

EECS 496: Sequential Decision Making

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Recap

- Graphplan is a ____ planner that combines: (i) _____, (ii) _____ and (iii) _____.
- What is a layered plan?
- When is a layered plan valid?
- Is every POP a layered plan?
- Why is it useful to consider layered plans as the solution space?
- What is the connection between planning and reachability analysis?
- Each “state” of the planning graph represents a ____ of _____. These are the results of ____ sequence of ____ of a fixed _____.
- The planning graph construction has alternate _____ and _____ layers. The first layer has _____.
- To grow the action layer, we consider _____. Then we _____ to get the next layer.
- What are maintenance actions? Why are they important?
- The planning graph has two key advantages: (i) _____ and (ii) _____.

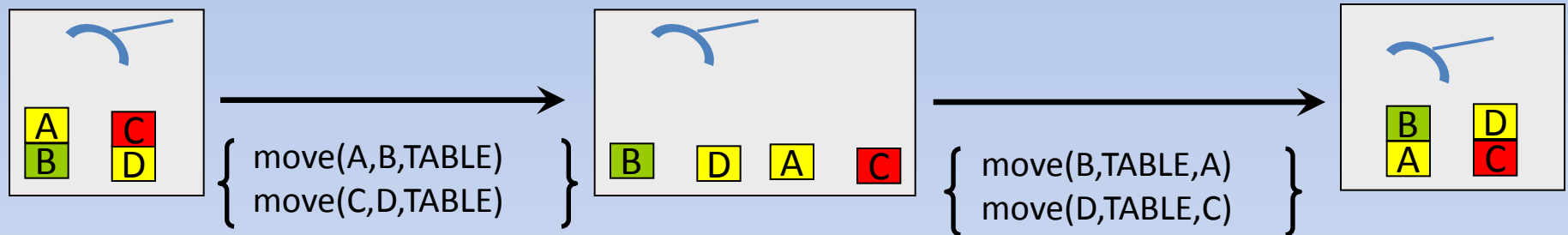
Today

- Graphplan

Graphplan (Blum and Furst 1994)

- A state-space planner that combines three key ideas:
 1. Layered Plans
 2. The Planning Graph
 3. Action Independence
- To create a fast general purpose planning algorithm
 - A basis for many state-of-the-art general purpose planners today

