Assignment 8: Time Series Analysis

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OVERVIEW

This exercise accompanies the lessons in Environmental Data Analytics (ENV872L) on time series analysis.

Directions

- 1. Change "Student Name" on line 3 (above) with your name.
- 2. Use the lesson as a guide. It contains code that can be modified to complete the assignment.
- 3. Work through the steps, **creating code and output** that fulfill each instruction.
- 4. Be sure to **answer the questions** in this assignment document. Space for your answers is provided in this document and is indicated by the ">" character. If you need a second paragraph be sure to start the first line with ">". You should notice that the answer is highlighted in green by RStudio.
- 5. When you have completed the assignment, **Knit** the text and code into a single PDF file. You will need to have the correct software installed to do this (see Software Installation Guide) Press the **Knit** button in the RStudio scripting panel. This will save the PDF output in your Assignments folder.
- 6. After Knitting, please submit the completed exercise (PDF file) to the dropbox in Sakai. Please add your last name into the file name (e.g., "Salk_A08_TimeSeries.pdf") prior to submission.

The completed exercise is due on Tuesday, 19 March, 2019 before class begins.

Brainstorm a project topic

1. Spend 15 minutes brainstorming ideas for a project topic, and look for a dataset if you are choosing your own rather than using a class dataset. Remember your topic choices are due by the end of March, and you should post your choice ASAP to the forum on Sakai.

Question: Did you do this?

ANSWER: Yes, but I haven't decided my topic quite yet.

Set up your session

2. Set up your session. Upload the EPA air quality raw dataset for PM2.5 in 2018, and the processed NTL-LTER dataset for nutrients in Peter and Paul lakes. Build a ggplot theme and set it as your default theme. Make sure date variables are set to a date format.

library(tidyverse)

```
## -- Attaching packages ------ tidyverse 1.2.1 --
## v ggplot2 3.1.0
                   v purrr
                            0.2.5
## v tibble 2.0.1
                   v dplyr
                            0.7.8
          0.8.2
## v tidyr
                   v stringr 1.3.1
## v readr
          1.3.1
                   v forcats 0.3.0
## Warning: package 'tibble' was built under R version 3.5.2
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                 masks stats::lag()
```

```
library(dplyr)
library(forcats)
library(lubridate)
## Attaching package: 'lubridate'
## The following object is masked from 'package:base':
##
##
       date
library(pander)
library(viridis)
## Loading required package: viridisLite
library(RColorBrewer)
library(colormap)
library(ggpubr)
## Loading required package: magrittr
## Attaching package: 'magrittr'
## The following object is masked from 'package:purrr':
##
##
       set_names
## The following object is masked from 'package:tidyr':
##
       extract
library(trend)
library(nlme)
## Attaching package: 'nlme'
## The following object is masked from 'package:dplyr':
##
##
       collapse
library(lsmeans)
## Loading required package: emmeans
## The 'lsmeans' package is now basically a front end for 'emmeans'.
## Users are encouraged to switch the rest of the way.
## See help('transition') for more information, including how to
## convert old 'lsmeans' objects and scripts to work with 'emmeans'.
library(multcompView)
#1
getwd()
```

Run a hierarchical (mixed-effects) model

Standardized Within-Group Residuals:

Q1

Med

Min

##

Research question: Do PM2.5 concentrations have a significant trend in 2018?

3. Run a repeated measures ANOVA, with PM2.5 concentrations as the response, Date as a fixed effect, and Site.Name as a random effect. This will allow us to extrapolate PM2.5 concentrations across North Carolina.

3a. Illustrate PM2.5 concentrations by date. Do not split aesthetics by site.

