

c) Obliczyć objętości V elementu mierzonego oraz jej niepewność pomiarową  $u_c(V)$ , tuleja

Dane	Wartość[mm]	
$u(x)$	0.067	
$\bar{h}$	34.17	
$\overline{dwew}$	12.215	
$\overline{dzew}$	15.858	

Obliczanie Objętości

$$V = \bar{h}\pi r^2 = \bar{h}\pi(\overline{dzew} - \overline{dwew})^2 = 34.17 * \pi(15.858 - 12.215)^2 = 34.17 * \pi(3.643)^2 = 34.17 * \pi * 13.271449 = 453.4854123 \pi$$

$\frac{dV}{dh} u(h) = \pi(dzew - dwew)^2$	$\frac{dV}{ddwew} u(dwew) = 2h\pi(dwew - dzew)$
<div> <div>h</div> <div>34.17</div> </div> <div> <div>dzew-dzew</div> <div>3.643</div> </div> <div> <div><math>(dzew-dzew)^2</math></div> <div>13.27145</div> </div> <div> <div><math>((dzew-dzew)^2)^2</math></div> <div>176.1314</div> </div> <div> <math>\frac{dV}{dh} u(h) = \pi(dzew - dwew)^2 = 13.271449\pi</math> </div>	<div> <div>2h</div> <div>68.34</div> </div> <div> <div><math>(dwew-dzew)</math></div> <div>-3.643</div> </div> <div> <div><math>2h*(dwew-dzew)</math></div> <div>-248.963</div> </div> <div> <div><math>(2h*(dwew-dzew))^2</math></div> <div>61982.39</div> </div> <div> <math>\frac{dV}{ddwew} u(dwew) = 2h\pi(dwew - dzew) = 68.34\pi*(-3.643) = -248.96262\pi</math> </div>
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<div> <div>2h</div> <div>68.34</div> </div> <div> <div><math>(dzew-dzew)</math></div> <div>3.643</div> </div> <div> <div><math>2h*(dwew-dzew)</math></div> <div>248.9626</div> </div> <div> <div><math>(2h*(dwew-dzew))^2</math></div> <div>61982.39</div> </div> <div> <math>\frac{dV}{ddzew} u(dzew) = 2h\pi(dzew - dwew) = 68.34\pi*(3.643) = 248.96262\pi</math> </div>	

$$u_c(V) = \sqrt{\left(\frac{dV}{ddwew} u(dwew)\right)^2 + \left(\frac{dV}{ddzew} u(dzew)\right)^2 + \left(\frac{dV}{dh} u(h)\right)^2} =$$

$$\sqrt{\left(\frac{dV}{ddwew} u(dwew)\right)^2 + \left(\frac{dV}{ddzew} u(dzew)\right)^2 + \left(\frac{dV}{dh} u(h)\right)^2} =$$

$$\sqrt{(2h\pi(dwew - dzew))^2 + (2h\pi(dzew - dwew))^2 + (\pi(dzew - dwew))^2} =$$

$$\sqrt{61982.38616\pi^2 + 61982.38616\pi^2 + 176.1313586\pi^2} = \sqrt{124140.9037\pi^2} = 352.3363502\pi \approx 360\pi$$