<br/><br/>Question QMC1 : <img src="@@PLUGINFILE@@/Picture1.png" alt=""/> <br/>Answer: <br/>Question QMC2 : If f is a continuously differentiable real-valued function defined on the open interval (1, -4) such that f(3) = 5 and f < sup > 1 < / sup > (x) < u > & gt; < / u > - 1 for all x, what is the greatest possible valueof f(0)<br/>Answer: <br/><br/>Question QMC3 : <img src="@@PLUGINFILE@@/Picture2.png" alt=""/> <br/>Answer: <br/>Question QMC4 : A real-valued function f defined on R has the following property. For every positive number  $\epsilon$ , there exist a positive number δ. This property is equivalent to which of the following statement about f? <br/>Answer: <br/>Question QMC5 : Which of these functions is not uniformly continuous on (0,1)? <br/>Answer: <br/>Question QMC6 : Let Sn be a sequence of real numbers on a bounded set S, where Lin inf Sn  $\pm$  lin sup Sn. Which of the following is not necessarily true? <br/>Answer: <br/>or/>Ouestion OMC7 : Which of the following is true about a uniformly continuous function, f on [a,b]? <br/>Answer: <br/><br/>Question QMC8 : <img src="@@PLUGINFILE@@/Picture5.png" alt=""/> <br/>Answer: <br/>>question QMC9 : Which of the following is true <br/>Answer: <br/>>question QMC10 : Rational numbers can be expressed as ratio of true integers with repeated or terminations decimals. On the other hand, irrational numbers refer to any real numbers that are not rational. So, is I a rational number or an irrational number <br/>Answer: <br/>Question QMC11 : Given a non-empty subset S of R on the interval [0,5]. Then, any number greater than 5 is an upper bound of S, Since it is greater than ll of the numbers contained in S. Therefore, we can say that 5.01, 5.1, 6 and 7 are all upper bound of S. Among all these upper bound, the one with the smallest value is known as the \_\_\_\_\_ of S. <br/>Answer: <br/>Question QMC12 : The absolute value of a real non-zero number r, denoted by |r| is always <br/>Answer: <br/><br/>Question QMC13 : <img src="@@PLUGINFILE@@/Picture9.png" alt=""/> <br/>Answer: <br/><br/>Question QMC14 : By Lagrange's means value theorem, f(x) can also be written as: <br/>Answer:

<br/><br/>Question QMC15 : What is the first derivative of the function f(x) =

x<sup>n</sup>
<br/>>Answer:

```
<br/>obr/>Question QMC16 : A monotonic sequence is said to be
<br/>Answer:
<br/><br/>Question QMC17 : <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mrow><mrow><munder><mrow><mi>lim</mi></mrow><mi>n</mi></mo>→</mo><mi>∞</
mi></mrow></munder></mo></mo><mfrac><mrow><mn>1</mn></
mrow><mrow><mi>n</mi></mrow></mfrac></mrow></mov></math> Converges to?
<br/>Answer:
<br/><br/>Question QMC18 : <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mrow><mrow><mi>n</mi></mo>-</mi><mo>-</mi></mo>-</mi></mo>-</mo>-</mo>-</mi></mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-
mi></mrow></mo></mo><mfrac><mrow><mn>1</mn></
mrow><mrow><mrow><mrow><mrow><mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></mrow></
mo><mn>1</mn></mrow></mfrac></mrow></math> Converges to?
<br/>Answer:
<br/><br/>Question QMC19 : <img src="@@PLUGINFILE@@/Picture18.png" alt=""/>
<br/>Answer:
<br/>Question QMC20 : Every nonempty set of real numbers of that has an
upper bound, also has a supremum in R. This is the
<br/>Answer:
<br/>>Question QMC21 : &nbsp; Two sets A and B are equal if every <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"><mi>x</mi><mi>&nbsp;</mi><</
mi><mi>&nbsp;</mi><mi>A</mi></math> belongs to B and every <math
xmlns="http://www.w3.org/1998/Math/MathML"><mi>y</mi><mi>&nbsp;</mi><mi>e</
mi><mi>&nbsp;</mi><mi>B</mi></math> belongs to A. This is called ...
