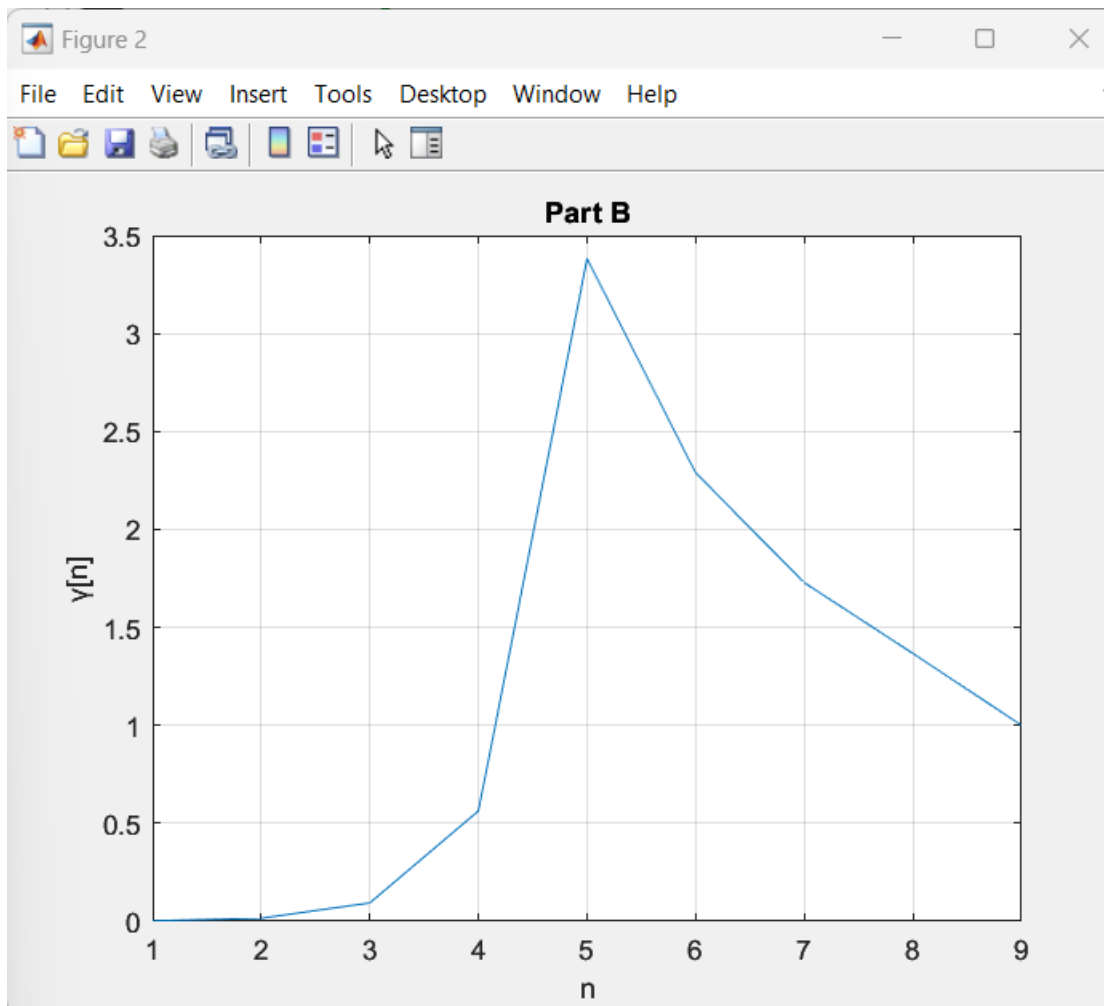
% Calculate  $\gamma[n]$  for the first pair
gamma_b = conv(alpha_b, beta_b);

% Calculate alignment for the graph
origin_gamma_b = origin_alpha_b + origin_beta_b - 1;
n_gamma_b = (0:length(gamma_b)-1)-(origin_gamma_b - 1);

% Plot the nonzero values of  $\gamma[n]$  vs. n for both pairs
figure;
plot(n_gamma_b, gamma_b);
title('Part B');
xlabel('n');
ylabel('γ[n]');
grid on;

```





### Problem 4.2

```
clc;
clear;
```

```
% a -----

yzi(1) = 7;           % yzi[-2] = 7
yzi(2) = -2.5;        % yzi[-1] = -2.5

for k=3:18
    yzi(k) = 0.9 * yzi(k-1) - 0.81 * yzi(k-2); % calculate each value
                                                % of y(k)
end

k = -2:length(yzi)-3; % length of k same as y

figure;
```

```

plot(k, -yzi);
title('Part A');
xlabel('n');
ylabel('y[n]');
grid on;