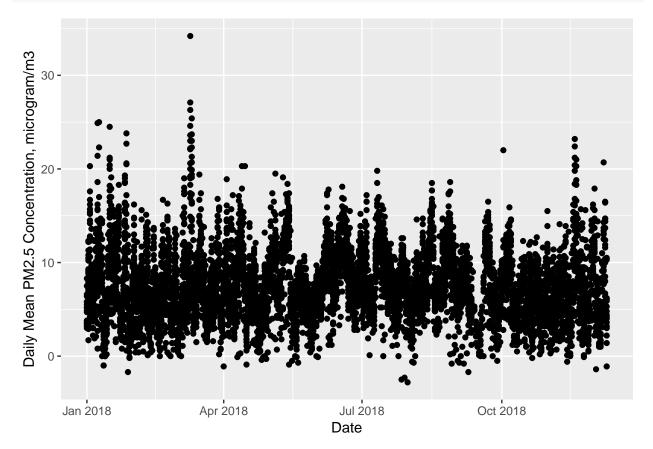
```
PMTest.mixed <- lme(data = EPAair.2018,
                     Daily.Mean.PM2.5.Concentration ~ Date,
                    random = ~1 | Site.Name, method = "REML")
summary(PMTest.mixed)
## Linear mixed-effects model fit by REML
  Data: EPAair.2018
##
          AIC
                  BIC
                          logLik
##
     40602.76 40630.51 -20297.38
##
## Random effects:
## Formula: ~1 | Site.Name
           (Intercept) Residual
##
              1.841425 3.457061
## StdDev:
##
## Fixed effects: Daily.Mean.PM2.5.Concentration ~ Date
##
                   Value Std.Error
                                      \mathsf{DF}
                                           t-value p-value
## (Intercept) 20.141836 7.382570 7586 2.728296 0.0064
               -0.000742 0.000417 7586 -1.779991 0.0751
## Date
    Correlation:
##
##
        (Intr)
## Date -0.999
##
```

QЗ

Max

```
## -3.4251256 -0.6846871 -0.1385351  0.5919707  7.9199389
##
## Number of Observations: 7611
## Number of Groups: 24

ggplot(EPAair.2018, aes(x = Date, y = Daily.Mean.PM2.5.Concentration)) +
    geom_point() +
    labs(x = "Date", y = "Daily Mean PM2.5 Concentration, microgram/m3")
```



- 3b. Insert the following line of code into your R chunk. This will eliminate duplicate measurements on single dates for each site. PM2.5 = PM2.5[order(PM2.5[,'Date'],-PM2.5[,'Site.ID']),] PM2.5 = PM2.5[!duplicated(PM2.5\$Date),]
- 3c. Determine the temporal autocorrelation in your model.
- 3d. Run a mixed effects model.

```
## (Intercept)
## 20.14183588 -0.00074241
##
## Random effects:
## Formula: ~1 | Site.Name
          (Intercept) Residual
##
## StdDev:
             1.841425 3.457061
##
## Number of Observations: 7611
## Number of Groups: 24
ACF(PMTest.auto)
##
      lag
                  ACF
## 1
       0 1.000000000
## 2
       1 0.473017989
## 3
       2 0.143093030
## 4
       3 0.060500838
## 5
       4 0.061574447
## 6
       5 0.087756109
## 7
       6 0.061116723
       7 0.007595491
## 8
## 9
       8 0.025491472
      9 0.057872193
## 10
## 11 10 0.095911195
## 12 11 0.086519308
## 13 12 0.041507759
## 14 13 0.041091743
## 15 14 0.008663124
## 16 15 -0.012810524
## 17 16 -0.016388970
## 18 17 -0.023436707
## 19 18 0.020967717
## 20 19 0.032373855
## 21 20 -0.046770645
## 22 21 -0.086974675
## 23 22 -0.045009633
## 24 23 0.014507171
## 25 24 0.046279402
## 26 25 0.021031653
## 27 26 -0.017185250
## 28 27 0.008158717
PMTest..mixed <- lme(data = EPAair.2018,
                    Daily.Mean.PM2.5.Concentration ~ Date,
                    random = ~1|Site.Name,
#
                      correlation =
#
                      corAR1(form = ~ Date|Site.Name, value = 0.473),
                    method = "REML")
summary(PMTest..mixed)
## Linear mixed-effects model fit by REML
## Data: EPAair.2018
##
         AIC
                  BIC
                         logLik
     40602.76 40630.51 -20297.38
```

```
##
## Random effects:
    Formula: ~1 | Site.Name
           (Intercept) Residual
##
## StdDev:
              1.841425 3.457061
##
## Fixed effects: Daily.Mean.PM2.5.Concentration ~ Date
                    Value Std.Error
##
                                      DF
                                            t-value p-value
## (Intercept) 20.141836 7.382570 7586 2.728296 0.0064
               -0.000742 0.000417 7586 -1.779991 0.0751
    Correlation:
##
        (Intr)
## Date -0.999
##
## Standardized Within-Group Residuals:
##
          Min
                       Q1
                                 Med
                                              QЗ
                                                         Max
## -3.4251256 -0.6846871 -0.1385351 0.5919707 7.9199389
##
## Number of Observations: 7611
## Number of Groups: 24
Is there a significant increasing or decreasing trend in PM2.5 concentrations in 2018?
     ANSWER: No.
3e. Run a fixed effects model with Date as the only explanatory variable. Then test whether the mixed effects
model is a better fit than the fixed effect model.
PMTest.fixed <- gls(data = EPAair.2018,
                     Daily.Mean.PM2.5.Concentration ~ Date,
                     method = "REML")
summary(PMTest.fixed)
## Generalized least squares fit by REML
     Model: Daily.Mean.PM2.5.Concentration ~ Date
##
##
     Data: EPAair.2018
##
         AIC
                  BIC
                          logLik
##
     41493.9 41514.71 -20743.95
##
## Coefficients:
                    Value Std.Error
                                      t-value p-value
## (Intercept) 18.382226 7.761784 2.368299 0.0179
## Date
               -0.000612 0.000439 -1.395100 0.1630
##
    Correlation:
##
##
        (Intr)
## Date -1
##
## Standardized residuals:
          Min
                       Q1
                                              QЗ
                                                         Max
                                 Med
## -2.7977378 -0.6903373 -0.1103274 0.6016182 7.2066598
##
```