1. Layered Plan

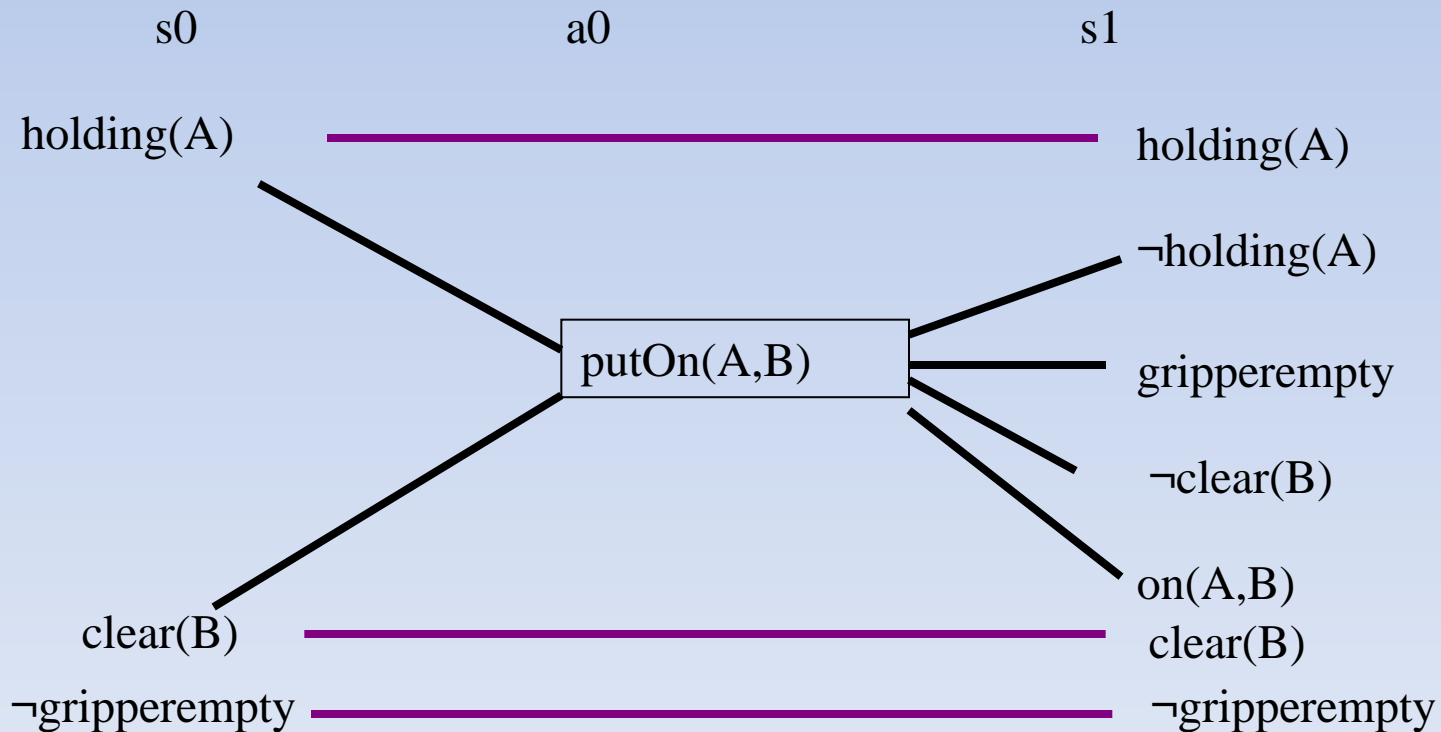


Planning Graph

putOn(A,B)

precondition: holding(A), clear(B)

effect: \neg holding(A), \neg clear(B), on(A,B), clear(A), gripperempty



3. Action Independence

- Key insight: By analyzing the action specifications, we can determine which actions can be executed at the same time and which can not
- This constrains the search for layered plans

3. Action Independence

- Two actions are **independent** iff the **delete** effects of one do not interfere with either the **preconditions** or the **add** effects of the other
 - Consequence: these actions can be done in any order and the same state will result
- Valid layered plans can only include independent actions in each layer