% b -----

yzs(1) = 0; % yzs[-2] = 0
yzs(2) = 0; % yzs[-1] = 0

stepn_1 = [zeros(1,3) ones(1,15)];

k;
x = (0.5 .^ k) .* stepn_1;

for k=3:18
    yzs(k) = 0.9 * yzs(k-1) - 0.81 * yzs(k-2) + 10*x(k) - 15*x(k-2); % calculate
each value
end

k = -2:length(yzs)-3;

figure;
plot(k, yzs);
title('Part B');
xlabel('n');
ylabel('y[n]');
grid on;

% c -----

delta = [zeros(1, 3) ones(1, 15)]; % shows which values in the range are
negative or positive

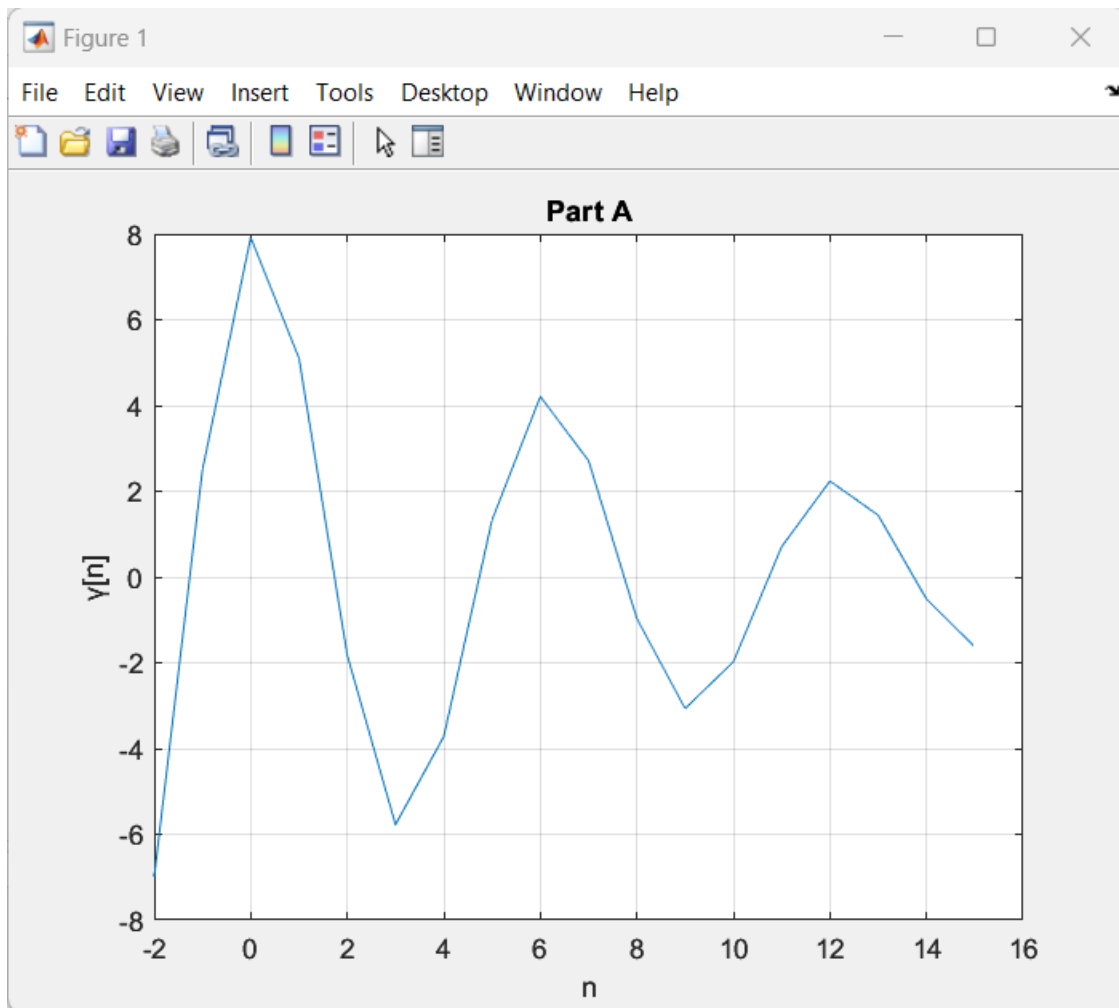
h(1) = 0; % h[-2] = 0
h(2) = 0; % h[-1] = 0

