Teaching Math Effectively: Insights from LSAY and PISA on Primary Teacher Proficiency

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1 Abstract

This report investigates the mathematics performance of individuals who became primary school teachers in Australia, using the Longitudinal Surveys of Australian Youth (LSAY) and the Program For International Student Assessment (PISA) datasets. Results show that teachers consistently have a higher average math proficiency than non-teachers over time, with better performance across PISA testing years. However, they tend to score lower than professionals in fields like medicine, law, and engineering. Limitations include disproportionate teacher counts in some PISA years, potentional attrition bias, confounding variables such as socioeconomic status, and the evolving nature of math proficiency over time.

2 Background and motivation

Over the past two decades, Australian students' performance in the mathematics components of international assessments like PISA have shown significant declines as seen in Figure 1. These declines persist even after adjusting for changes in family academic resources, affecting students across all states, social groups, and school types (albeit with variations). This trend has raised concerns among educators, researchers and policymakers as mathematics proficiency is not only foundational for broader academic success but crucial for Australia's future economic competitiveness.

Research indicates a positive correlation between teacher mathematics knowledge (as assessed through certification exams or subject-matter tests) and student achievement. This underscores the importance of qualified primary school teachers in improving children's math outcomes, supporting the notion that teachers with stronger mathematical knowledge are likely to teach it more effectively.

While research consistently suggests that a teacher's proficiency in mathematics is a crucial determinant of their effectiveness in the classroom, impacting student achievement directly (Tatto et al. 2008, p. 19) the relationship between a teacher's subject knowledge and student performance is complex, and extends beyond the teacher's own content mastery. It involves the ability to translate that knowledge into effective pedagogical practices, adapt to curriculum needs, engage in productive professional conversations and address student misconceptions. When students are taught by teachers who have little mathematical content and pedagogical content knowledge, learning suffers (Baumert et al., 2010; Hill et al., 2005).

Despite these nuances, the positive correlation between teachers' competence in mathematics and student achievement is clear (Hill, H. C., Rowan, B., & Ball, D. L. (2005)). While this correlation does not strictly imply causation, understanding the mathematics proficiency of primary school teachers remains a critical step in improving student outcomes.

This analysis seeks to deepen the understanding of the mathematics proficiency of individuals who eventually become primary school teachers in Australia by leveraging longitudinal data

from PISA and LSAY. By examining trends over time and comparing the math performance of primary school teachers, the broader Australian population and other professionals, this study aims to provide insights into the readiness of teachers to deliver effective math instruction. Understanding these trend is crucial, as they provide insights into the mathematics performance of individuals who later became primary school teachers, and may assist in guiding professional development initiatives focused on targeting and strengthening the mathematics proficiency of primary school teachers, ultimately leading to improved student outcomes across Australia.

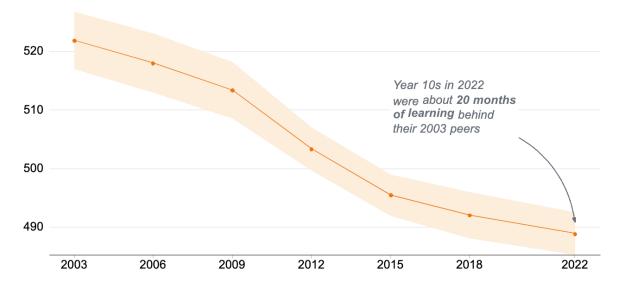


Figure 1: Decline in PISA Scores Across the Years

3 Objectives and significance

The primary objectives of this analysis was to utilise longitudinal survey data to understand the mathematics proficiency of students who eventually became primary school teachers in Australia. Using the LSAY and PISA datasets, the analysis seeks to address three main questions:

- 1. **Teacher performance over time:** How well did individuals who became primary school teachers perform in mathematics across the years?
- 2. Comparison to other Professionals: How are they performing in comparison to other 'professionals'?
- 3. Comparison to the General Population: How do teachers' math scores compare to the rest of the sample (non primary school teachers)?

Table 1: Variables for 'What kind of work do you do in this job?' Questions

Year	Variables
2003	LDD025, LED025, LFD025, LGD025, LHD029, LID029, LJD029, LKD029
2006	ANZSCO, LBD011, LCD024, LDD024, LED029, LFD029, LGD029, LHD029, LID029, LJD029, LKD029
2009	ANZSCO73, LBD014, LCD029, LDD029, LED029, LFD029, LGD029, LHD029, LID029, LJD029, LKD029
2015	LSAYID, LBEM004, LCD022, LDD022, LED022, LFD025, LGD022, LHD022

This analysis is significant as it provides critical insights into the math skills of individuals who become primary school teachers, a factor that can directly impact student outcomes. By identifying trends and proficiency gaps, the analysis can allow for a deeper understanding of the performance of primary school teachers in Australia and inform potential

4 Methodology

Data was sourced from multiple LSAY cohorts (2003, 2006, 2009 and 2015), each containing demographic data from student responses and their linked performance in PISA. Data was selected from these years because post 2003, LSAY participants were recruited from schools that also took part in PISA, allowing for the linkage of PISA scores to LSAY data.

4.1 How did we identify primary school teachers?

For each cohort, variables relating to kind of work were selected for each wave of LSAY data aforementioned. These were located using the LSAY data dictionary sourced here.

For variables associated with the kind of work, the ANZSCO code 2412 was used to identify which observations (identified by the student ID) were primary school teachers. This variables used to filter can be seen in Table 1.