3. Dependent Actions

- If two actions a and b are not independent, then
 - a deletes an add effect of b : result state depends on order
 - a deletes a precondition of b : $b < a$
 - (vice versa for b)

3. Mutual Exclusion (“Mutex”) Relations

- Mutex relations track:
 - Propositions that can’t simultaneously be true at some level of the graph
 - Actions that can’t simultaneously be executed at some level of the graph
- Graphplan maintains all *pairwise* mutex relations as it works

3. Mutex Relation 1: Actions

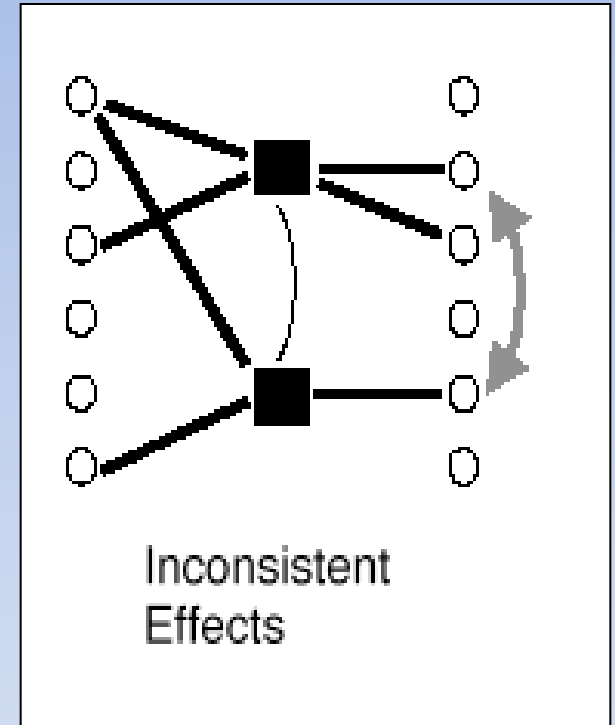
- Inconsistent effects
 - An effect of one negates an effect of the other
- E.g., putOn(A,B) & takeOff(A,B)



add gripperempty



delete gripperempty
(add \neg gripperempty)