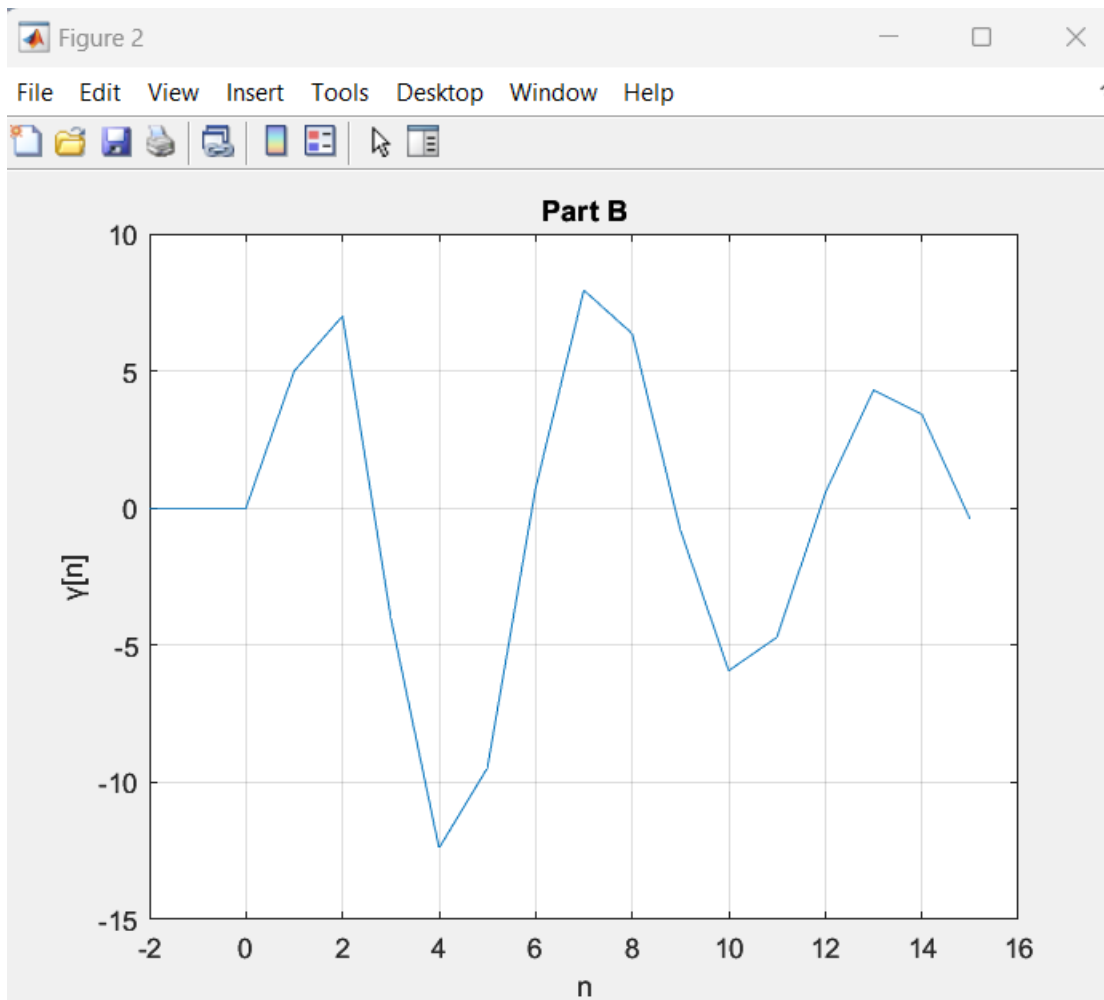
for k=3:18
    h(k) = 0.9 * h(k-1) - 0.81 * h(k-2) + 10 * delta(k) - 15 * delta(k-2);
end

