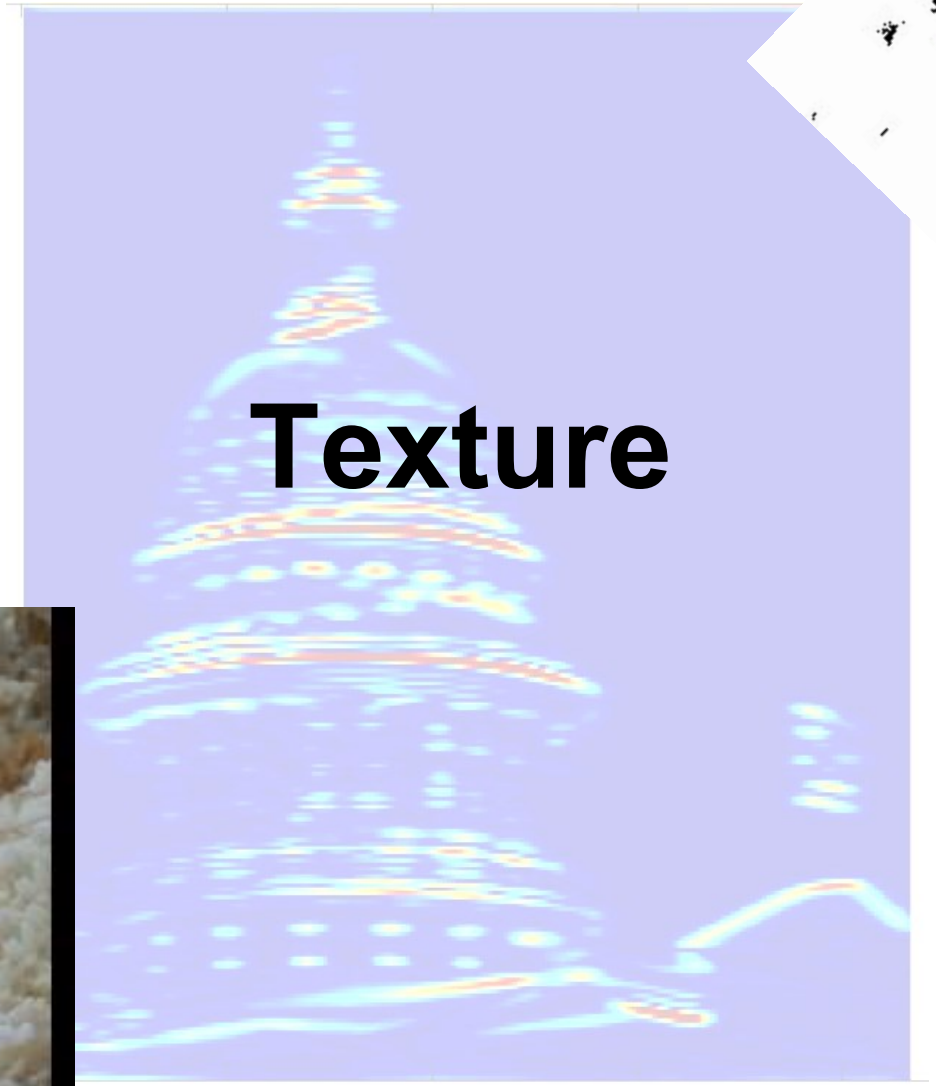
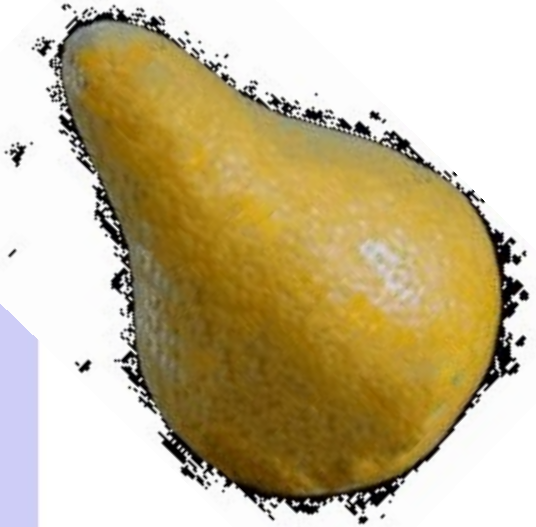
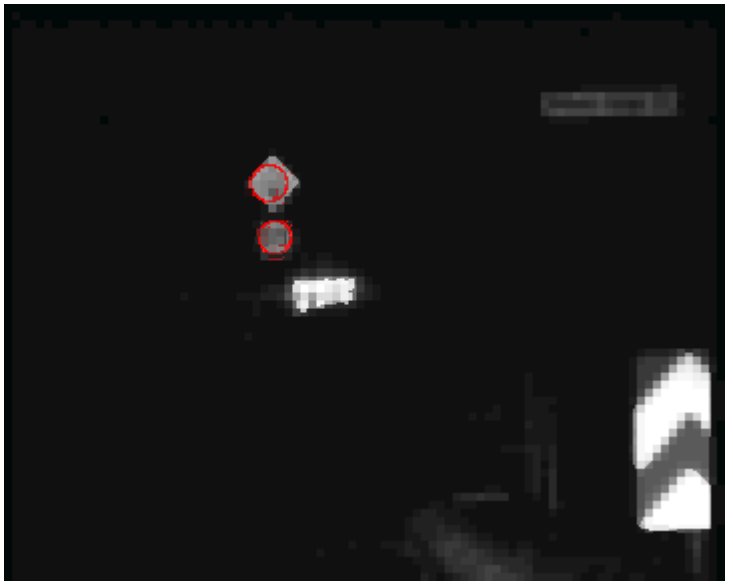
Texture



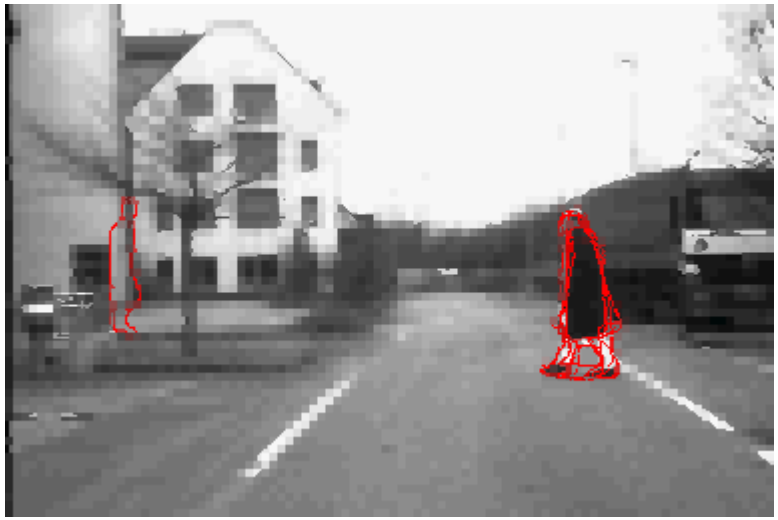


Chamfer matching system



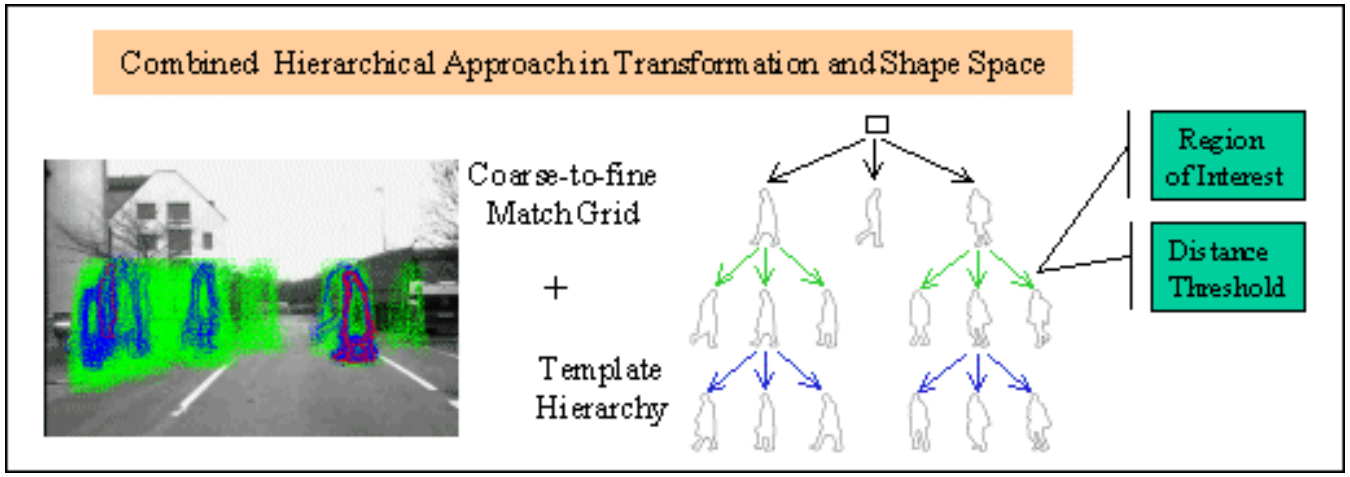
- Gavrila et al.
  http://gavrila.net/Research/Chamfer_System/chamfer_system.html

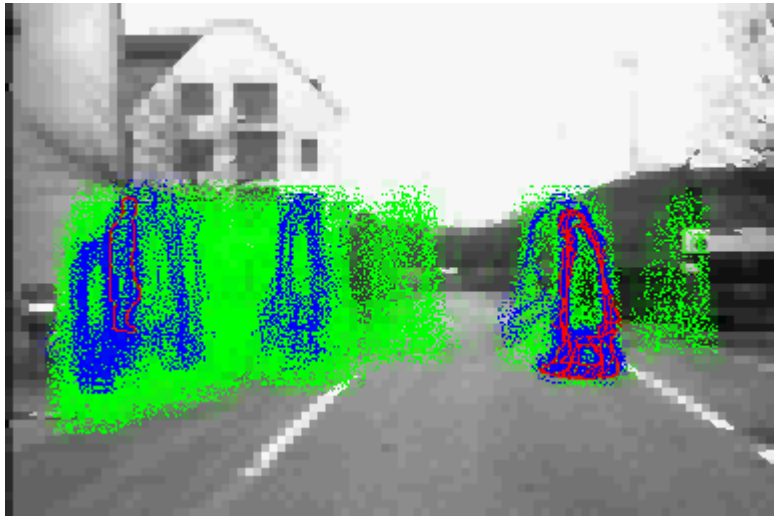
Chamfer matching system



- Gavrila et al. http://gavrila.net/Research/Chamfer_System/chamfer_system.html

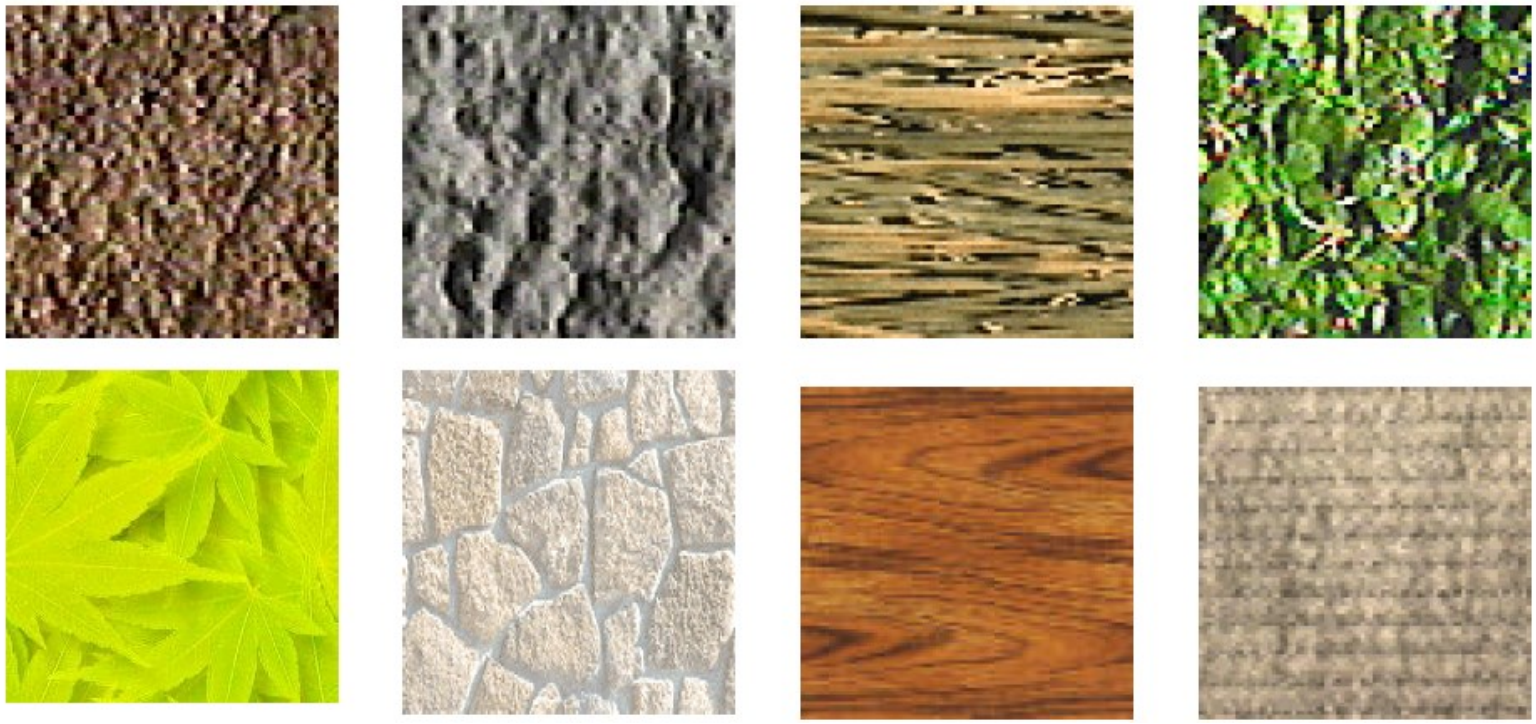
Chamfer matching system





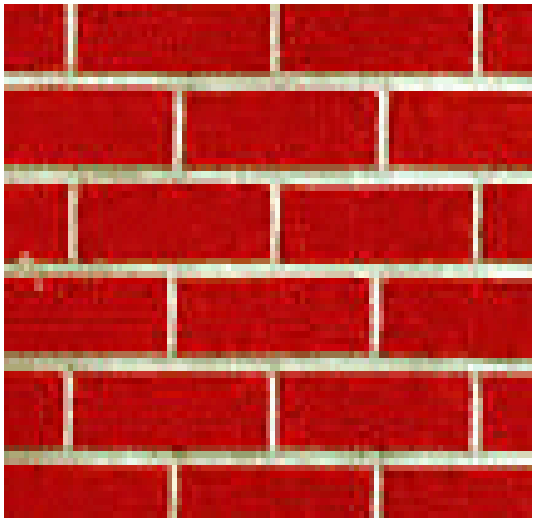
- Gavrila et al. http://gavrila.net/Research/Chamfer_System/chamfer_system.html

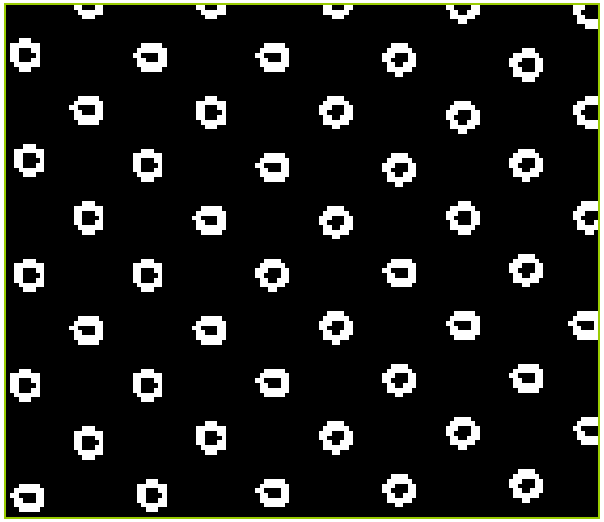
Today: Texture

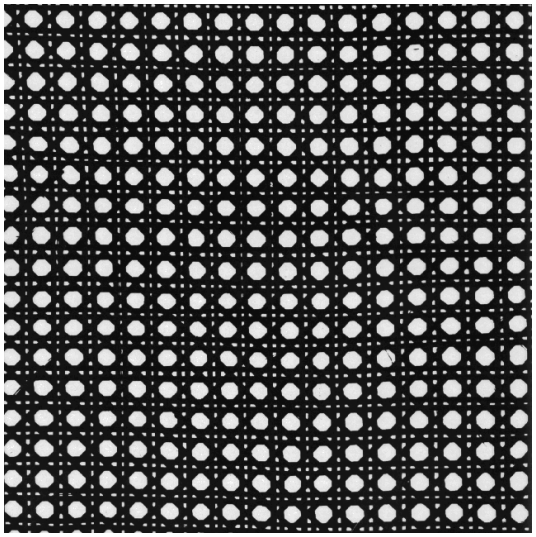


What defines a texture?

Includes: more regular patterns

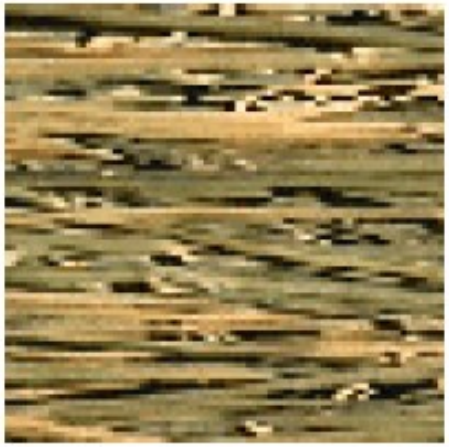
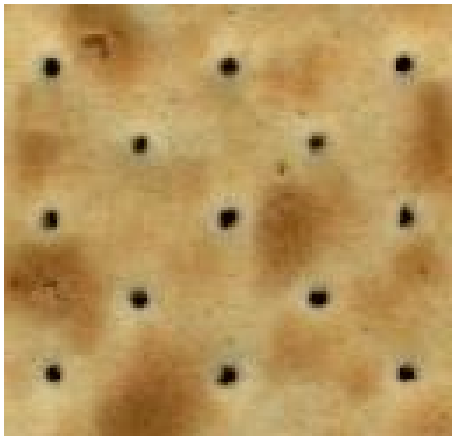






Includes: more random patterns



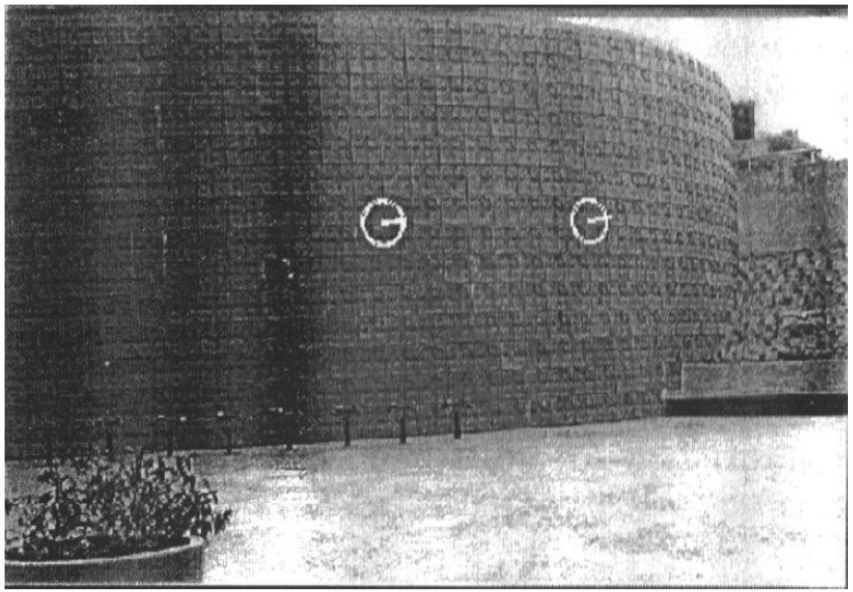



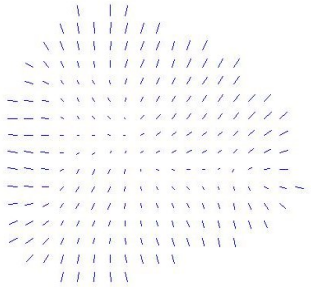
Texture-related tasks

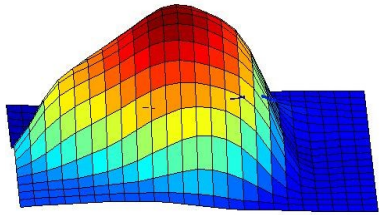
- **Shape from texture**
  - Estimate surface orientation or shape from image texture

Shape from texture

- Use deformation of texture from point to point to estimate surface shape





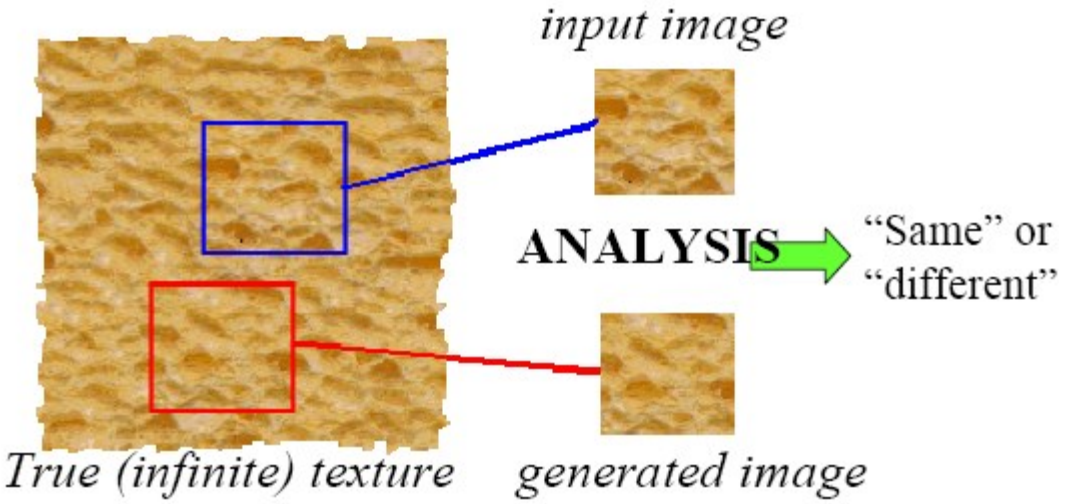


Pics from A. Loh: http://www.csse.uwa.edu.au/~angie/phdpics1.html

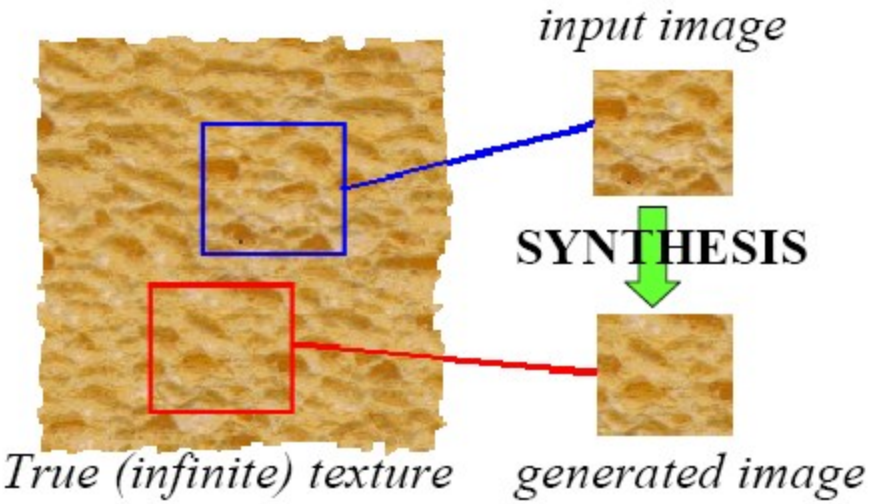
Texture-related tasks

- **Shape from texture**
  - Estimate surface orientation or shape from image texture
- **Segmentation/classification** from texture cues
  - Analyze, represent texture
  - Group image regions with consistent texture
- **Synthesis**
  - Generate new texture patches/images given some examples

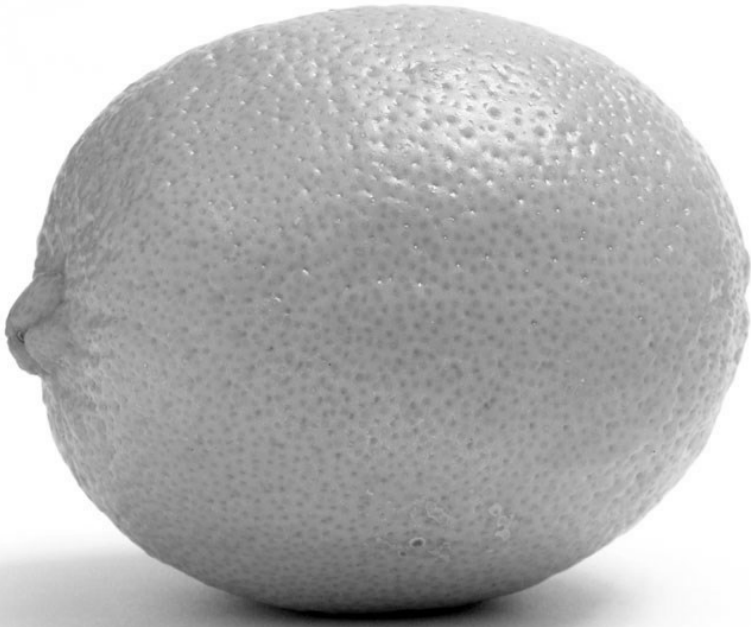
Analysis vs. Synthesis

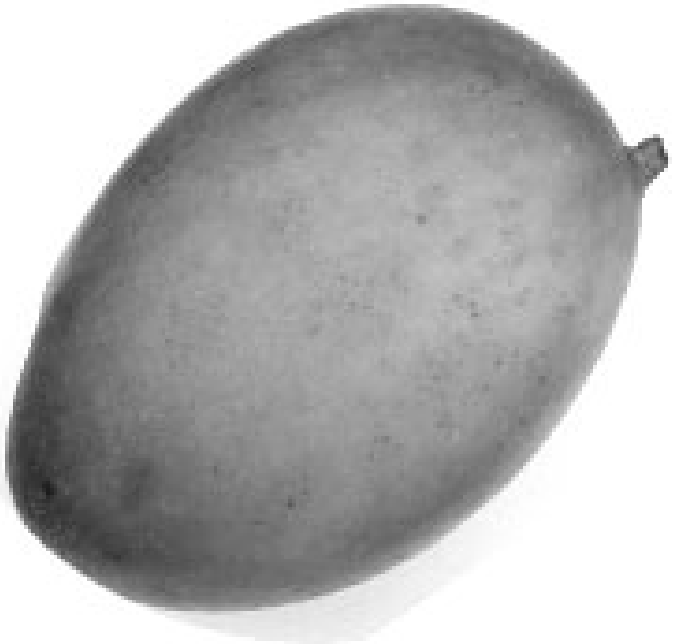


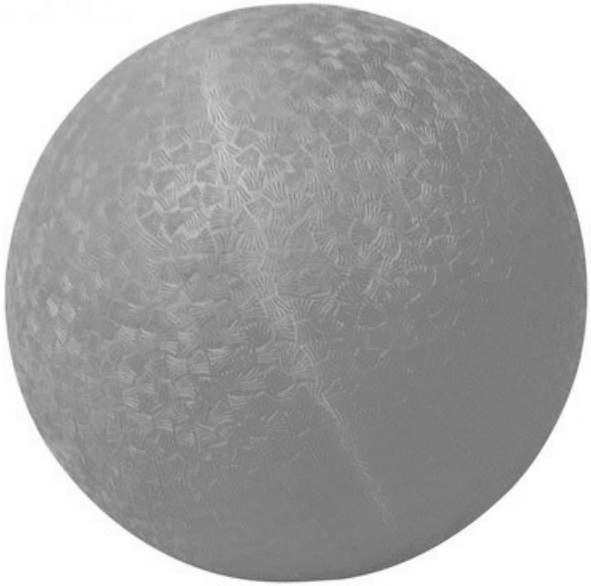
Why analyze texture?



Images:Bill Freeman, A. Efros







http://animals.nationalgeographic.com/

What kind of response will we get with an edge detector for these images?

Images from Malik and Perona, 1990

…and for this image?

Image credit: D. Forsyth

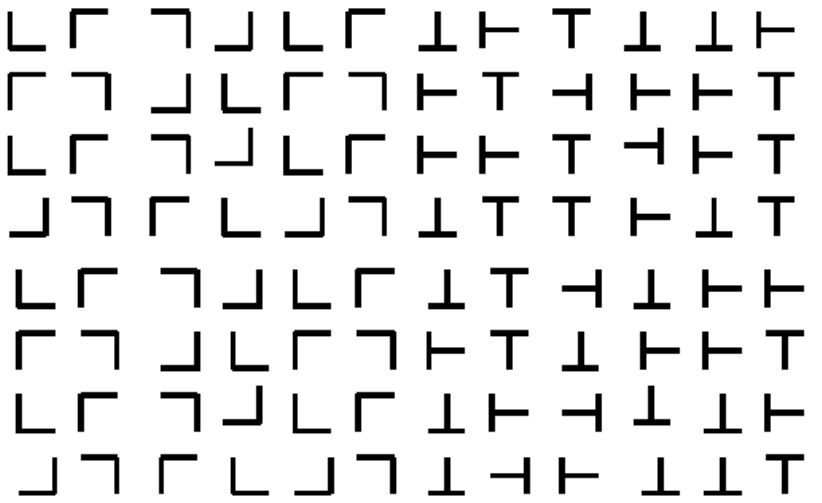
Why analyze texture?