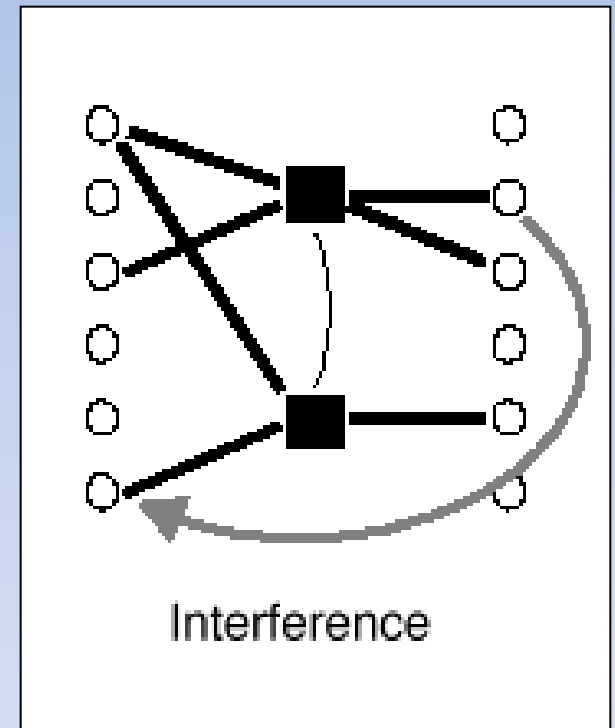
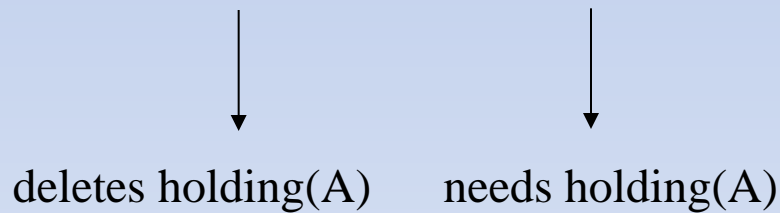
Inconsistent
Effects

3. Mutex Relation 2: Actions

- Interference

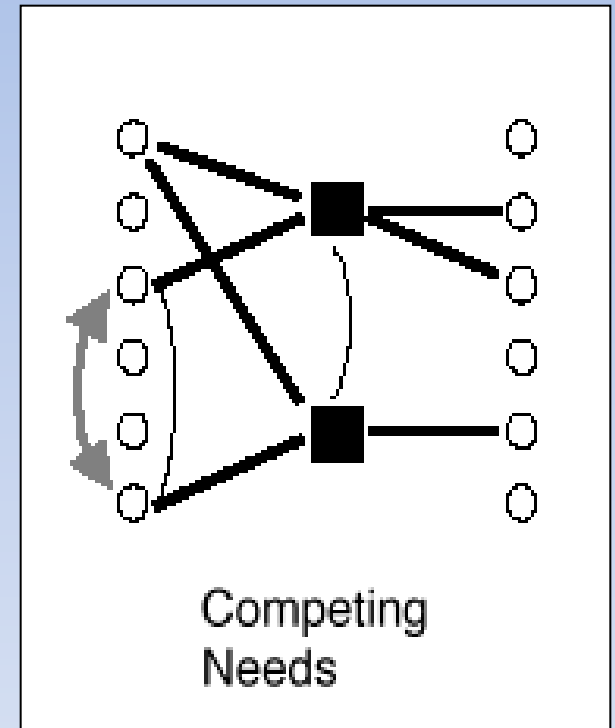
- An effect of one deletes a precondition of the other

- E.g., putOn(A,B) & putDown(A)