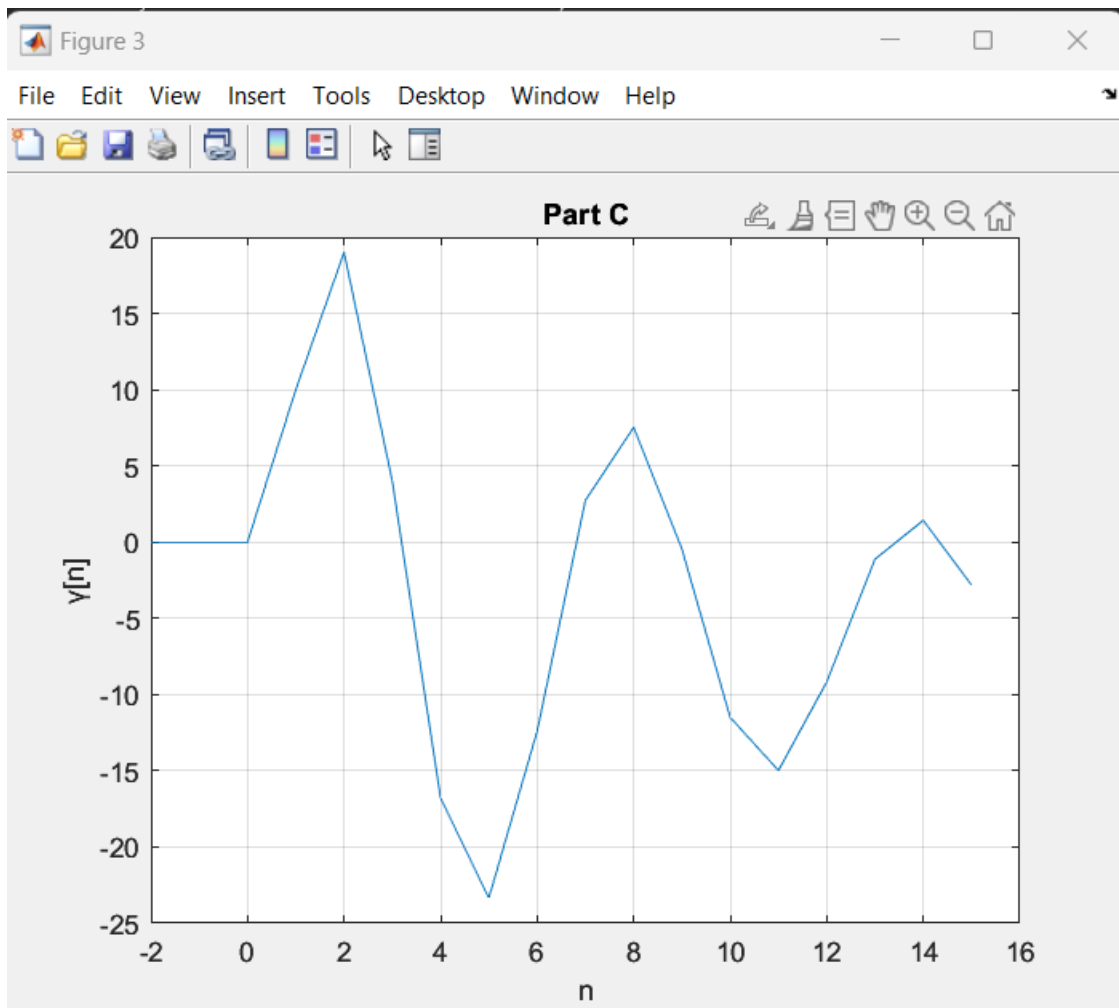
k = -2:length(h)-3;

figure;
plot(k,h);
title('Part C');
xlabel('n');
ylabel('y[n]');
grid on;

```







### Problem 4.3

```
clc;
```

```
clear;
```

```
% a -----
```

```
yzi(1) = -3;  
yzi(2) = 1.5;
```

```
% yzi[-2] = -3  
% yzi[-1] = 1.5
```

```
for k=3:18
```

```
    yzi(k) = -0.12 * yzi(k-1) + 0.24 * yzi(k-2); % calculate each value  
                                                % of y(k)
```

```
end
```

```
k = -2:length(yzi)-3;
```

```
% length of k same as y
```

```
figure;  
plot(k, -yzi);  
title('Part A');  
xlabel('n');
```



```

ylabel('y[n]');
grid on;

% b -----

yzs(1) = 0; % yzs[-2] = 0
yzs(2) = 0; % yzs[-1] = 0

stepn_1 = [ones(1,18)];

k;
x = cos(0.15 * pi * k - ((15*pi)/180)) .* stepn_1;

for k=3:18
    yzs(k) = -0.12 * yzs(k-1) + 0.24 * yzs(k-2) - 6 * x(k-1) + 2 * x(k-2);
end

k = -2:length(yzs)-3;

figure;
plot(k, yzs);
title('Part B');
xlabel('n');
ylabel('y[n]');
grid on;

% c -----

delta = [ones(1, 18)]; % shows which values in the range are negative or
positive

h(1) = 0; % h[-2] = 0
h(2) = 0; % h[-1] = 0

for k=3:18
    h(k) = -0.12 * h(k-1) + 0.24 * h(k-2) - 6 * delta(k-1) + 2 * delta(k-2);
end

k = -2:length(h)-3;

figure;
plot(k,h);
title('Part C');
xlabel('n');
ylabel('y[n]');
grid on;

```