<hr/>Answer:
<br/>or/>Question QMC22 : Which word is the odd one out in set notation
<br/>Answer:
<br/>Question QMC23 : Which of the following, concisely defines the union
of A and B?
<br/>Answer:
<br/><br/>Question QMC24 : A <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mo>∩</mo></math> B is read as...
<br/>Answer:
<br/>Question QMC25 : Which of the following is not true in set operations
<br/>Answer:
<br/><pr/>Question QMC26 : The difference of A and B may also be defined
concisely by A - B = ...
<br/>Answer:
<br/>Question QMC27 : Let R be the set of real numbers and let Q be the set
of rational numbers. Then R - Q consist of the...
<br/>Answer:
<br/><br/>Question QMC28 : <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mi>N</mi><mi></mi><mo>U</mo></mi><mo>=</mo><mo>...</mo><mo>?</mo></mo></mi>
<br/>Answer:
<br/><br/>Question QMC29 : The set - theoretic product of A and B is denoted by
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<br/>Answer:

<br/>Answer:

<br/>or A <math</pre>

xmlns="http://www.w3.org/1998/Math/MathML" ><mo>~</mo></math> B represents ...

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<br/><br/>>or/>ouestion OMC31 : Let the universal set be <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>N</mi><mo>=</mo><mfenced
open="{" close="}"
separators="|"><mrow><mn>1</mo>,</mo><mi> </mi><mn>2</mn><mo>,</mo></mi>
mi><mn>3</mo><mi> </mi><mi> </mi><mo> </mi><mi> </mi><mi
mi><mo>.</mo><mi> </mi><mo>.</mo></mrow></mfenced><mo>,</
mo></math> find<math xmlns="http://www.w3.org/1998/Math/MathML"
><mi> </mi><mi><mi><mi></mi></math> if A = {8, 9, 10, ...}
<br/>Answer:
<br/>Question QMC32 : Let the universal set be the set of positive
integers and let A be the set of the positive even numbers. Find <math
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>A</mi><mi>'</mi></math>
<br/>Answer:
<br/>question QMC33 : Given that A = \{0, 1\} and B = \{1, 2, 3\}. Find A <math
xmlns="http://www.w3.org/1998/Math/MathML" ><mo>U</mo></math> B
<br/>Answer:
<br/>or/>Question QMC34 : Find A <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" >< mo> \cap </ mo> </ math> B if A = \{0, 1\}
and B = \{1, 2, 3\}.
<br/>Answer:
<br/><br/>Question QMC35 : Find A - B if A = {0, 1} and B = {1, 2, 3}
<br/>Answer:
<br/>ouestion OMC36 : Find A <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mo></mo><mi></mo></mi></math> if A =
{0, 1}
<br/>Answer:
<br/><br/>Question QMC37 : <span lang="EN-IE">Concept of the
divisibility only exists in set of_
<br/>Answer:
<br/>Question QMC38 : Find A <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
<mo>u</mo><mi></mi><mi><mi></mi></mi></mi>if the universal set is {1, 2,
3, 4 and A = \{2, 3\}.
<br/>Answer:
<br/>question QMC39 : The number of elements in the Power set P(S) of the
set S={[<math xmlns="http://www.w3.org/1998/Math/MathML" ><mi>ø</mi></math>], 1,
[2,3]}
                        is
<br/>Answer:
<br/>Question QMC40 : If A and B are sets and A <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mo>U</mo></math> B =A <math
xmlns="http://www.w3.org/1998/Math/MathML" ><mo></mo></math> B, then
<br/>Answer:
<br/>or/>Question QMC41 : The union of the sets {1,2,5} and {1,2,6} is the
set .....
<br/>Answer:
<br/>question QMC42 : The intersection of the sets {1,2,5} and {1,2,6} is
the set .....
<br/>Answer:
<br/><pr/>Question QMC43 : Two sets are called disjoint if their ............ is
empty set.
<br/>Answer:
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<br/>Answer:
<br/><br/>Question QMC45 : The complement of the set A is .........
<br/>Answer:
<br/>obr/>Question QMC46 : Individual objects in a set are called ..............
