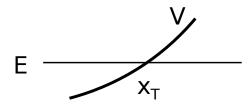
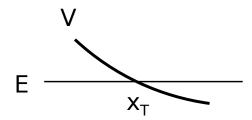
WKB connection formulae

Upward sloping potental $V'(x_T) > 0$:



$$\psi(x) = \begin{cases} \frac{2D}{\sqrt{p(x)}} \sin\left(\frac{1}{\hbar} \int_{x}^{x_{T}} dx' p(x') + \frac{\pi}{4}\right) + \frac{F}{\sqrt{p(x)}} \cos\left(\frac{1}{\hbar} \int_{x}^{x_{T}} dx' p(x') + \frac{\pi}{4}\right) &, x < x_{T} \\ \frac{D}{\sqrt{|p(x)|}} e^{-\frac{1}{\hbar} \int_{x_{T}}^{x} dx' |p(x')|} + \frac{F}{\sqrt{|p(x)|}} e^{\frac{1}{\hbar} \int_{x_{T}}^{x} dx' |p(x')|} &, x > x_{T} \end{cases}$$

Downward sloping potential $V'(x_T) < 0$:



$$\psi(x) = \begin{cases} \frac{D'}{\sqrt{|p(x)|}} e^{-\frac{1}{\hbar} \int_{x}^{x_{T}} dx' |p(x')|} + \frac{F'}{\sqrt{|p(x)|}} e^{\frac{1}{\hbar} \int_{x}^{x_{T}} dx' |p(x')|} &, x < x_{T} \\ \frac{2D'}{\sqrt{p(x)}} \sin\left(\frac{1}{\hbar} \int_{x_{T}}^{x} dx' p(x') + \frac{\pi}{4}\right) + \frac{F'}{\sqrt{p(x)}} \cos\left(\frac{1}{\hbar} \int_{x_{T}}^{x} dx' p(x') + \frac{\pi}{4}\right) &, x > x_{T} \end{cases}$$