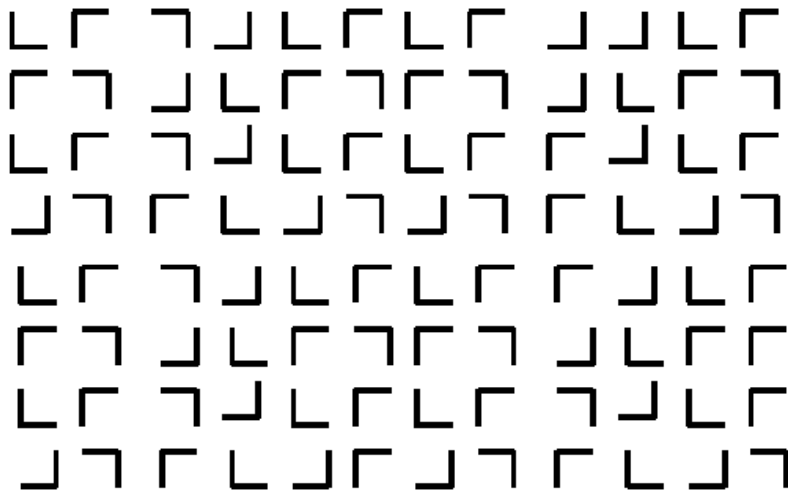
Importance to perception:

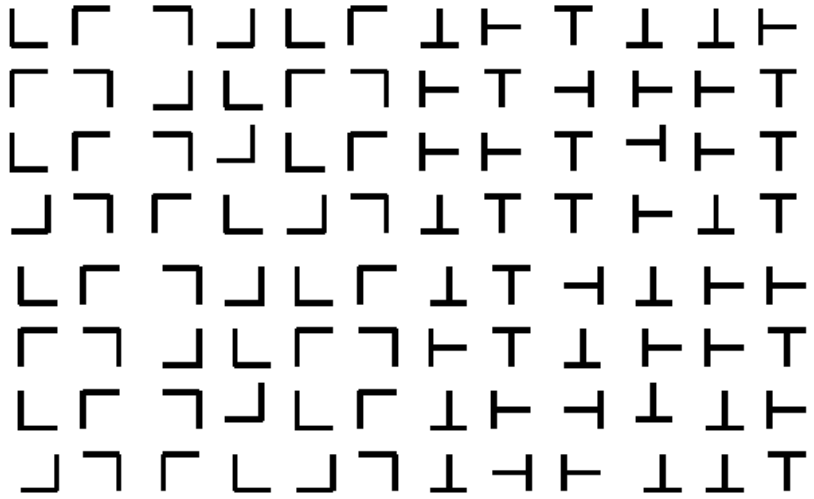
- Often indicative of a material's properties
- Can be important appearance cue, especially if shape is similar across objects
- Aim to distinguish between shape, boundaries, and texture

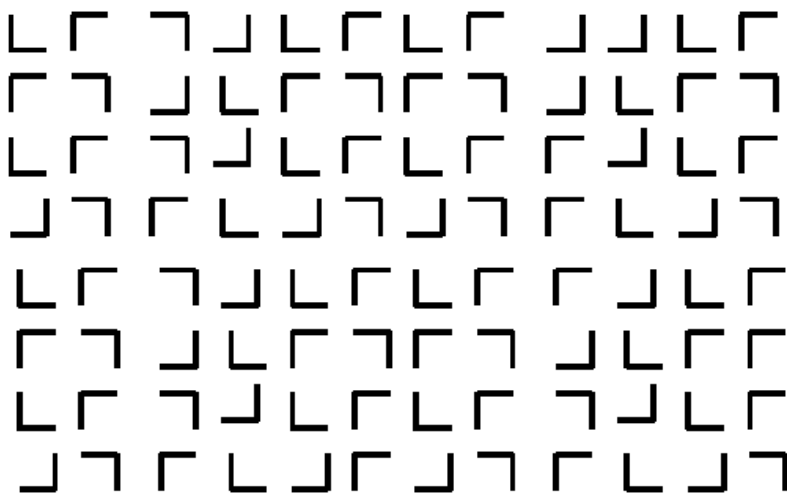
Technically:

- Representation-wise, we want a feature one step above "building blocks" of filters, edges.

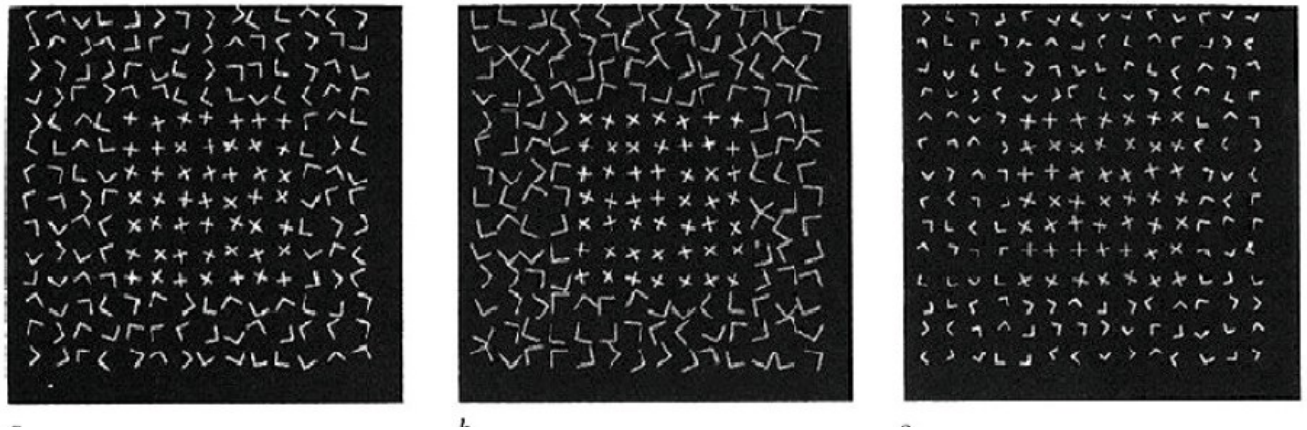








Capturing the local patterns with image measurements



[Bergen & Adelson, *Nature* 1988]

Scale of patterns influences discriminability

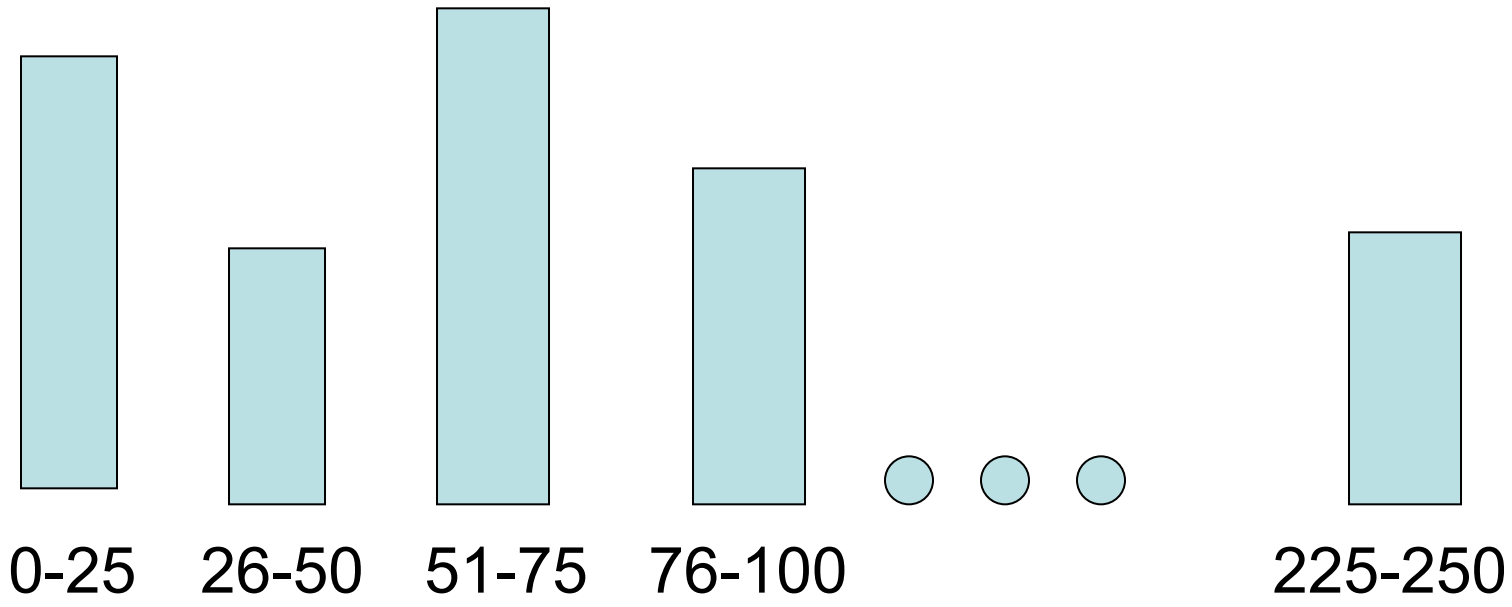
Size-tuned linear filters

Texture representation

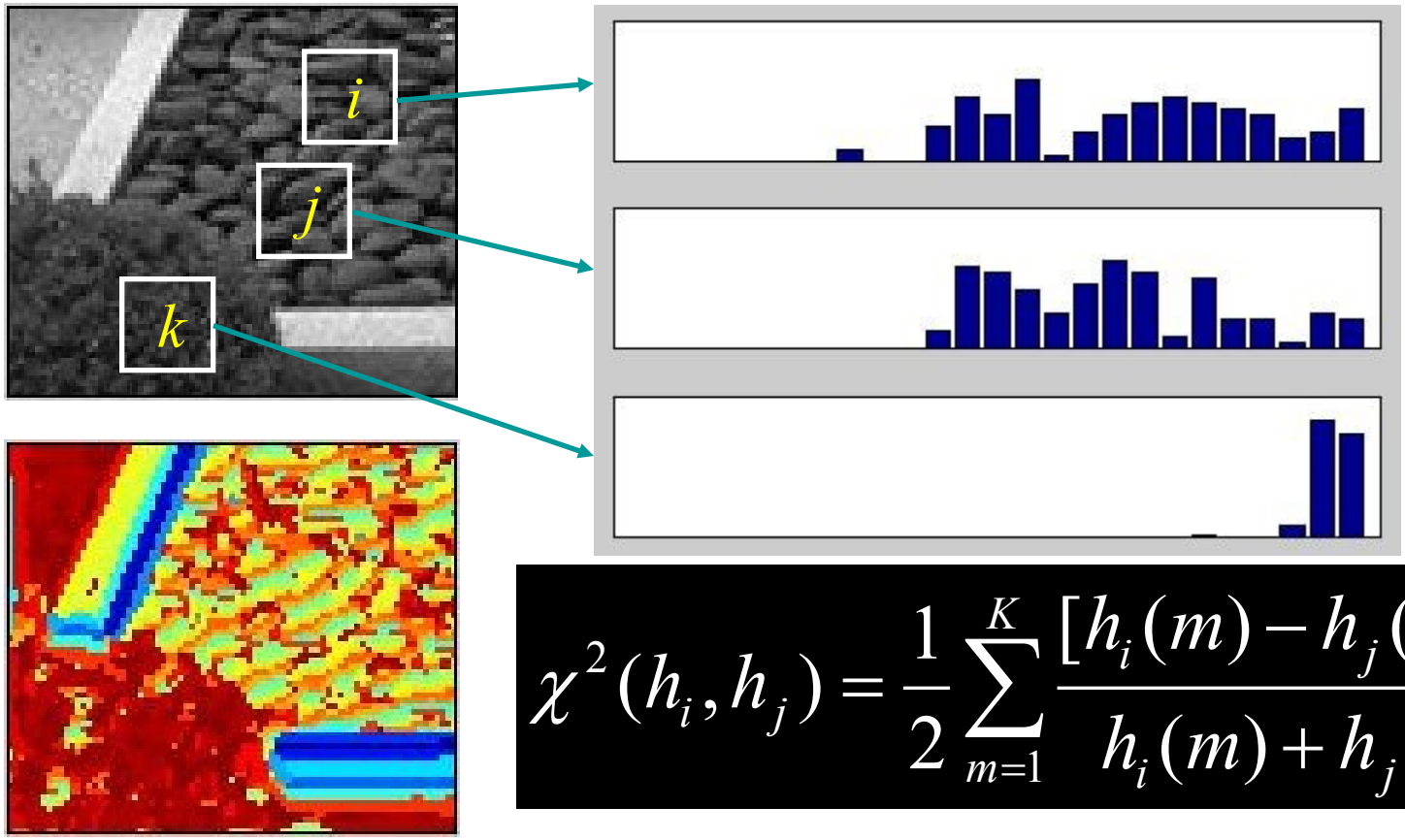
- Textures are made up of repeated local patterns, so:
  - Find the patterns
    - Use filters that look like patterns (spots, bars, raw patches…)
    - Consider magnitude of response
  - Describe their statistics within each local window
    - Mean, standard deviation
    - Histogram
    - Histogram of “prototypical” feature occurrences

Simplest Texture Discrimination

- Compare histograms.
  - Divide intensities into discrete ranges.
  - Count how many pixels in each range.



Chi square distance between texton histograms

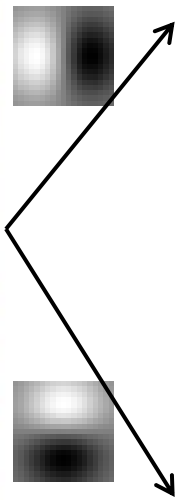


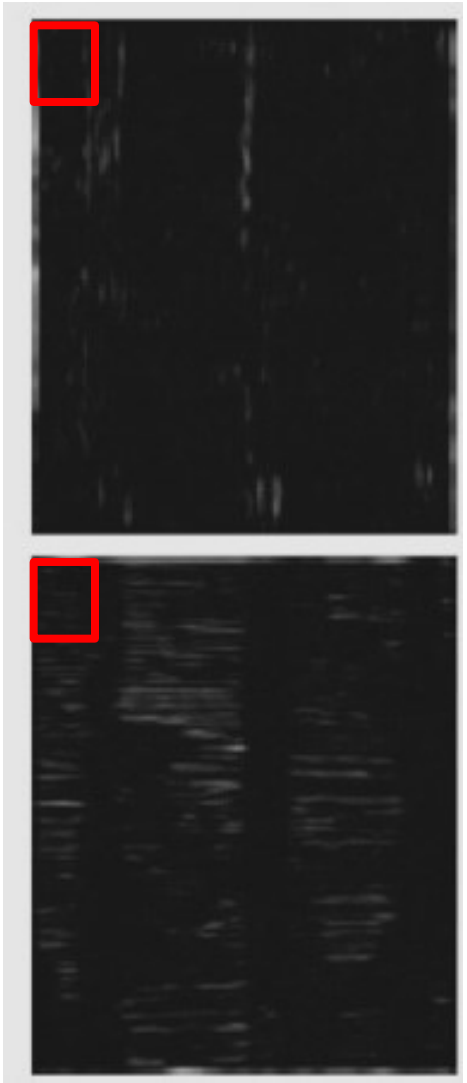
$$\chi^2(h_i, h_j) = \frac{1}{2}\sum_{m=1}^{K}\frac{[h_i(m) - h_j(m)]^2}{h_i(m) + h_j(m)}$$

(Malik)

Texture representation: example

original image





derivative filter responses, squared

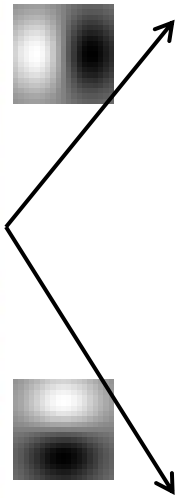
	mean d/dx value	mean d/dy value
Win. #1	4	10

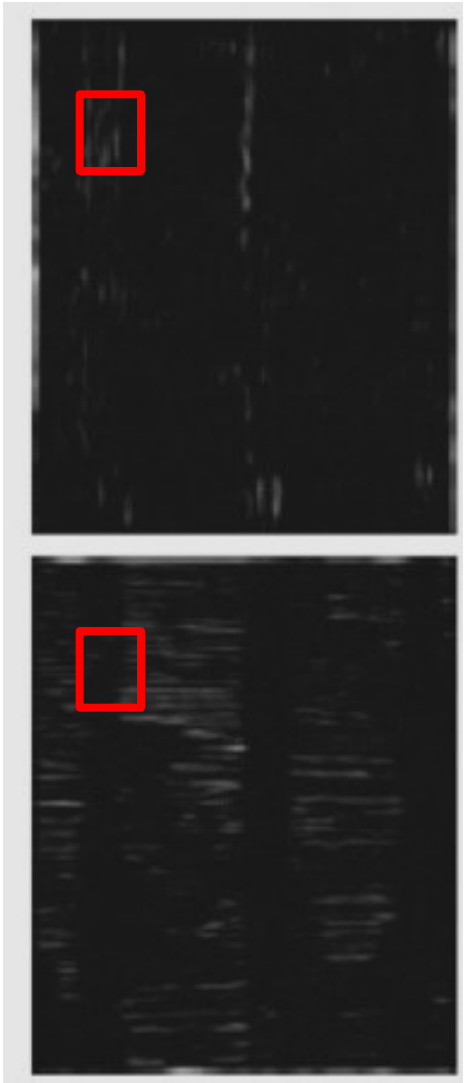
⋮

statistics to summarize patterns in small windows

Texture representation: example

original image





derivative filter responses, squared

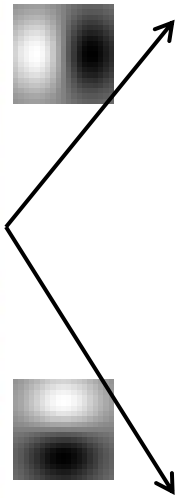
	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7

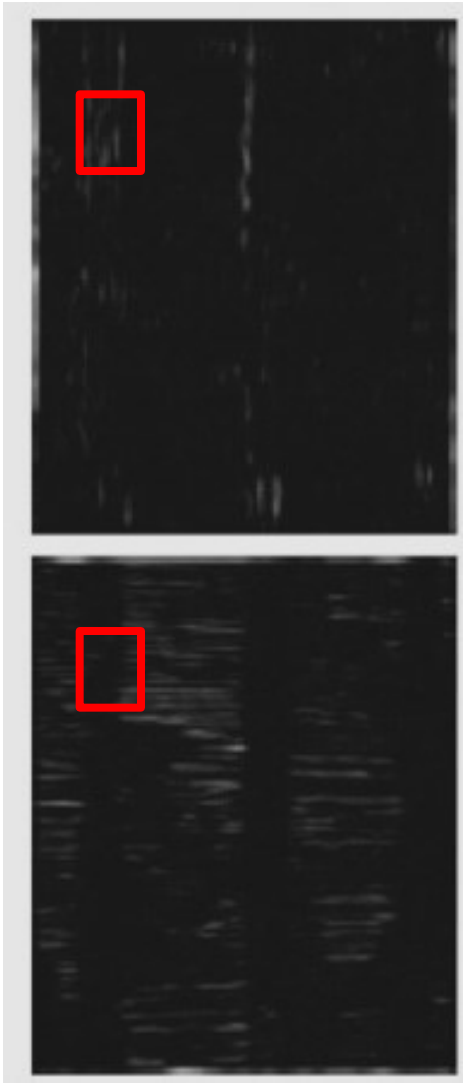
⋮

statistics to summarize patterns in small windows

Texture representation: example

original image





derivative filter responses, squared

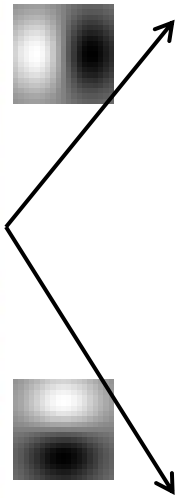
	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7

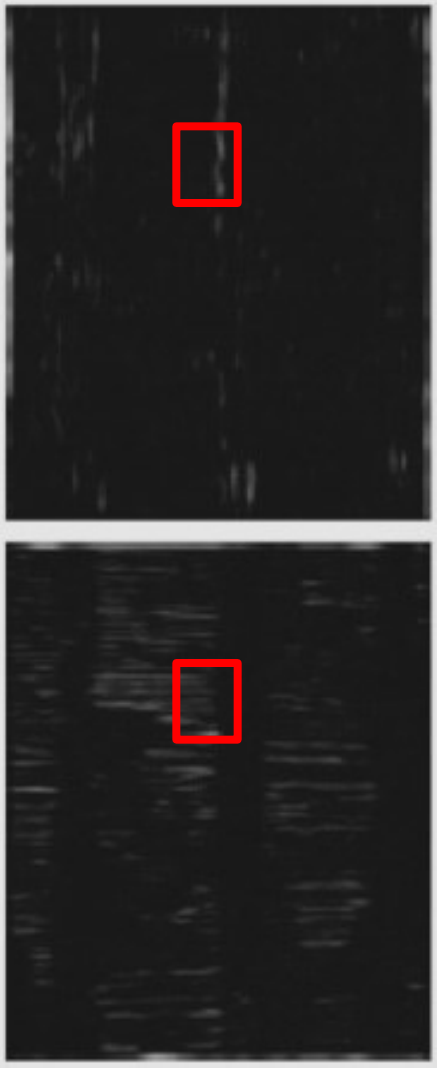
⋮

statistics to summarize patterns in small windows

Texture representation: example

original image





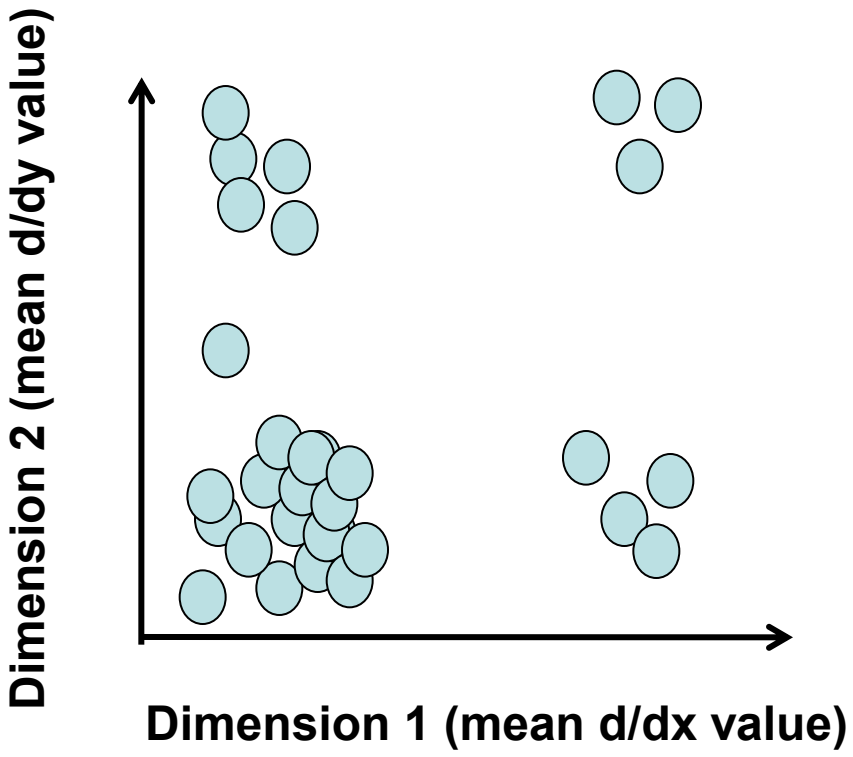
derivative filter responses, squared

	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7
⋮		
Win.#9	20	20	

⋮

statistics to summarize patterns in small windows

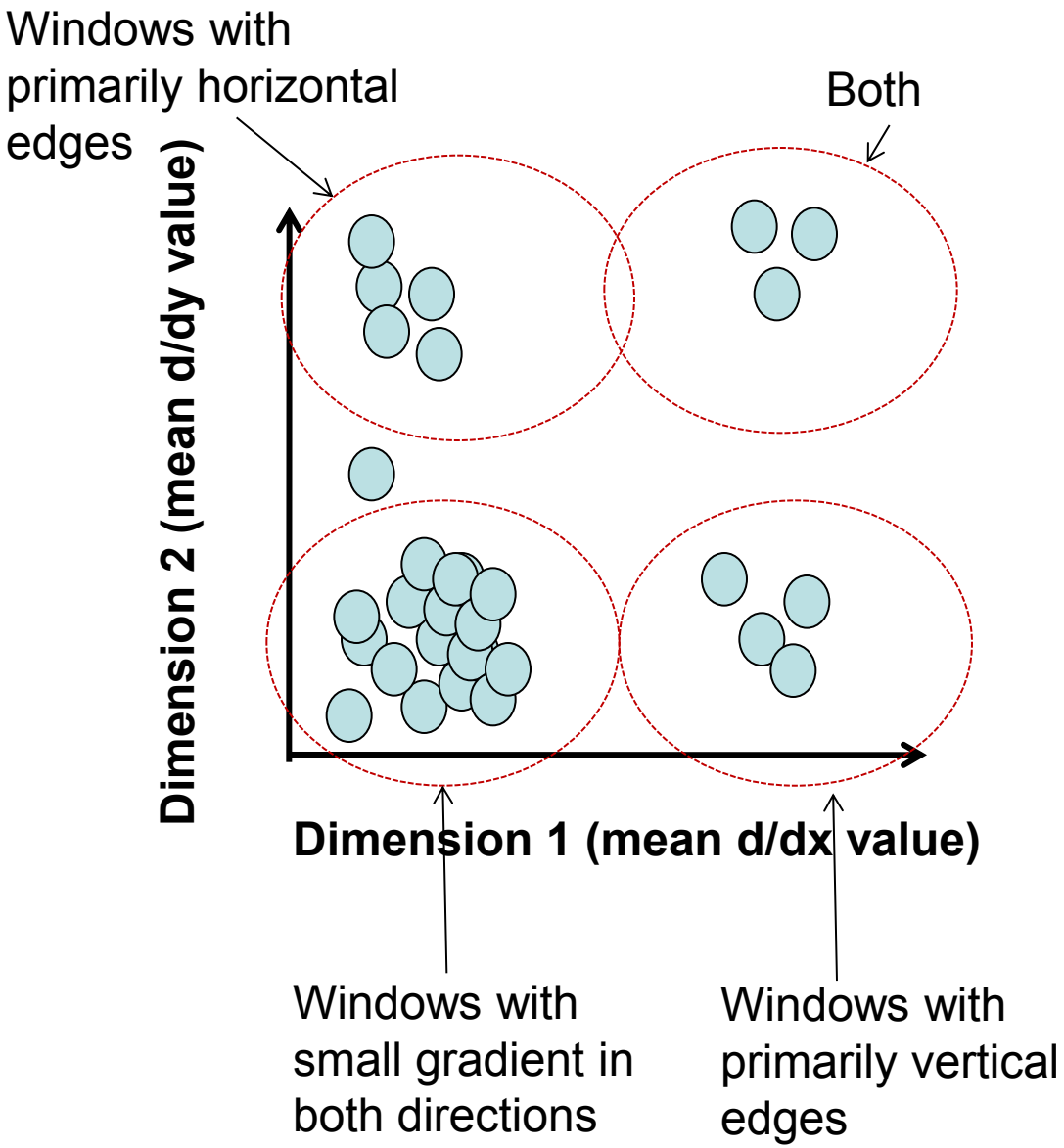
Texture representation: example



	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7
⋮		
Win.#9	20	20
	⋮	

statistics to summarize patterns in small windows

Texture representation: example



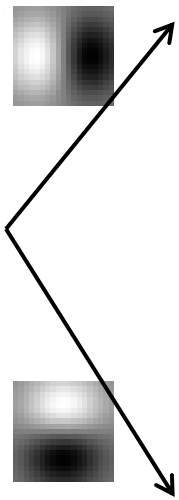
	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7
⋮		
Win.#9	20	20

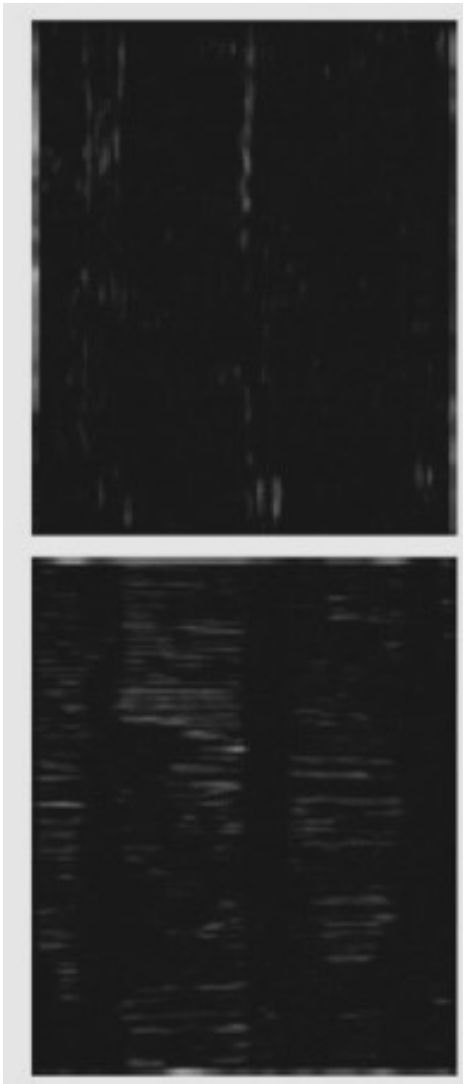
⋮

statistics to summarize patterns in small windows

Texture representation: example

original image

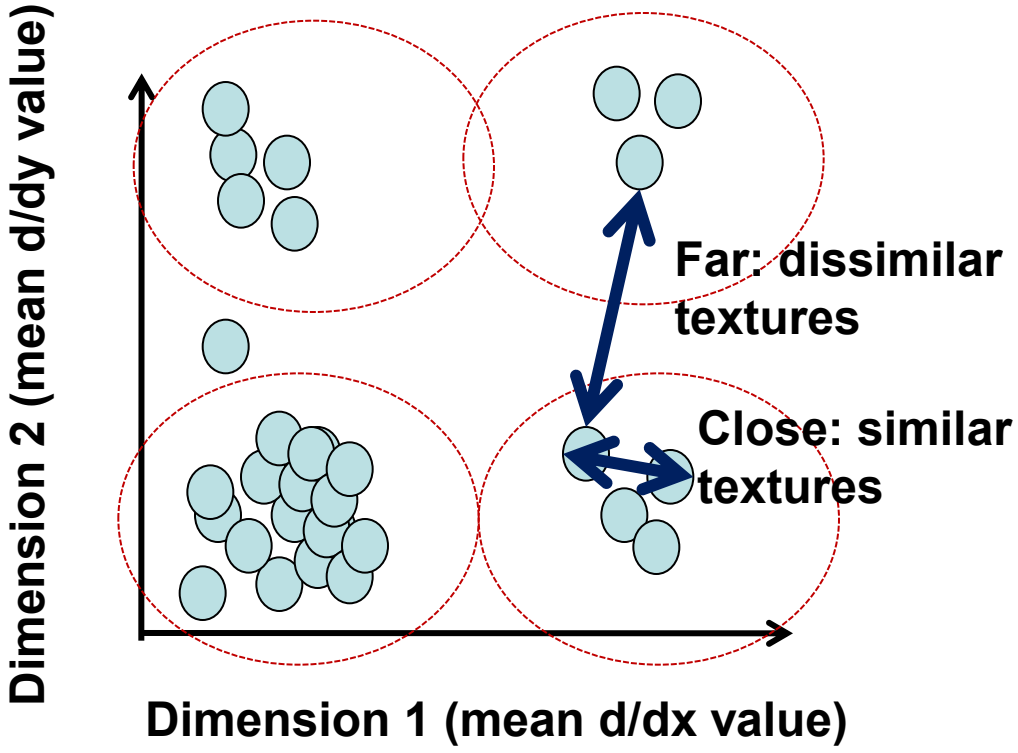




derivative filter responses, squared

visualization of the assignment to texture “types”

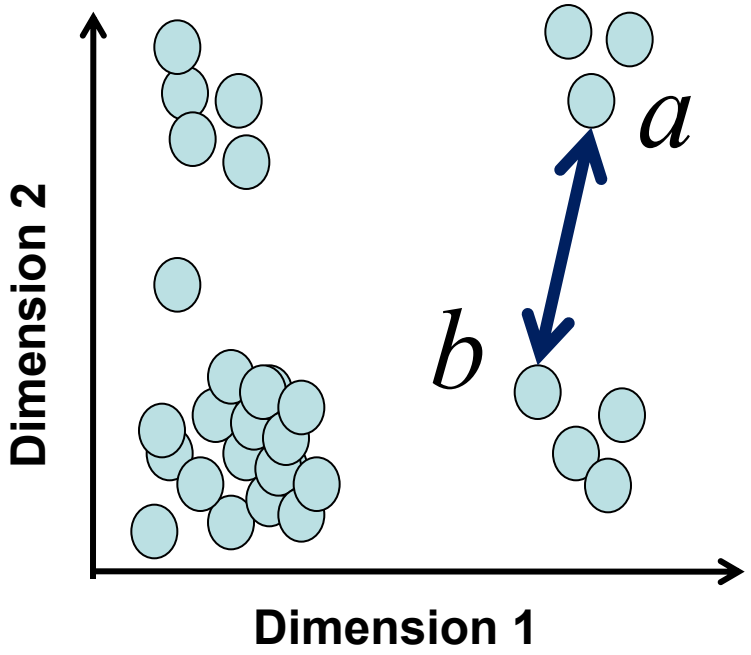
Texture representation: example



	mean d/dx value	mean d/dy value
Win. #1	4	10
Win.#2	18	7
⋮		
Win.#9	20	20
	⋮	

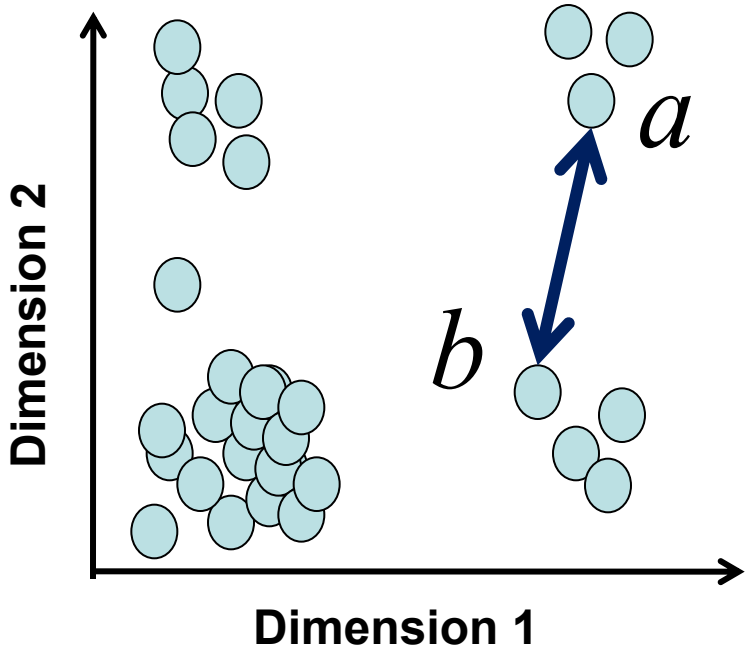
statistics to summarize patterns in small windows

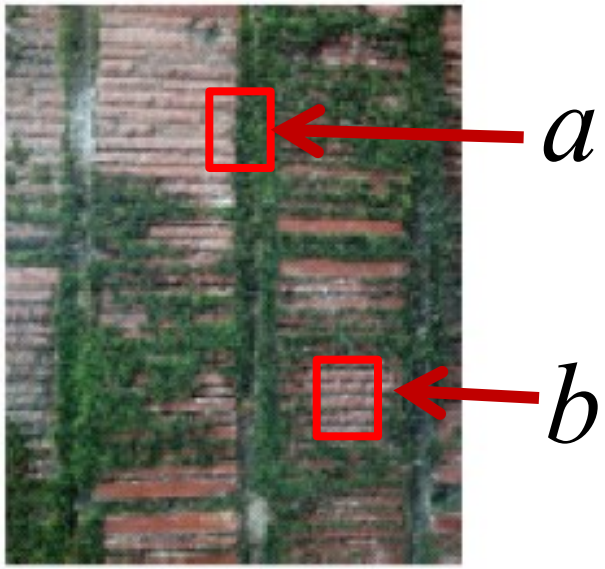
Texture representation: example

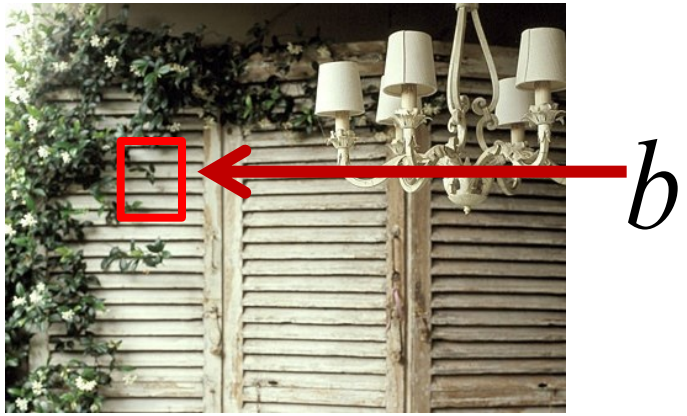


$$D(a,b) = \sqrt{(a_1 - b_1)^2 + (a_2 - b_2)^2}$$

Texture representation: example







Distance reveals how dissimilar texture from window a is from texture in window b.