Residual standard error: 3.689625

Degrees of freedom: 7611 total; 7609 residual

```
## Model df AIC BIC logLik Test L.Ratio p-value ## PMTest.mixed 1 4 40602.76 40630.51 -20297.38 ## PMTest.fixed 2 3 41493.90 41514.71 -20743.95 1 vs 2 893.1307 <.0001 Which model is better?
```

Run a Mann-Kendall test

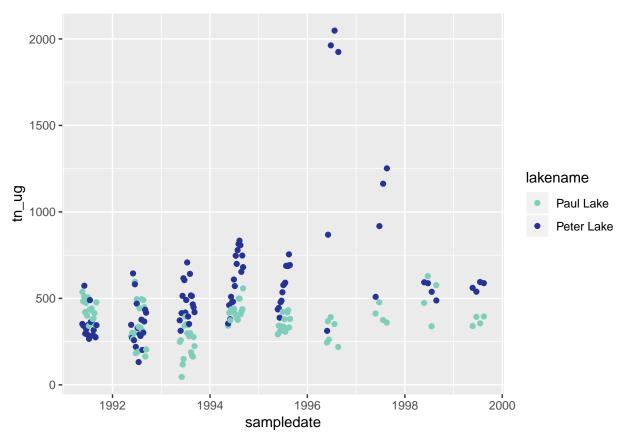
Research question: Is there a trend in total N surface concentrations in Peter and Paul lakes?

ANSWER: Mixed effect model is better as it has a lower AIC value.

4. Duplicate the Mann-Kendall test we ran for total P in class, this time with total N for both lakes. Make sure to run a test for changepoints in the datasets (and run a second one if a second change point is likely).

```
NTLnutrients.surface <-
   NTLnutrients %>%
   select(-lakeid, -depth_id, -comments) %>%
   filter(depth == 0) %>%
   filter(!is.na(tn_ug))

# Initial visualization of data
ggplot(NTLnutrients.surface, aes(x = sampledate, y = tn_ug, color = lakename)) +
   geom_point() +
   scale_color_manual(values = c("#7fcdbb", "#253494"))
```



```
# Split dataset by lake
Peter.nutrients.surface <- filter(NTLnutrients.surface, lakename == "Peter Lake")
Paul.nutrients.surface <- filter(NTLnutrients.surface, lakename == "Paul Lake")
#Mann-Kendall test
mk.test(Peter.nutrients.surface$tn_ug)
##
##
   Mann-Kendall trend test
##
## data: Peter.nutrients.surface$tn_ug
## z = 7.2927, n = 98, p-value = 3.039e-13
## alternative hypothesis: true S is not equal to 0
## sample estimates:
##
                        varS
                                      tau
## 2.377000e+03 1.061503e+05 5.001052e-01
# Pettitt Test
pettitt.test(Peter.nutrients.surface$tn_ug)
##
##
  Pettitt's test for single change-point detection
## data: Peter.nutrients.surface$tn_ug
## U* = 1884, p-value = 3.744e-10
## alternative hypothesis: two.sided
```