3. Mutex Relation 3: Actions

- Competing needs
 - They have mutually exclusive preconditions



3. Mutex Relations: Actions

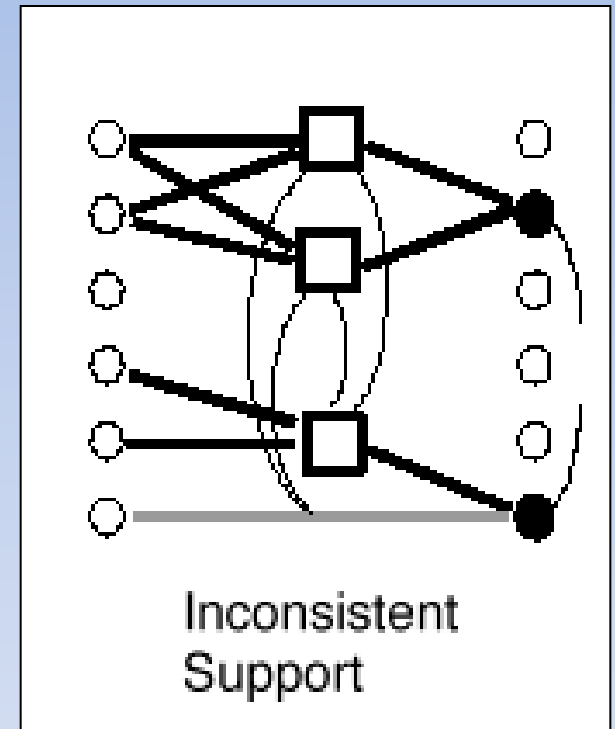
- Two actions a and b are mutex at level i of the plan graph if
 - a and b are dependent, **or**
 - A precondition of a is mutex with a precondition of b

3. Mutex Relations: Propositions

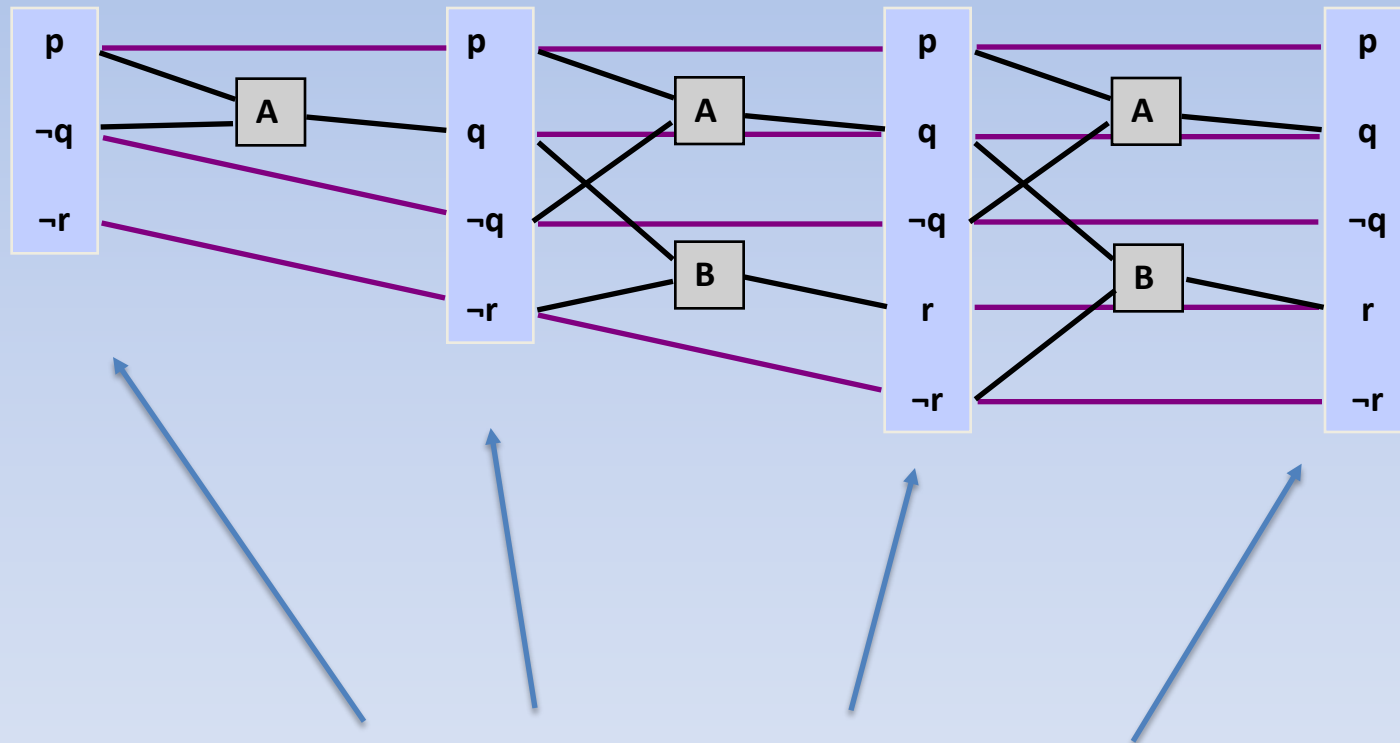
- One is the negation of the other
E.g., gripperempty and \neg gripperempty