Texture Analysis Using Edges

- Edge Density and Directions

Consider a region of N Pixels.

方向: $G = i\frac{\partial I}{\partial x} + j\frac{\partial I}{\partial y}$ 大小 : $|G| = \sqrt{\left[\frac{\partial I}{\partial x}\right]^2 + \left[\frac{\partial I}{\partial y}\right]^2}$

$$Edgeness = \frac{|\{p \mid Mag(p) \geq T\}|}{N}$$

Textures

- Edge Density and Directions

Consider a region of N Pixels.

Direction: Divide the angle to different bins, 90, 45, or 30 degrees

Magnitude: sampling with a fixed size

Edge Histogram: $H_{dir}(i), \mathrm{H}_{\mathrm{mag}}(\mathrm{i})$

$$L(H_1, H_2) = \sum_{n=1}^{n} | H_1[i] - H_2[i] |$$

Second-order gray-level statistics

- Co-occurrence Matrices and Features

1	**1**		
1	**1**		
		2	**2**
		2	**2**

Let $d=(dx,dy)$.

The gray-tone cooccurrence matrix C_d is:

$C_d(m,n) = |\{(x,y)|\ I(x,y)=m \text{ and } I(x+dx,y+dy)=n\}|$

(dx,dy)=(1,0)

	0	1	2
0	4	0	2
1	2	2	0
2	0	0	2

(dx,dy)=(0,1)

	0	1	2
0	4	0	2
1	2	2	0
2	0	0	2

(dx,dy)=(1,1)

	0	1	2
0	2	0	1
1	2	1	1
2	0	0	1

Textures

- Co-occurrence Matrix

Normalized co-occurrence matrix: $N_d(m,n) = \frac{C_d(m,n)}{\sum_{i,j} C_d(i,j)}$

$$Energy = \sum_{i,j} N_d^2(i,j)$$

$$Entropy = \sum_{i,j} N_d(i,j) \log N_d(i,g)$$

$$Contrast = \sum_{i,j} (i-j)^2 N_d(i,j)$$

$$Homogeneity = \sum_{i,j} \frac{N_d(i,j)}{1+|i-j|}$$

$$Correlation = \sum_{i,j} \frac{(i-u_i)(j-u_j)N_d(i,j)}{\sigma_i \sigma_j}$$

Textures

- Transform-based Statistical Methods
  - Power Spectrum Method:

Autocorrelation function:

$$\rho(x,y) = \frac{\sum_{m,n} I(m,n)I(m+x,n+y)}{\sum_{m,n} |I(m,n)|^2}$$

Texture:

coarse: drop off slows;

flat: drop off very quick.

regular: have peaks and valleys.

$$Let\ F(u,v) = Fourier\ Transform\ of\ I(m,n).$$

$$Power\ Spectrum = |F(u,v)|^2$$

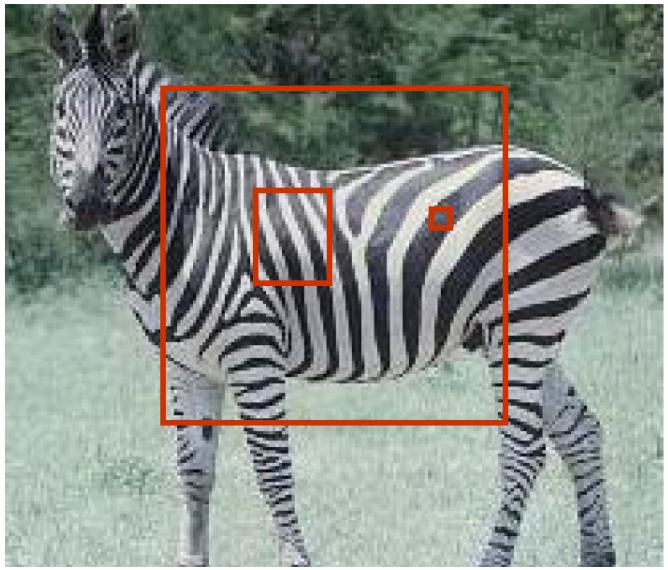
More Complex Discrimination

- Histogram comparison is very limiting
  - Every pixel is independent.
  - Everything happens at a tiny scale.

- Use output of filters of different scales.

Texture representation: window scale

- We're assuming we know the relevant window size for which we collect these statistics.

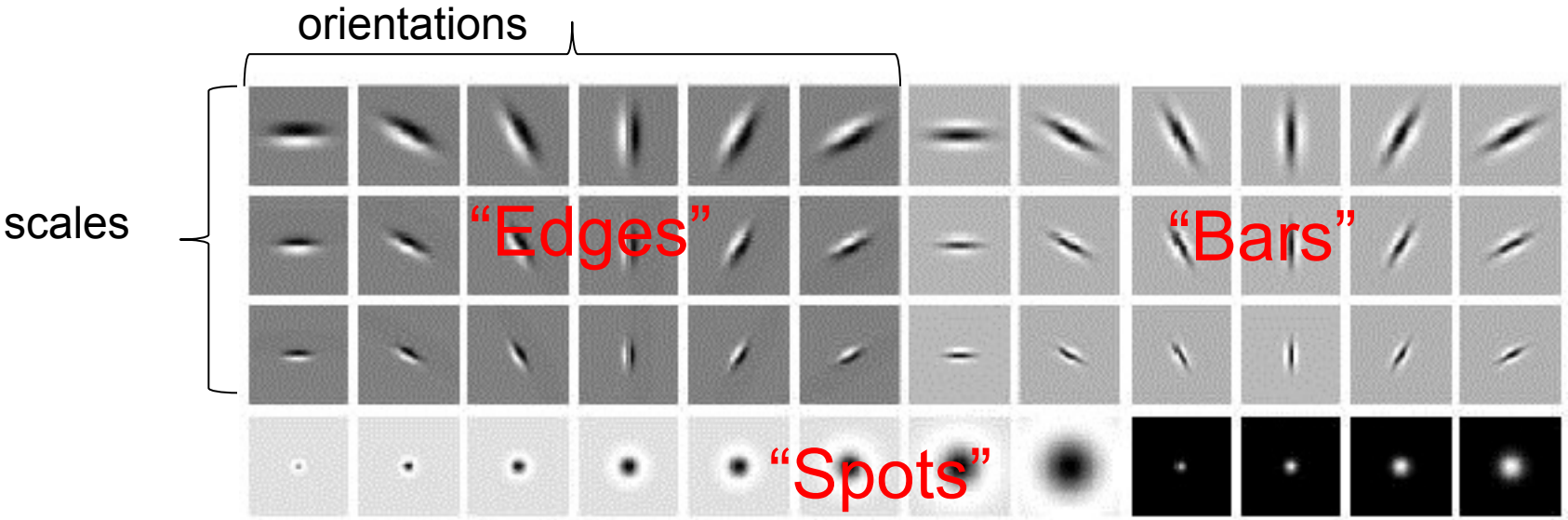


Possible to perform scale selection by looking for window scale where texture description not changing.

Filter banks

- Our previous example used two filters, and resulted in a 2-dimensional feature vector to describe texture in a window.
  - x and y derivatives revealed something about local structure.
- We can generalize to apply a collection of multiple (*d*) filters: a “filter bank”
- Then our feature vectors will be *d*-dimensional.
  - still can think of nearness, farness in feature space

Filter banks

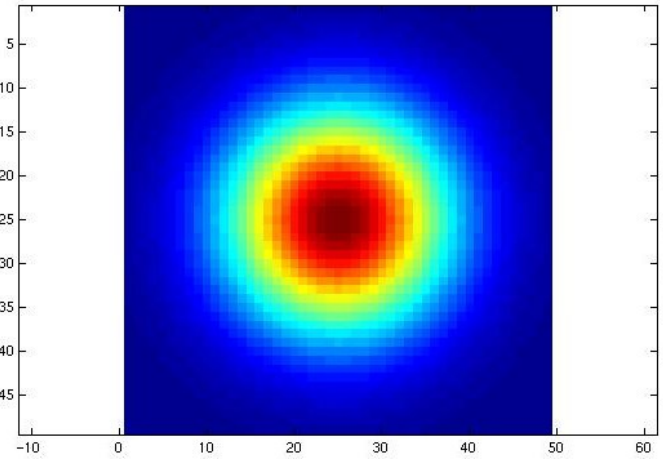


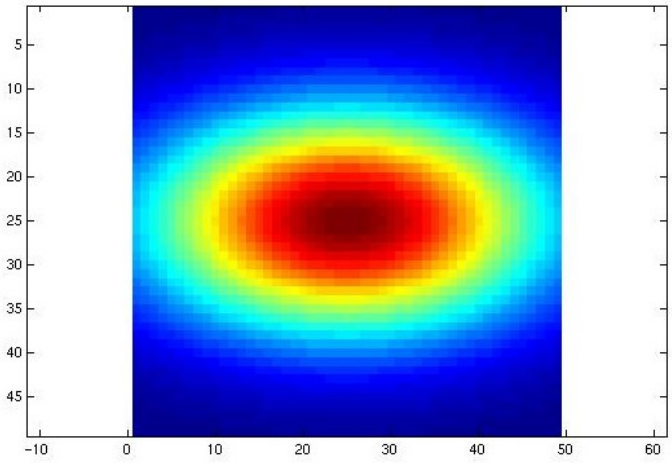
- What filters to put in the bank?
  - Typically we want a combination of scales and orientations, different types of patterns.

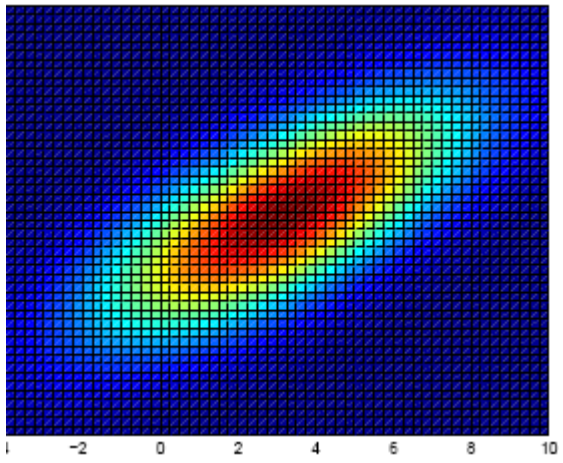
Matlab code available for these examples:
http://www.robots.ox.ac.uk/~vgg/research/texclass/filters.html

Multivariate Gaussian

$$p(x;\mu,\Sigma) = \frac{1}{(2\pi)^{n/2}|\Sigma|^{1/2}} \exp\left(-\frac{1}{2}(x-\mu)^T\Sigma^{-1}(x-\mu)\right).$$





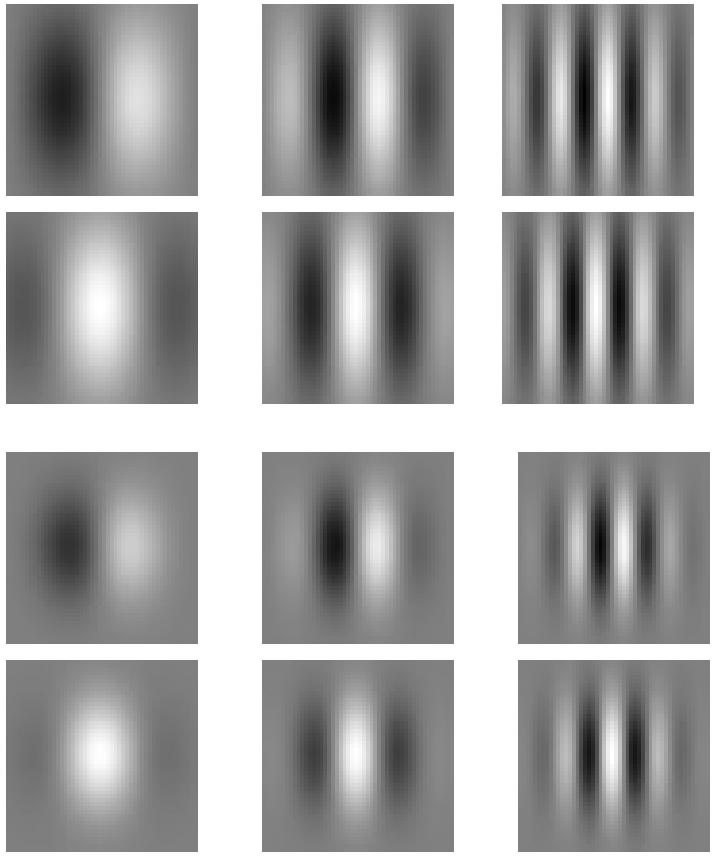


$$\Sigma = \begin{bmatrix} 9 & 0 \\ 0 & 9 \end{bmatrix}$$

$$\Sigma = \begin{bmatrix} 16 & 0 \\ 0 & 9 \end{bmatrix}$$

$$\Sigma = \begin{bmatrix} 10 & 5 \\ 5 & 5 \end{bmatrix}$$

Gabor Filters



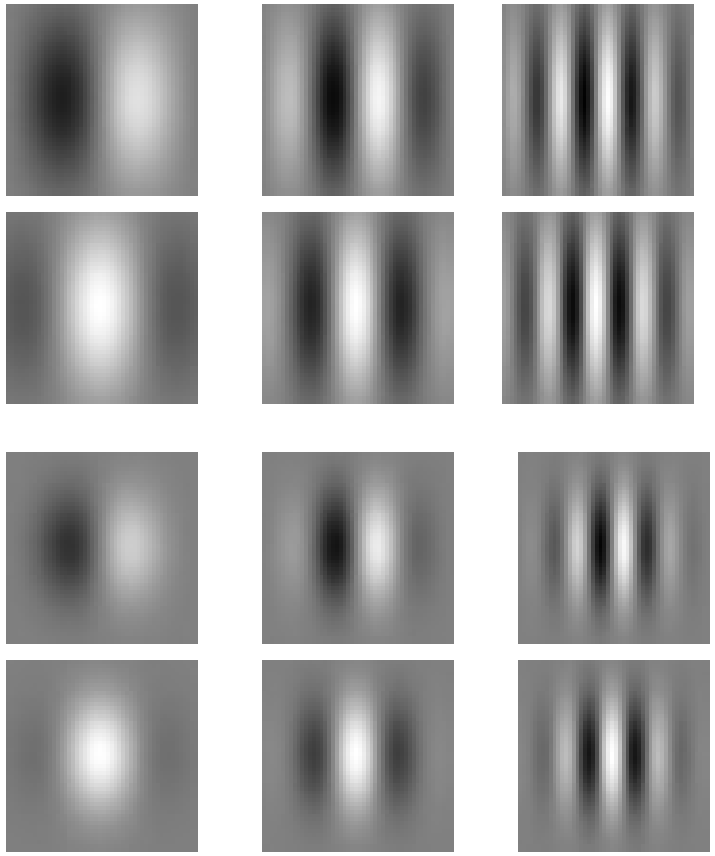
Gabor filters at different scales and spatial frequencies

top row shows anti-symmetric (or odd) filters, bottom row the symmetric (or even) filters.

$$\text{symmetric: } \cos(k_x x + k_y y)\exp-\left\{\frac{x^2+y^2}{2\sigma^2}\right\}$$

$$\text{antisymmetric: } \sin(k_x x + k_y y)\exp-\left\{\frac{x^2+y^2}{2\sigma^2}\right\}$$

Gabor Filters



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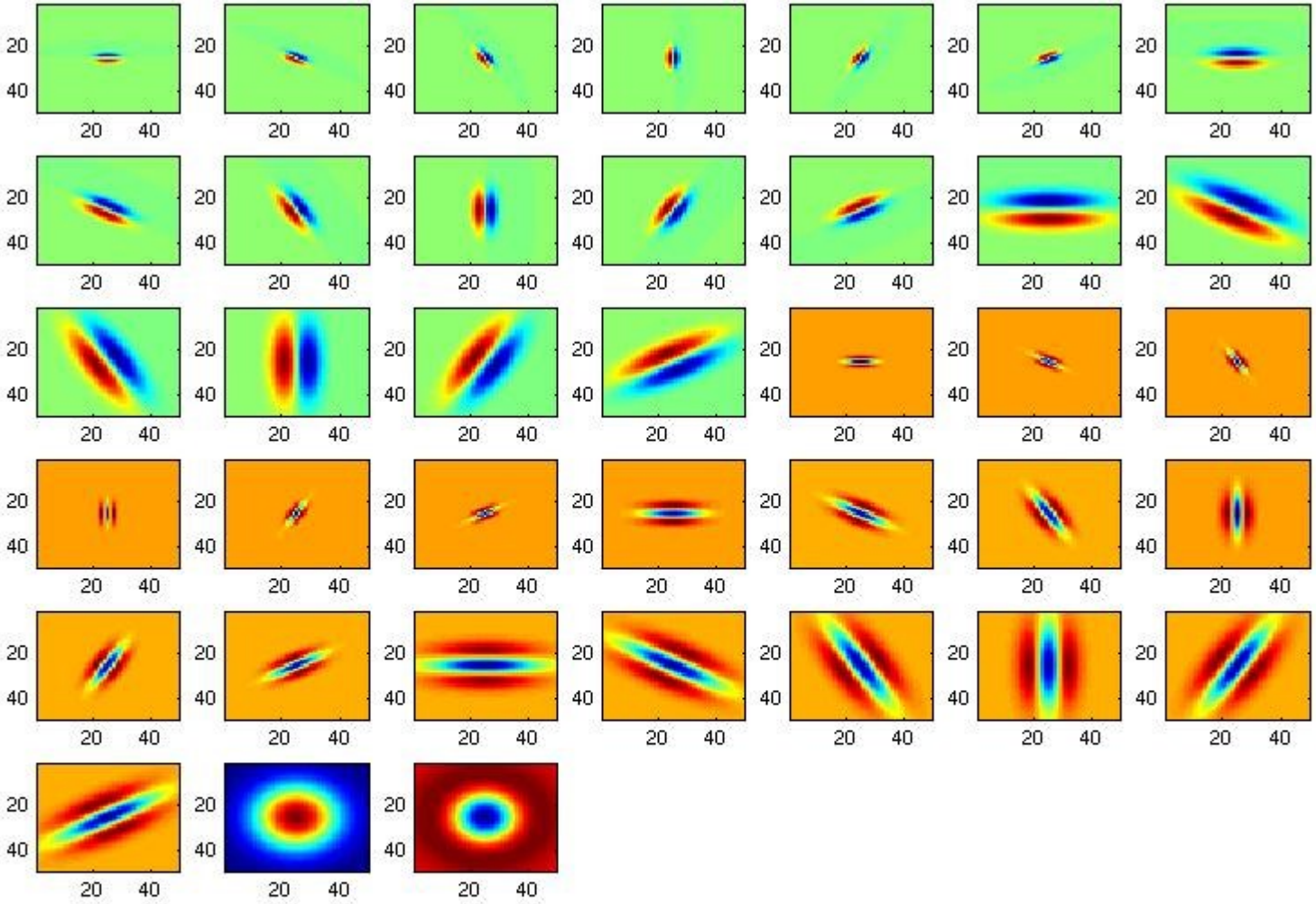
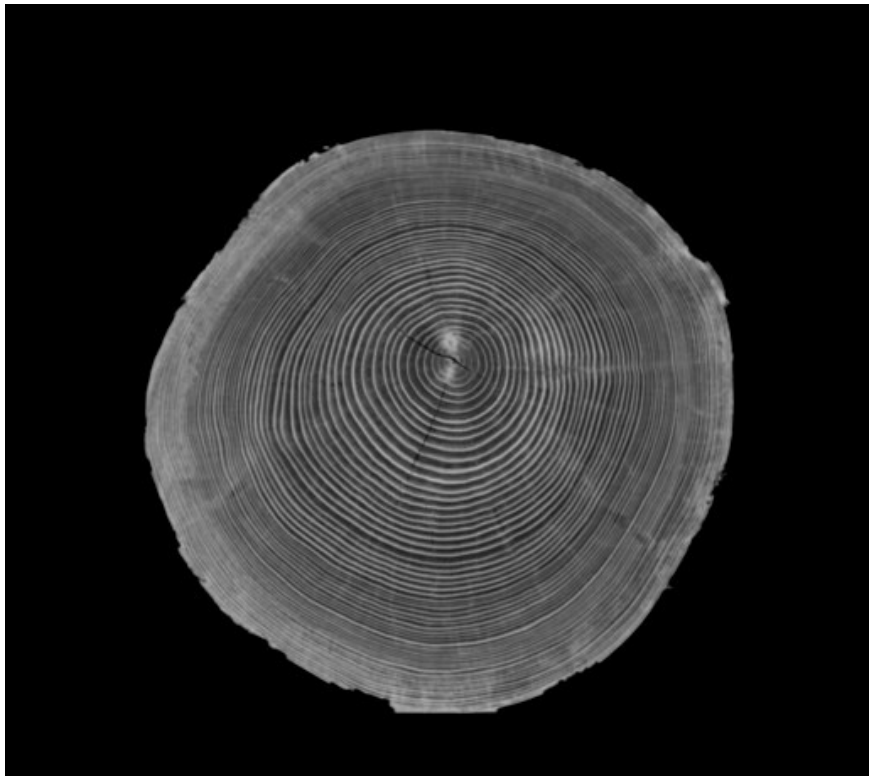
Filter bank



Gabor Filters



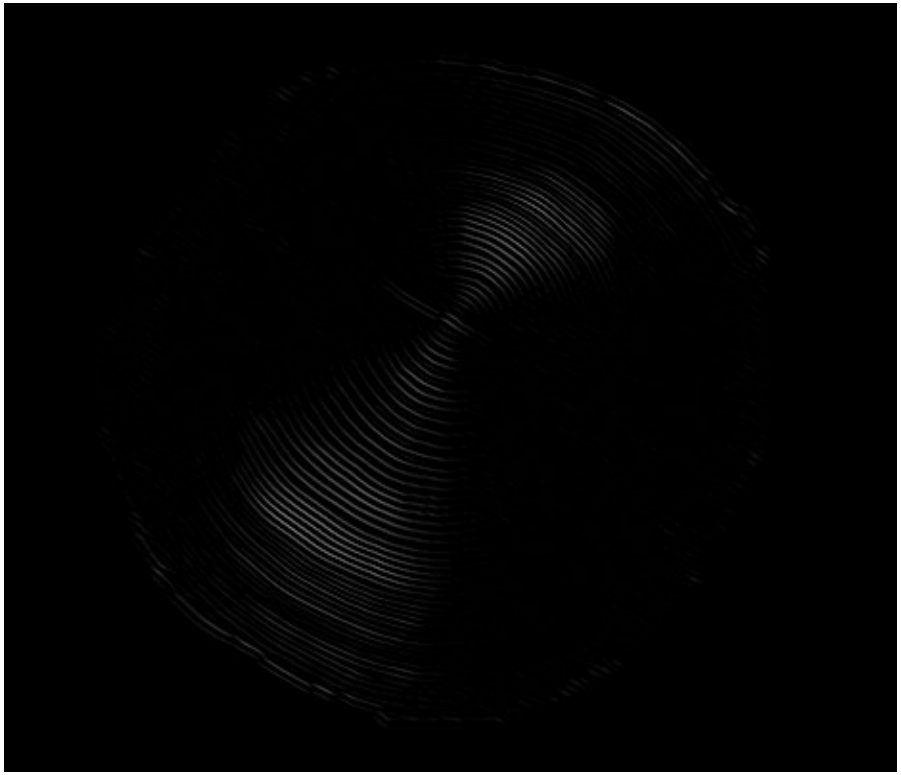
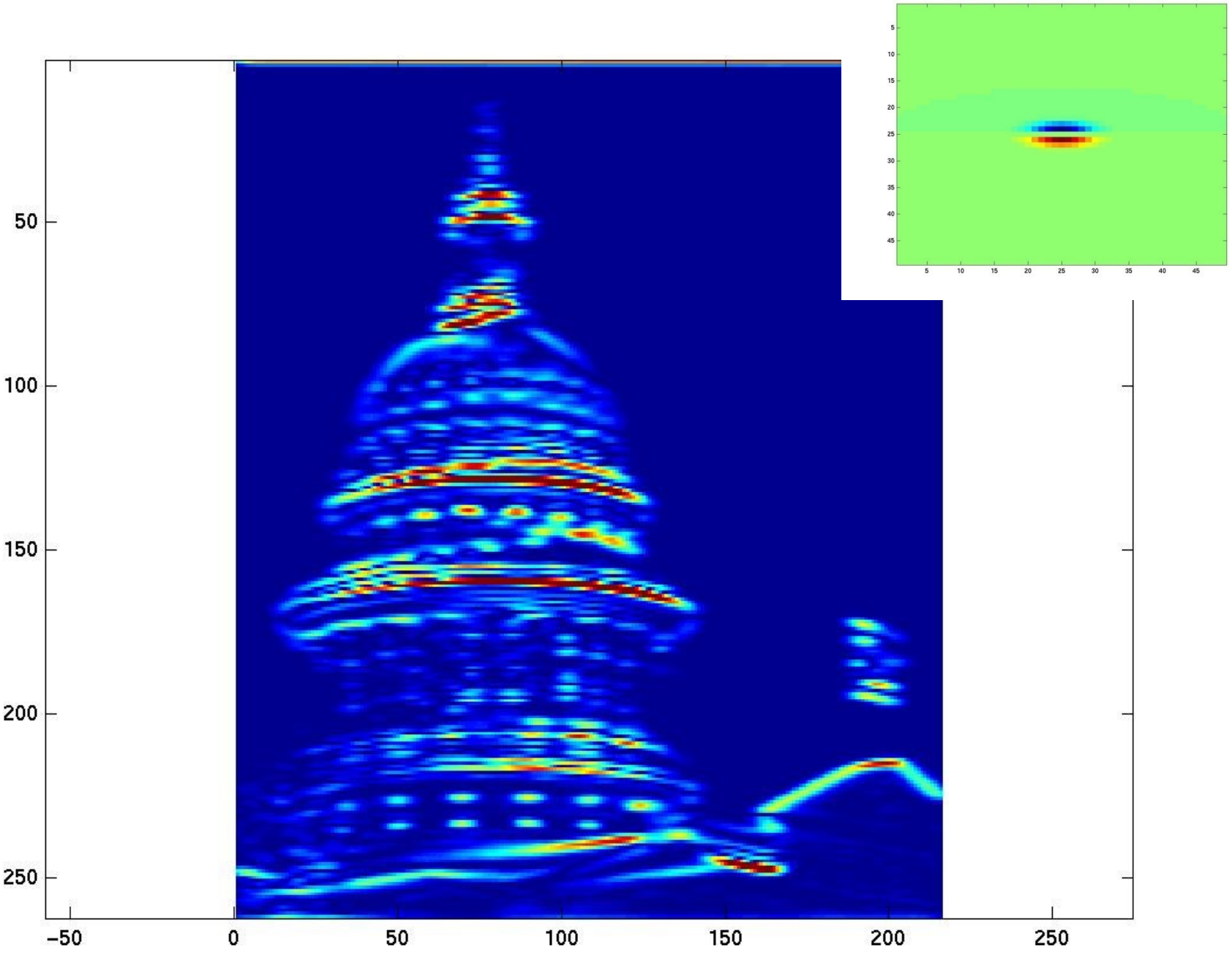


