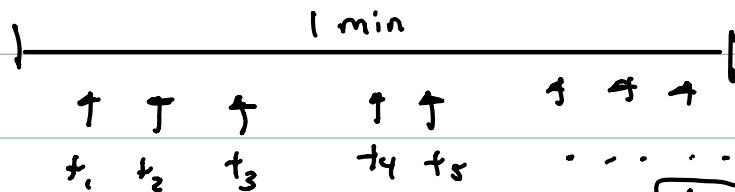


$\lambda = 10 \text{ process/min}$



$t_{1000} \approx 50 \text{ min}$

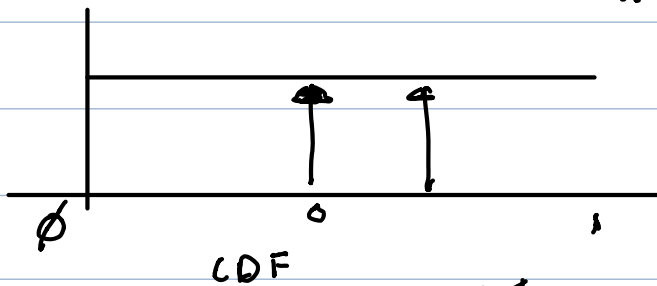
$\text{rand}()$

arrival  
of processes

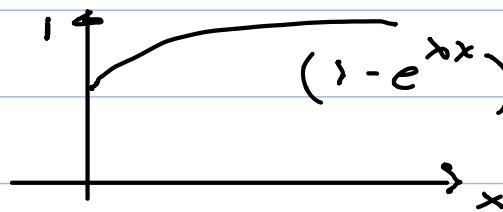
$\text{randmax}$

getting numbers up  
to that point

$y = \text{rand}();$



$\text{Pr}(X \leq x)$



we just  
need to find  $x$

Using poisson distribution to determine

• Question 6

• switching 2 processes show increased waiting time.

## Real-time Scheduling

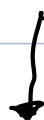
• Results must be produced by a specific deadline.

• Soft real time

• Hard real time

meeting deadlines are  
desireable

you can't miss a  
deadline



How to provide real time scheduling?

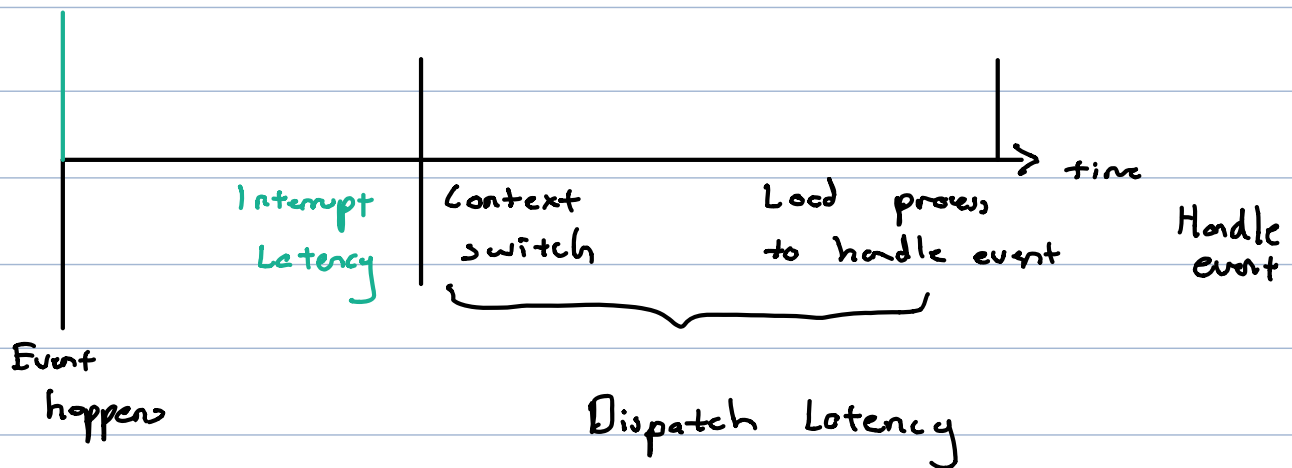
1 → Preemptive Priority-based scheduler

2 → Preemptive Kernel

↳ Allows preemption of processes executing kernel code.