3. Mutex Relations: Propositions

- Two propositions p and q ($\neq \neg p$) have ***inconsistent support*** at level i of the plan graph if:
 - There is no action at level i that produces both p and q **and**
 - Every action that produces p is mutex with every action that produces q

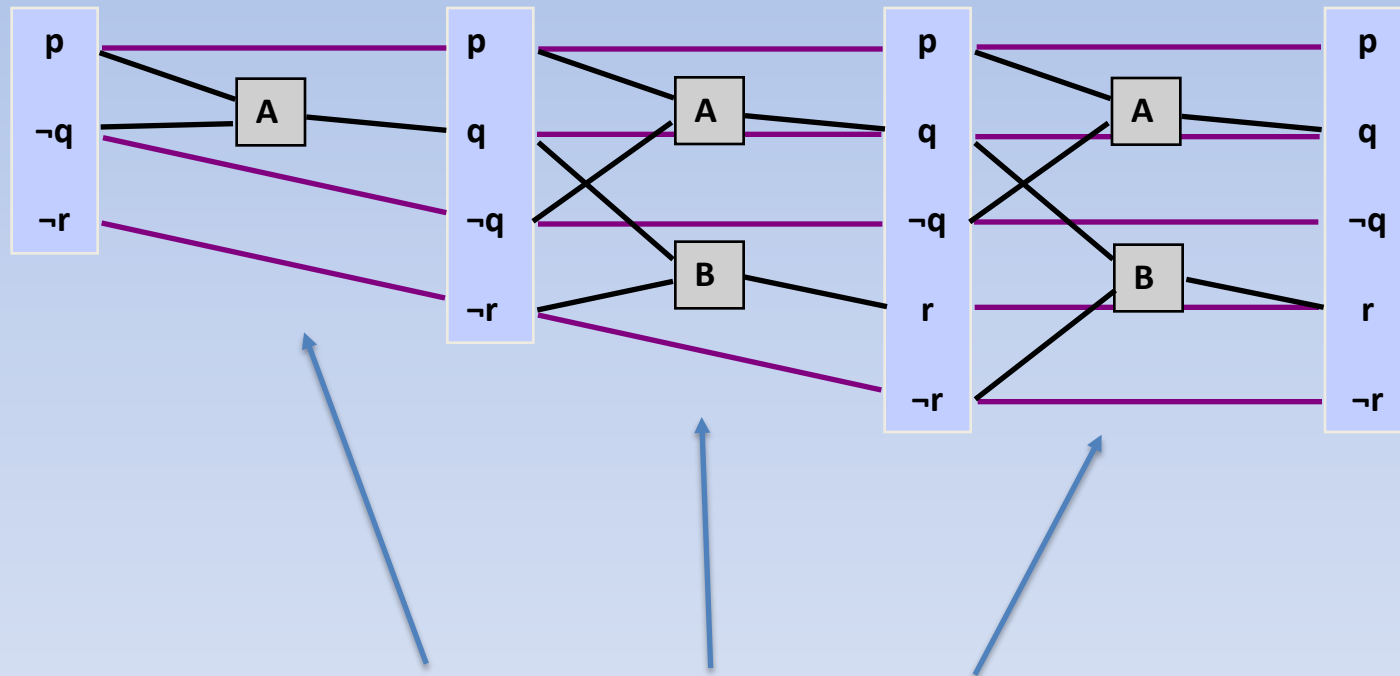


Key properties of Planning Graph: 1



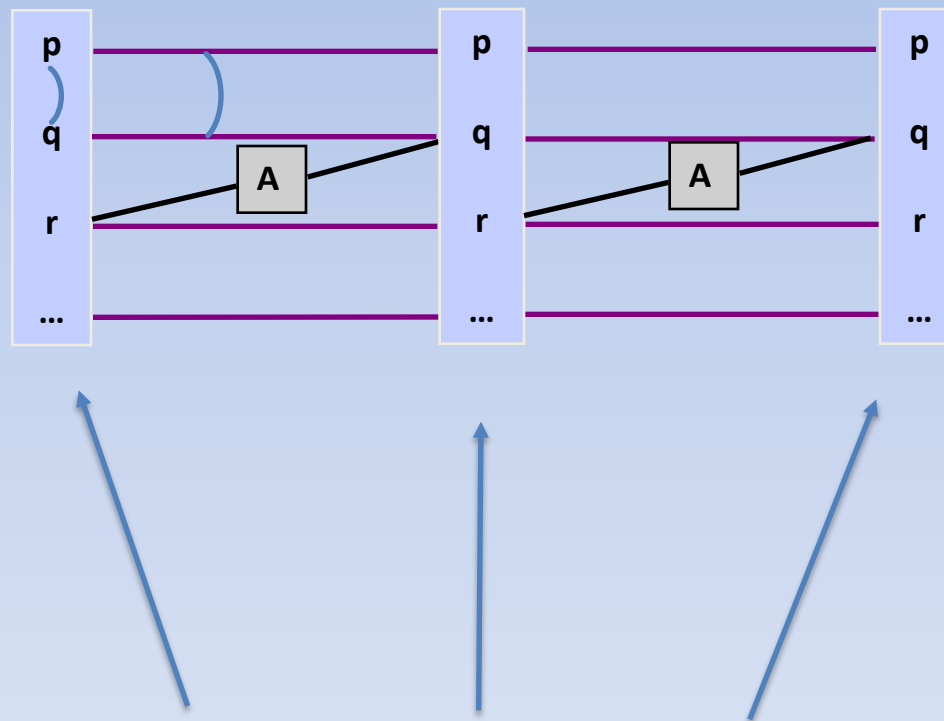
Propositions monotonically increase
(always carried forward by maintenance actions)