Image from http://www.texasexplorer.com/austincap2.jpg



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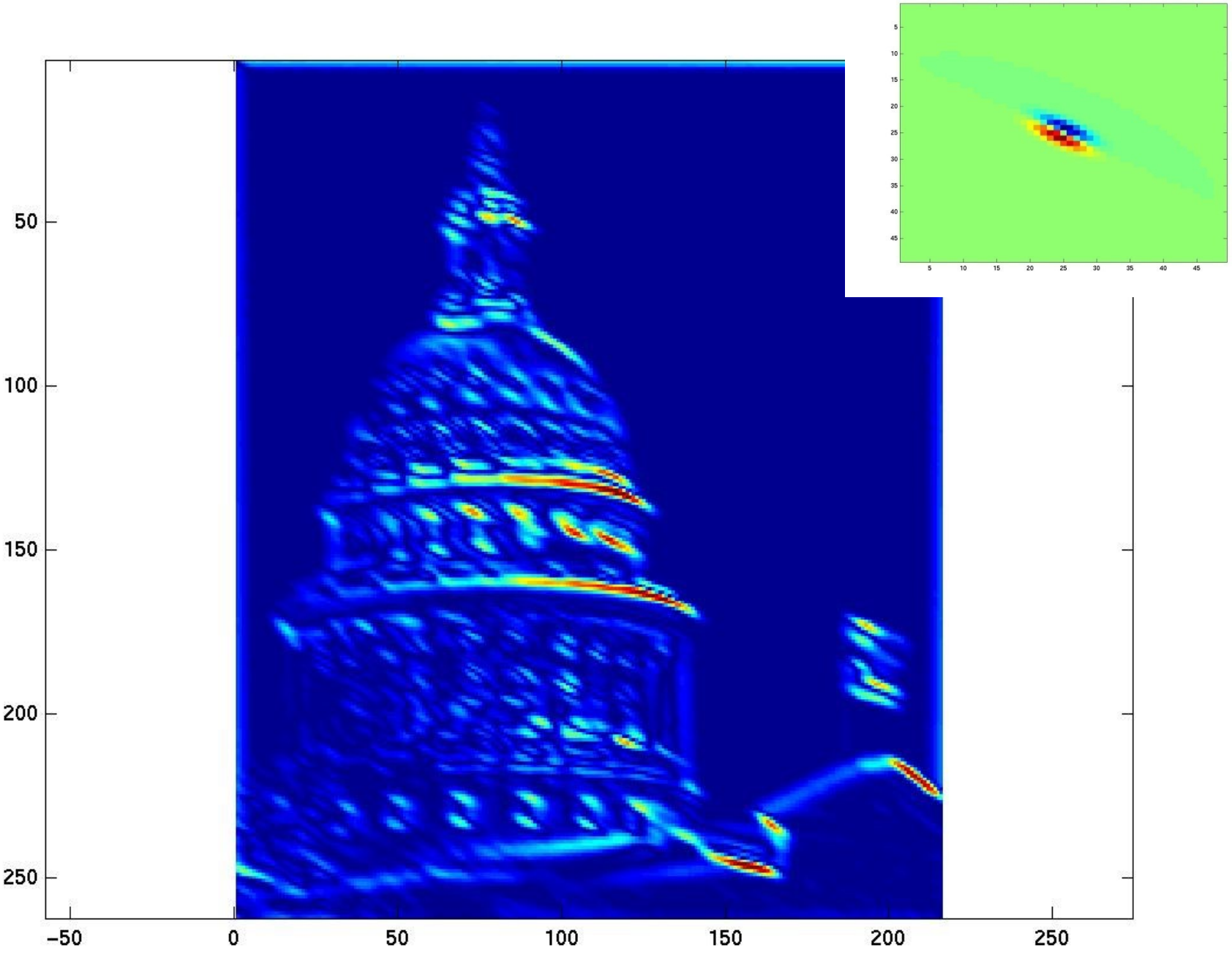

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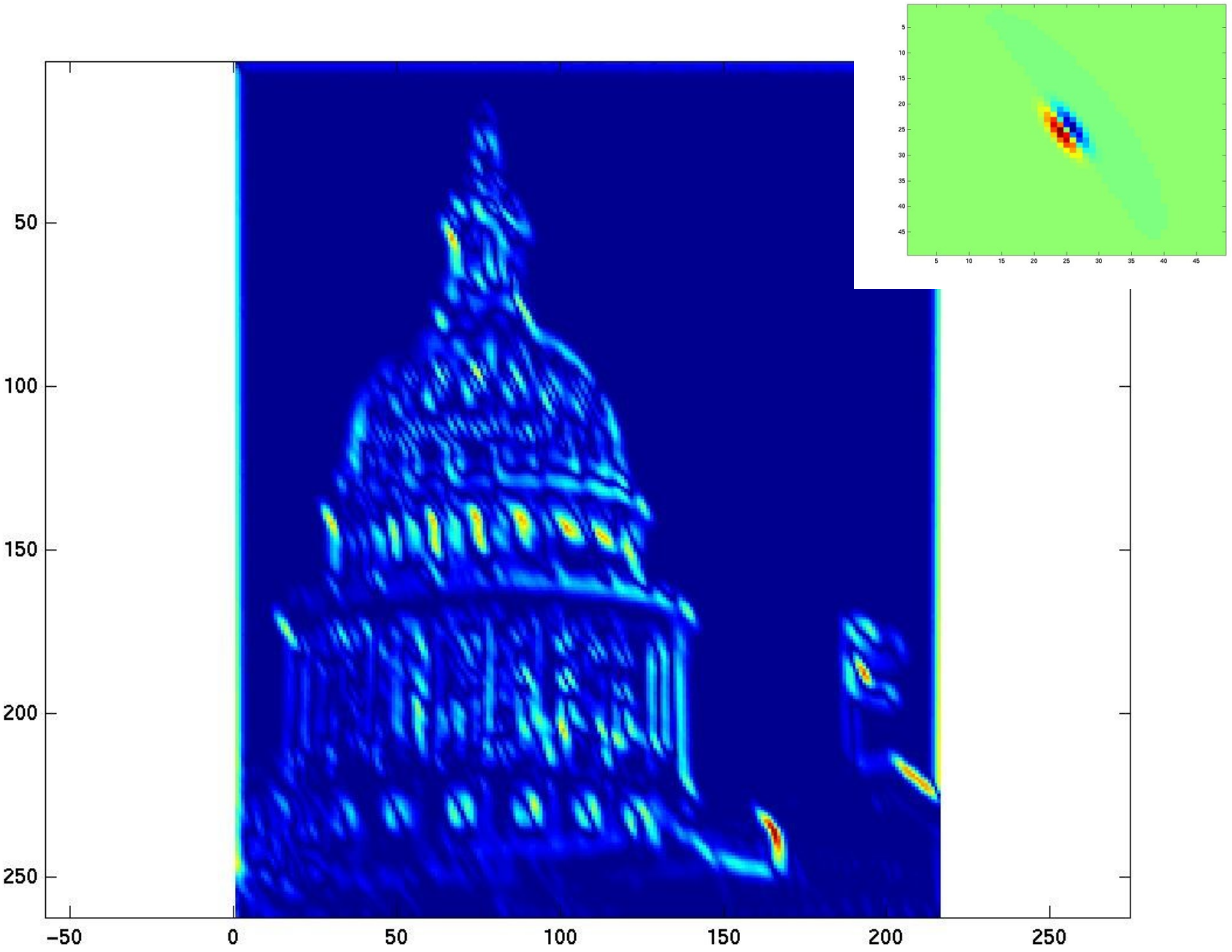

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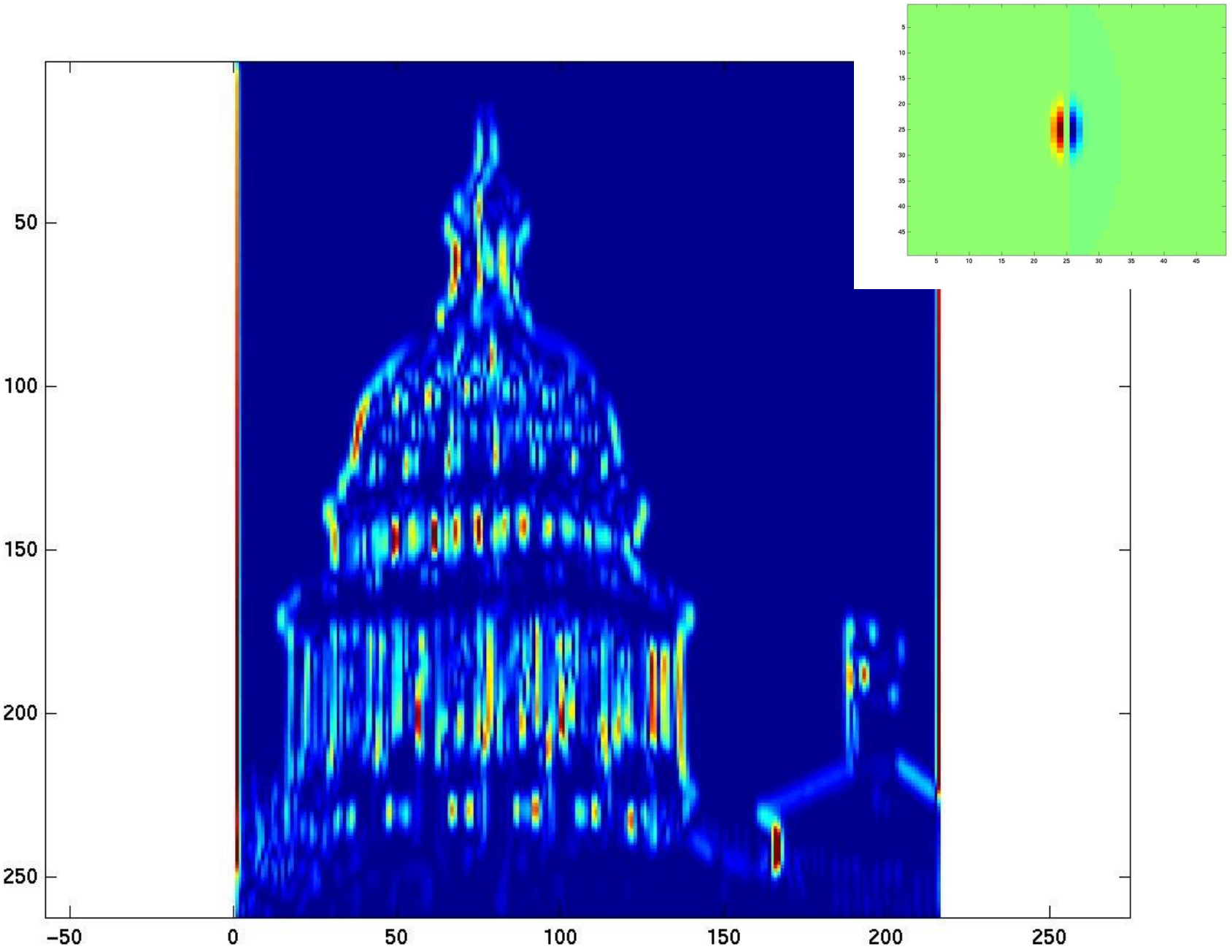

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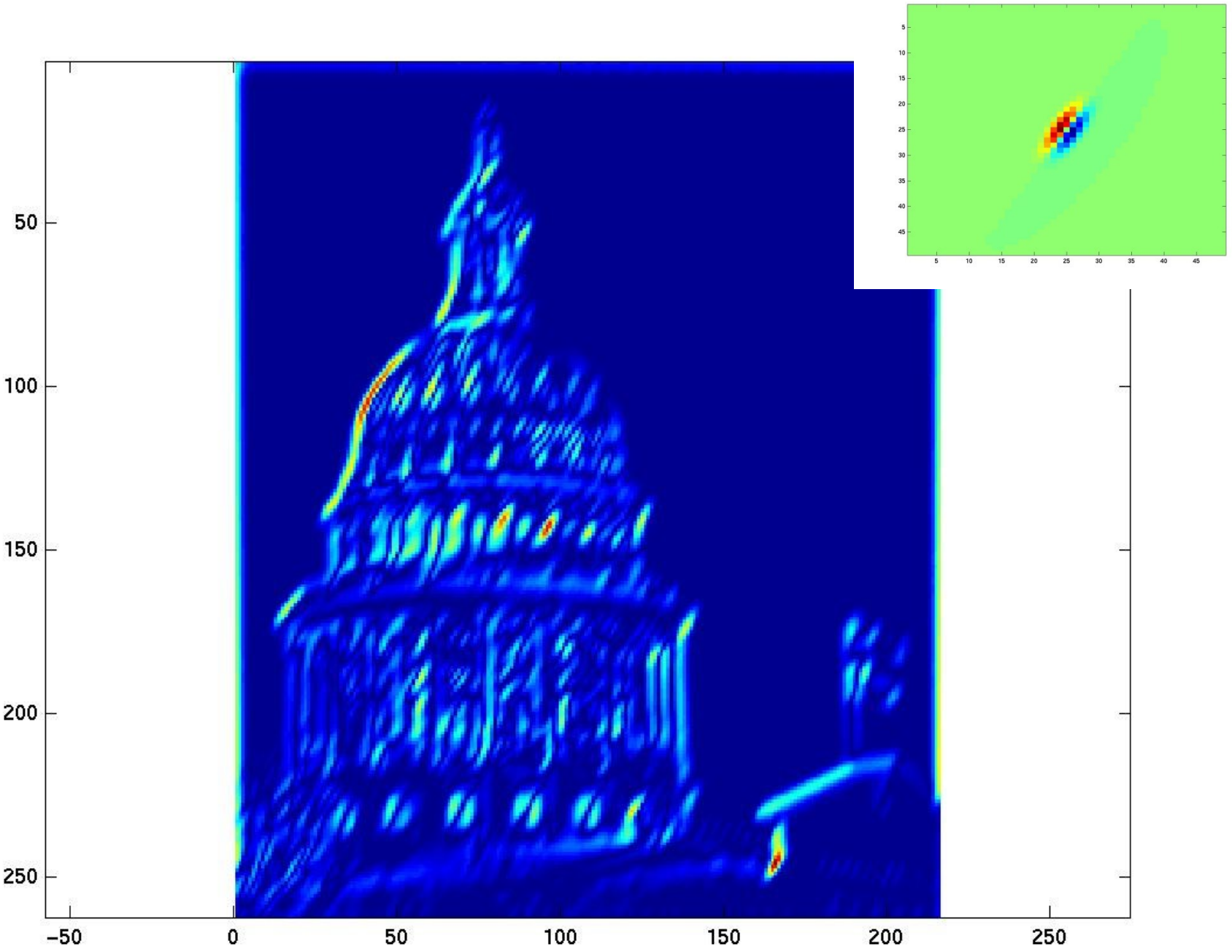
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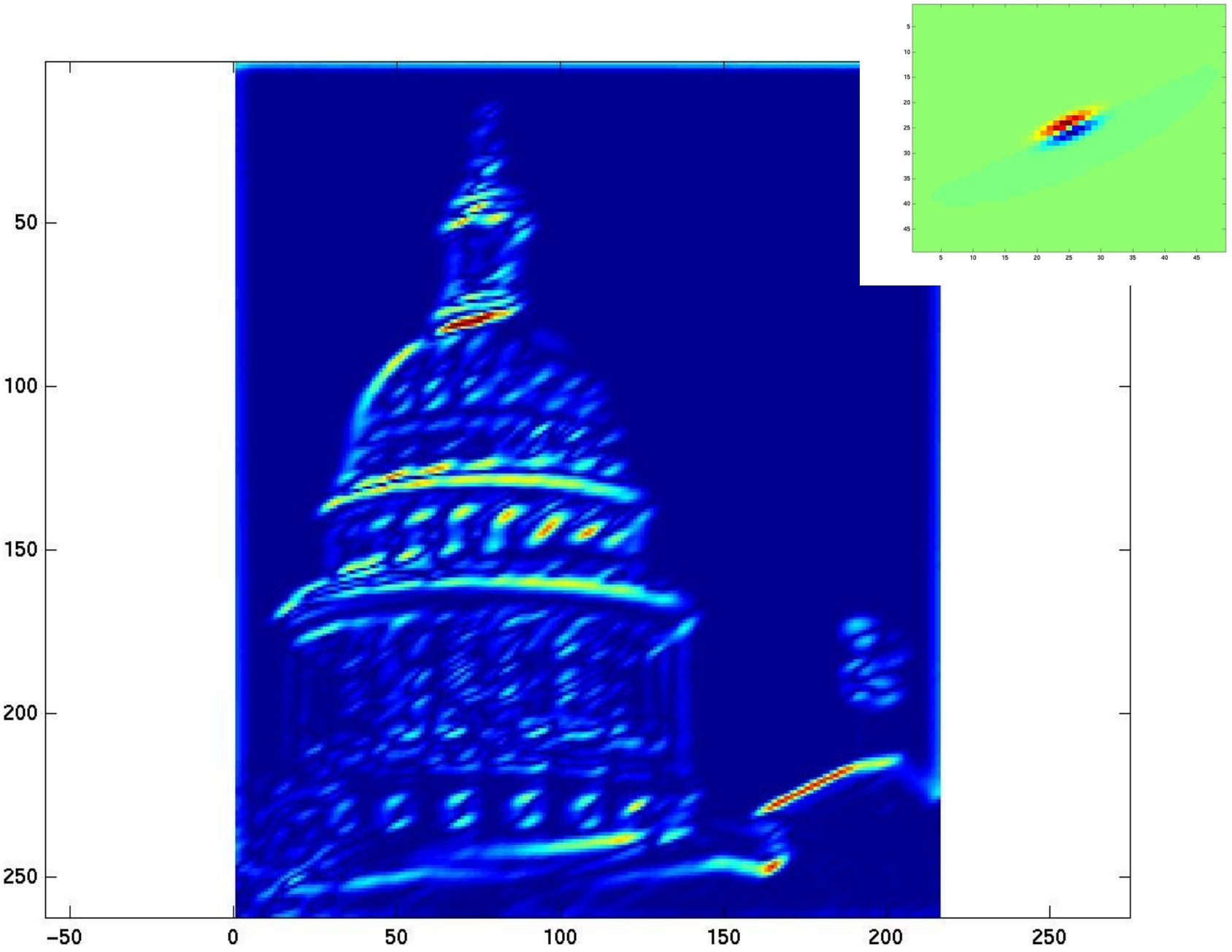

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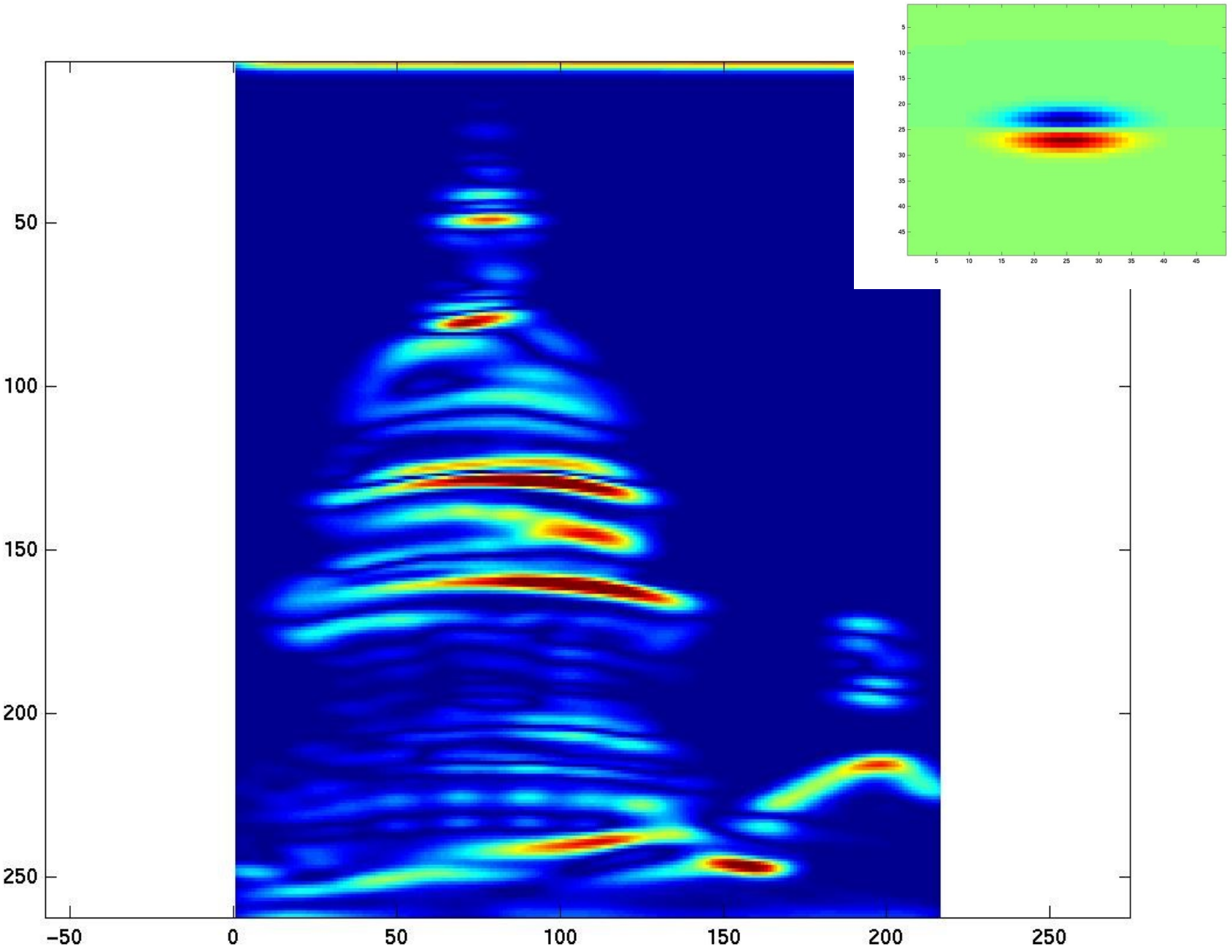

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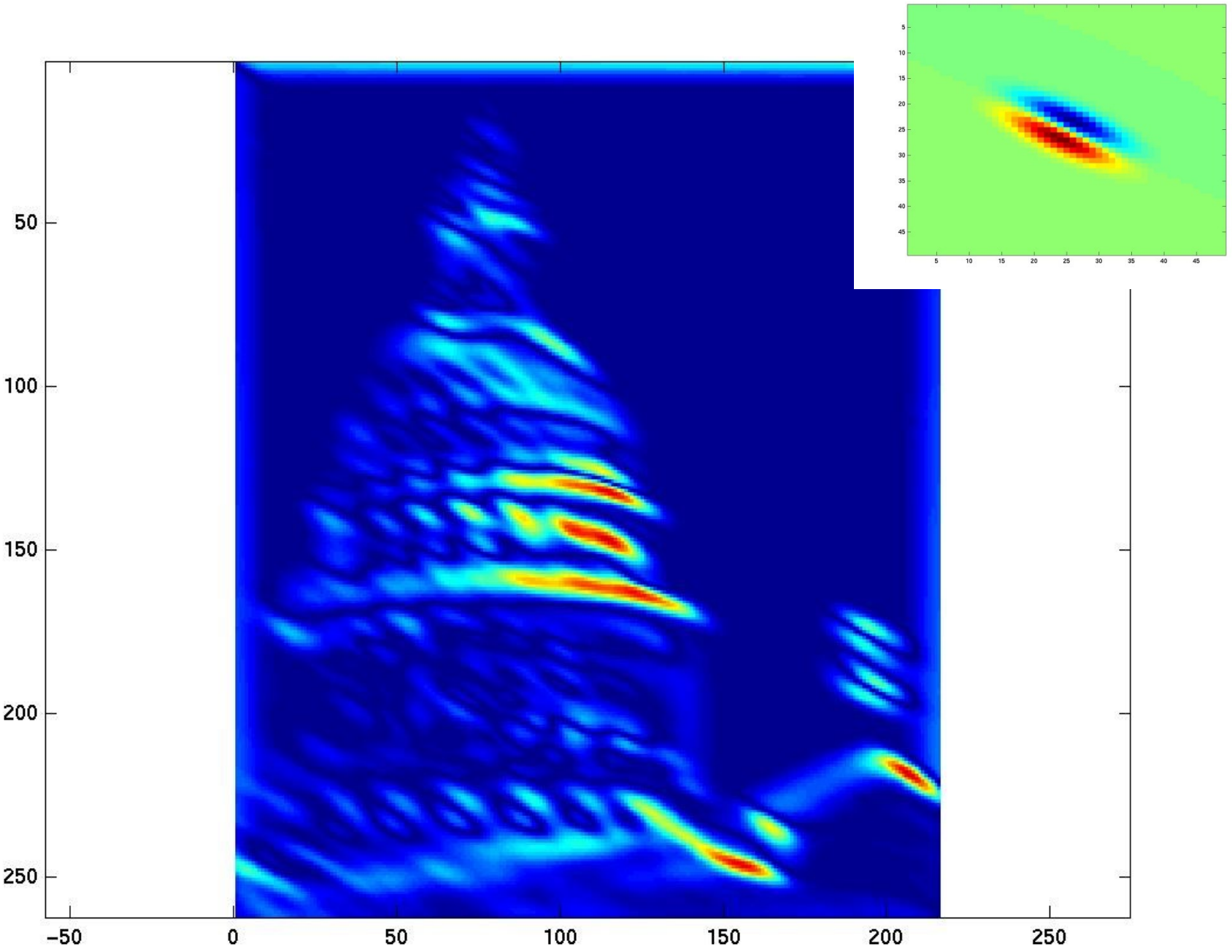

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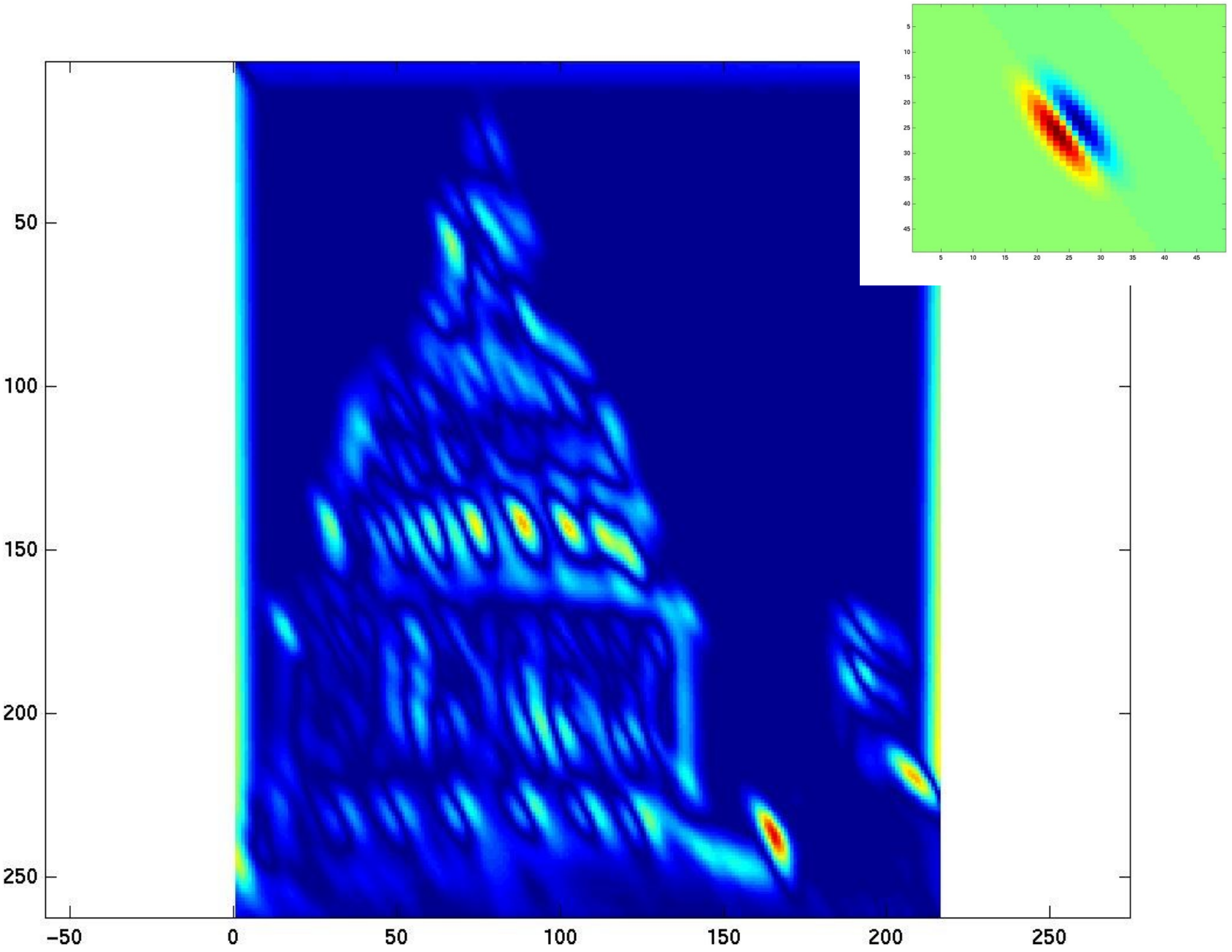

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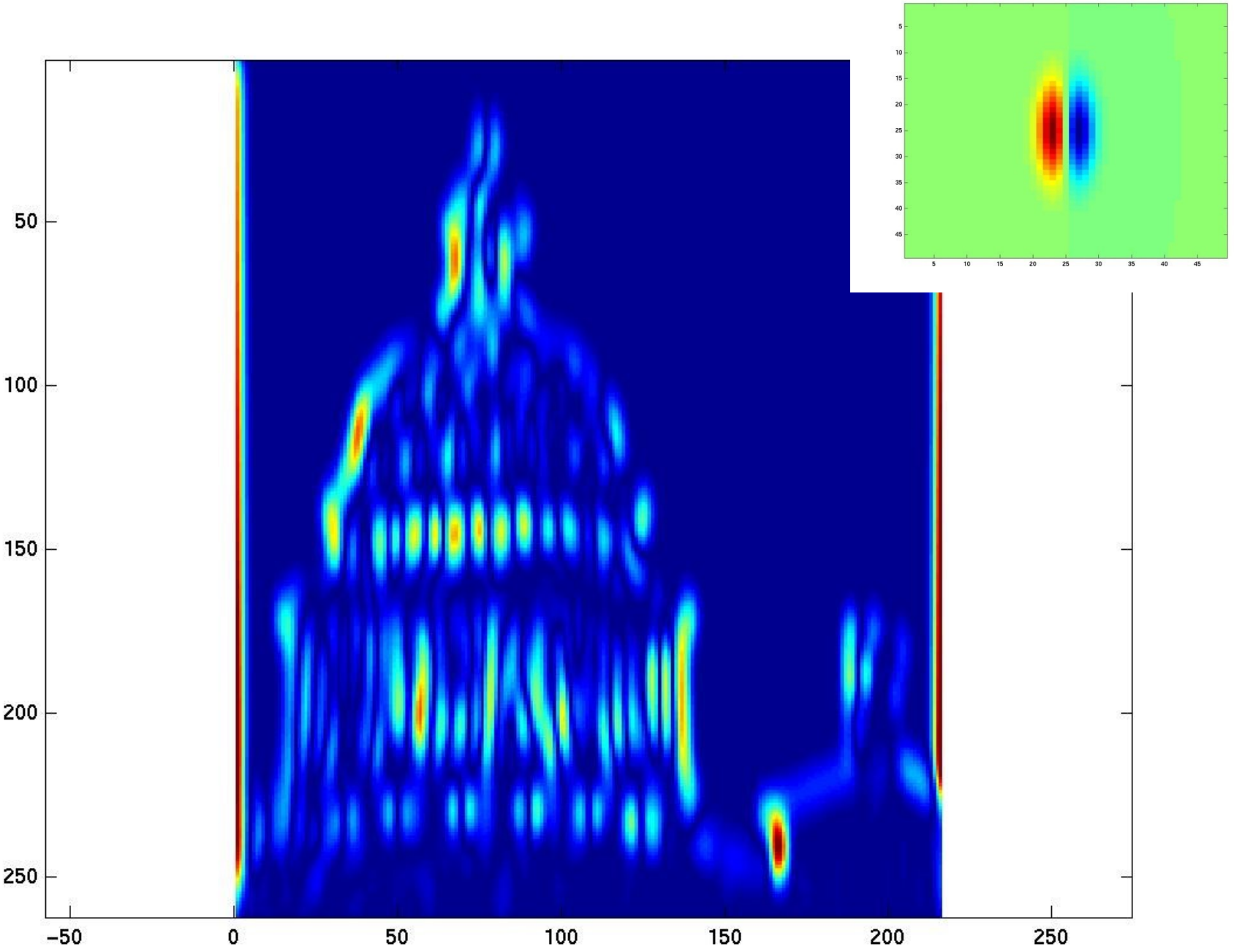