<br/>Answer:
<br/><pr/>Question QMC47 : Set {x: x is an odd number between 10 and 18}
<br/>Answer:
4, 5, 6}. Find A <math xmlns="http://www.w3.org/1998/Math/MathML"
><mo>U</mo></math> C
<br/>Answer:
<br/>question QMC49 : Find the equation of the circle centre (2, - 3) and
radius 4
<br/>Answer:
<br/><pr/>Question QMC50 : Find the distance between the points Z<sub>1</sub>
and Z < sub > 2 < / sub >, given that Z < sub > 1 < / sub > = 3 + 2 < math
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>i</mi></math> and Z<sub>2</sub>
= 4 + 3<math xmlns="http://www.w3.org/1998/Math/MathML" ><mi>i</mi></math>
<br/>Answer:
<br/><br/>Ouestion OFB1 : If <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><msub><mrow><mi>I</mi></mrow><mo>[</
mfrac><mi> </mi><mo>]</mo></math> for <math
xmlns="http://www.w3.org/1998/Math/MathML"
<mi>n</mi><mo>E</mo><mi>N</mi></math>, then <math
xmlns="http://www.w3.org/1998/Math/MathML"
><msub><mrow><mi>I</mi></mrow><mi>n</mi></mrow></msub><mo>2</
mo><msub><mrow><mi>I</mi></mrow></mi>n</mi></mo>+</mo></mrow></
msub></math> for each <math xmlns="http://www.w3.org/1998/Math/MathML"
><mi>n</mi><mo>E</mo><mi>N</mi><math> so that this sequence of intervals is
<br/>Answer: Nested
<br/>Question QFB2 : A positive real number is rational if and only if its
decimal representation is ___
<br/>Answer: Periodic
<br/><br/>>Question QFB3 : The unit interval [0, 1] = <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mo>{</mo><mi>x</mi><mo>E</mo><mi>R</mi><mo>!</mo><mn>0</mn><mo></mo><mi>x</mi>
mi><mo><</mo></mo></math> is ____
<br/>Answer: Not countable
<br/>Question QFB4 : If C is an infinite set and B is a finite set, then
C\B is an
<br/>Answer: infinite set
<br/>Question QFB5 : If <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mfenced separators="|"><mrow><msub><mrow><mi>x</mi></mrow><mi>n</mi></
mrow></msub></mrow></mfenced></math> is an unbounded increasing sequence, then
<math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mi>l</mi><mi>i</mi><mo>(</mo><msub><mrow><mi>x</mi></mrow><mrow><mi>
n</mi></mrow></msub><mo>)</mo></math> is _
<br/>Answer: Infinite
<br/><pr/>Question QFB6 : . Let <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
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<br/>>Question QMC44 : Which of the following two sets are disjoint?

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><mo>(</mo><msub><mrow><mi>x</mi></mrow><mi>n</mi></mrow></msub><mo>)</
mo></math> and <math xmlns="http://www.w3.org/1998/Math/MathML"
><mo>(</mo><msub><mrow><mi>y</mi></mrow><mi>n</mi></mrow></msub><mo>)</
mo></math> be two sequences of positive real numbers and suppose that for <math
xmlns="http://www.w3.org/1998/Math/MathML"
><mi>L</mi><mo>E</mo><mi>R</mi><mo>,</mo></math><math
xmlns="http://www.w3.org/1998/Math/MathML"
><mi>L</mi><mo>&gt;</mo><mn>0</mn></math> we have <math
xmlns="http://www.w3.org/1998/Math/MathML"
><mi>l</mi><mi>mi>m</mi><mfenced
separators="|"><mrow><mfrac><mrow><msub><mrow><mi>x</mi></mrow><mi>n</
mi></mrow></msub></mrow><mi>n</mi></mi></mrow><mi>n</mi></
\label{lem:mrow} $$\operatorname{mrow}</\operatorname{mrow}</\operatorname{mrow}</\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}></\operatorname{mrow}>
<math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mi>l</mi><mi>mi>m</mi><mfenced
separators="|"><mrow><msub><mrow><mi>x</mi></mrow><mi>n</mi></mrow></
msub></mrow></mfenced><mo>=</mo></math> +<math
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>∞</mi></math> if and only if
<math xmlns="http://www.w3.org/1998/Math/MathML"
><mi>l</mi><mi>mi>m</mi><mfenced
separators="|"><mrow><msub><mrow><mi>y</mi></mrow><mi>n</mi></mrow></