For better understanding of the legitimacy of this method, we then filtered those student IDs that responded with that ANZSCO code for variables regarding area of study. This was done to see whether the individuals who did become teachers also did some form of teaching degree pathway to get into the profession. This used ASCED code 70103 in variables relating to questions focused at main area of study/training in this course at any given year seen in @table-aos

Table 2: Variables for Main Area of Study Questions

Year	Variables
2003	LBCZ087, LCCZ087, LDCZ087, LEC087, LFC087, LGC087, LHC087, LIC087, LJC088, LKC088
2006	LBC087, LCC087, LDC087, LEC087, LFC087, LGC088, LHC088, LIC088, LJC088, LKC088
2009	LBC089, LCC088, LDC088, LEC088, LFC088, LGC088, LHC088, LIC088, LJC088, LKC088
2015	LCC088, LDC088, LEC088, LFC088, LGC088, LHC088

4.2 How did we complete the Mathematical Proficiency Analysis?

The mathematics performance of primary school teachers was assessed using PISA scores. The analysis aimed to compare teachers' scores against the national proficiency standard which has been set at a proficiency level 3 or 482 PISA points. The analysis incorporated survey weights to ensure representativeness of the data and address differences in sample sizes across cohorts. It also had to account for the use of plausible values undertaken by PISA.

4.3 Working with Sampling Weights and Plausible Values Accurately

To handle PISA's plausible values and sampling weights, the analysis utilised **intsvy** and **rrepest** R packages, which are designed to accurately estimate statistics under the complex survey design used by PISA.

These allowed for the calculation of mean scores, confidence intervals and standard errors while accounting for the inherent variability within the dataset.

But what are plausible values?

In the dataset each row represented a student, and each column had demographical data encoded into variable names, PISA scores and weights.

A dummy data frame was created for better understanding:

STIDSTD	SECTOR	SEX	PV1MATE	PV2MATE	ST38Q03	ST38Q04	ST38Q05	w_fstr1
3	1	1	564.7501	517.1464	4	4	3	0.5982930
4	1	1	579.8885	575.6958	3	5	5	0.5861796
1	1	2	576.0345	519.5916	2	5	3	1.2338057
4	2	1	562.1349	477.0870	3	4	4	0.6080955
3	2	2	547.9898	559.0908	1	4	5	1.2856375
4	1	1	436.2577	523.7009	3	3	2	1.3528549

4	2	1	541.8399	463.6518	4	3	3	1.0648014
5	1	2	520.3366	521.2086	1	2	3	1.0925789
2	1	2	430.2844	405.1366	3	3	2	0.9202280
1	2	2	581.2722	574.5761	4	4	5	1.1850613

4.4 How did the packages account for this?

5 Results

As earlier mentioned in the report, the project sought to address three key questions through the exploration of the mathematical performance of individuals who became primary school teachers.

5.0.1 How well did individuals who became primary school teachers perform in mathematics across the years?

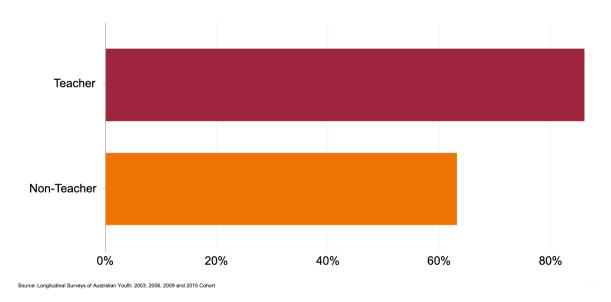


Figure 2: Weighted Aggregate Performance of Teachers vs Non-Teachers Who Met National Proficiency Standard

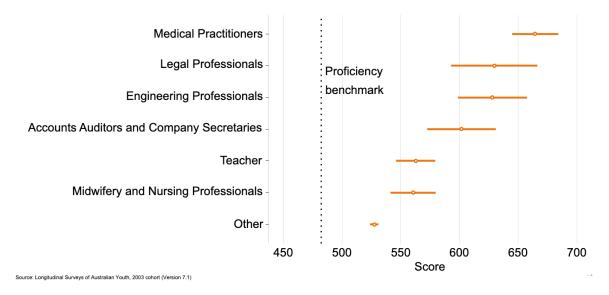


Figure 3: Teachers in Comparison to Other Professionals

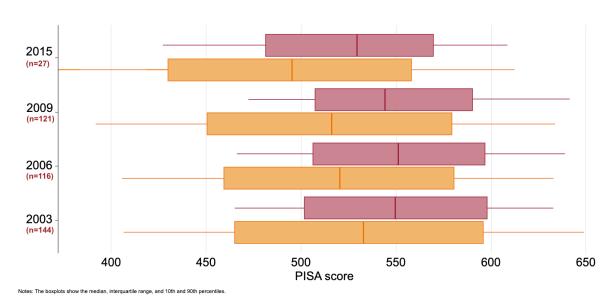


Figure 4: Proficiency of Teachers vs Non-Teachers Across Years

- 5.0.2 How are they performing in comparison to other 'professionals'?
- 5.0.3 How do teachers' math scores compare to the rest of the sample (non primary school teachers)?

6 Discussion

7 Limitations

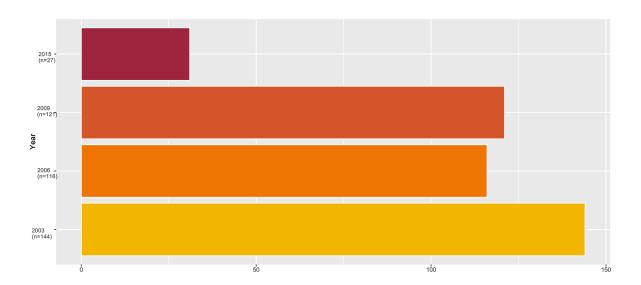


Figure 5: Count of Teachers per Year

8 Conclusion