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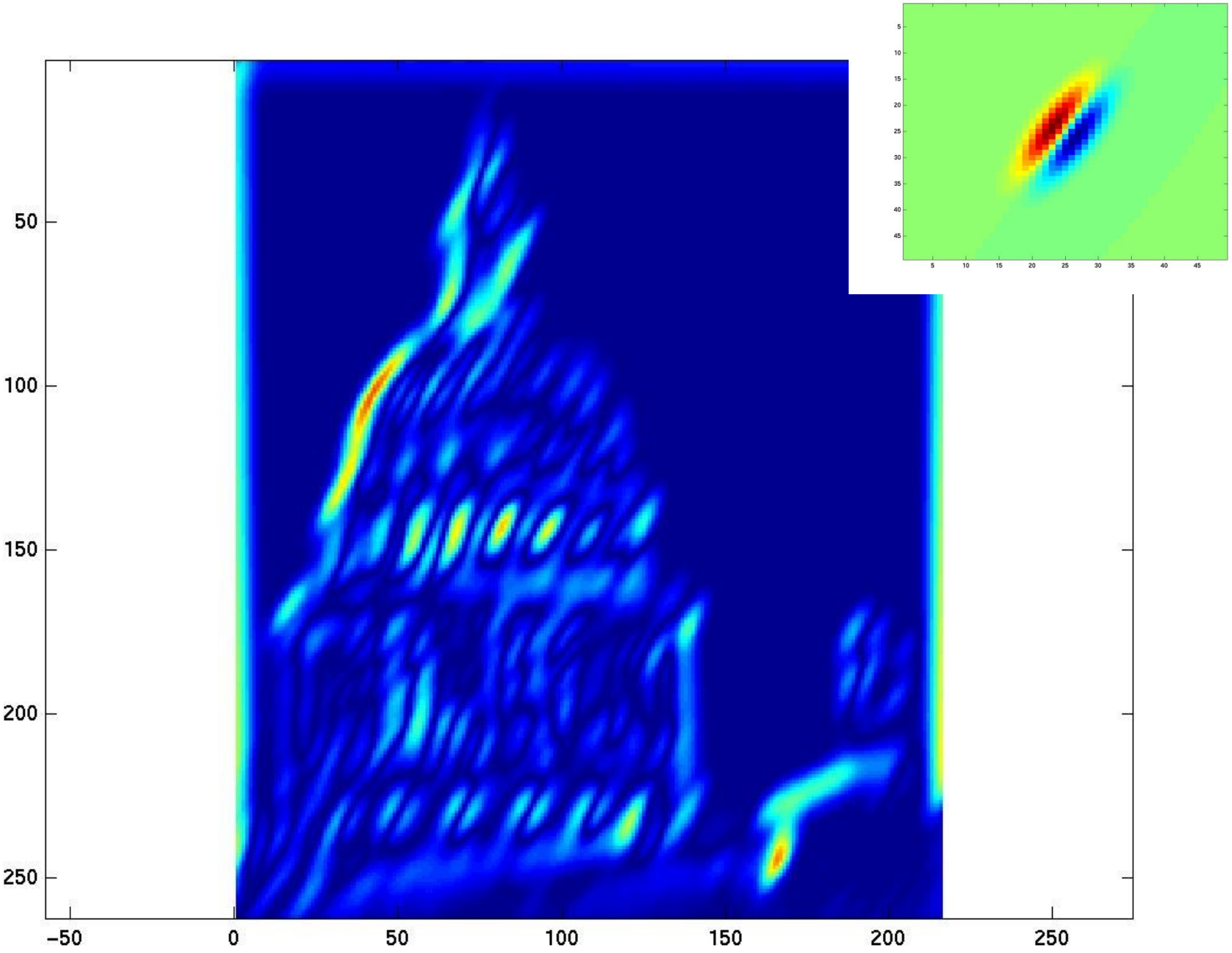
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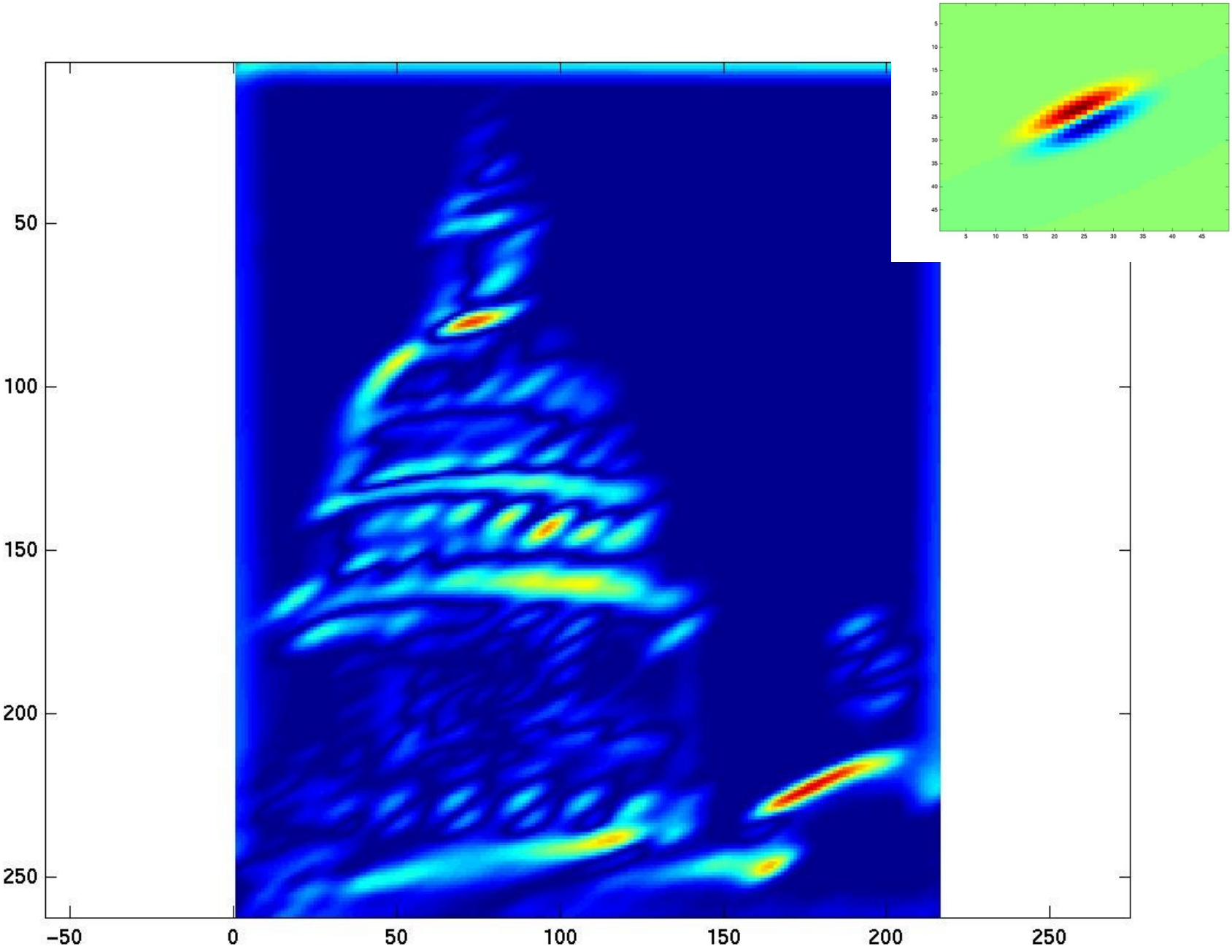

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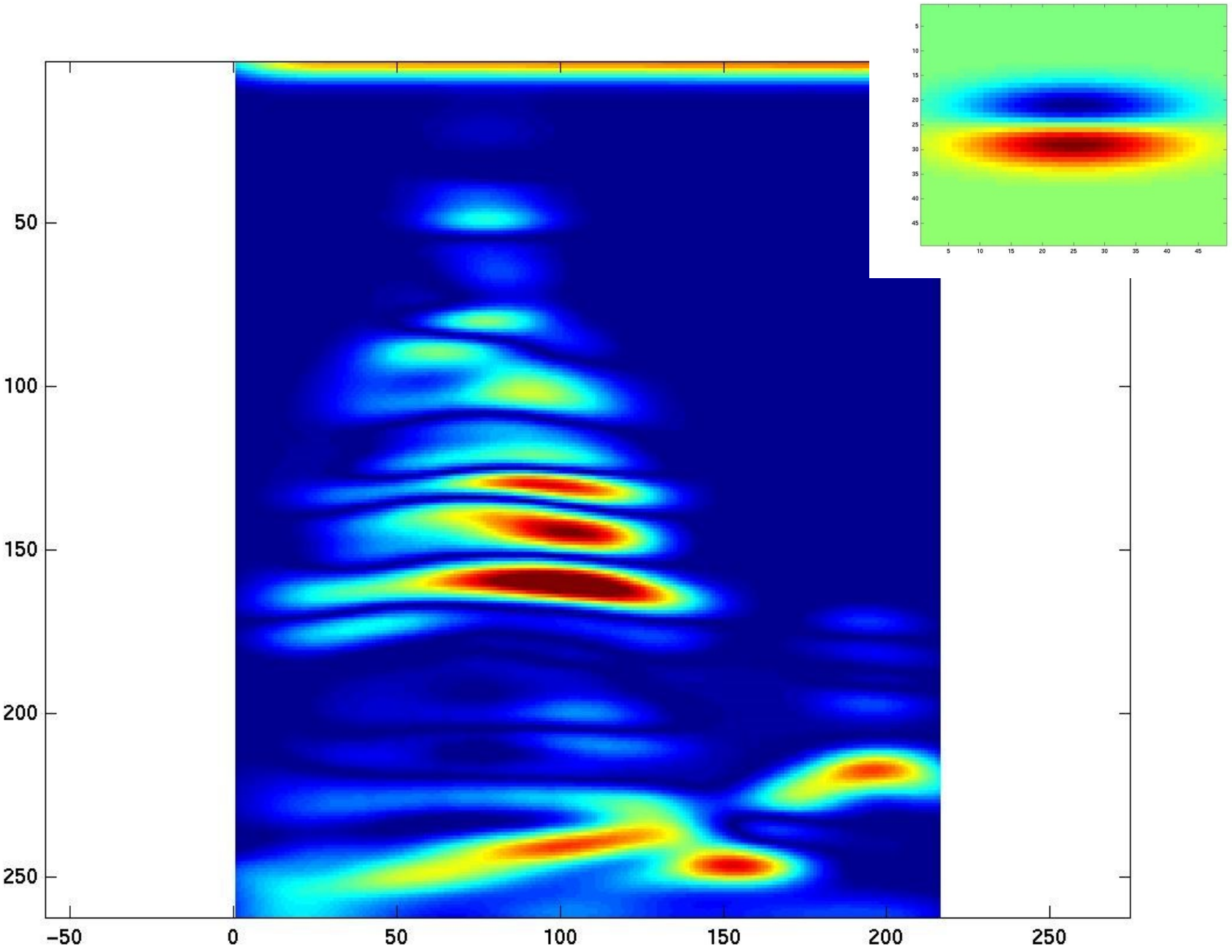

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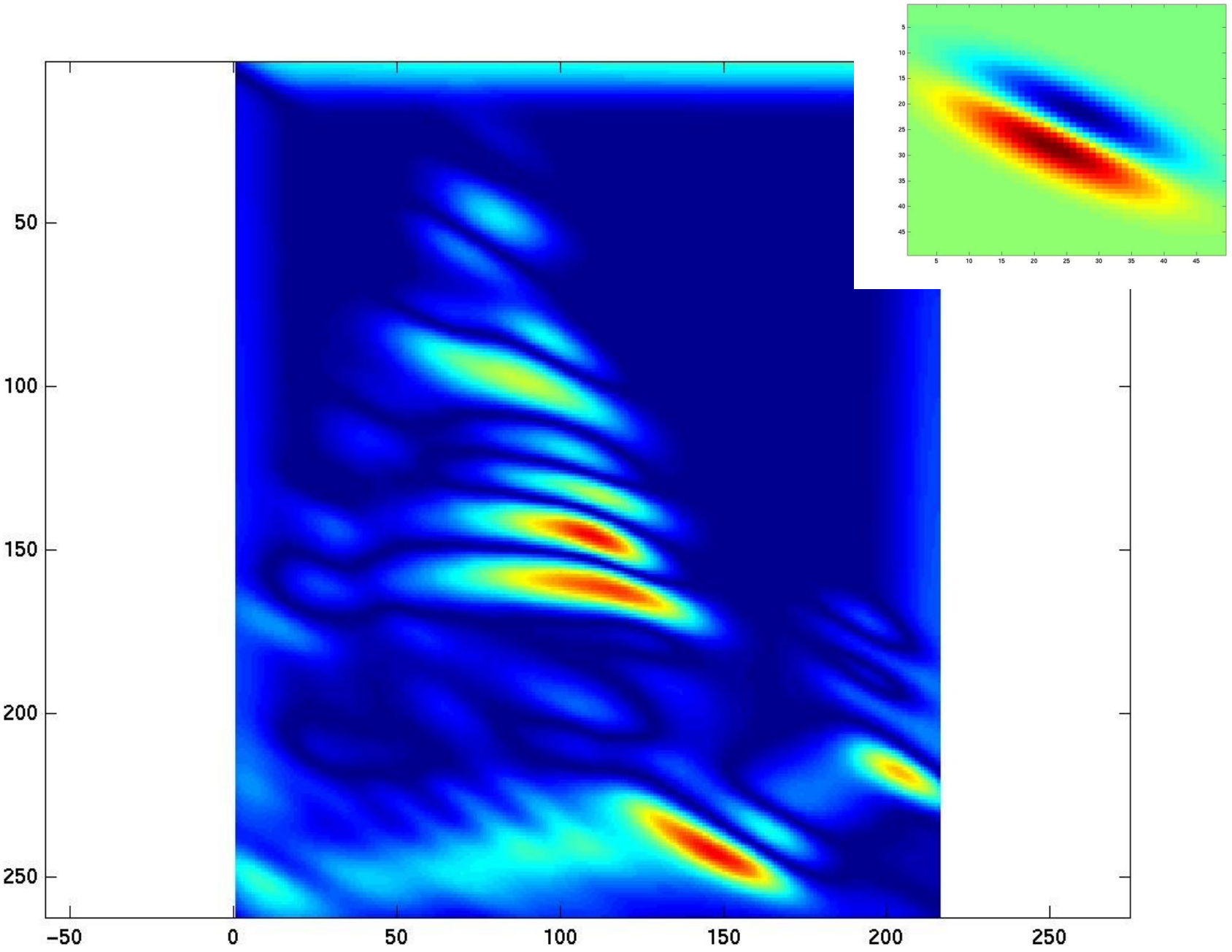

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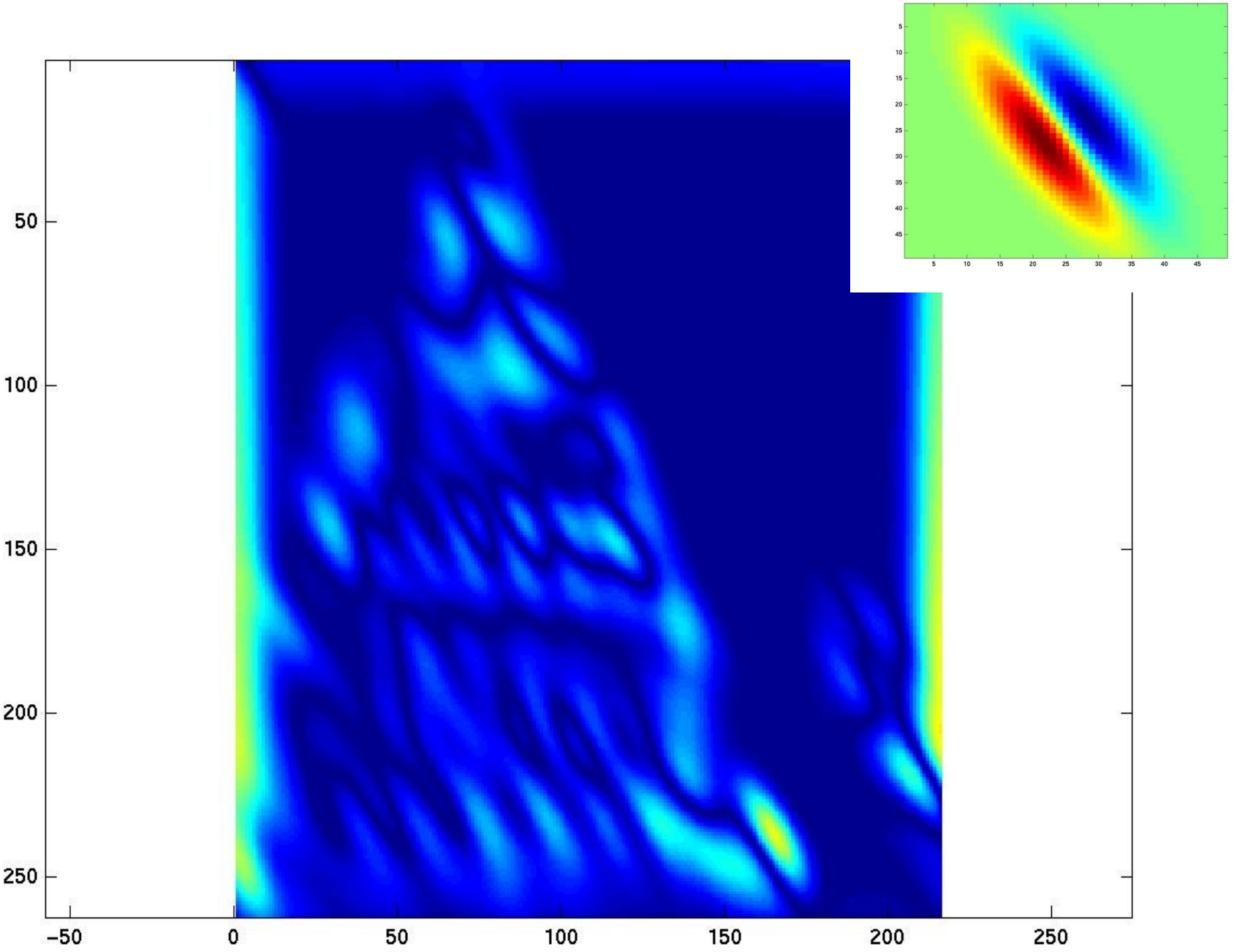

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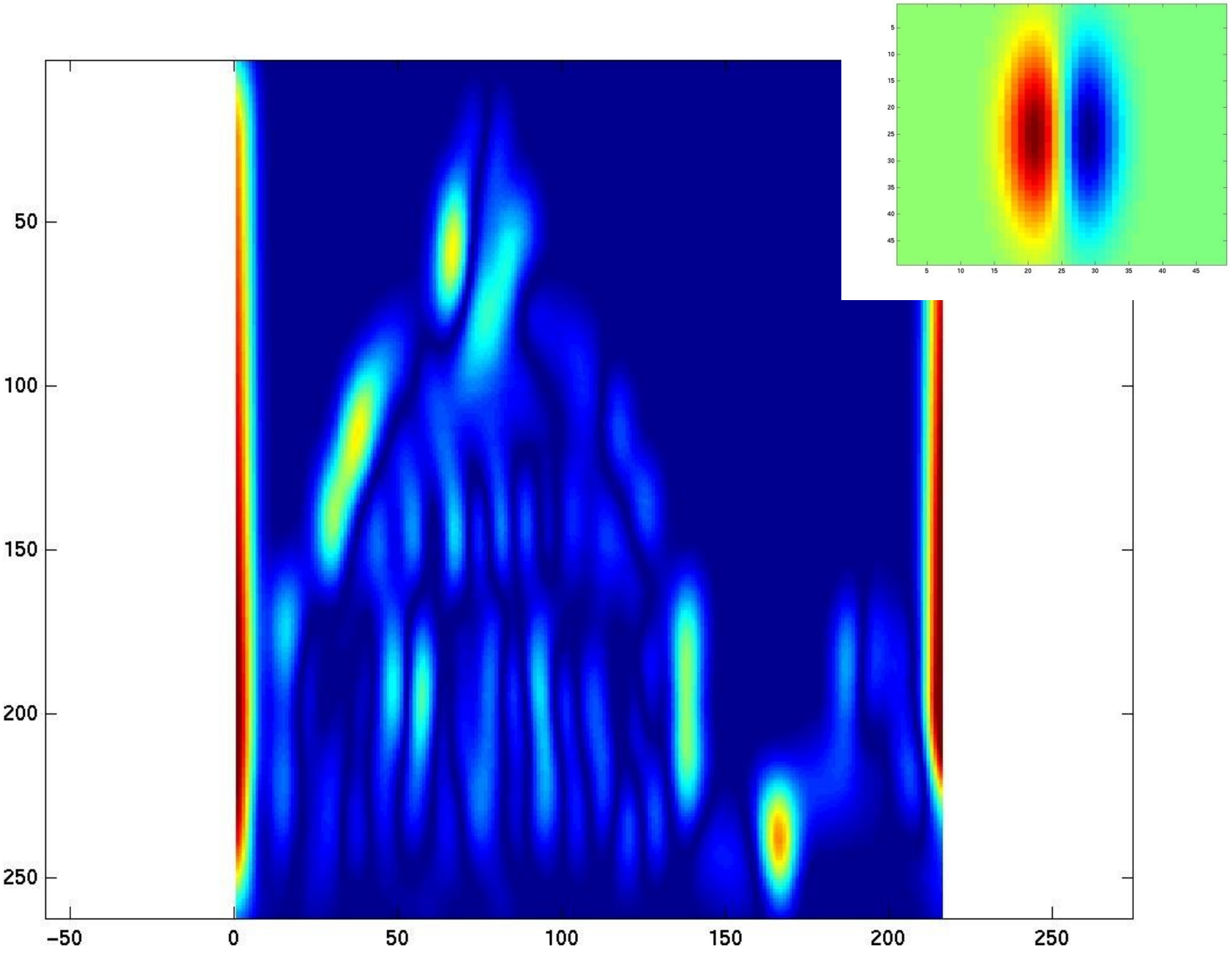

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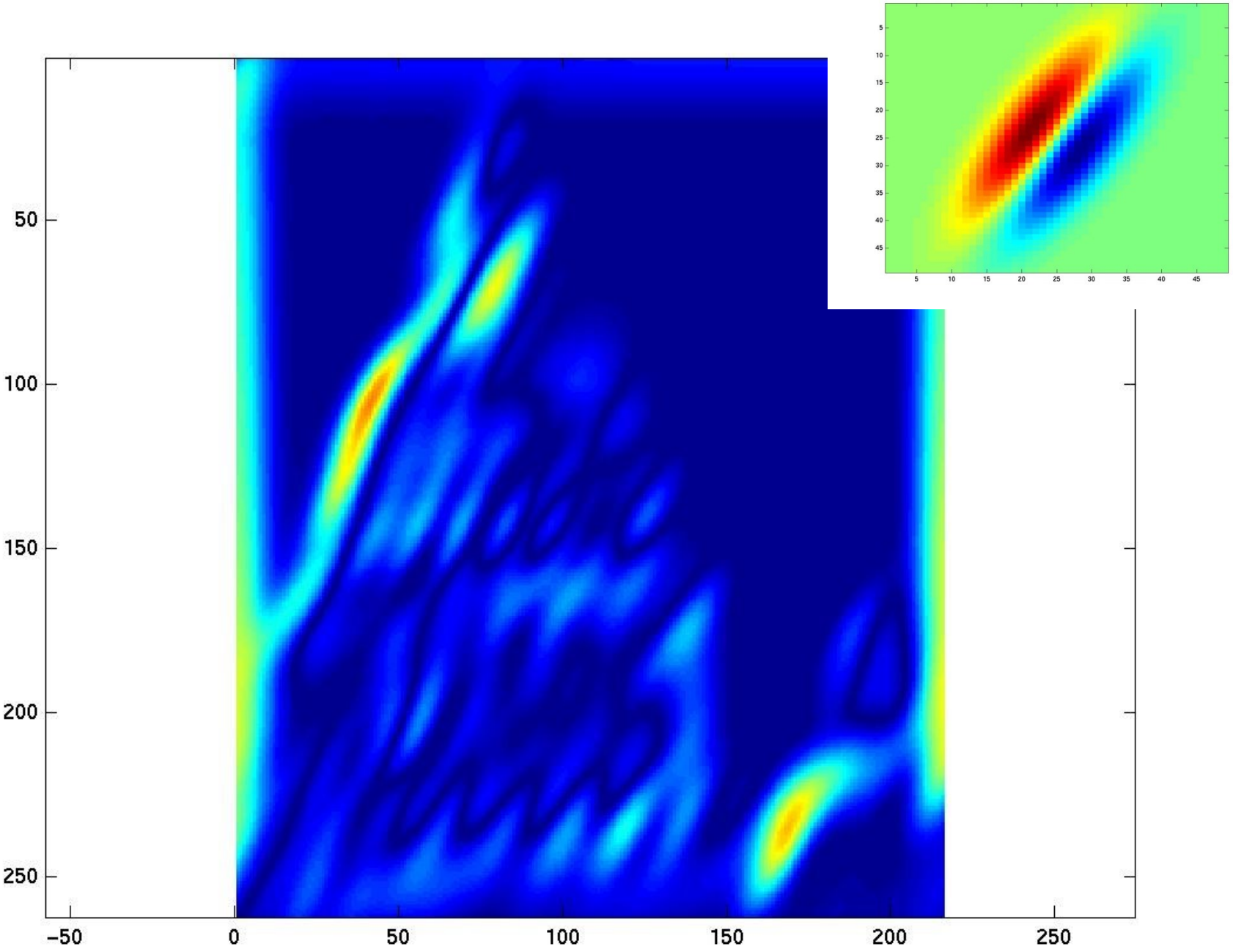

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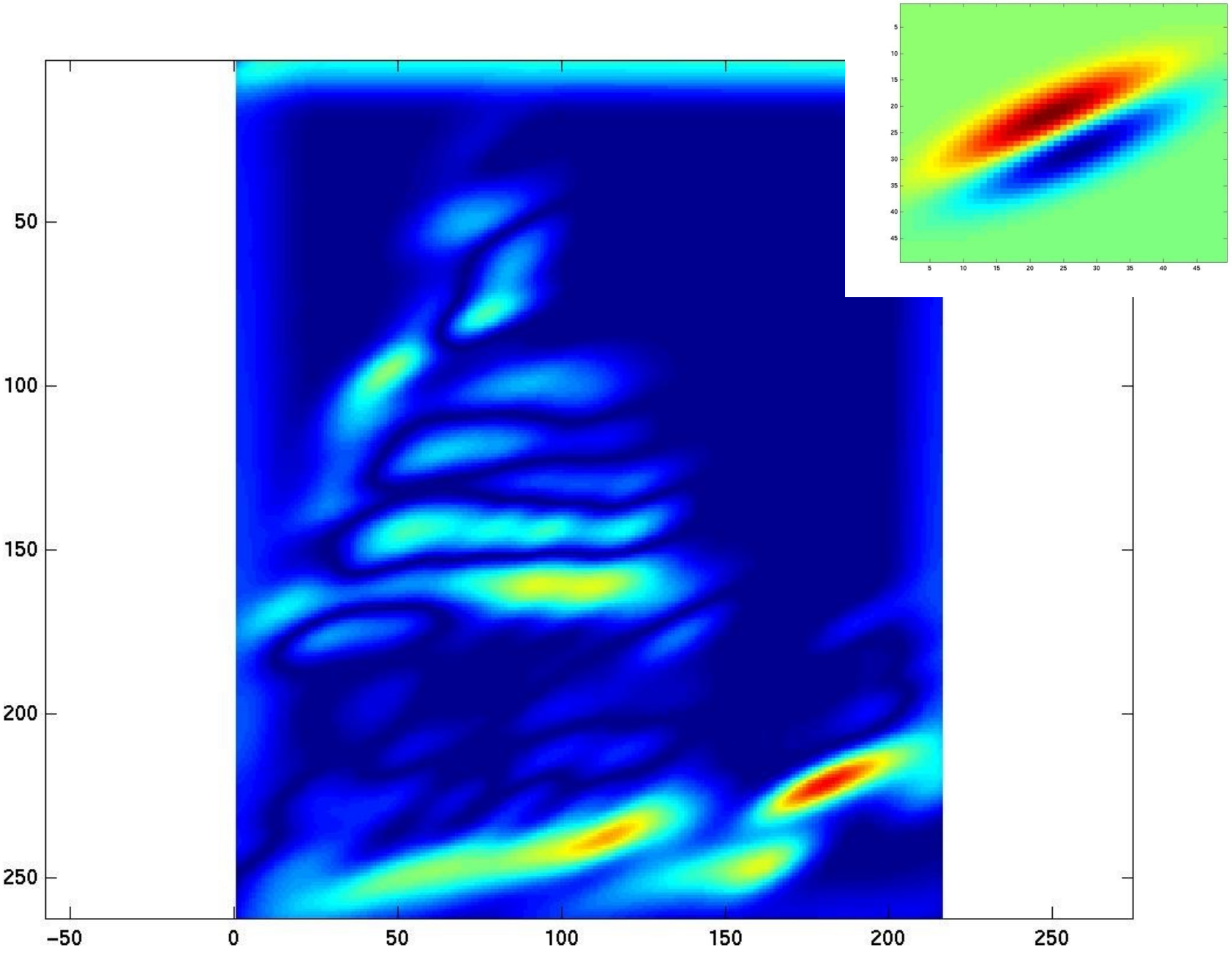
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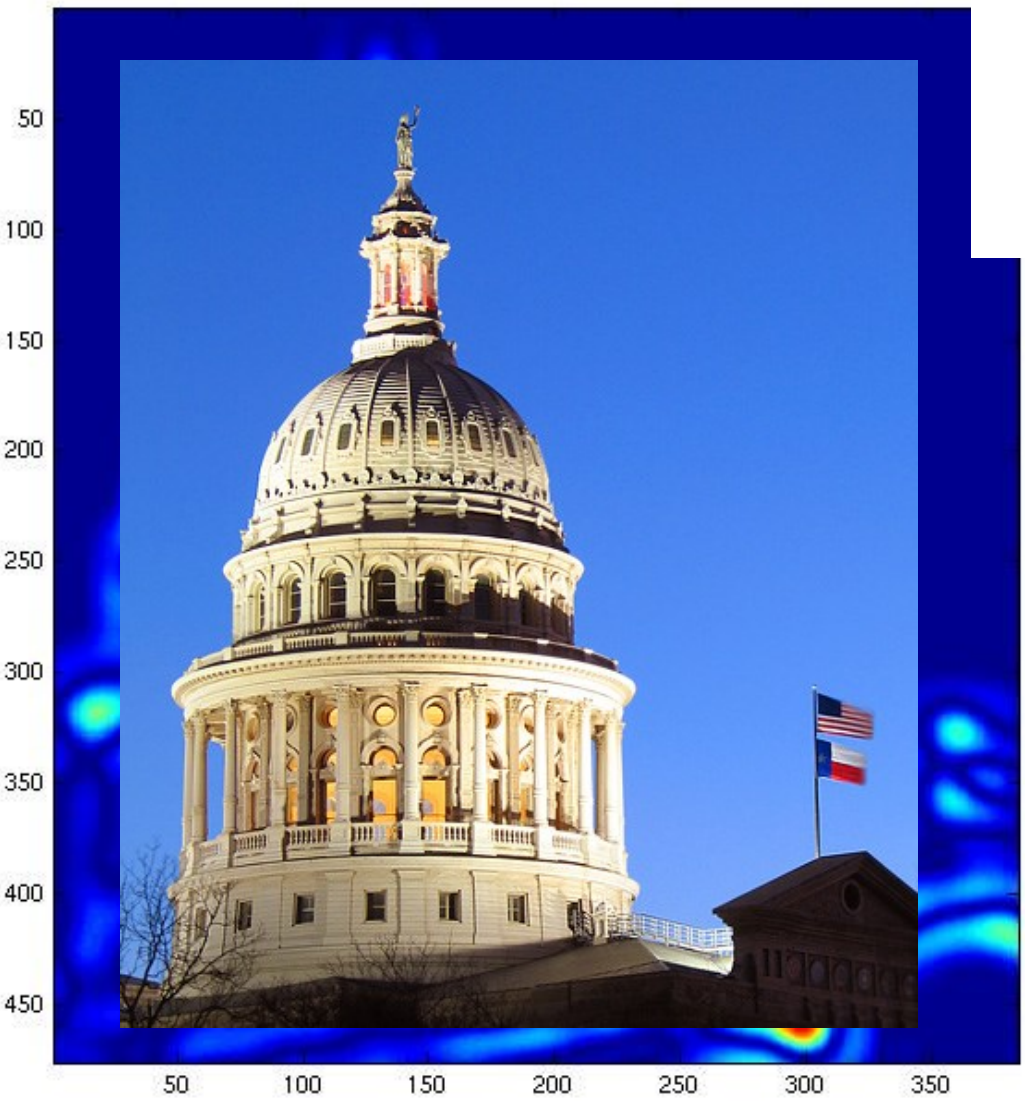
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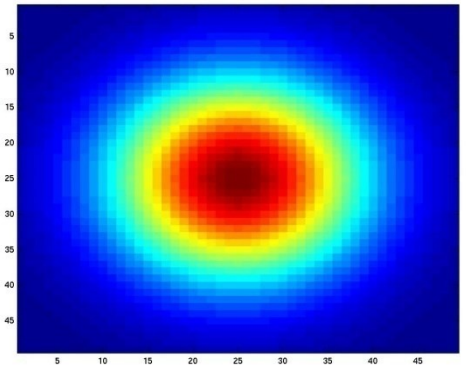
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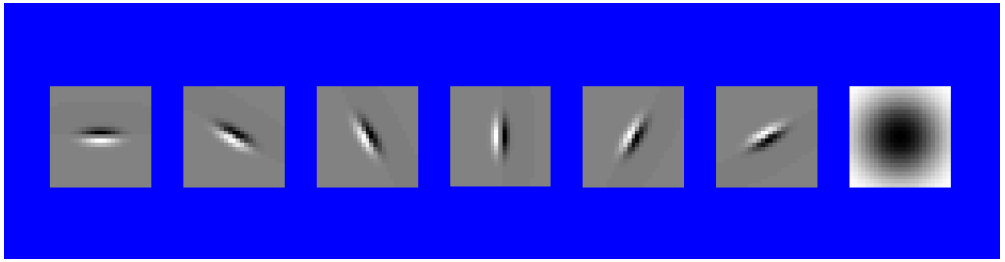
You try: Can you match the texture to the response?

