

FBQ1: When the sequence of partial sums tends to an infinite limit, oscillates either finitely or infinitely the series is said to be \_\_\_\_  
Answer: divergent

FBQ2: Both Taylor series and Maclaurin series only represent the function  $f(x)$  in their interval of \_\_\_\_  
Answer: Convergence

FBQ3: When functions are expanded at  $x = a$ , we have Taylor's expansion and when functions are expanded at  $x = 0$  then we have \_\_\_\_ expansion  
Answer: Maclaurin

FBQ4: By considering the hypothesis of mean value theorem, Given that  $f(x) = x^2 + 2x + 1$   $a = 1$ ,  $b = 2$   
Answer: 4

FBQ5: By considering the hypothesis of mean value theorem, Given that  $f(x) = x^2 + 2x + 1$  and  $a = 1$ ,  $b = 2$  find  $f(b) =$  \_\_\_\_  
Answer: 9

FBQ6: By considering the hypothesis of mean value theorem, Given that  $f(x) = x^2 + 2x + 1$  and  $a = 1$ ,  $b = 2$  find  $f'(c) =$  \_\_\_\_  
Answer: 5

FBQ7: \_\_\_\_ rule is a technique for approximating the definite integral  
Answer: Trapezoidal

FBQ8: \_\_\_\_ rule is an arithmetical rule for estimating the area under a curve where the values of an odd number of ordinates including those at each end.  
Answer: Simpson's

FBQ9: The trapezoidal rule is also known as \_\_\_\_ rule  
Answer: Trapezium

FBQ10: The  $\frac{\partial^2 f}{\partial x \partial y}$  of the function  $f(x, y) = 3x^2 - x^3y^3 + 5xy + 6y^3$  evaluate at the points  $x = 1$  and  $y = 2$  is \_\_\_\_  
Answer: -31

FBQ11: The  $\frac{\partial^2 f}{\partial y^2}$  of the function  $f(x, y) = 3x^2 - x^3y^3 + 5xy + 6y^3$  evaluate at the points  $x = 1$  and  $y = 2$  is \_\_\_\_  
Answer: 60

FBQ12: The  $\lim_{x \rightarrow 2} x^2 - 2xx^2 - 4$  is \_\_\_\_  
Answer:  $\frac{1}{2}$

FBQ13: The  $\lim_{x \rightarrow \infty} xx^3 + 5$  is \_\_\_\_  
Answer: 0

FBQ14: If  $f(x) = x(x^2 - x - 2)$  satisfies Mean Value Theorem, the value  $c$  is \_\_\_\_  
Answer:  $\frac{1}{3}$

FBQ15: The exponential form of the function  $f(x) = 1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \frac{x^5}{5!} + \dots$  is \_\_\_\_  
Answer:  $\exp x$

FBQ16: Find the limit of  $\lim_{(x, y) \rightarrow (2, 1)} x + 3y^2$  is \_\_\_\_  
Answer: 5

FBQ17: Find the limit of  $\lim_{(x, y) \rightarrow (2, 4)} \frac{x+y}{x-y}$  is \_\_\_\_  
Answer: -3

FBQ18: Find limit  $\lim_{(x, y, z) \rightarrow (1, 2, 5)} \sqrt{x+y+z}$  is

Answer: 3

FBQ19: The coefficient of  $x^2$  in the Taylor series about  $x=0$  for  $f(x)=e^{-x^2}$  is \_\_\_\_\_

Answer: -1

FBQ20: The coefficient of  $x^3$  in the Taylor series about  $x=0$  for  $f(x)=\sin 2x$  is \_\_\_\_\_

Answer:  $-4/3$

FBQ21: Let  $f(x)=\frac{\sin x}{1+x^2}$  and  $y^n$  denote the  $n^{\text{th}}$  derivative of  $f(x)$  at  $x=0$  then the value of  $y^{100}+900y^{98}$  is \_\_\_\_\_

Answer: 0

FBQ22: If the first derivative at  $x=0$  of the function  $f(x)=\frac{\cos(x)}{x^2-x+1}$  is \_\_\_\_\_

Answer: 2

FBQ23: Given  $f(x,y)=2x^2y$ , the value  $\frac{\partial f(x,y)}{\partial x}$  at  $x=2$  and  $y=4$  is \_\_\_\_\_

Answer: 24

FBQ23: .Given that the function  $f(x)=\frac{2(x+3)}{x^2+x-2}$  has an absolute maximum on the  $-2 \leq x \leq 4$ . The maximum value is \_\_\_\_\_

Answer: 2

FBQ25: The points of inflection of the function  $f(x)=x^4-12x^3+6x-9$  on the interval  $-2 \leq x \leq 10$  are \_\_\_\_\_ and \_\_\_\_\_

