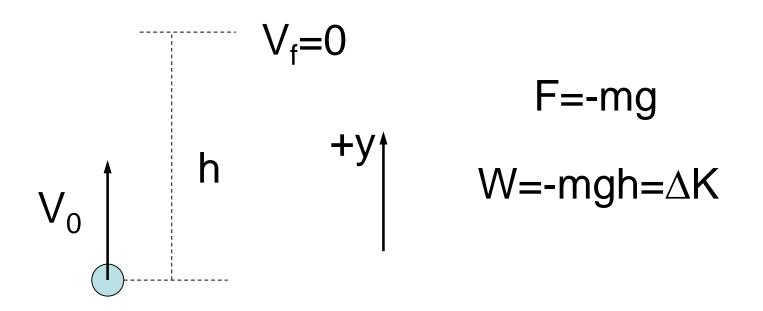
Potential Energy U=mgy



Initial velocity V₀ What is h? $mgh=mgy_2-mgy_1=U_2-U_1$ = ΔU

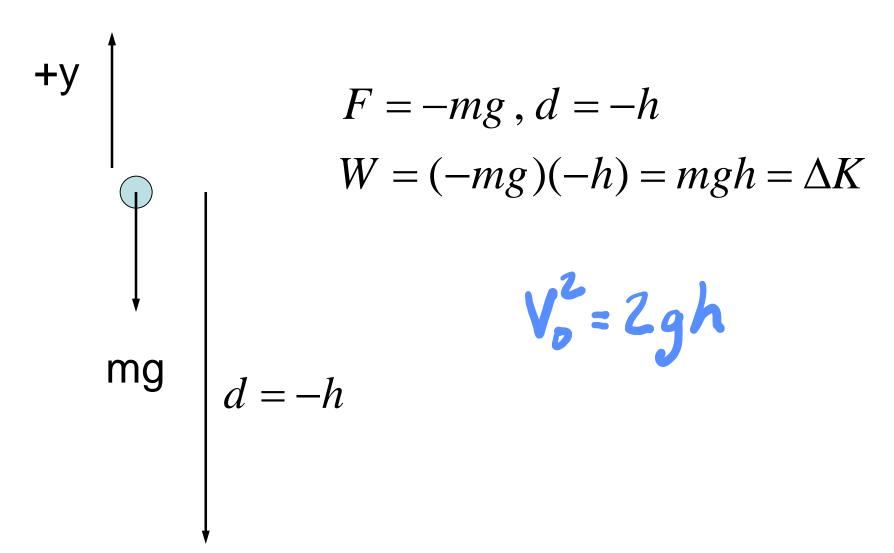
 $W=-\Delta U=\Delta K$

$$V_0$$

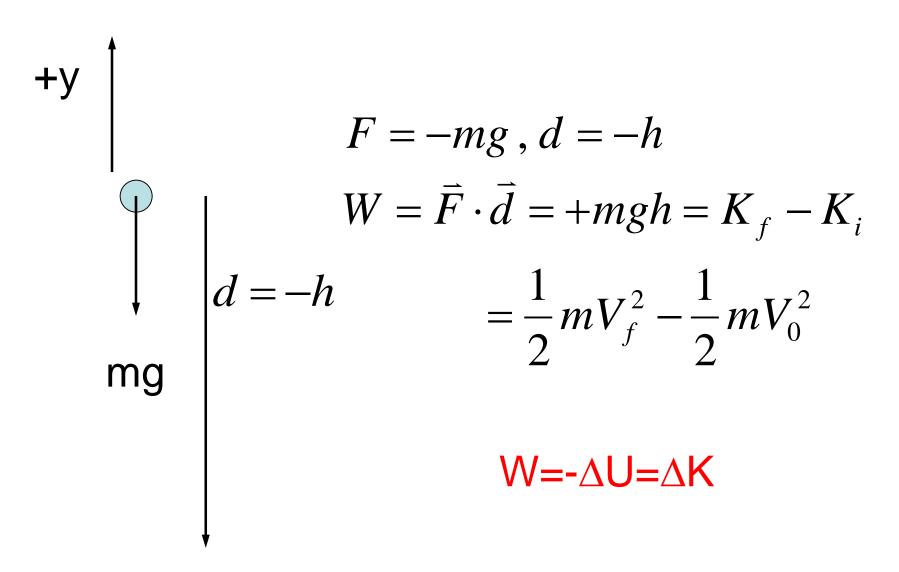
$$\Delta K = \frac{1}{2}mV_f^2 - \frac{1}{2}mV_0^2 = -\frac{1}{2}mV_0^2$$
$$-mgh = \Delta K = \frac{1}{2}mV_f^2 - \frac{1}{2}mV_0^2 = -\frac{1}{2}mV_0^2$$

$$V_0^2 = 2gh \quad (h = \frac{V_0^2}{2g})$$
 - $\Delta U = \Delta K$

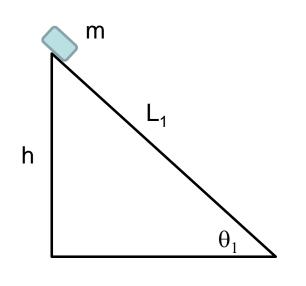
Ex: Drop a mass (gravity does work)