msub></mrow></mfenced></math> is an
<br/>Answer: Infinite
<br/><br/>Question QFB7 : Consider the series generated by <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><msubsup><mrow><mo>{</mo><msup><mrow><mo>(</mo><mn>1</mn><mo>)</
mo></mrow><mi>n</mi></mrow></mrow></mrow></mrow></mi>n</
mi><mo>=</mo></mrow></mrow></mi> </mi></mi></mrow></msubsup></math>
that is the series <math xmlns="http://www.w3.org/1998/Math/MathML"
><mrow><munderover><mo
stretchy="false">\(\sigma < mrow > < mi > n < / mo > = < / mo > < mrow > < mrow > < mi > ∞ < / mo > < mrow > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mi > ∞ < / mo > < mrow > < mi > ∞ < / mo > < mi > ∞ <
mi></mrow></munderover><mrow><msup><mrow><mo>(</mo></mo><mn>1</mn><mo>)</mo>
mo></mrow><mi>n</mi></mrow></mrow></mrow></mo>=</mo></math>(+1) + (-
1) + (+1) +... This series is a
<br/>Answer: Divergent
<br/>or/>Question QFB8 : A function meant a definite formula such as <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>f</mi><mfenced
separators="|"><mrow><mi>x</mi></mrow></mfenced><mo>=</mo><msup><mrow><mi>x</
mi></mrow><mrow><mn>2</mn></msup><mo>+</mo><mn>3</mn><mi>x</mi><mo>+</
mo><mn>5</mn></math> which associates to each real number <math
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>x</mi></math> another number
<math xmlns="http://www.w3.org/1998/Math/MathML"
><mi>f</mi><mo>(</mo><mi>x</mi><mo>)</mo></math> then <math
xmlns="http://www.w3.org/1998/Math/MathML"
><mi>f</mi><mo>(</mo><mo>-</mo><mn>4</mn><mo>)</math> is ___
<br/>Answer: 9
<br/>Question QFB9 : A function which is both one-one and onto is known as
<br/>Answer: Bijective
<br/>duestion QFB10 : The limit of the sequence <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mfrac><mrow><mn>1</mrow><mrow><msup><mrow><mi>n</mi></mrow><mrow><mn>2</
mn></mrow></msup><mo>+</mo><mn>1</mn></mfrac></math> is _____
<br/>Answer: 1
<br/>obr/>Question QFB11 : The limit of the sequence <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mfrac><mrow><mn>2</mn></mi></mrow><mrow><msup><mrow><mi>n</mi></
mrow><mrow><mn>2</mn></msup><mo>+</mo><mn>1</mn></mfrac></math> is
```

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<br/>or/>Question QFB12 : The Bolzano-Weierstrass theorem say that a bounded
sequence of real numbers has a
<br/>Answer: divergent subsequence
<br/>Question QFB13 : . A monotone sequence of real number is properly
divergent if and only if it is an _
<br/>Answer: Unbounded
<br/>cbr/>Question QFB14 : Consider the series <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mrow><munderover><mo
stretchy="false">\(\sigma < mrow > < mi > n < / mo > = < / mo > < mrow > < mrow > < mi > \(\sigma < mrow > < mrow > < mi > \(\sigma < mrow > < mrow > < mi > \(\sigma < mrow > < mrow > < mi > \(\sigma < mrow > < mrow > < mi > \(\sigma < mrow > \(\sigma < mrow > \(\sigma < mrow > < m
mi></mrow></munderover><mrow><mfrac><mrow><mrow><mrow><mrow><mi>n</mrow><mi>n</mrow><mi>n</mrow><mi>n</mrow><mi>n</mi>
mi><mo>(</mo><mi>n</mi><mo>+</mo><mn>1</mn><mo>)</mrow></mfrac><mo>=</
mo><mfrac><mrow><mn>1</mn></mrow><mn>1.2</mn></mrow></mfrac><mo>+</
mo><mfrac><mrow><mn>1</mn></mrow><mn>2.3</mn></mrow></mfrac><mo>+</
mo><mfrac><mrow></mrow></mn>3.4</mn></mrow></mo>+</
mo><mo>...</mo></mrow></math> this series converges to _
<br/><br/>Answer: 0
<br/>cbr/>Question QFB15 : The limit <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mrow><mrow><mi><mrow><mi>x</mi><mo>¬</mo><mi>∞</
mi></mrow></munder></mo></mo><msup><mrow><mi>x</mi></
mrow><mrow></mi></mrow></mrow></mrow></mrow></math> is
<br/>Answer: Infinite