Answer: 0, 6

FBQ26: The value of  $a$  such that the function  $f(x)=x^2+ax+5$ , when  $f(2)=15$  is \_\_\_\_\_

Answer: 3

FBQ27: If  $x^2+y^2-2x-6y+5=0$ , the value  $\frac{d^2y}{dx^2}$  at  $x=3, y=2$  is \_\_\_\_\_

Answer: 5

FBQ28: If the Mean Value Theorem satisfies  $f(x)=x^2$  on the interval  $-2, 1$ , then the value of  $c$  is \_\_\_\_\_

Answer:  $-1/5$

FBQ29: The minimum value of  $f(x,y)=x^2+y^2+6x+12$  is \_\_\_\_\_

Answer: 3

FBQ30: Suppose  $w=x^3yz+xy+z+3$  and  $x=3\cos t, y=3\sin t$  and  $w=2t$ . The value  $\frac{dw}{dt}=\pi^2$  is \_\_\_\_\_

Answer: 7

FBQ31: Let  $f(x)=\frac{e^x \sin(x^2)}{x}$ , then the value of the fifth derivative at  $x=0$  is \_\_\_\_\_

Answer: 21

FBQ32: Leibniz rule gives the  $N^{\text{th}}$  derivative of multiplication of \_\_\_\_\_ functions

Answer: Two

FBQ33: Leibniz theorem is applicable if  $n$  is a \_\_\_\_\_ integer

Answer: Positive

FBQ34: If  $n^{\text{th}}$  derivative of  $xy_3+x^2y_2+x^3y_0=0$  then order of its  $n^{\text{th}}$  differential equation is \_\_\_\_\_

Answer:  $n+3$

FBQ35: For the function  $f(x) = \frac{\sin x}{x^2}$ . \_\_\_\_\_ are the number of points exist in the interval  $[0, 7\pi]$  such that  $f'(c) = 0$   
Answer: True

FBQ36:  $f(x) = \frac{\sin x}{x}$ . \_\_\_\_\_ are the number of points exist in the interval  $[0, 18\pi]$  such that  $f'(c) = 0$   
Answer: 18

FBQ37: For all second degree polynomials with  $y = ax^2 + bx + k$ , it is seen that the Rolles' point is at  $c = 0$ . Also the value of  $k$  is zero. Then the value of  $b$  is \_\_\_\_\_  
Answer: 0

FBQ38: For second degree polynomial it is seen that the roots are equal. Then \_\_\_\_\_ is the relation between the Rolles point  $c$  and the root  $x$   
Answer:  $c=x$

FBQ39: Rolle's Theorem is a special case of \_\_\_\_\_ theorem  
Answer: Mean value

FBQ40: The value of  $c$  if  $f(x) = x(x-3)e^{3x}$ , is continuous over interval  $[0, 3]$  and differentiable over interval  $(0, 3)$  \_\_\_\_\_ (Answer to 3 decimal)  
Answer: 2.703

FBQ41: The value of 'a' are \_\_\_\_\_ and \_\_\_\_\_, if  $f(x) = ax^2 + 32x + 4$  is continuous over  $[-4, 0]$  and differentiable over  $(-4, 0)$  and satisfy the Rolle's theorem. Hence find the point in interval  $(-2, 0)$  at which its slope of a tangent is zero  
Answer: 8, -2

FBQ42: For the function  $f(x) = x^2 - 2x + 1$ . We have Rolles point at  $x = 1$ . The coordinate axes are then rotated by 45 degrees in anticlockwise sense. What is the position of new Rolles point with respect to the transformed coordinate axes \_\_\_\_\_  
Answer:  $3/2$

FBQ43: If  $f(a)=f(b)$  in mean value theorem, then it becomes \_\_\_\_\_ theorem  
Answer: Rolle's

FBQ44: Mean Value theorem is applicable to the functions continuous in closed interval  $[a, b]$  and \_\_\_\_\_ in open interval  $(a, b)$   
Answer: Differentiable

FBQ45: Mean Value theorem is also known as \_\_\_\_\_ theorem  
Answer: Lagrange's

FBQ46: The point  $c$  is \_\_\_\_\_ in the curve  $f(x) = x^3 + x^2 + x + 1$  in the interval  $[0, 1]$  where slope of a tangent to a curve is equals to the slope of a line joining  $(0, 1)$   
Answer: 0.54

FBQ47: \_\_\_\_\_ is the point  $c$  between  $[2, 9]$  where, the slope of tangent to the function  $f(x) = 1 + \sqrt[3]{x} - 1$  at point  $c$  is equals to the slope of a line joining point  $(2, f(2))$  and  $(9, f(9))$ . (Providing given function is continuous and differentiable in given interval).  
Answer: 4.56