Filters



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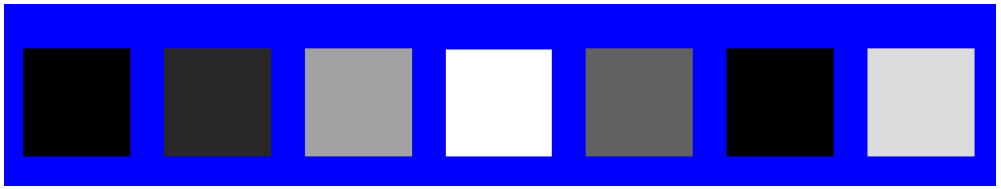

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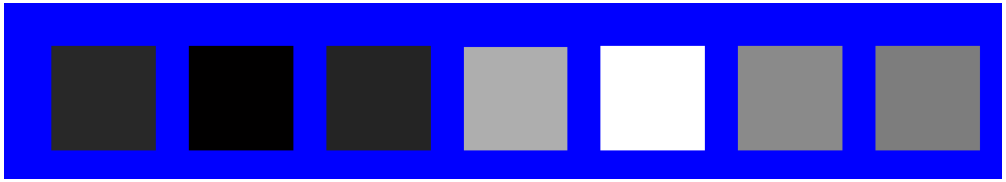

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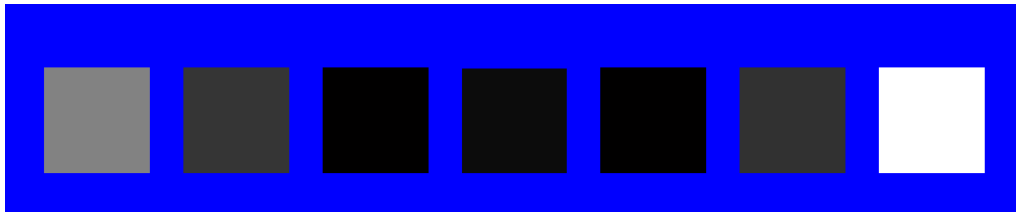
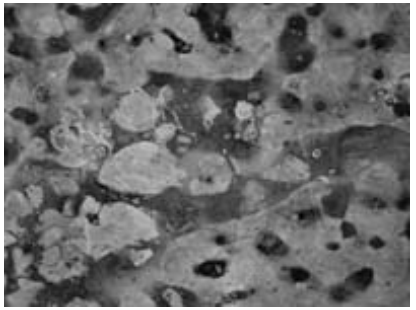


Mean abs responses

A



B

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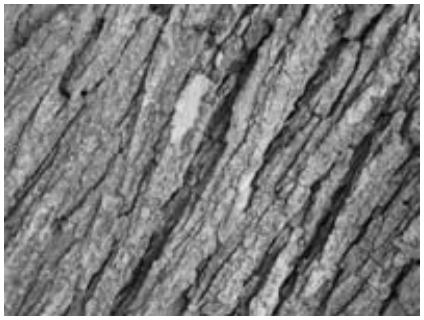
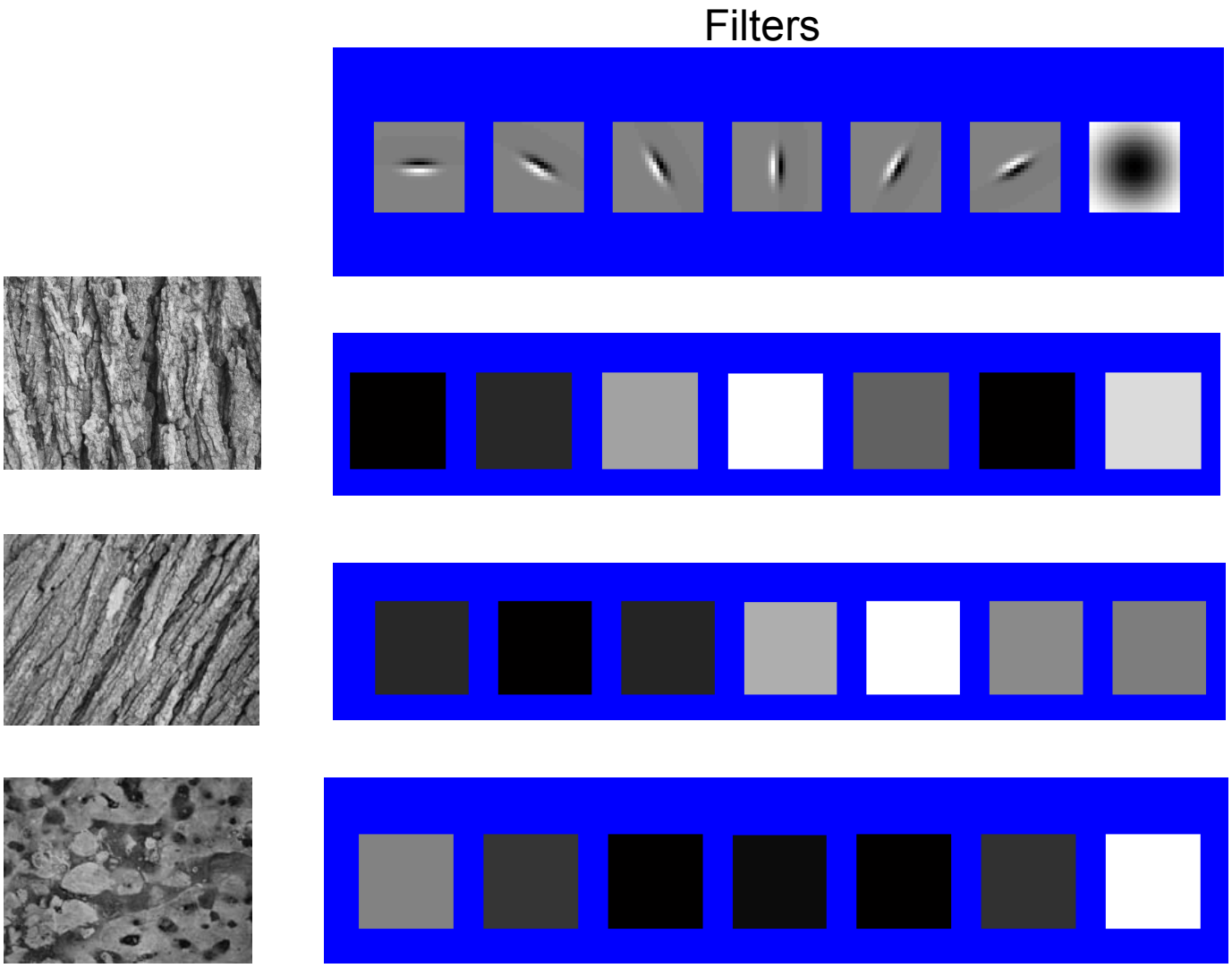
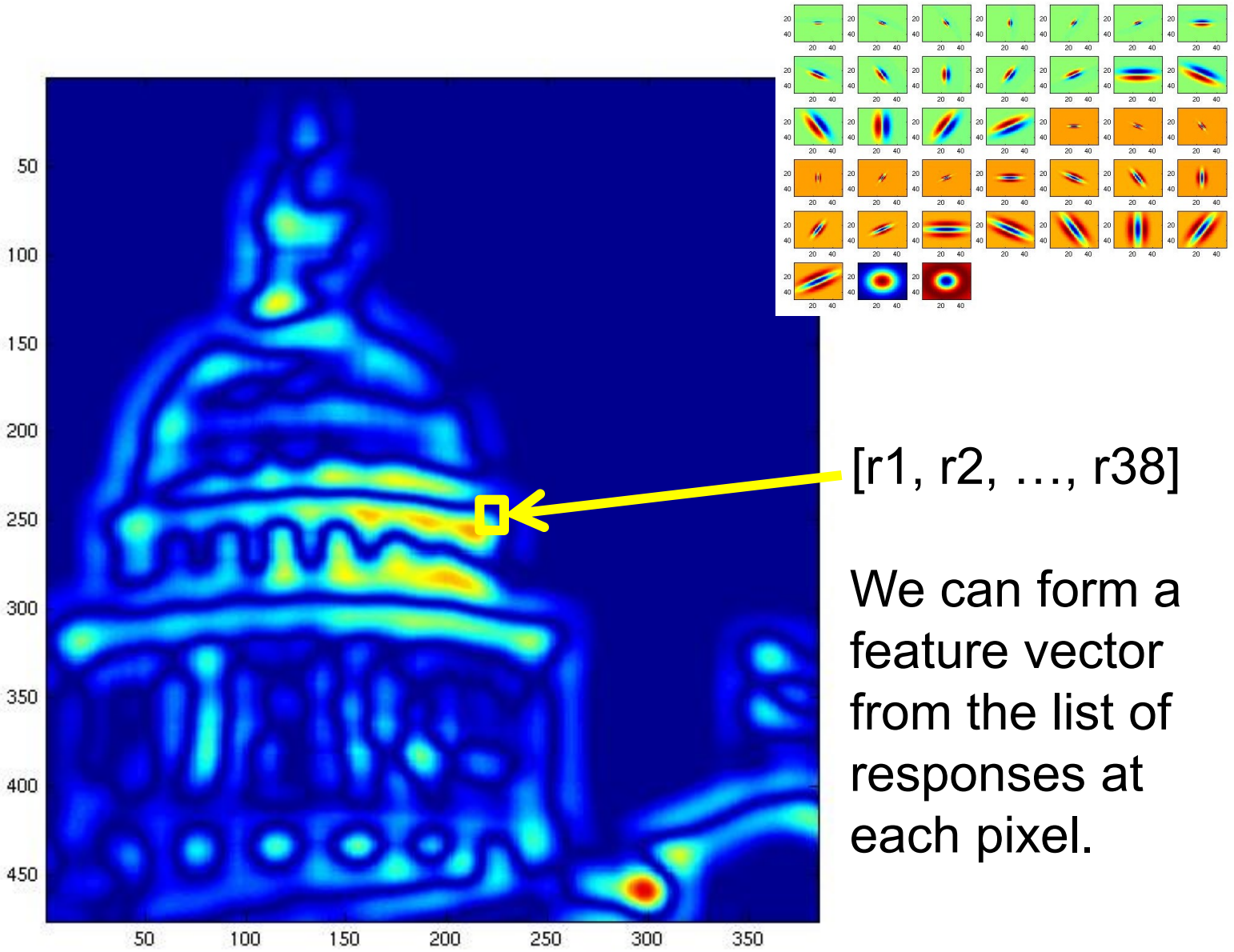


Derek Hoiem

Representing texture by mean abs response



Derek Hoiem



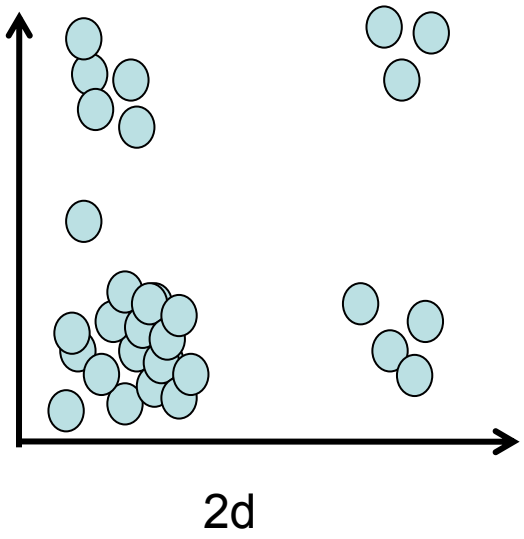
[r1, r2, …, r38]

We can form a feature vector from the list of responses at each pixel.

d-dimensional features

$$D(a,b) = \sqrt{\sum_{i=1}^{d} (a_i - b_i)^2}$$

Euclidean distance (L_2)

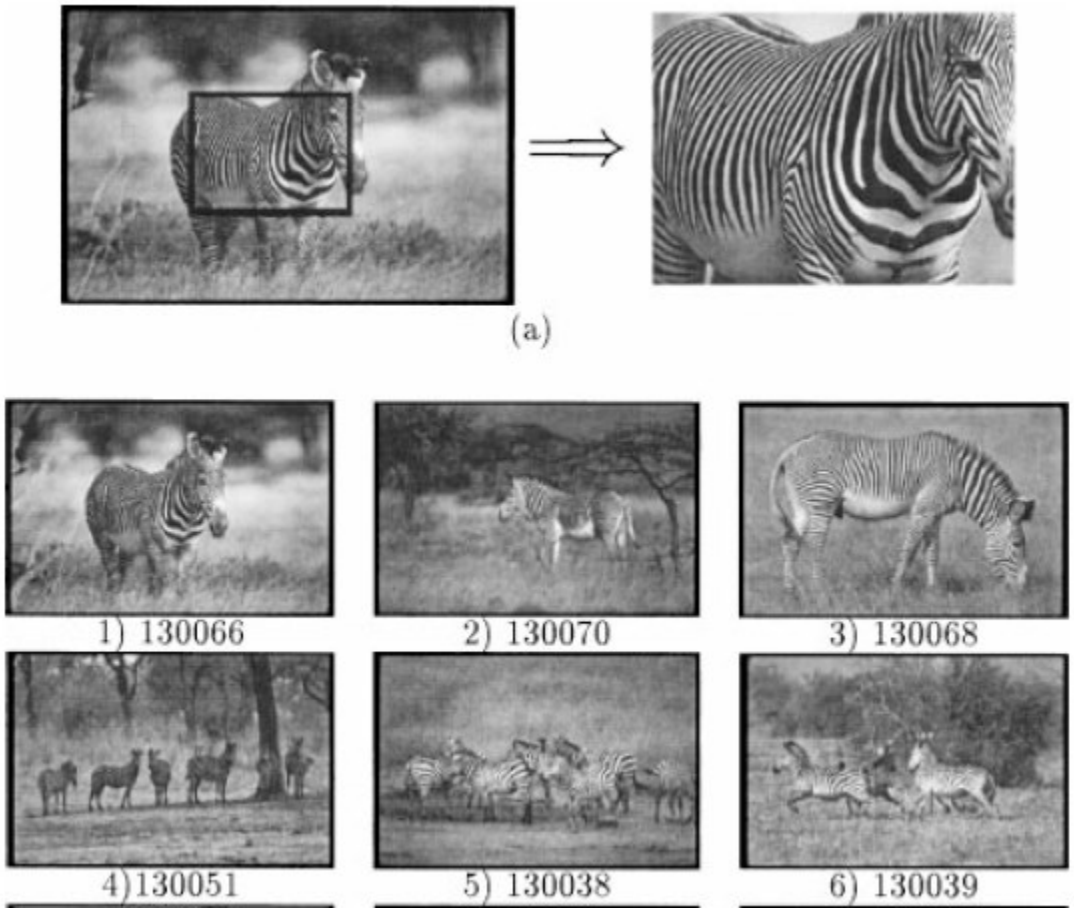


Example uses of texture in vision: analysis

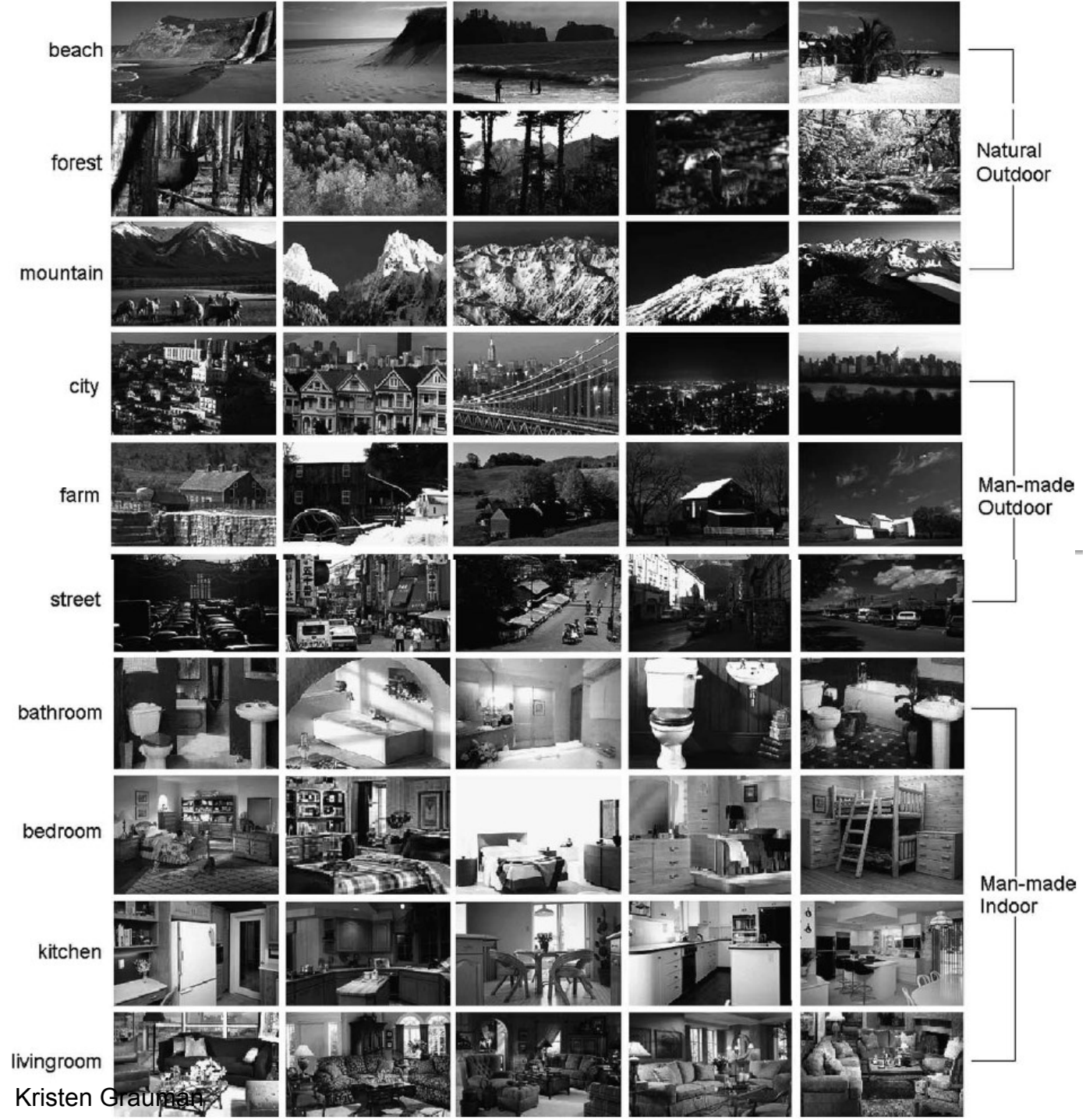
Classifying materials, “stuff”

Figure by Varma & Zisserman

Texture features for image retrieval



Y. Rubner, C. Tomasi, and L. J. Guibas. The earth mover's distance as a metric for image retrieval. *International Journal of Computer Vision*, 40(2):99-121, November 2000,



Characterizing scene categories by texture

L. W. Renninger and J. Malik. When is scene identification just texture recognition? Vision Research 44 (2004) 2301–2311

Segmenting aerial imagery by textures

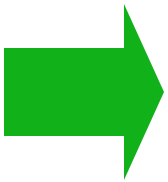
http://www.airventure.org/2004/gallery/images/073104_satellite.jpg

Texture-related tasks

- **Shape from texture**
  - Estimate surface orientation or shape from image texture
- **Segmentation/classification** from texture cues
  - Analyze, represent texture
  - Group image regions with consistent texture
- **Synthesis**
  - Generate new texture patches/images given some examples

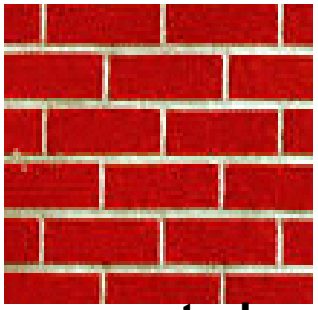
Texture synthesis

- Goal: create new samples of a given texture
- Many applications: virtual environments, hole-filling, texturing surfaces

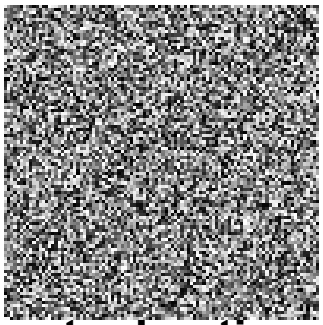


The Challenge

- Need to model the whole spectrum: from repeated to stochastic texture



repeated



stochastic

Both?

Alexei A. Efros and Thomas K. Leung, “Texture Synthesis by Non-parametric Sampling,” Proc. International Conference on Computer Vision (ICCV), 1999.

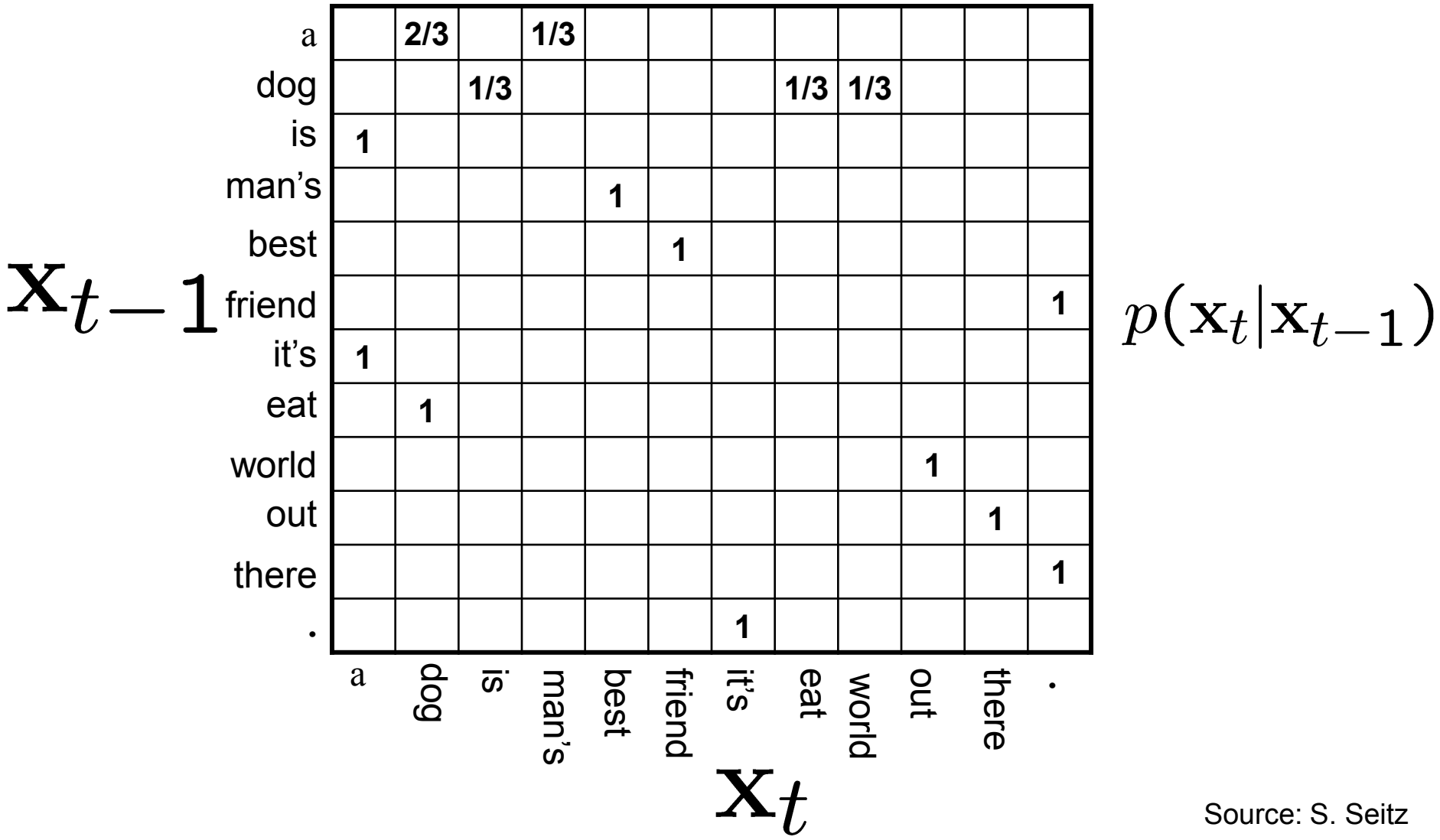
Markov Chains

Markov Chain

- a *sequence* of random variables $\mathbf{x}_1, \mathbf{x}_2, \ldots, \mathbf{x}_n$
- $\mathbf{x}_t$ is the **state** of the model at time t

Markov Chain Example: Text

"A dog is a man's best friend. It's a dog eat dog world out there."



Source: S. Seitz

Text synthesis

Create plausible looking poetry, love letters, term papers, etc.

Most basic algorithm

1. Build probability histogram
   - find all blocks of N consecutive words/letters in training documents
   - compute probability of occurrence $p(\mathbf{x}_t|\mathbf{x}_{t-1},\ldots,\mathbf{x}_{t-(n-1)})$

WE NEED TO EAT CAKE

Source: S. Seitz

Text synthesis

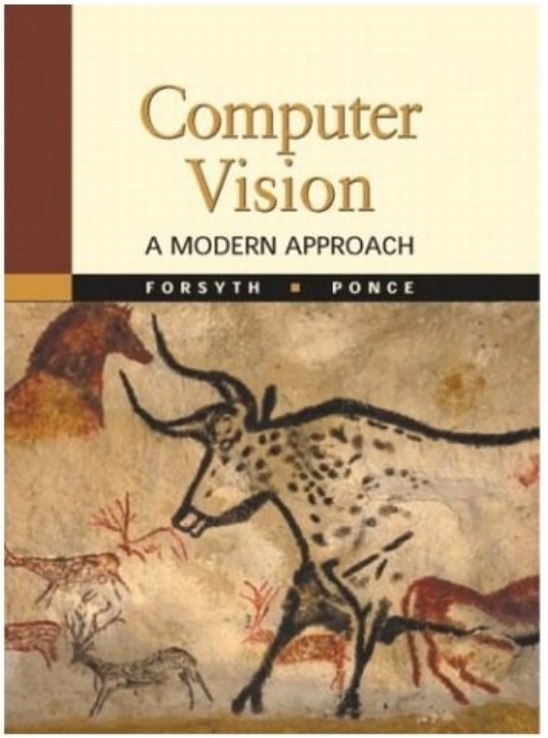
- Results:
  - *“As I've commented before, really relating to someone involves standing next to impossible.”*
  - *"One morning I shot an elephant in my arms and kissed him.”*
  - *"I spent an interesting evening recently with a grain of salt"*

Dewdney, “A potpourri of programmed prose and prosody” *Scientific American,* 1989.

Slide from Alyosha Efros, ICCV 1999

Synthesizing Computer Vision text

- What do we get if we extract the probabilities from a chapter on Linear Filters, and then synthesize new statements?