sample estimates:

```
## probable change point at time K
##
# Run separate Mann-Kendall for each change point
mk.test(Peter.nutrients.surface$tn_ug[1:37])
##
##
   Mann-Kendall trend test
##
## data: Peter.nutrients.surface$tn_ug[1:37]
## z = 0.4316, n = 37, p-value = 0.666
## alternative hypothesis: true S is not equal to 0
## sample estimates:
              S
                        varS
## 3.400000e+01 5.846000e+03 5.105105e-02
mk.test(Peter.nutrients.surface$tn_ug[38:98])
##
##
   Mann-Kendall trend test
##
## data: Peter.nutrients.surface$tn_ug[38:98]
## z = 2.931, n = 61, p-value = 0.003379
## alternative hypothesis: true S is not equal to O
## sample estimates:
                        varS
## 4.720000e+02 2.582333e+04 2.579235e-01
# Is there a second change point?
pettitt.test(Peter.nutrients.surface$tp_ug[38:98])
##
   Pettitt's test for single change-point detection
##
## data: Peter.nutrients.surface$tp_ug[38:98]
## U* = 378, p-value = 0.04866
## alternative hypothesis: two.sided
## sample estimates:
## probable change point at time K
# Run another Mann-Kendall for the second change point
mk.test(Peter.nutrients.surface$tn_ug[1:37])
##
##
   Mann-Kendall trend test
##
## data: Peter.nutrients.surface$tn_ug[1:37]
## z = 0.4316, n = 37, p-value = 0.666
## alternative hypothesis: true S is not equal to O
## sample estimates:
##
                        varS
                                      tau
## 3.400000e+01 5.846000e+03 5.105105e-02
mk.test(Peter.nutrients.surface$tp_ug[38:54])
##
   Mann-Kendall trend test
```

```
##
## data: Peter.nutrients.surface$tp_ug[38:54]
## z = -4.4076, n = 17, p-value = 1.045e-05
## alternative hypothesis: true S is not equal to 0
## sample estimates:
##
              S
                        varS
                                       tau
## -108.0000000 589.3333333
                               -0.7941176
mk.test(Peter.nutrients.surface$tp ug[55:98])
##
   Mann-Kendall trend test
##
## data: Peter.nutrients.surface$tp_ug[55:98]
## z = -1.2643, n = 44, p-value = 0.2061
## alternative hypothesis: true S is not equal to 0
## sample estimates:
##
                        varS
                                       tau
## -126.0000000 9775.3333333
                               -0.1331924
# Run the same test for Paul Lake
mk.test(Paul.nutrients.surface$tn_ug)
##
##
   Mann-Kendall trend test
##
## data: Paul.nutrients.surface$tn ug
## z = -0.35068, n = 99, p-value = 0.7258
## alternative hypothesis: true S is not equal to 0
## sample estimates:
##
               S
                          varS
## -1.170000e+02 1.094170e+05 -2.411874e-02
pettitt.test(Paul.nutrients.surface$tn_ug)
##
##
   Pettitt's test for single change-point detection
##
## data: Paul.nutrients.surface$tn_ug
## U* = 704, p-value = 0.09624
## alternative hypothesis: two.sided
## sample estimates:
## probable change point at time K
                                16
```

What are the results of this test?

ANSWER: For Peter Lake: The Pettitt Test showed two change points needing to be taken into account. After doing so, the separate Mann-Kendall test results show negative z-scores indiciating there is a negative trend amongst the data. For only the middle portion of the data is there a monotonic trend, and for the beginning and end portions there is not as indicated by the p-values > 0.05. For Paul Lake: The low, negative z-score associated with the test indiciates there is a slight negative trend amongst the data. The p-value > 0.05 indicates we should not accept the alternative hypothesis that there is a monotonic trend in the data (z = -0.35068, p-value = 0.7258). The Pettitt Test also has non-significant p-value indicating there is no significant change point to needed to be taken into account (p-value = 0.09624).

5. Generate a graph that illustrates the TN concentrations over time, coloring by lake and adding vertical

line(s) representing changepoint(s).

```
# Add vertical lines to the original graph to represent change points
ggplot(NTLnutrients.surface, aes(x = sampledate, y = tn_ug, color = lakename)) +
   geom_point() +
   scale_color_manual(values = c("#7fcdbb", "#253494")) +
   geom_vline(xintercept = as.Date("1993-06-02"), linetype="dashed", color="#253494", size=1) +
   geom_vline(xintercept = as.Date("1994-06-01"), linetype="dashed", color="#253494", size=1) +
   labs(x = "Sample Date", y = "Total Nitrogen, micrograms", color = "Lake Name")
```