FBQ48: \_\_\_\_\_ is the point  $c$  between  $[-1, 6]$  where, the slope of tangent to the function  $f(x) = x^2 + 3x + 2$  at point  $c$  is equals to the slope of a line joining point  $(-1, f(-1))$  and  $(6, f(6))$ . (Providing given function is continuous and differentiable in given interval).  
Answer: 2.5

FBQ49: The necessary condition for the maclaurin expansion to be true for

function  $f(x)$  is  $f(x)$  should be continuous and \_\_\_\_\_

Answer: Differentiable

FBQ50: The limit  $\lim_{(x, y) \rightarrow (0, 0)} \frac{x^3 - y^3}{x - y}$  is

Answer: 0

MCQ1: A single valued function of  $x$  is said to be continuous at  $x=a$  if

Answer:  $\lim_{x \rightarrow a} f(x) = f(a)$

MCQ2: Which of the following is discontinuous at  $x = 0$

Answer:  $\sin x$

MCQ3: A function  $y = f(x)$  is said to be differentiable at a point  $x = a$  if

Answer:  $f'(x)$  exists at that point

MCQ4: Find the derivative of  $y = \sin^{-1}x$

Answer:  $\frac{1}{\sqrt{1-x^2}}$

MCQ5: Suppose  $u = f(x, y) = x^2 + y^2$ , where  $x = \cosh 4t$  and  $y = 2t + t^2$ . Find the total derivative of  $u$  with respect to  $t$

Answer:  $4\sinh 8t + 8t + 12t^2 + 4t^3$

MCQ6: If  $f(u) = \sin u$  and  $u = x^2 + y^2$  find  $f_x$

Answer:  $\cos u \cdot 2x$

MCQ7: If  $f(u) = \sin u$  and  $u = x^2 + y^2$  find  $f_y$

Answer:  $\cos u \cdot 2y$

MCQ8: Partial derivatives are said to be continuous if

Answer: they are

MCQ9: Obtain the slope of the tangent at the point  $(2,3)$  of the curve  $6x^2 + 3xy + x^4 + 3y^2 = 0$

Answer:  $-\frac{65}{24}$

MCQ10: A function  $f(x, y)$  of two variables is said to have a local maximum at  $(a, b)$  if there exists a rectangular region containing  $(a, b)$  such that \_\_\_\_\_

Answer:  $f(x, y) \leq f(a, b)$

MCQ11: The local maxima and minima are called the \_\_\_\_\_ of  $(x, y)$

Answer: extreme

MCQ12: To test for critical point if  $f_{xx}f_{yy} - f_{xy}^2 < 0$  then this gives

Answer: saddle point

MCQ13: Obtain the stationary points of  $f(x, y) = x^2 + y^2$  subject to the constraint condition  $3x + 2y = 6$

Answer:  $(1, 1.5), (2, 0)$

MCQ14: A function  $f(x, y)$  is said to be homogeneous of degree  $m$  if

Answer:  $f(kx, ky) = k^m f(x, y)$

MCQ15: What is the degree of the function  $f(x, y) = x^3 + 4xy^2 - 3y^3$

Answer: three

MCQ16: If  $x$  and  $y$  are rectangular Cartesian coordinates,  $u = f(x, y)$  satisfies Laplace's equation if

Answer:  $\frac{\partial^2 f}{\partial x^2} + \frac{\partial^2 f}{\partial y^2} = 0$

MCQ17: A function  $f(x, y)$  is said to have a maximum value at point  $(x, y) = (a, b)$  if

Answer:  $f(a+h, b+k) - f(a, b) < 0$

MCQ18: A function  $f(x, y)$  is said to have a minimum value of point  $(x, y)$  if  
Answer:  $f(a+h, b+k) - f(a, b) > 0$

MCQ19: If  $xy + x + y = 1$ , evaluate  $\frac{dy}{dx}$  at  $(0, 0)$   
Answer:  $-1$

MCQ20: If  $xy + \sin y = 2$  find  $\frac{dy}{dx}$   
Answer:  $-y \sec^2 y$

MCQ21: If  $z = \sin(x+y)$ ,  $x = u^2 + v^2$ ,  $y = 2uv$ . Evaluate  $\frac{dz}{du}$   
Answer:  $2(u+v) \cos(x+y)$

MCQ22: With the usual notation a series cannot be convergent unless  
Answer:  $\lim_{n \rightarrow \infty} U_n = 0$

MCQ23: Let  $U_1 + U_2 + \dots + U_n + \dots$  be a series of positive terms. If  
 $\lim_{n \rightarrow \infty} \frac{U_{n+1}}{U_n} > 1$ . Then the series  
Answer: Diverges