Check out Yisong Yue's website implementing text generation: build your own text Markov Chain for a given text corpus. http://www.yisongyue.com/shaney/index.php

Synthesized text

- This means we cannot obtain a separate copy of the best studied regions in the sum.
- All this activity will result in the primate visual system.
- The response is also Gaussian, and hence isn't bandlimited.
- Instead, we need to know only its response to any data vector, we need to apply a low pass filter that strongly reduces the content of the Fourier transform of a very large standard deviation.
- It is clear how this integral exist (it is sufficient for all pixels within a 2k +1 × 2k +1 × 2k +1 × 2k + 1 — required for the images separately.

Markov Random Field

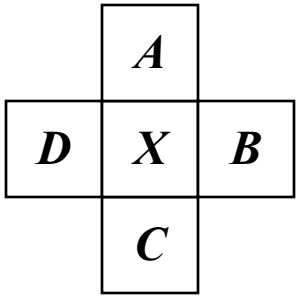
A Markov random field (MRF)

- generalization of Markov chains to two or more dimensions.

First-order MRF:

- probability that pixel *X* takes a certain value given the values of neighbors *A*, *B*, *C*, and *D*:

$$P(\mathbf{X}|\mathbf{A},\mathbf{B},\mathbf{C},\mathbf{D})$$



Source: S. Seitz

Texture Synthesis [Efros & Leung, ICCV 99]

Can apply 2D version of text synthesis

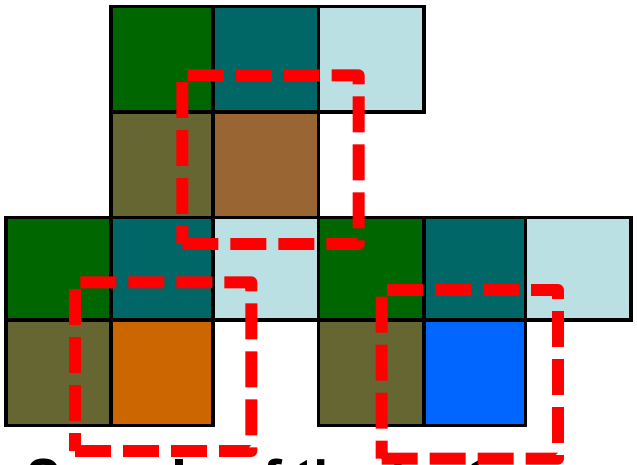
Texture corpus (sample)

Output

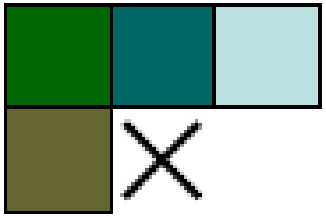
Texture synthesis: intuition

Before, we inserted the next word based on existing nearby words…

Now we want to insert **pixel intensities** based on existing nearby pixel values.



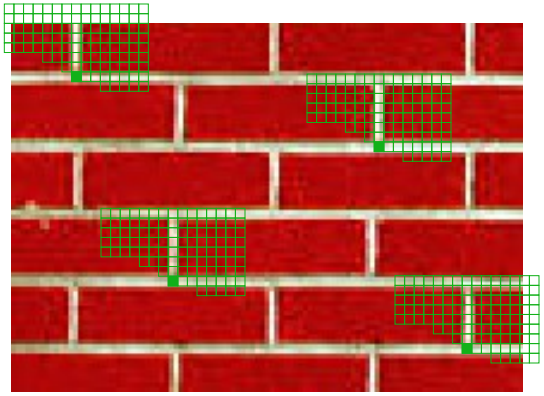
Sample of the texture ("corpus")



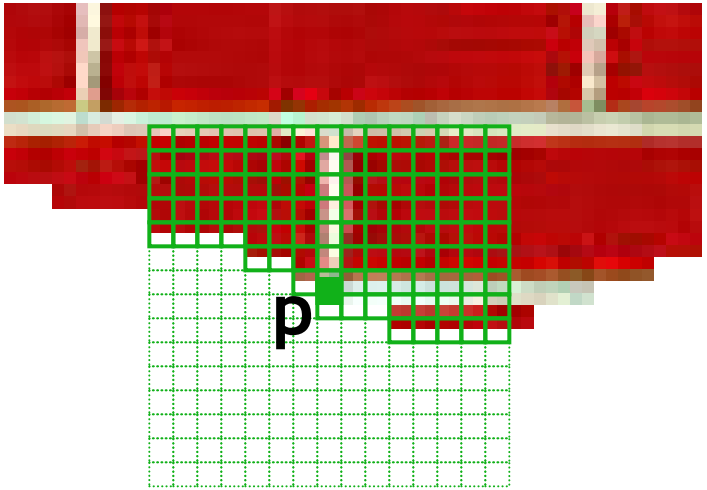
Place we want to insert next

Distribution of a value of a pixel is conditioned on its neighbors alone.

Synthesizing One Pixel



input image

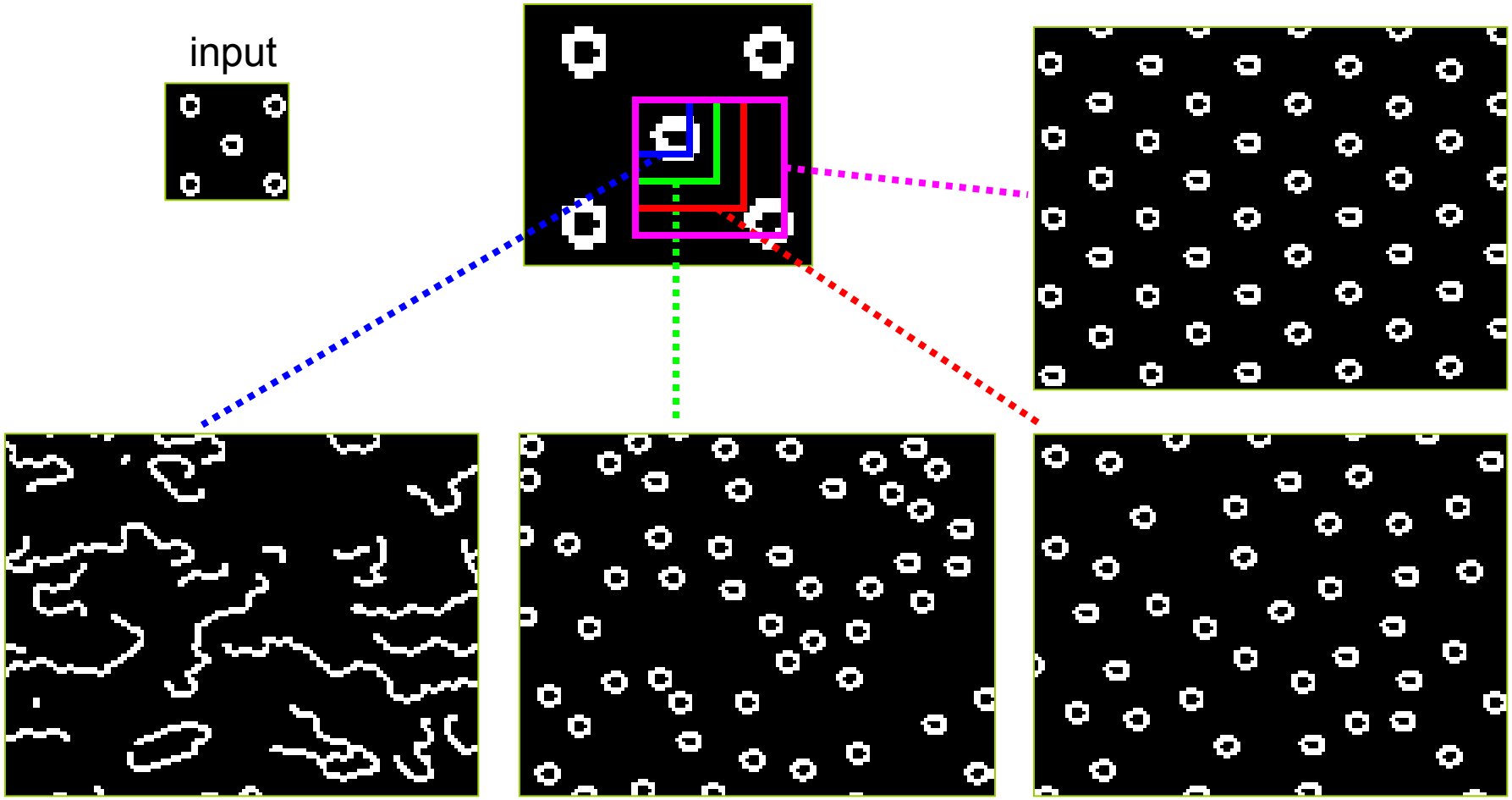


synthesized image

- What is $P(\mathbf{x}|\text{neighborhood of pixels around x})$?
- Find all the windows in the image that match the neighborhood
- To synthesize **x**
  - pick one matching window at random
  - assign **x** to be the center pixel of that window
- An **exact** neighbourhood match might not be present, so find the **best** matches using **SSD error** and randomly choose between them, preferring better matches with higher probability

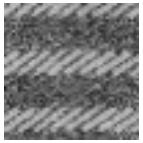
Slide from Alyosha Efros, ICCV 1999

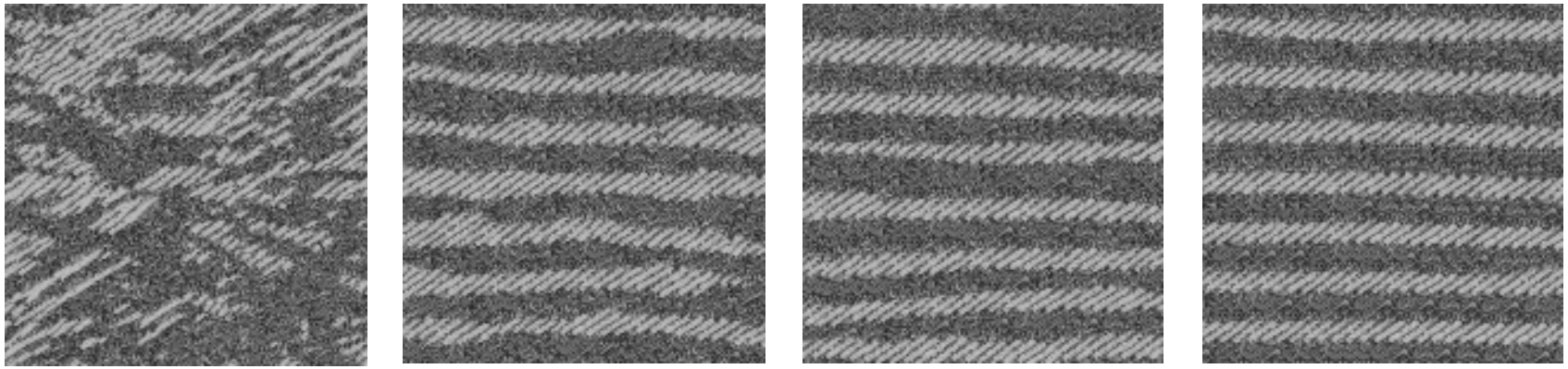
Neighborhood Window

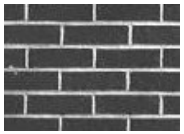


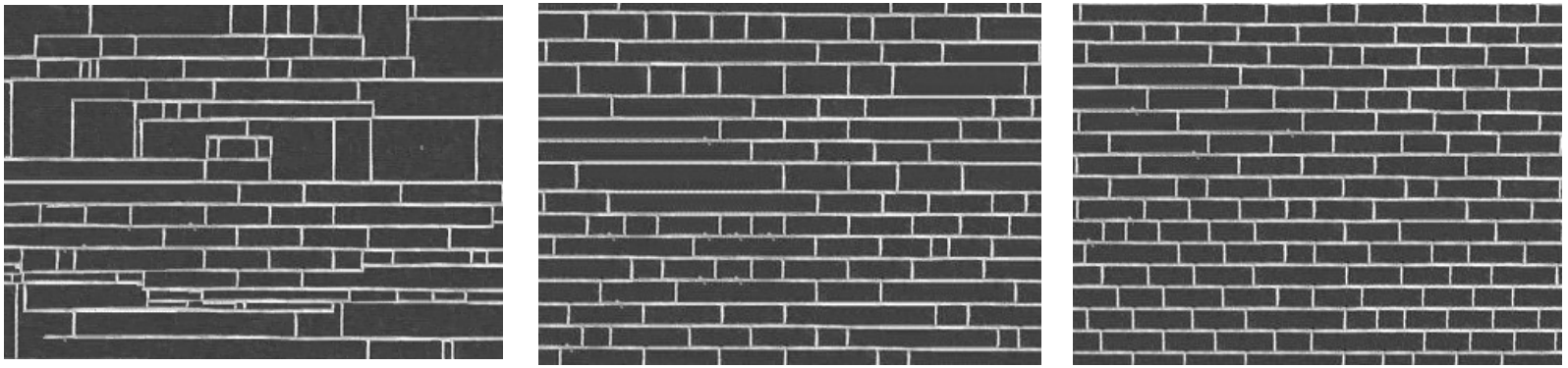
Slide from Alyosha Efros, ICCV 1999

Varying Window Size









Increasing window size

Slide from Alyosha Efros, ICCV 1999

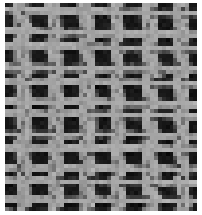
Growing Texture

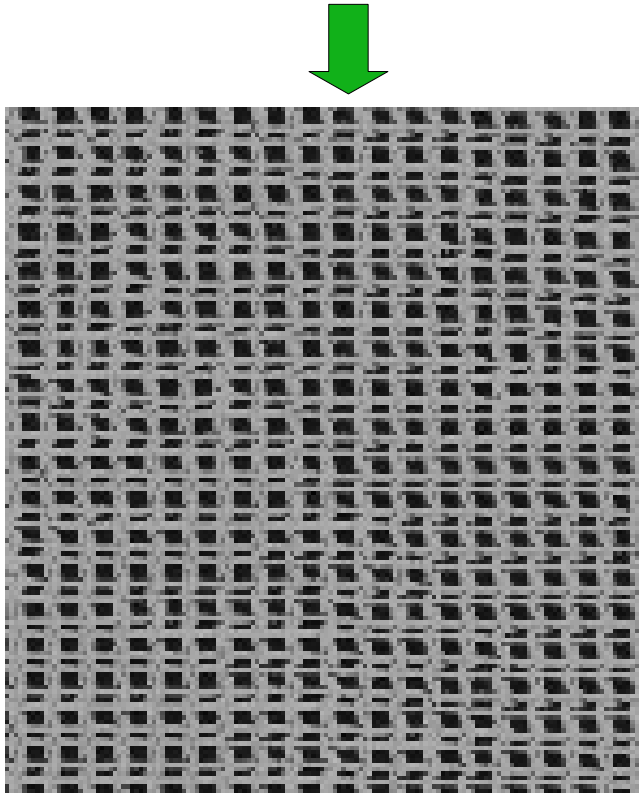
- Starting from the initial image, "grow" the texture one pixel at a time

Slide from Alyosha Efros, ICCV 1999

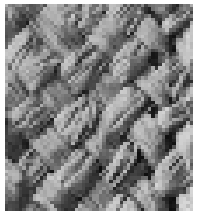
Synthesis results

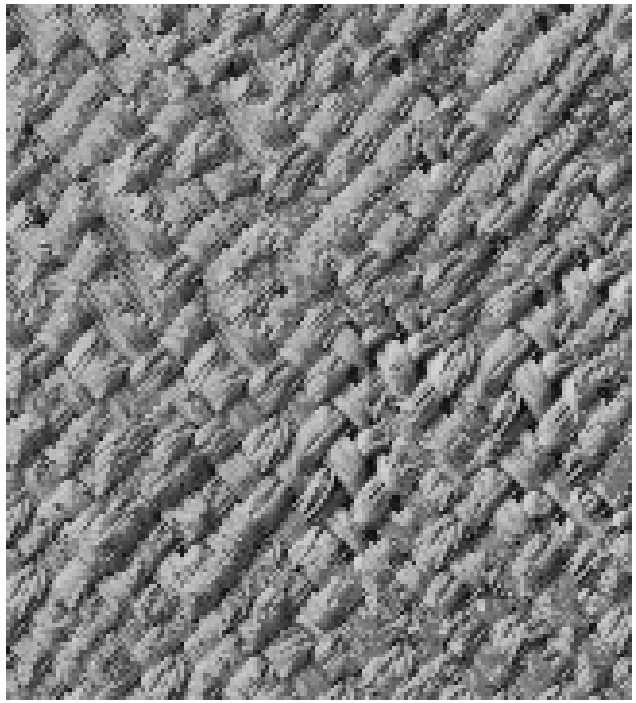
french canvas





rafia weave



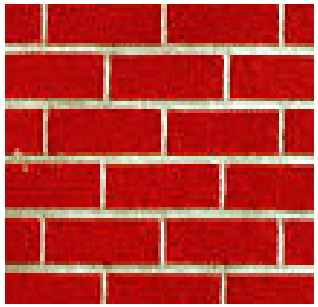


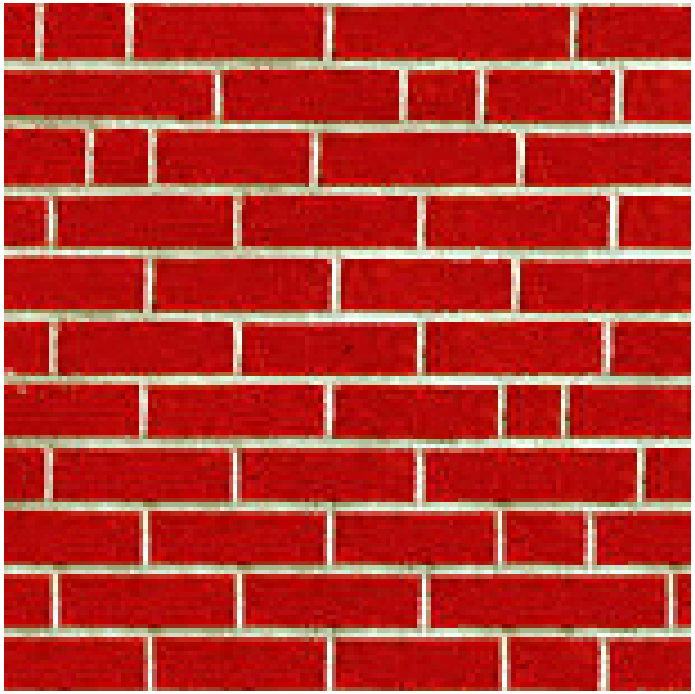
Slide from Alyosha Efros, ICCV 1999

Synthesis results

white bread

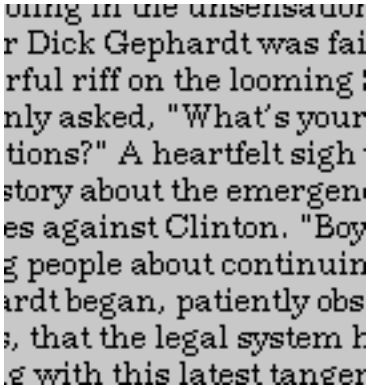
brick wall

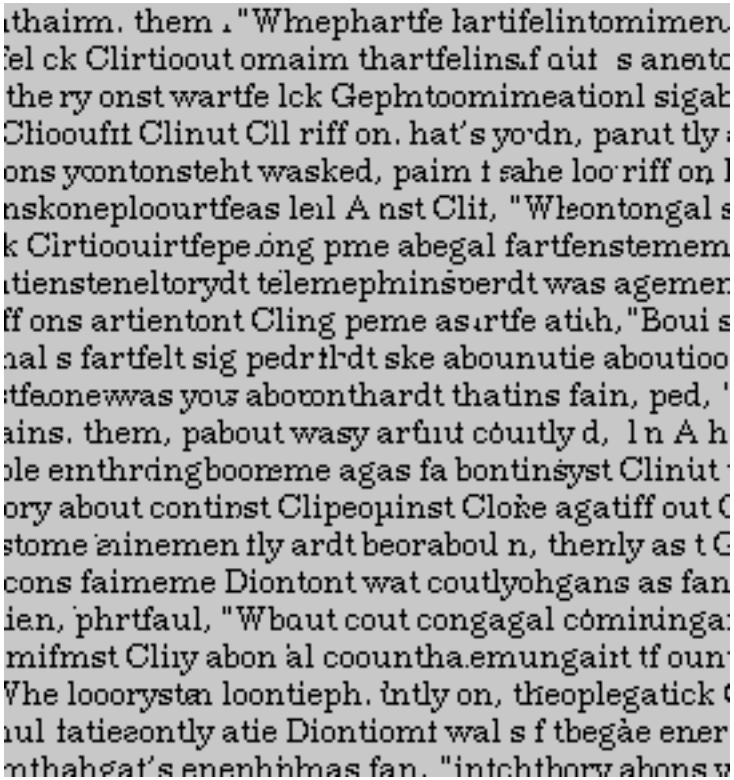




Slide from Alyosha Efros, ICCV 1999

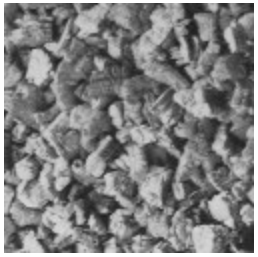
Synthesis results

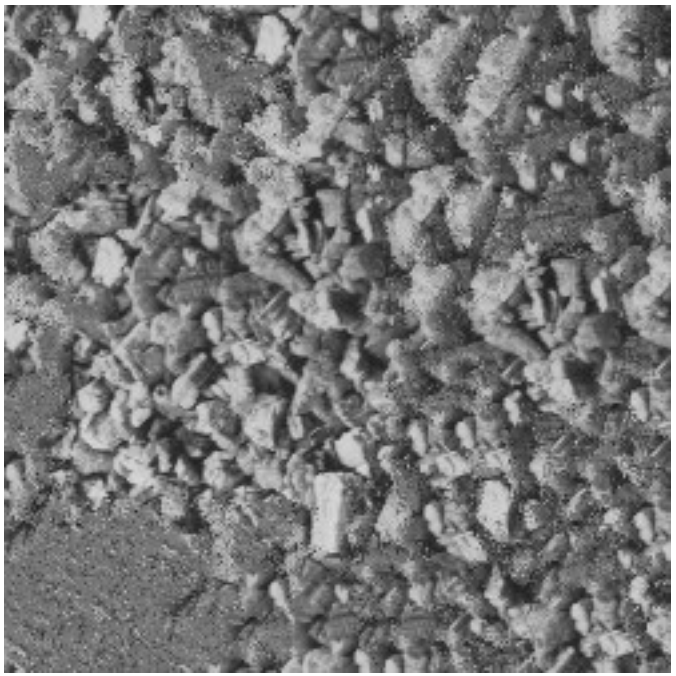




Slide from Alyosha Efros, ICCV 1999

Failure Cases



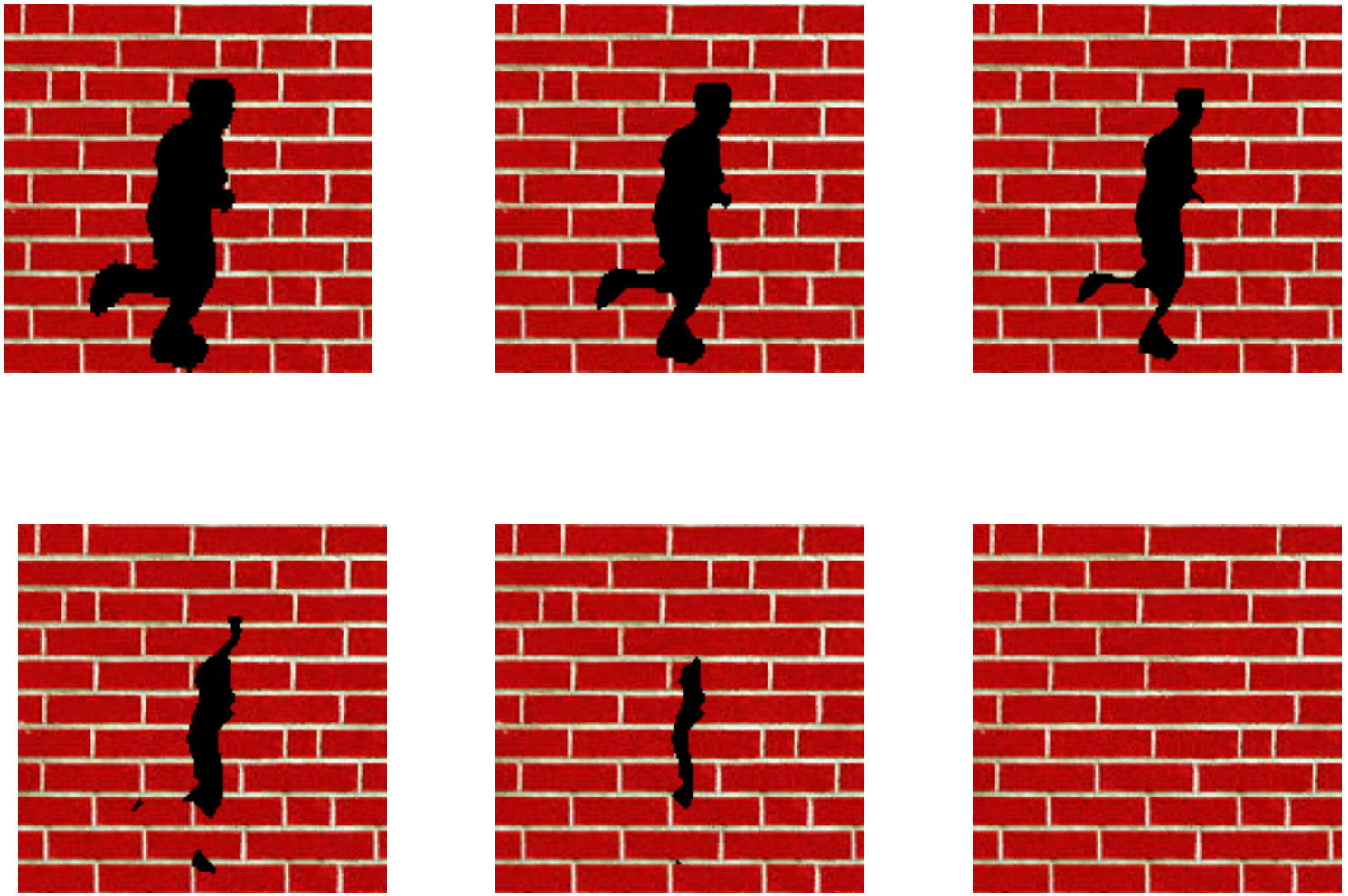


Growing garbage

Verbatim copying

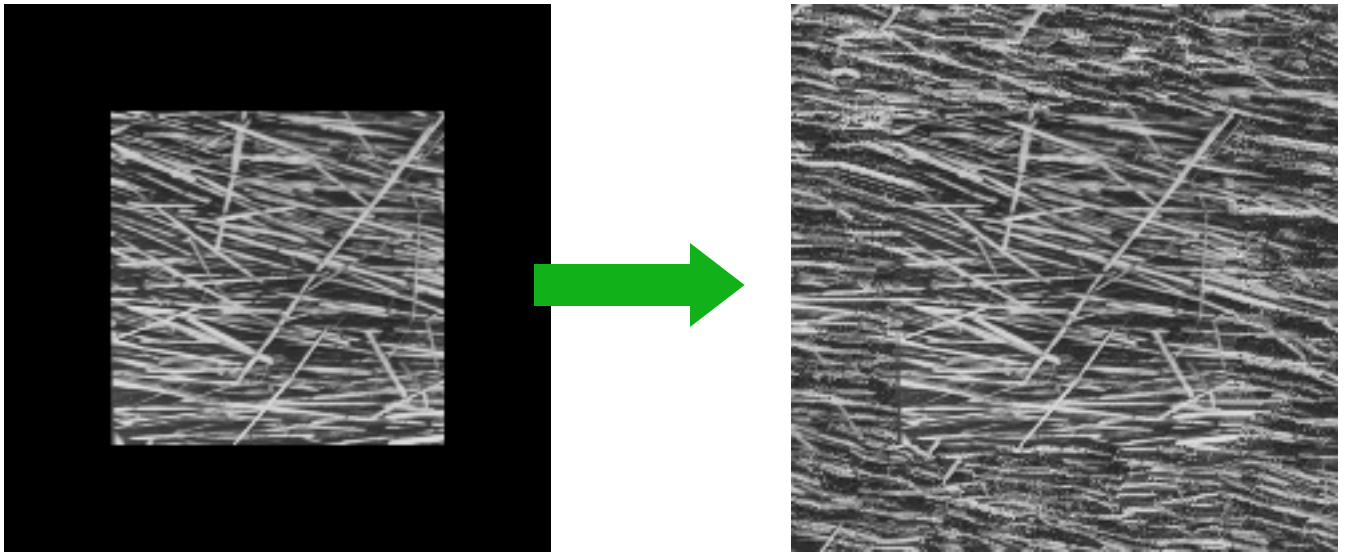
Slide from Alyosha Efros, ICCV 1999

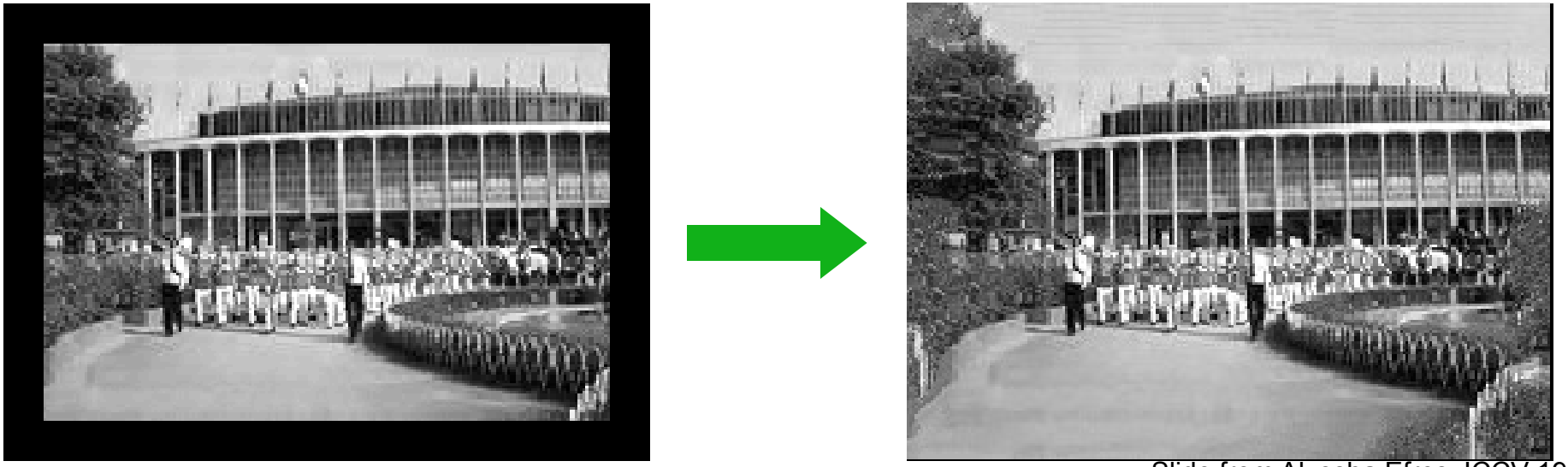
Hole Filling



Slide from Alyosha Efros, ICCV 1999

Extrapolation

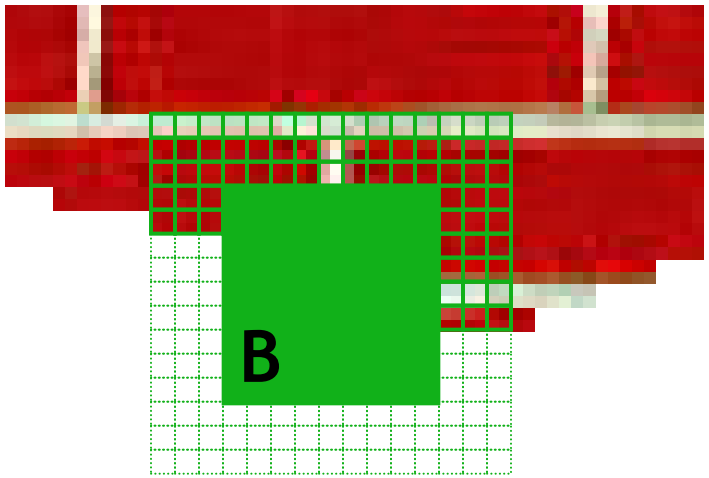




Slide from Alyosha Efros, ICCV 1999

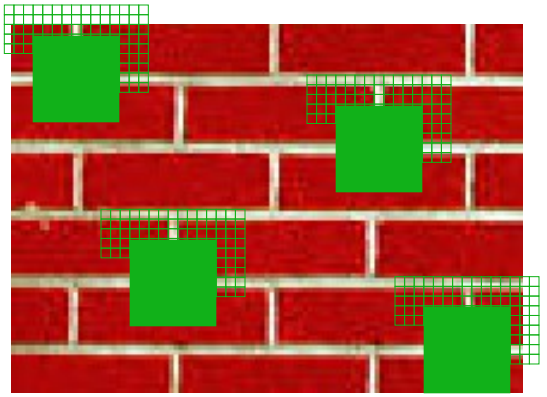
- The Efros & Leung algorithm
  - Simple
  - Surprisingly good results
  - Synthesis is easier than analysis!
  - …but very slow

