COMP7503 Multimedia Technologies Programming Assignment

Hanke Wang Jiaxing Zeng hanke@hku.hk everstar@hku.hk

${\bf Contents}$

Quantize 565 & Dequantize 565
Quantize 565
Dequantize 565
Compress & Decompress 3
Brief Introduction
Compress
1. Variable Initialization
2. Huffman Tree Building
3. Encoding Pixel
4. Write Data
Decompress
1. Recover Huffman Tree Mapping Table
2. Rebuild Huffman Tree
3. Scan encoded string and recover pixels
o. bean encoded suring and recover places
Experiment 11
Procedure
Beach
Red Panda
sunset
Tuxinu
Hydrogen (Custom Image)
Explaination

Quantize 565 & Dequantize 565

Quantize565

Dequantize 565

Compress & Decompress

Brief Introduction

In the compression & decompression part, we use **Huffman Coding** as our compression algorithm.

- There are 4 steps to compress the image:
 - 1. A *Huffman Tree* will be built according to the **appearance frequency** of pixels bits.
 - 2. The *Huffman Tree* will be converted to a **Huffman Coding Mapping Table**.
 - 3. All the pixels of the input image will be encoded on the basis of the **mapping table**.
 - 4. The mapping table and the encoded string will be written to variable **compressedData**.
- There are 4 steps to decompress the image:
 - 1. Recover the **Huffman Coding Mapping Table** from the encoded string (variable **compressedData**).
 - 2. Rebuild the *Huffman Tree* from the **mapping table**.
 - 3. Scan the encoded string bit by bit to recover the pixels according the *Huffman Tree*.
 - 4. Recovered pixels will be written to variable uncompressedData.

Compress

1. Variable Initialization

In the beginning, we create a new unsigned char[] with size 1024. Because we won't know the compressed size until we encoded everything, so we simply create a suitable size and then enlarge it when we need.

```
// Initialize variable compressedData
int size_compressed_data = 1024;
unsigned char *compressedData = new unsigned char[size_compressed_data];
memset(compressedData, 0, sizeof(unsigned char) * size_compressed_data);
```

Each time we write data to **compressedData**, we will check whether the size is enough. Otherwise we will create a new unsigned char* with 110% size of the previous size and copy the previous data to it.

The reason why we choose 110% is that if we use 200% instead, the size may be too large at the end which may left too much leisure by waste memory.

```
/* Automatically adjust size of unsigned char* */
void writeData(unsigned char* &target, int& size, int pos, unsigned char data) {
    if (pos + 1 > size) {
        int adjustedSize = int(size * 1.1);
        unsigned char* base = new unsigned char[adjustedSize];
        memcpy(base, target, size);
        delete[] target;
        size = adjustedSize;
        target = base;
    }
    target[pos] = data;
}
```

Next, we will construct a mapping table to store the *Huffman Tree*. We allocate unsigned char[] with size 256 * 32.

```
/* Huffman Code Mapping Table */
unsigned char* huffmanTree = new unsigned char[256 * 32];
memset(huffmanTree, 0, sizeof(unsigned char) * 256 * 32);
```

We will encoding the 'R' or 'G' or 'B' of the pixel which is stored using 8 bit previously, which means it can have maximum 256 kinds of situation.

Considering the worst situation that the $Huffman\ Tree$ is extremely unbalanced (Figure below). There will be **256** leaf nodes of $Huffman\ code$ when $0\sim255$ all appear in the pixels RGB bits. Consequently the depth of the tree will be maximum **255**, which means we have to use at least **255** bits to store the $Huffman\ Code$.

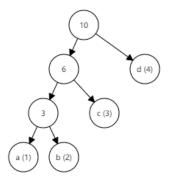


Figure 1: Unbalanced Huffman Tree

To manipulate it simply, we complement it to **256** bits so we decide to use unsigned char [32] to store each *Huffman Code*. In order to store 256 kinds of *Huffman Code*, we allocate a unsigned char [256 * 32].

In the meantime, we will also store the length of each Huffman Code.

```
/* Encoding length of Huffman Code */
int *encoding_len = new int[256];
memset(encoding_len, 0, sizeof(int) * 256);
Considering the following situation:
32 : 01
48 : 001
```

The *Huffman Code* of 32 is "01" while 48 is "001". The value of them are equal but the number of bits are different, thus we need to record the length of each *Huffman Code*.

2. Huffman Tree Building

TODO: Introduce how to build the Huffman Tree.

3. Encoding Pixel

After Building the *Huffman Tree* and converting it to the *Mapping Table*, we can know the **maximum length** of all *Huffman Code*.

Thus, we can no longer use unsigned char[32] to store a *Huffman Code*. We will use the complemented maximum length of *Huffman Code* as the size.