con: complex to design

3 → Minimizing Latency

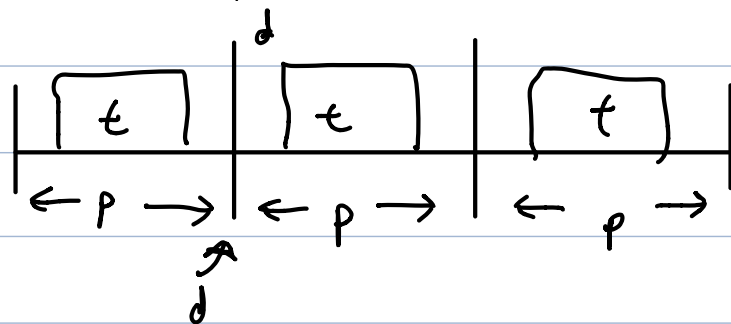


Consider Periodic tasks / processes

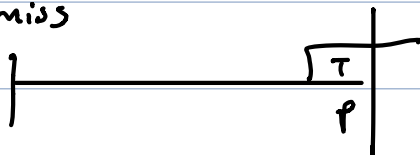
period  $p$

deadline  $d$

service  $t$



miss



• Assume schedulers know  $p, t, d$  for all processes and they are fixed

• Schedulers are designed to admit / reject processes

# Rate Monotonic Scheduler [RMS]

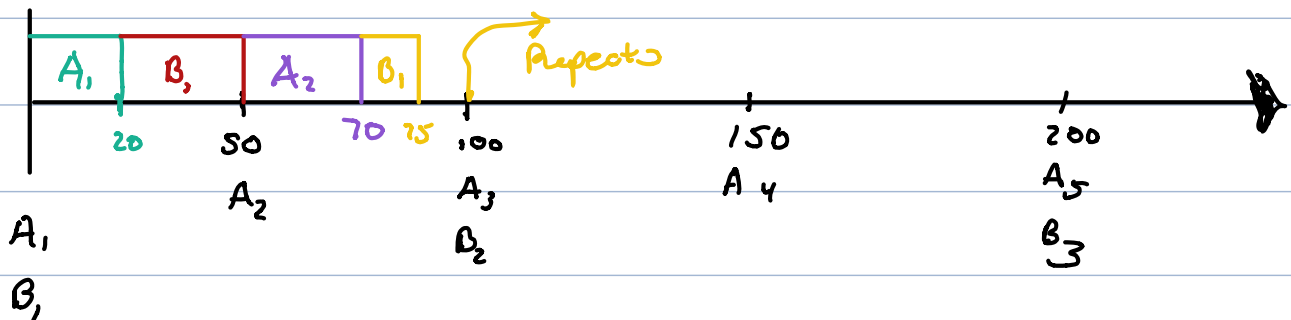
Static Priority w/ Preemption priority is inversely based on period  
 Shorter period = Higher priority

Higher best → lower process  
 $\downarrow$   
 $\frac{1}{P}$

$$A(t, p) \quad \left. \begin{array}{l} A(20, 50) \\ B(35, 100) \end{array} \right\} \quad \frac{20}{50} + \frac{35}{100} = \frac{75}{100}$$