Image Quilting [Efros & Freeman 2001]



Synthesizing a block

non-parametric sampling



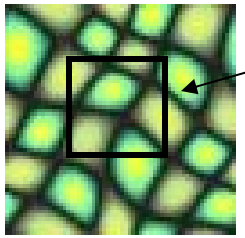
Input image

- Observation: neighbor pixels are highly correlated

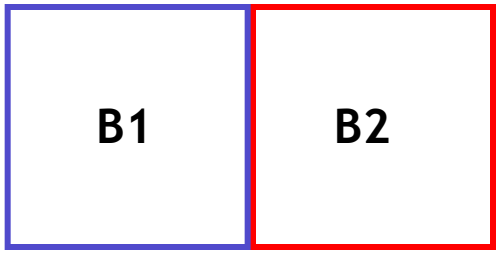
Idea: unit of synthesis = block

- Exactly the same but now we want P(**B**|N(**B**))
- Much faster: synthesize all pixels in a block at once

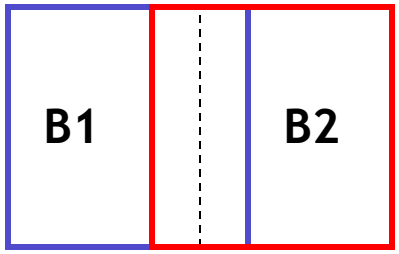
Slide from Alyosha Efros, ICCV 1999



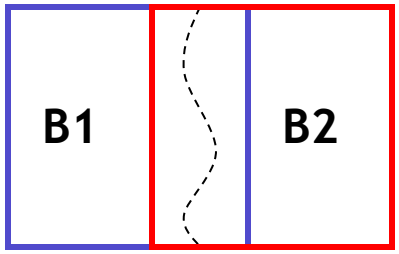
Input texture



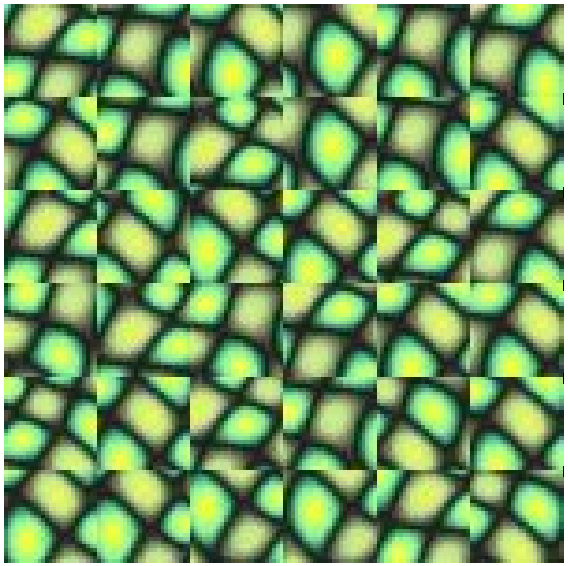
Random placement of blocks

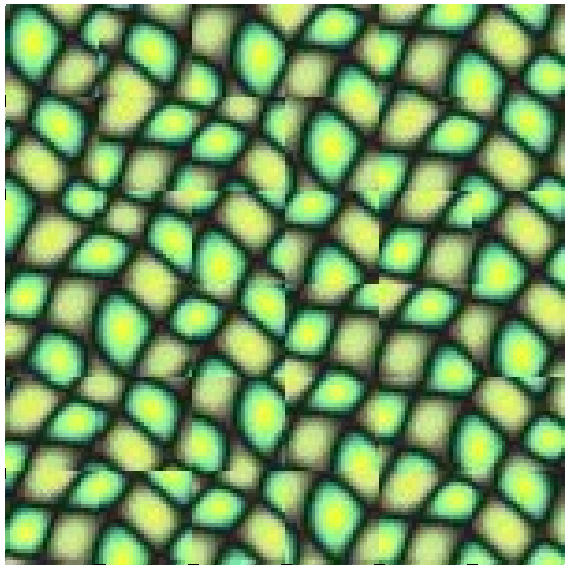


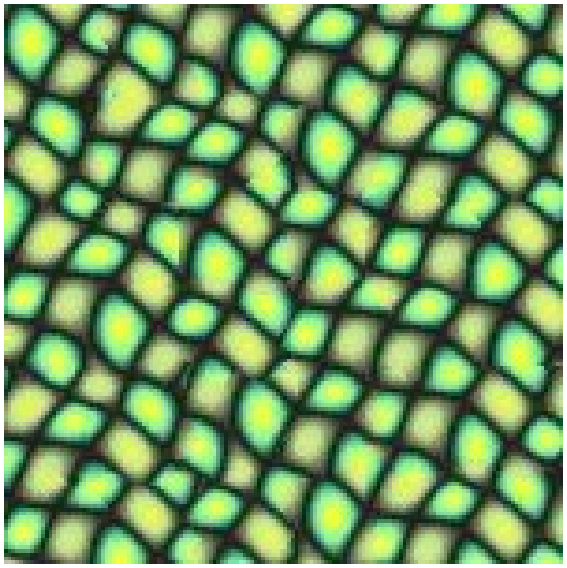
Neighboring blocks constrained by overlap



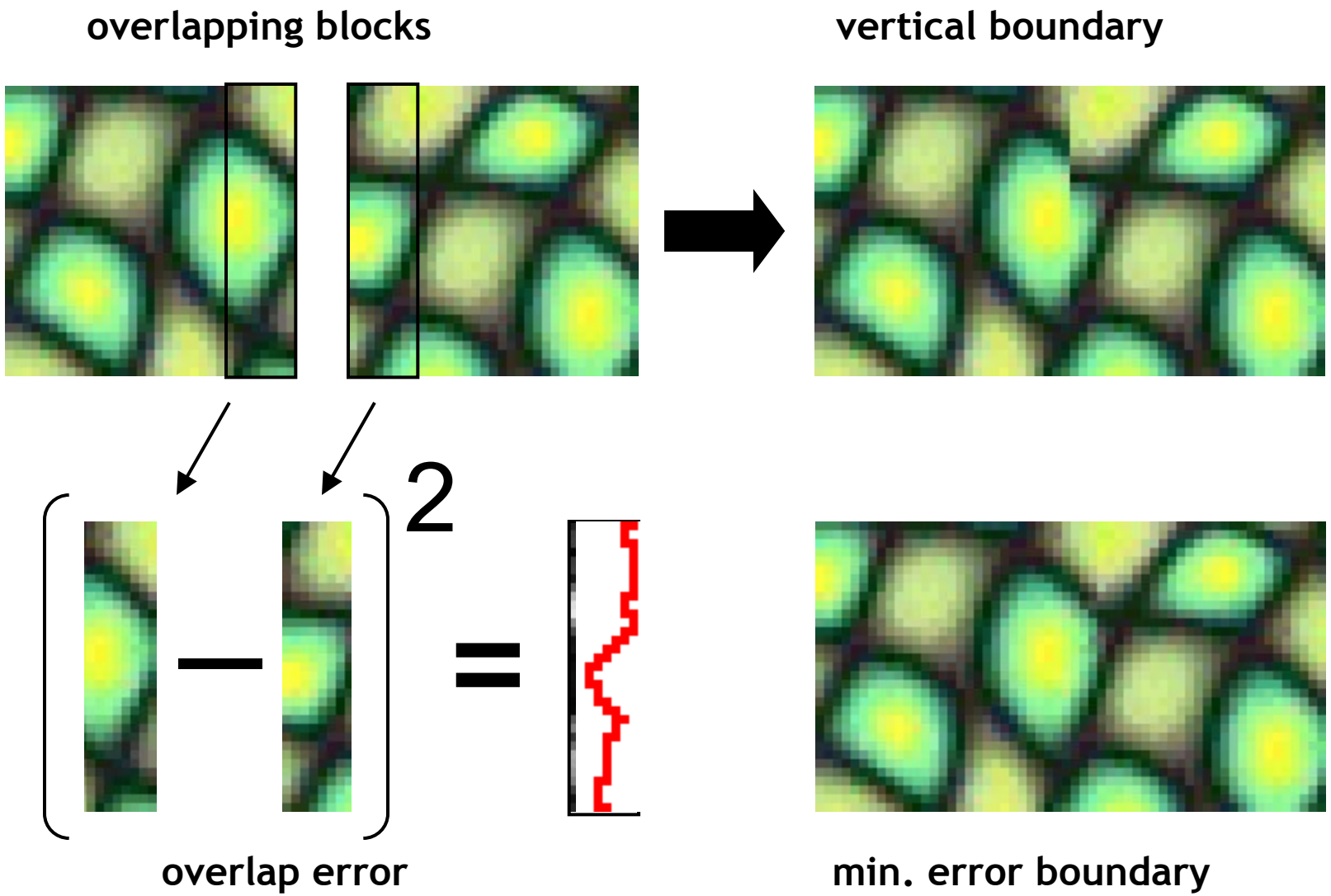
Minimal error boundary cut



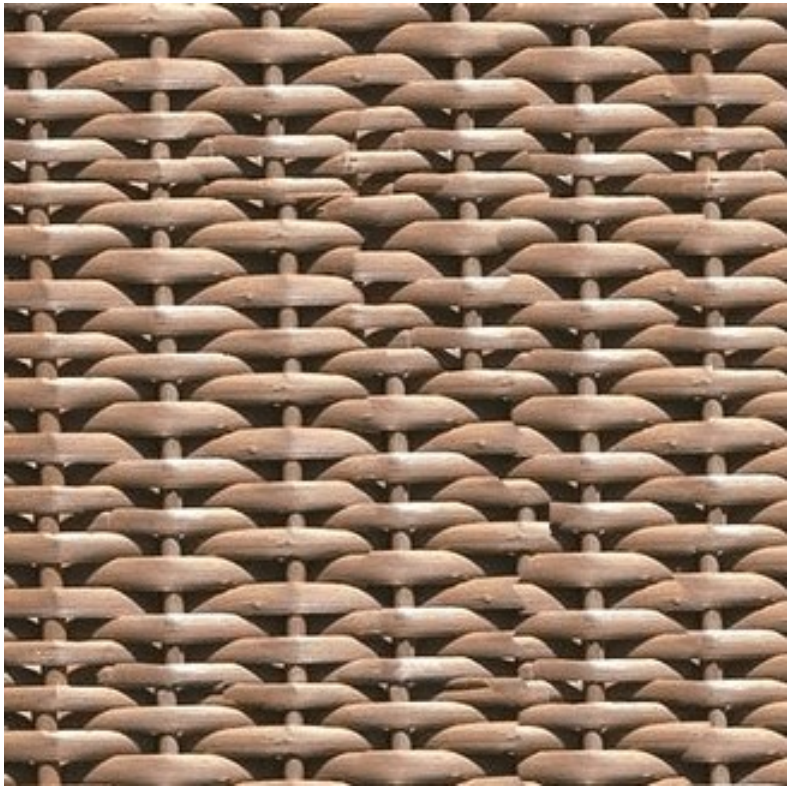


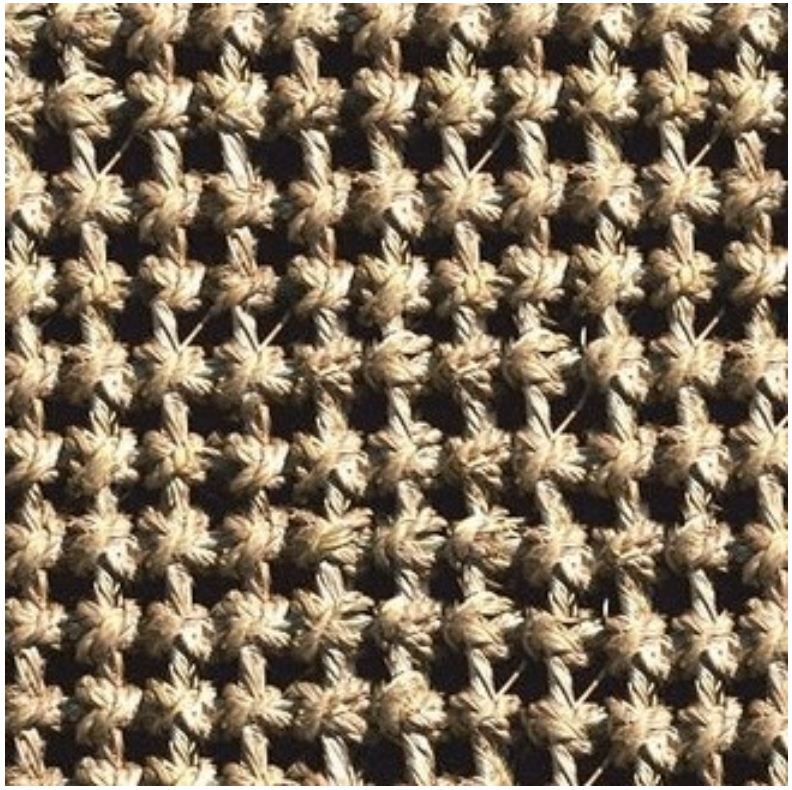


Minimal error boundary



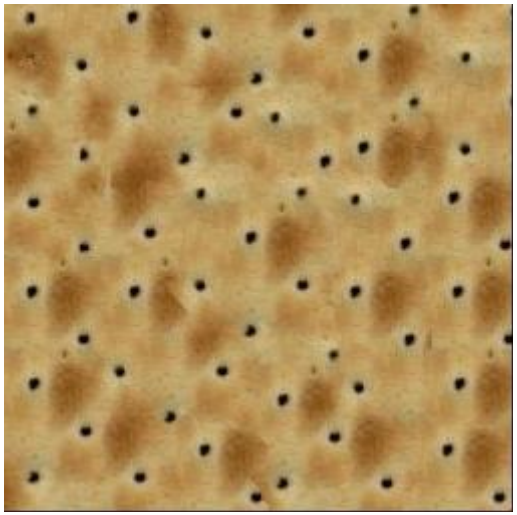
Slide from Alyosha Efros





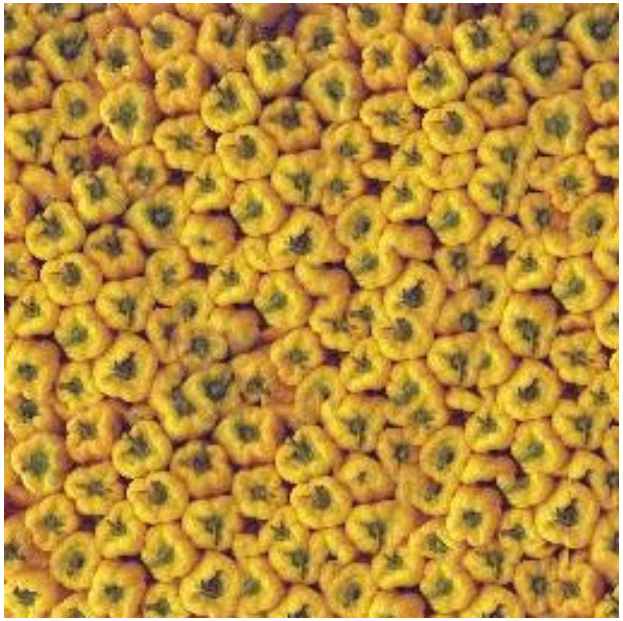

College Inn
Chicken Broth


College Inn
Chicken Broth





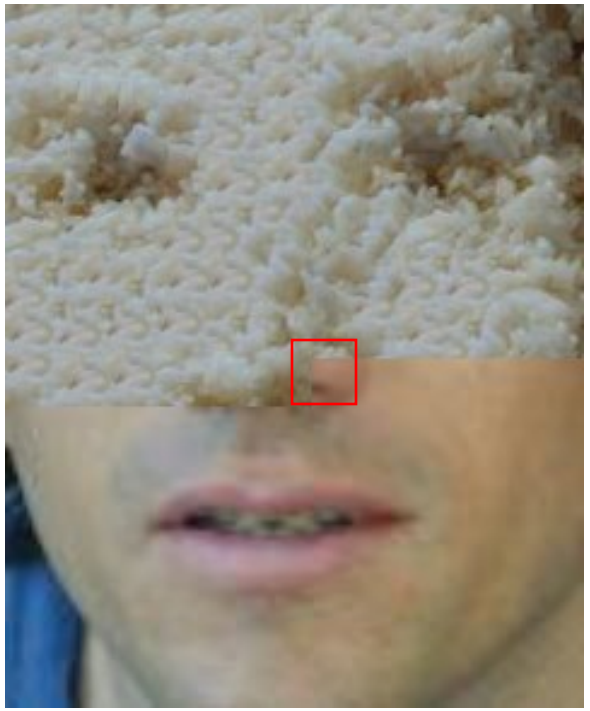


Failures

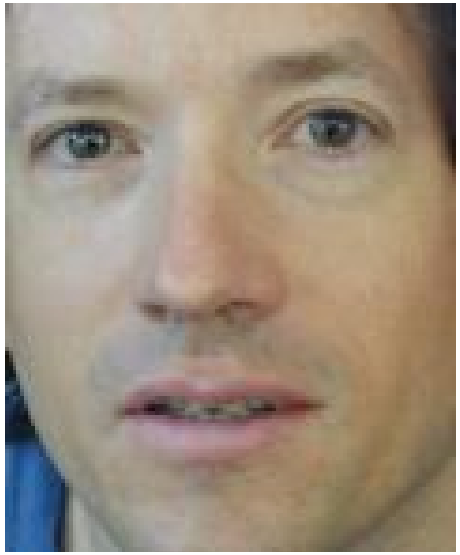
(Chernobyl Harvest)

Texture Transfer

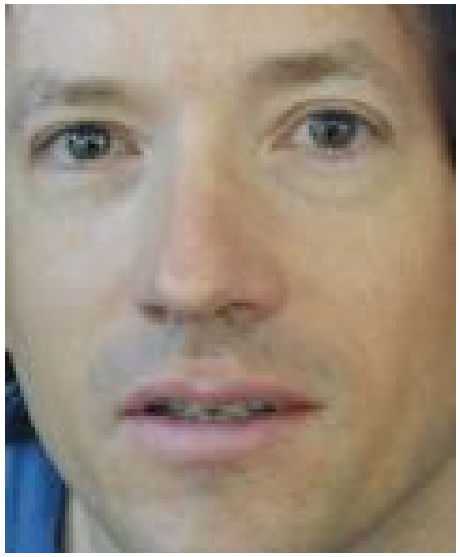
- Take the texture from one object and “paint” it onto another object
  - This requires separating texture and shape
  - That’s HARD, but we can cheat
  - Assume we can capture shape by boundary and rough shading



- Then, just add another constraint when sampling: similarity to underlying image at that spot



parmesan



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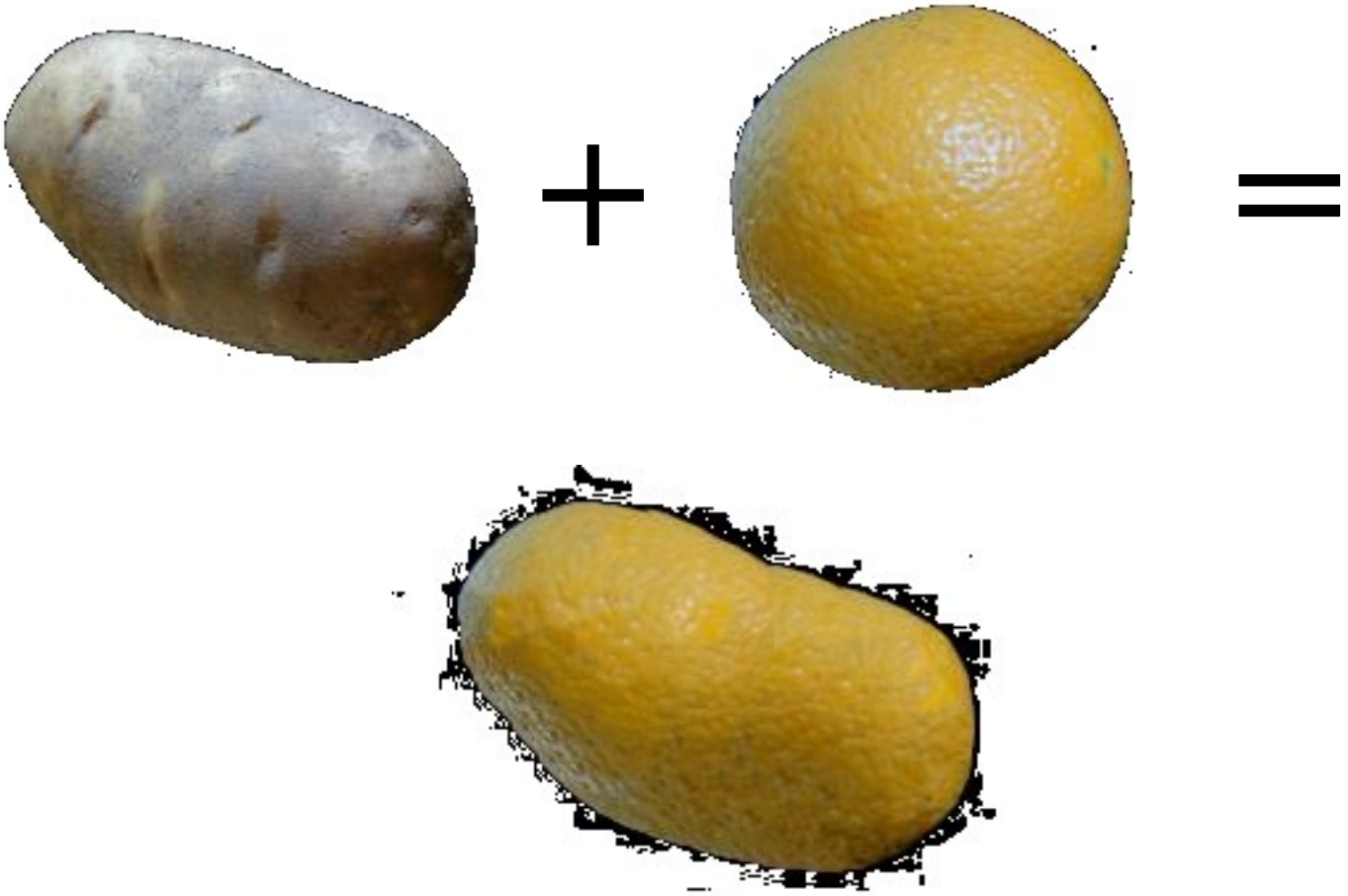
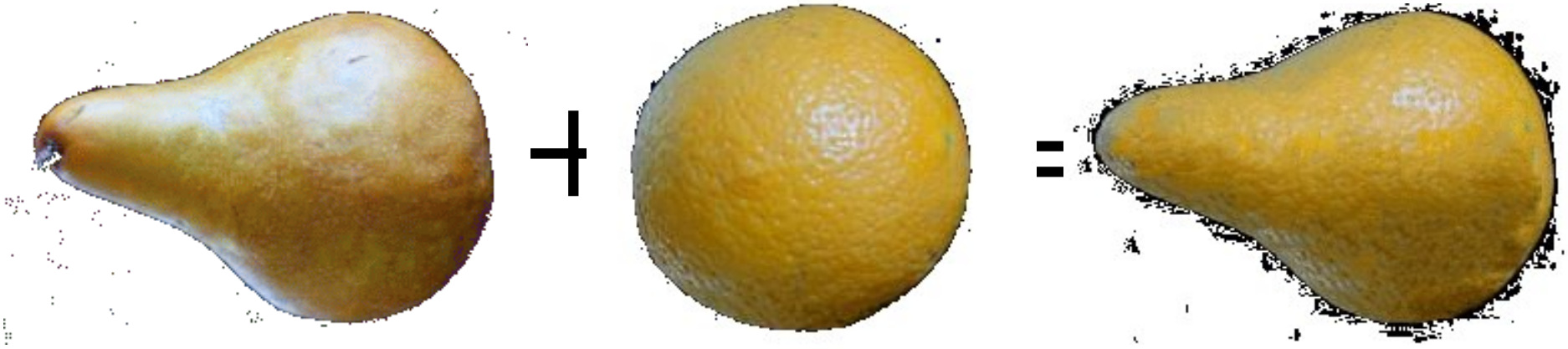




(Manual) texture synthesis in the media

(Manual) texture synthesis in the media

http://www.dailykos.com/story/2004/10/27/22442/878

Synthesizing textures when constructing 3d models of archaeological sites

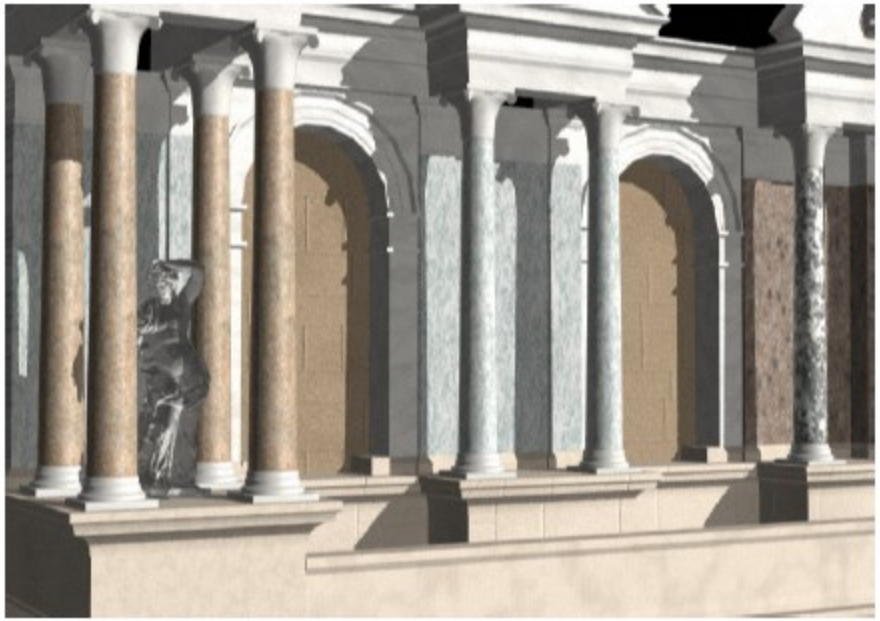
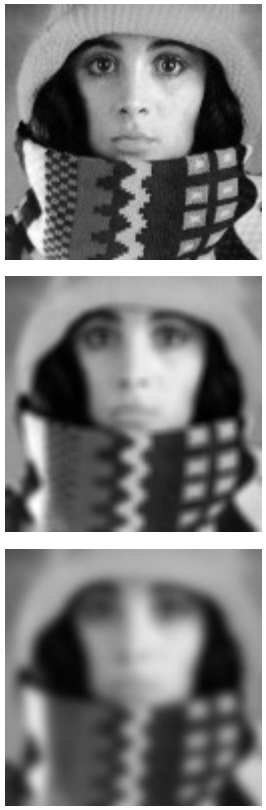


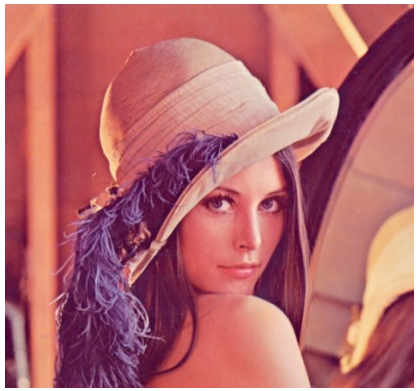
Figure 12. The Nymphaeum at the upper agora of Sagalassos with differently textured pillars. Overview of one half of the building (symmetric)

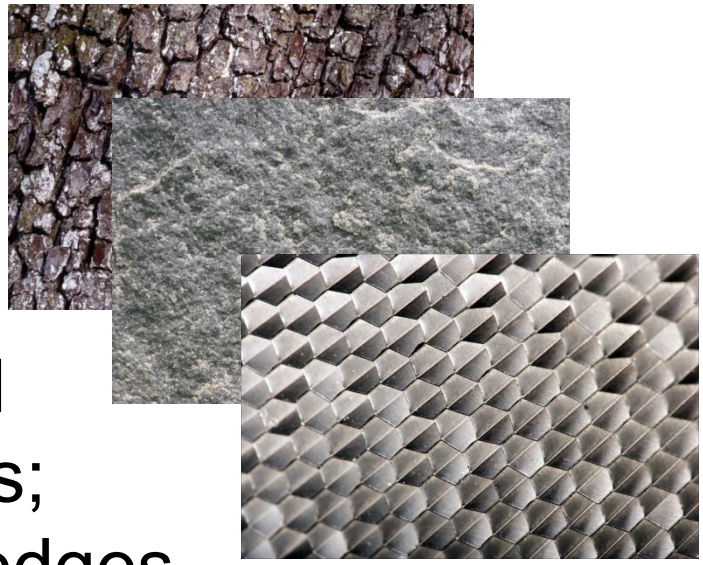
Figure 14. Nymphaeum pillars and back wall fragments in detail

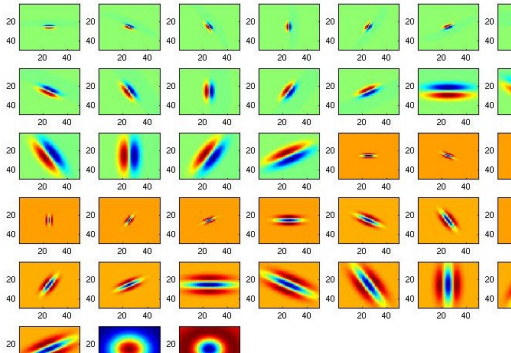
A. Zalesny et al., Realistic Textures for Virtual Anastylosis

So far: features and filters









Transforming and describing images; textures, colors, edges