So we can adjust the size of the *Huffman Code* to smallest when we encoding the pixels.

```
/* Suppose the maximum size of Huffman Code is 13
 * We will only need 16 bit to store it.
 * So we only need to allocate "unsigned char[2]" for each Huffman Code.
 */
int encoding_len_max = 13;
encoding_len_max = calcComplement(encoding_len_max); // 16
int byte_encoding_len_max = encoding_len_max / 8; // 2
unsigned char* encoded = unsigned char[byte_encoding_len_max];
Next, we will transform the pixel \mathbf{RGB} to an \mathbf{encoded} sequence according to
the Huffman Code Mapping Table.
// Create Encoded Sequence
unsigned char *encodedSequence = new unsigned char[cDataSize * byte_encoding_max];
memset(encodedSequence, 0, sizeof(unsigned char) * cDataSize * byte encoding max);
// Length of each Encoded bits
unsigned int *encodedLength = new unsigned int[cDataSize * byte encoding max];
memset(encodedLength, 0, sizeof(unsigned int) * cDataSize * byte_encoding_max);
       32
                                       125
                                                        97
                                  00001101 00010001
  00001011
                  00000101
```

Figure 2: Sample Encoded Sequence

```
// pmy => primary, means one of the three-primary-color, like one of the (R, G, B)
for (int pmy = 0; pmy < cDataSize; ++pmy) {
    // Empty chars
    memset(encoded, 0, sizeof(unsigned char) * byte_encoding_max);
    // Get mapped Huffman Code
    for (int i = 0; i < 32; ++i) {
        huffmanCode[i] = huffmanTree[(pInput[pmy] * 32) + i] & 0xFF;
    }

    // Get mapped Huffman Code Length
    int len = encoding_len[pInput[pmy]];
    // Copy Huffman Code to Encoded Sequence for certain bits, from back to front
    for (int i = 31, j = byte_encoding_max; len > 0 && i >= 0 && j >= 0; --i) {
        unsigned int l = len > 8 ? 8 : len;
        len -= 1;
```

```
encoded[--j] = huffmanCode[i] & ((1 << 1) - 1);
// Save the encoded bits
encodedSequence[pmy * byte_encoding_max + j] = encoded[j];
// Save the length of encoded bits
encodedLength[pmy * byte_encoding_max + j] = 1;
}
</pre>
```

4. Write Data

In the beginning, we need to write the Huffman Code Mapping Table to CompressedData.

```
/* Package the Huffman Table into @var{compressedData} */
unsigned int tableSize = 0;
for (unsigned int i = 0; i < 256; ++i) {</pre>
    if (encoding_len[i] != 0) { // Ignore the pixel that not appear
        ++tableSize;
                                 // calculate the table size
        // Put the key of Huffman Table
        writeData(compressedData, size_compressed_data, ++pos_data, (unsigned char)i);
        // Put the value of Huffman Table
        for (int j = 32 - byte_encoding_max; j < 32; ++j) {</pre>
            writeData(
                compressedData,
                size_compressed_data,
                ++pos_data,
                huffmanTree[i * 32 + j] & OxFF
            );
        }
        // Put the encoding len of each Huffman code
        writeData(
            compressedData,
            size compressed data,
            ++pos_data,
            (unsigned char)encoding_len[i]
        );
    }
}
```

In addition, we will store the **size** of *Huffman Code Mapping Table* and the **maximum size** of *Huffman Code* to the first two byte of **compressedData**.

```
* Store the size of Huffman Table
```

```
* &
* bytes of max encoding len of Huffman Table
* at the head @var{compressedData}
*/
compressedData[0] = (unsigned char)tableSize;
compressedData[1] = (unsigned char)byte_encoding_max;
```

Finally, we will write the encoded sequence to **compressedData**.

Due to the that we can only manipulate a char(8 bit) at a time, we need to split the bits to into groups which each consist of 8 bits.

To achieve that, we use an unsigned char as a **buffer**. Then, we write the encoded sequence to the **buffer** bit by bit. Each time the **buffer** is **fully filled**, we will write the buffer to the **compressedData**.

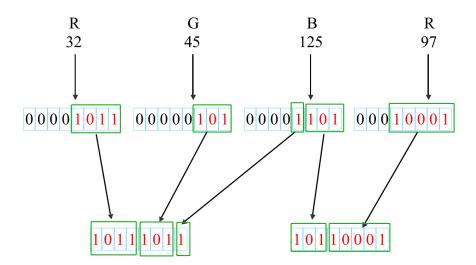


Figure 3: Writing Encoded Sequence to CompressedData

After all above operations completed, we modify the ${\bf cDataSize}$ and return the ${\bf compressedData}$.