<br/>or/>><br/>Ouestion QFB16 : The limit <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mrow><mrow><mi><mrow><mi>x</mi></mo>-</mo>></mo>
mn></mrow></munder></mo></mo><mfrac><mrow><mr></mo></mrow></ms></mrow></ms>
mrow><mrow><msup><mrow><mn>1</mn><mo>+</mo><mi>e</mi></</pre>
mrow><mrow><mfrac></mrow></mrow><mi>x</mi></mrow></mfrac></
mrow></msup></mrow></mfrac></mrow></math>
                                                                                                                     is
<br/>
<br/>
Answer: 1
<br/>or/>or/>Ouestion QFB17 : The limit <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML"
><mrow><mrow><mi>x</mi><mo>-</mo>-</
mo><mn>2</mn></mrow></munder></mrow><mo><mrow><msup><mrow><mi>x</mi></
mrow><mrow></mrow></msup></mrow></math>
<br/><br/>Answer: -8
<br/>or/>Question QFB18 : Let f be the rational function defined by <math</pre>
xmlns="http://www.w3.org/1998/Math/MathML" ><mi>f</mi><mfenced
separators="|"><mrow><mi>x</mi></mrow></mfenced><mo>=</mo><mfrac><mrow><msup><mr
ow><mn>2</mn></mi></mrow><mn>7</mn></mrow></mo>-</
mo><msup><mrow><mn>9</mn><mi>x</mi></mrow><mn>6</mn></mrow></msup><mo>+</
mo><msup><mrow><mn>11</mn><mi>x</mi></mrow><mn>2</mn></mrow></msup><mo>-
</mo><mn>2</mn></mrow><mrow><mrow><mn>4</mn><mi>x</mi></
mrow><mrow><mn>9</mn></msup><mo>-</mo><msup><mrow><mn>10</mn><mi>x</msup><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow>
mi></mrow><mn>8</mn></msup><mo>-</mo><mn>6</mn><mi>x</mi></mi><mo>+</mo>
mo><mn>7</mn></mrow></mfrac></math><span style="font-size:14pt"> ,<math
xmlns="http://www.w3.org/1998/Math/MathML"
><mrow><mrow><mi><mrow><mi>x</mi><mo>-</mo>-</mo>
</mo><mn>1</mo></mo></mo></mo><mi>f</mi><mo>(</
mo><mi>x</mi><mo>)</mrow></mrow></math><span style="font-size:14pt"> is
<br/>Answer: 2
<br/><br/>Question QFB19 : <img src="@@PLUGINFILE@@/Picture1.png" alt=""</pre>
width="481" height="49"/>
<br/>Answer: 7
```

<br/><br/>Answer: 2

```
width="472" height="62"/>
<br/>Answer: 3
<br/>Question QFB21 : The <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mrow><mrow><mi><mrow><mi><mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo>-</mo
mo><mn>2</mn></mrow></mrow><mrow><mrow><msqrt><msup><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><mrow><m
mn><mi>w</mi></mrow><mrow><mn>3</mrow></msup><mo>+</mo><msup><mrow><mn>7</
mn><mi>w</mi></mrow></mrow></msup></msqrt></mrow></math>
is
<br/><br/>Answer: 2
<br/>Answer: binary operation
<br/><pr/>>Question QFB23 : If a real number is not rational then it is an
<br/>Answer: Integer
<br/>Question QFB24 : If a real number is not rational then it is an
                            number
<br/>Answer: Irrational
<br/>Question QFB25 : A number which is neither positive nor negative is
<br/><br/>Answer: 0
<br/>or/>Ouestion OFB26 : <span style="font-size:10pt">The supremum is also
called the ____<span style="font-size:10pt"> upper bound
<br/>Answer: Least
<br/>duestion QFB27 : The harmonic series _
<br/>Answer: Diverges
<br/>Question QFB28 : A monotone sequence of real numbers is properly
divergent if and only if it is __
<br/>Answer: Unbounded
<br/><br/>Question QFB29 : <math xmlns="http://www.w3.org/1998/Math/MathML"</pre>
><mi>\pi</mi><mi></mi><mi><mi><mi>of _______ numbers
<br/>Answer: Irrational
<br/>Question QFB30 : Concept of the divisibility only exists in set of
<br/>Answer: Integers
<br/><pr/>Question QFB32 : A convergent sequence has only ___
limit(s)
<br/>Answer: 1
<br/><pr/>Question QFB33 : Every convergent sequence has _____one limit
<br/>Answer: 7
<br/>of the sequence 0,1,1,2,3,5,8,
<br/>Answer: 13, 21, 34
___ if and only
if they have the same elements but possibly with different listings.