Key properties of Planning Graph: 2



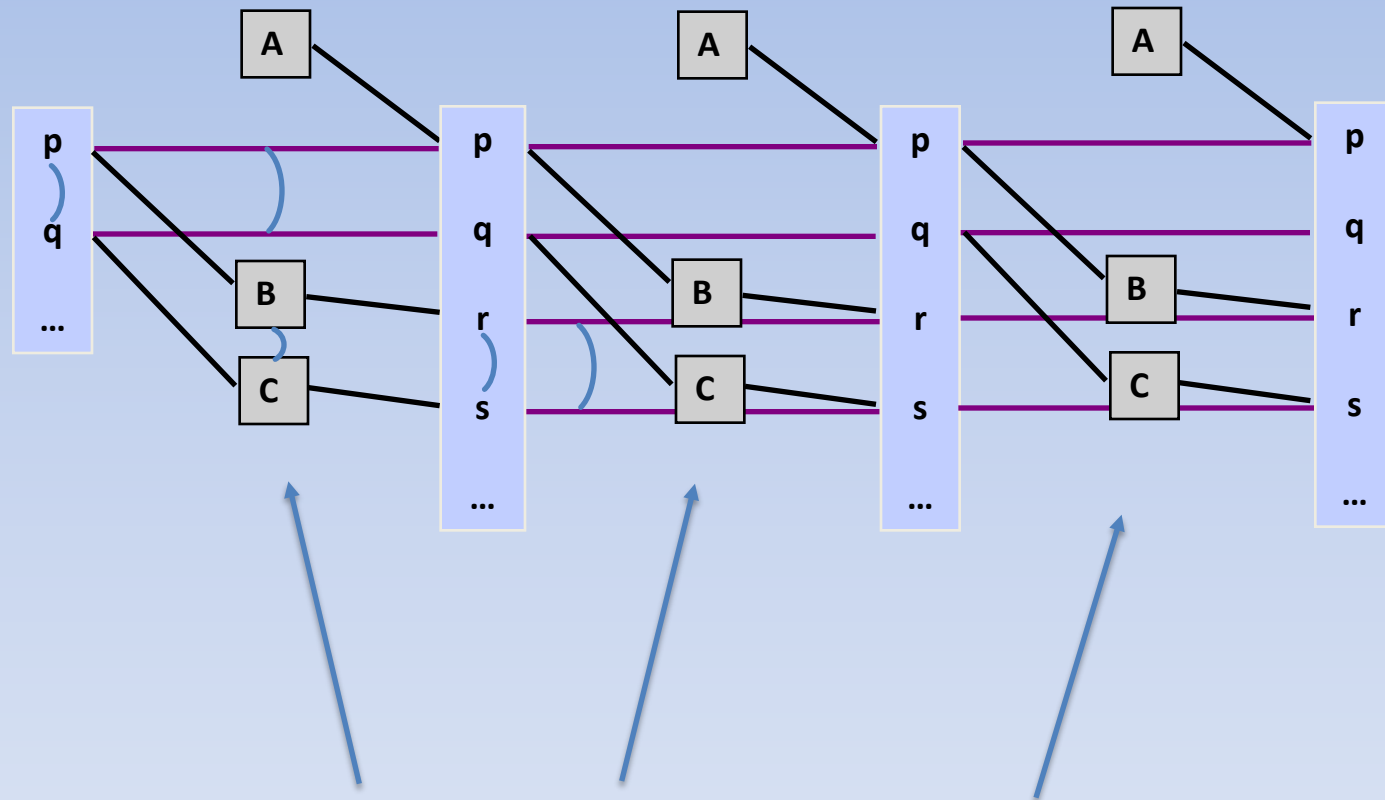
Actions monotonically increase

Key properties of Planning Graph: 3



- Proposition mutex relationships monotonically decrease
- Specifically, if p and q are in layer n and are not mutex then they will not be mutex in future layers.

Key properties of Planning Graph: 4



Action mutex relationships monotonically decrease

Key properties of Planning Graph: 5

Planning Graph “levels off”

- After some time k all levels are identical
- This is because there are a finite number of propositions and actions, the set of propositions never decreases and mutexes don't reappear.

Key Properties of Planning Graph: 6

- A goal g is reachable from the initial state only if all propositions in g appear in some level of the plan graph and none of them are mutex
(*)
 - Necessary, not sufficient

Key Properties of Planning Graph: 7

- The size of the planning graph is polynomial in the size of the planning problem (see book)

Graphplan Algorithm

- Initialize the planning graph with initial state
- While not done
 - *Expand* the planning graph by one level
 - If new level is identical to old level (including mutexes), FAIL
 - If new level satisfies (*), check for solution
 - If found, stop
 - Else go to step 1

Expanding a Planning Graph

- Add an action layer
 - If all preconditions are in the previous layer and all nonmutex, add the action
- Add proposition layer
 - Add all effects of all actions in the action layer (including maintenance actions)
- Add action mutexes for new layer
- Add proposition mutexes for new layer

Solution Extraction

- If goals present and non-mutex
 - Choose any actions that satisfy the goals
 - Add actions' preconditions to new goals
 - Repeat until initial state is reached, or some level is reached where mutex relations hold

Example – Dinner Date

due to Dan Weld (U. of Washington)

- You want to prepare a surprise for your friend, who is asleep. The house is quiet and you've washed your hands. You need to make dinner, wrap a present and take out the garbage.

Example – Dinner Date

- Initial State: {cleanHands, quiet}
- Goal: {dinner, present, noGarbage}

• <u>Action</u>	<u>Preconditions</u>	<u>Effects</u>
cook	cleanHands	dinner
wrap	quiet	present
carry	<i>none</i>	noGarbage, \neg cleanHands
dolly	<i>none</i>	noGarbage, \neg quiet