Decompress

1. Recover Huffman Tree Mapping Table

Firstly, we will recover the **size** of *Huffman Table* and the **maximum size** of *Huffman Code* from **compressedData**.

```
// Huffman Tree Table Size
int treeSize = compressedData[++pos_data] & 0xFF;
* Since The table size will range from 1 to 256
 * We use 0 to denote 256
 */
if (treeSize == 0) treeSize = 256;
// Maximun Length of Encoding
int byte_encoding_max = compressedData[++pos_data] & OxFF;
Then, we recover the Huffman Tree Mapping Table.
unsigned char* huffmanTree = new unsigned char[256 * 32];
memset(huffmanTree, 0, sizeof(unsigned char) * 256 * 32);
int *encoding len = new int[256];
memset(encoding_len, 0, sizeof(unsigned int) * 256);
for (int i = 0; i < treeSize && pos data < cDataSize; ++i) {</pre>
    // Recover the key of Huffman Table
    unsigned int key = compressedData[++pos_data] & OxFF;
    // Recover the value of Huffman Table
    for (int j = 32 - byte_encoding_max; j < 32; ++j) {
        huffmanTree[key * 32 + j] = (compressedData[++pos_data] & OxFF);
    }
    // Recover the encoding length of Huffman Table
    encoding_len[key] = (int)(compressedData[++pos_data] & 0xFF);
}
```

2. Rebuild Huffman Tree

TODO: Introductoin of rebuilding Huffman Tree

3. Scan encoded string and recover pixels

Due to the that we can only manipulate a char(8 bit) at a time, we use an unsigned char as a buffer to read 8 bit at a time.

Then we traverse the Huffman Tree node by node according the data bit by bit.

```
unsigned char buf = compressedData[++pos_data] & OxFF;
unsigned int pos_buf = 0;
while (pos_data < cDataSize) {
   treeNode* node = rootNode;
   while (1) {
        // Buffer end, read new data
        if (pos_buf > 7) {
            buf = compressedData[++pos_data] & OxFF;
        }
}
```

```
pos_buf = 0;
        }
        if (((buf >> (7 - pos_buf)) & 0b1) == 1) {
            if (node->leftChild != nullptr) {
                node = node->leftChild;
            } else {
                // Find a value
                break;
        }
        else {
            if (node->rightChild != nullptr) {
                node = node->rightChild;
            } else {
                // Find a value
                break;
            }
        }
        ++pos_buf;
    }
    // Write to uncompressedData
    uncompressedData[pos_uncompressed_data++] = node->key & OxFF;
}
```

Each time we find a value in the tree, we write the value to **uncompresedData** simultaneously.

Finally, we finished decompressing the image.

Experiment

Procedure

Beach



Figure 4: Beach.jpg

Type	Compression Ratio
Before Quantized	1.04
After Quantized	1.71

Red Panda



Figure 5: Red Panda.jpg

Type	Compression Ratio
Before Quantized After Quantized	1.02 1.65

\mathbf{sunset}



Figure 6:

Type	Compression Ratio
Before Quantized	1.03
After Quantized	1.67

Tuxinu



Figure 7: Tuxinu.png

Type	Compression Ratio
Before Quantized After Quantized	1.52 2.25

Hydrogen (Custom Image)

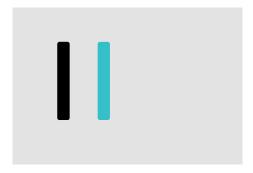


Figure 8: Hydrogen.png

Type	Compression Ratio
Before Quantized	5.65
After Quantized	5.65

Explaination

According to the result above, we can see there is an improvement of the **Compression Ratio** in images *Beach*, *Red Panda*, *sunset*, *Tuxinu*.

The reason why the **Compression Ratio** improves is that we did a **5-5-5 quantization** on the image. This is compressing the color space because it will map similar color to same color. This will reduce the number of distinct numerical value of three-primary colors of RGB and increase the appearance frequency of certain kinds of three-primary colors of RGB.

Since we use **Huffman Coding** algorithm to compress image, the encoded length is depending on the appearance frequency of the three-primary colors of RGB of all pixels, as well as the number of distinct numerical value of three-primary colors of RGB.

After 5-5-5 quantization, the number of distinct numerical value of three-primary colors of RGB reduced, while the appearance frequency of certain kinds of three-primary colors of RGB increased. This will obviously improve the Compression Ratio.

Thus, we can explain that the **Compression Ratio** of the last image (*Hydrogen.png*) won't improve because the image has too few colors since **5-5-5 quantization** neither reduced colors nor increase the appearance frequency of colors.