3 agara
$$x^2 1$$

$$y(x) = \theta x, \quad x \in \mathbb{R} \qquad \begin{cases} y_i = \theta x_i + \mathcal{E}_i & \text{i.e. } y_i = 0, \dots, n \end{cases}$$

$$y_i - \text{neccupation}$$

$$\mathcal{L}_i = \sum_{i=1}^n \left(Y_i - \theta x_i \right)^2$$

$$\mathcal{L}_i \Rightarrow \min_{\theta \in \mathbb{R}}$$

$$\text{I.a. naxo magnus } \hat{\theta} \text{ maxigum } \min_{\theta \in \mathbb{R}}$$

$$\frac{dL}{d\theta} = \frac{d}{d\theta} \sum_{i=1}^n (Y_i - \theta x_i)^2 = \sum_{i=1}^n -2x_i \left(Y_i - \theta x_i \right) = -2 \left(\sum_{i=1}^n x_i Y_i - \theta \sum_{i=1}^n x_i Y_i \right)$$

$$\frac{dL}{d\theta} = 0 \Rightarrow \sum_{i=1}^n x_i Y_i - \hat{\theta} \sum_{i=1}^n x_i^2 = 0$$

$$\hat{\theta} = \sum_{i=1}^n x_i Y_i$$

$$\frac{dL}{d\theta} = 0 \Rightarrow \sum_{i=1}^n x_i Y_i = 0$$

$$0) \quad (a) \quad \text{i.e. } x_i = 0$$

$$0) \quad (b) \quad \text{i.e. } x_i = 0$$

OB to solve of the payer is
$$\Theta$$
 is usually no gooding is:
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 $\nabla L(\theta) = -\frac{Q}{N} \sum_{i=1}^{N} x_i \left(Y_i - \Theta x_i \right) - \text{spaguese}$

Popuy en utepayeur:

Qi = Qi-1 + L 0 2 27 XK (YK - Qi- XK), rge

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Pos 2 - budopra curainne odtentob ez oderen nadopa.
        Rpu 970en Satu nomeno adrabente go adgrenner,
  pagoub buo budopuy na \frac{n}{B} dat ten pague pou B.
Jagara 3
       XER<sup>nxd</sup>, YER<sup>n</sup>
GeR<sup>d</sup>
               114-XO112 + 7/10112 - min
4) 0-?
     L(\theta) = |Y - X\theta|^2 + \lambda |\theta|^2
     \nabla L = -2 X^{T} (Y - X\theta) + 2 \lambda \theta
      \nabla L = 0 = \sum \Theta = \left( \chi^{\mathsf{T}} \chi + \lambda \Sigma \right)^{-1} \chi^{\mathsf{T}} \gamma
          B MHK \Theta = (x^T x)^{-1} x^T y^{-1}
 Разница голько в магаемом ДГ, гогорое решает проблему обратимости матрицы XTX
2) 60
        \nabla L(\theta) = -2 \times^{7} (Y - X \theta) + 2 \lambda \theta
        \Theta_{i} = \Theta_{i-1} - \mathcal{L} \nabla \mathcal{L}(Q_{1})
```

o \$&D

56D

 $\nabla L_{i}(\theta) = -2 \times_{i} (Y_{i} - X_{i}\theta) + 2\lambda\theta$ $\theta_{k} = \theta_{K-1} - \lambda \nabla L_{i}(\theta)$

Post orpegemercie rock regablicement rock propaguement oбъектов из общего побора, где смучайтые вышлины равномерью распределены

з) Станда ртизация ванна, ток как регуля ризационный им истрафует модыв за большие код форминенти вым признами имеют разшие масштова, то это может привести к тому, сто мекоторые кодорой именты бущет истрафоваться шльнее останивых, обответственно, их вес будет искаженя