Any time A & B compete  
 A will win

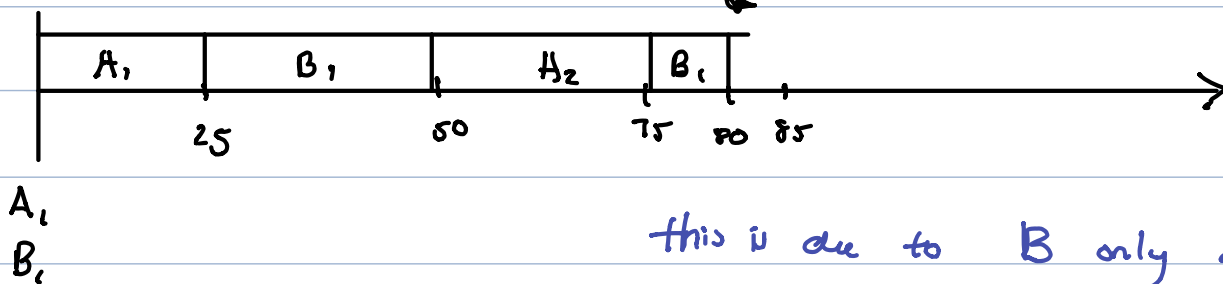
since it's less than 1  
 it can be scheduled  
 75% busy



Next example

$$\left. \begin{array}{l} A(25, 50) \\ B(35, 80) \end{array} \right\} \quad \frac{25}{50} + \frac{35}{80} = 0.94$$

B miss deadline



this is due to B only allowed  
 to finish within 80

## AMS Bound

$n$  processes

$$n=1 \rightarrow 1$$

$$n(2^{1/n} - 1)$$

$$n=2 \rightarrow 0.82$$

$$n=3 \rightarrow 0.779$$

$$n=\infty \rightarrow 0.69$$

If it is above the bound you would need to test which condition work

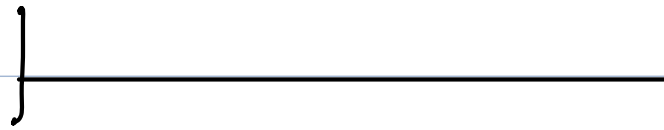
• When AMS below it will always meet the deadline at hand.

→ AMS is optimal under static-priority scheme

A ( $t_a, p_a$ )

B ( $t_b, p_b$ )

C ( $t_c, p_c$ )



$X > 1$  Impossible

$$\frac{t_a}{p_a} + \frac{t_b}{p_b} + \frac{t_c}{p_c} \dots = X$$

$AMS < X < 1$  we don't know

$X < AMS$  works

ex// A (20, 100)

B (40, 150)

C (100, 350)

$$\frac{20}{100} + \frac{40}{150} + \frac{100}{350} = 0.753$$

$$0.753 < 0.779$$

All process meet deadline.

Lets take the case

$$\frac{25}{50} + \frac{30}{80} \quad \text{Check LCD}$$

which in this case would be 400

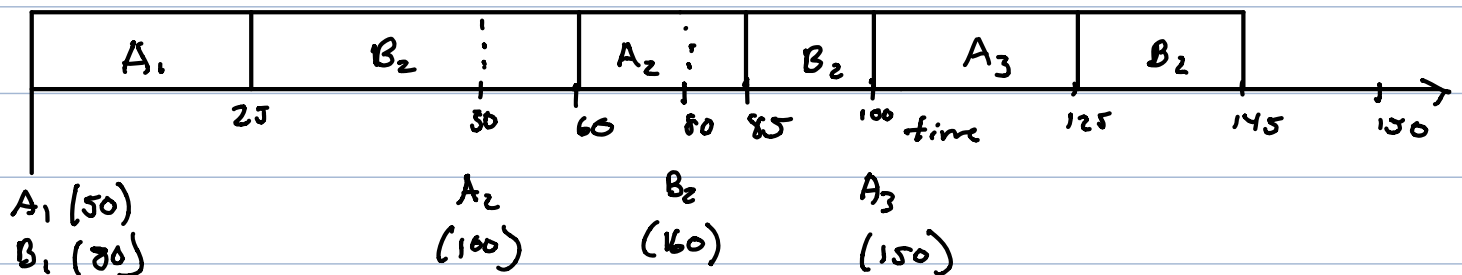
## [2] Earliest Deadline First [EDF]

The earlier the deadline, higher the priority (dynamically assigned)

ex/1

$A(25, 50)$

$B(35, 80)$



↑ since A2

has deadline of

100 that's how it picks

## [3] Proportional Share Schedules

$T_{\text{shares}}$

A = 50

B = 20

C = 15

shares  
↓

$T = 100$

Q7