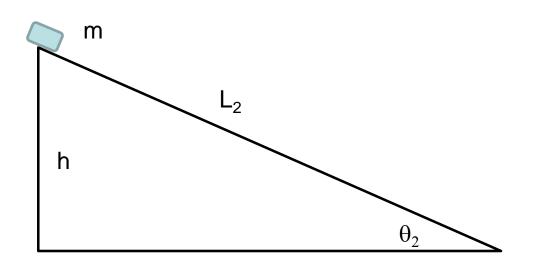


Ex: Drop a mass (gravity does work)



No Friction. Initially at rest.





$$V_{1f}=?$$

$$V_{2f}=?$$

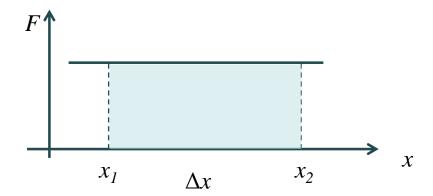
$$U_1 + K_1 = U_2 + K_2$$
$$U = mgy$$



Work by Changing forces:

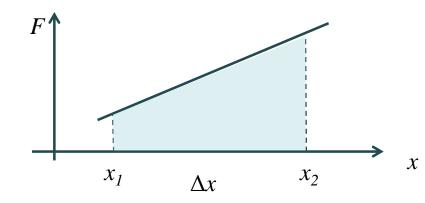
Work done by a constant force

$$W = \vec{F} \cdot \Delta \vec{x}$$

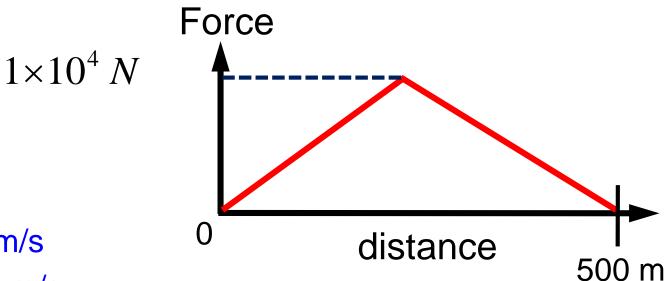


Work done by a changing force

$$W = \int_{1}^{2} F(x) dx$$

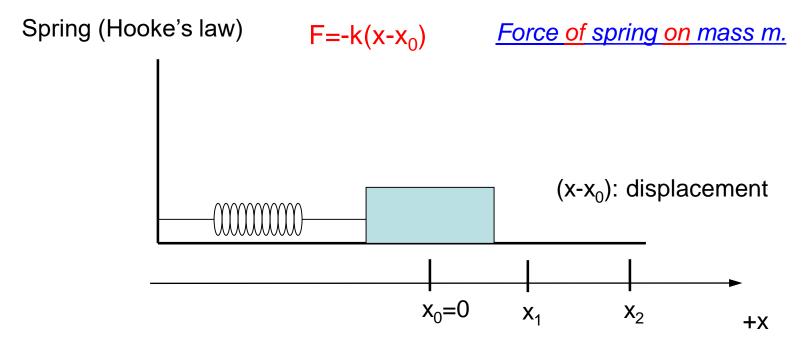


The engine of a 1000 kg sports car rotates the tires, creating a net forward pushing force F on the tires of the car that varies as a function of distance. The force is shown below. If the car starts at rest, what is the speed of the car after traveling 500 meters?



- 1. 0 m/s
- 2. 71 m/s
- 3. 100 m/s
- 4. 141 m/s
- 5. 200 m/s

Work done by the spring force



 x_0 is where the spring is fully relaxed or balanced, which is usually set to be 0. Ignore all frictions.

$$W_{12} = \int_{x_1}^{x_2} F(x) dx = \int_{x_1}^{x_2} -kx dx = -\frac{1}{2} kx^2 \Big|_{x_1}^{x_2}$$
$$= \frac{1}{2} kx_1^2 - \frac{1}{2} kx_2^2 \quad (Set \ x_0 = 0)$$

The spring is relaxed at x_0 . The block is pushed against the spring to x_1 and held stationary (the spring is compressed.) Then the block is released. What is the block's velocity at x_2 ?

The spring is relaxed at x_0 . The block is pushed against the spring to x_1 and held stationary (the spring is compressed.) Then the block is released. What is the block's velocity at x_2 ?

Work done by the spring force