<br/>Answer: Equal
<br/><pr/>>Question QFB36 : <img src="@@PLUGINFILE@@/Picture3.png" alt=""/>
<br/>Answer: 4
```

<br/><br/>Question QFB20 : <img src="@@PLUGINFILE@@/Picture2.png" alt=""</pre>

<br/>or/>Question QFB37 : List the first 3 terms of the inductively defined sequence x < sub > 1 < /sub > :=1, x < sub > 2 < /sub > +1 < /sub > :=3x < sub > n < /sub > +1, <br/>Answer: 1,4,13 <br/><pr/>Question QFB38 : A set is said to be \_\_\_\_\_ if the process of counting the element in the set terminates. <br/>Answer: Finite <br/><br/>Question QFB39 : A set is said to be \_\_\_\_\_ if its either empty or it has n elements for some <br/>Answer: Finite <br/>Question QFB40 : The property of a natural numbers which states that every nonempty subset of a natural number has a least element is termed well \_ principle <br/>Answer: Ordering <br/><pr/>>Question QFB41 : Abounded sequence of real numbers has a \_\_\_\_ subsequence <br/>Answer: Convergent <br/>or/>Question QFB42 : A function <math</pre> xmlns="http://www.w3.org/1998/Math/MathML"  $<mi>f</mi><mo>:</mo><mi>A</mi><mo>→</mo><mi>R</mi><math> is said to be ____ on$ A if there exists a constant M > 0 such that <math xmlns="http://www.w3.org/1998/Math/MathML" <mi>f</mi><mo>(</mo><mi>x</mi><mo>)</mo><mi>M</mi></math> for all xin A <br/>Answer: Bounded <br/>Question QFB43 : The theorem that a sequence in <math</pre> xmlns="http://www.w3.org/1998/Math/MathML" ><mi>R</mi></math> can have at most one limit is the <br/>Answer: Uniqueness <br/><pr/>Question QFB44 : A sequence that has no limit is said to be \_\_\_ <br/>Answer: Divergent <br/>Question QFB45 : For x and y an element of a natural number N, (-x)(-y) equal\_ <br/>Answer: Xy <br/><br/>Question QFB46 : A set N is called a subset of a set M if every \_\_ of N is a member of M. <br/>Answer: Element <br/>Question QFB47 : The set B of second elements of a function <math</pre> xmlns="http://www.w3.org/1998/Math/MathML" ><mi>f</mi></math> is called the \_\_\_\_ of the function. <br/>Answer: Range <br/>of a function <math</pre> xmlns="http://www.w3.org/1998/Math/MathML" ><mi>f</mi></math> is called the of the function. <br/>Answer: Domain <br/><br/>Question QFB49 : Let A and B be two non- empty sets then <math xmlns="http://www.w3.org/1998/Math/MathML" ><mi>A</mi><mo><mi>B</mi><mo><mi>Ø</mi></math> shows that A and B are\_\_\_\_ sets <br/>Answer: Disjoint <br/>question QFB50 : A set is said to be \_\_\_\_\_ if it contains no element.

<br/>Answer: Null