MCQ24: As  $n \rightarrow \infty$  of the series  $1 + 2 + 3 + 4 + \dots$  is  
Answer: divergent

MCQ25: For the series  $1^2 + 2^3 + 3^4 + 4^5 + \dots$  an expression of  $U_{n+1}$  is given by  
Answer:  $(n+1)^{n+2}$

MCQ26: By considering the D' Alembert test for positive terms if  
 $\lim_{n \rightarrow \infty} \frac{U_{n+1}}{U_n} = 1$ , then the series is  
Answer: inconclusive

MCQ27: By the comparison test, the series  $1^p + 2^p + 3^p + 4^p + \dots + n^p + \dots$  \_\_\_\_\_  
if  $p > 1$   
Answer: converges

MCQ28: Find  $\lim_{x \rightarrow 0} \frac{\sin 2x}{x^2}$   
Answer:  $2$

MCQ29: Evaluate  $\lim_{x \rightarrow 0} \frac{\sinh x - \sin x}{x^3}$   
Answer:  $1/3$

MCQ30: The Taylor's series is given by  
Answer:  $f(x+h) = f(x) + hf'(x) + \frac{h^2}{2!} f''(x) + \dots$

MCQ31: Find  $\lim_{x \rightarrow 0} \frac{\tan x - x}{x^3}$   
Answer:  $1/3$

MCQ32: Determine  $\lim_{x \rightarrow 1} \frac{x^3 - 2x^2 + 4x - 3}{x^2 - 5x + 1}$   
Answer:  $1$

MCQ33: Find the second order derivatives of the function.  $f(x) = x^2 - \cos x$  at  $x = \pi/4$   
Answer:  $2 + \frac{1}{\sqrt{2}}$

MCQ34: Find the third order derivatives of the function.  $f(x) = x^2 - \cos x$  at  $x = \pi/4$   
Answer:  $-\frac{1}{\sqrt{2}}$

MCQ35:  $\lim_{x \rightarrow 0} \frac{\tan x - x \sin x}{x^3}$  is  
Answer:  $-2$

MCQ36: From the Taylor's expansion of  $\cos \pi/3 + x$  in ascending powers of  $x$  up to  
the  $x^3$  term find  $f'''(\pi/3)$   
Answer:  $-\frac{3}{2}$

MCQ37: From the Taylor's expansion of  $\cos \pi/3 + x$  in ascending powers of  $x$  up to  
the  $x^3$  term find  $f'''(x)$   
Answer:  $-\cos x$

MCQ38: From the Taylor's expansion of  $\cos \pi^3 + x$  in ascending powers of  $x$  up to the  $x^3$  term find  $f_{11} \pi^3$

Answer:  $\frac{1}{2}$

MCQ39: From the Taylor's expansion of  $\cos \pi^3 + x$  in ascending powers of  $x$  up to the  $x^3$  term find  $f_{11} x$

Answer:  $\cos x$

MCQ40: Suppose  $f(x)$  is a function continuous on a close interval  $a \leq x \leq b$  and differentiable on the open interval  $a < x < b$  and if  $f(a) = f(b) = 0$ , then  $f'(c)$

Answer: 0

MCQ41: From the Maclaurin expansion  $f(x) = \ln(1+x)$  find  $f_{111} x$

Answer:  $21x^3$

MCQ42: From the Maclaurin expansion  $f(x) = \ln(1+x)$  find  $f_{11} x$

Answer:  $-6(1+x)^4$

MCQ43: From the Maclaurin expansion  $f(x) = \ln(1+x)$  find  $f_{11} 0$

Answer: -1

MCQ44: From the Maclaurin expansion  $f(x) = \ln(1+x)$  find  $f_{11} 0$

Answer: 4!

MCQ45: Using Simpson's rule with 6 equally spaced intervals and by considering the integral  $\int_0^6 4+x^3 dx$ . Find The number of ordinates

Answer: 7

MCQ46: Using Simpson's rule with 6 equally spaced intervals and by considering the integral  $\int_0^6 4+x^3 dx$ . Find  $\Delta x =$  strip width

Answer: 1

MCQ47: Using Simpson's rule with 6 equally spaced intervals and by considering the integral  $\int_0^6 4+x^3 dx$ . Find Area

Answer: 22.6 square units

MCQ48: The two segment trapezoidal rule of integration is exact for integrating at most \_\_\_\_ order of polynomial

Answer: first

MCQ49: Using trapezoidal rule with five (5) equally spaced intervals and by considering the integral.  $\int_1^2 \frac{1}{x} dx$ . Evaluate b-an

Answer:  $\frac{1}{5}$

MCQ50: Using trapezoidal rule with five (5) equally spaced intervals and by considering the integral.  $\int_1^2 \frac{1}{x} dx$ , evaluate the area of the integral

Answer: 17532520