$$i_1 = \preccurlyeq \left(\ulcorner : \urcorner \right)^{-\infty}$$

$$i''_{22\ \mathrm{VI}\ 1874} - 103\emptyset = i_1$$

$$\dot{\Delta}'' - 21\emptyset = \frac{\preccurlyeq ?^{\infty}}{i_1}$$

$$i_1^{\preccurlyeq} + t^0 = \frac{1 \preccurlyeq ?^{\infty}}{\emptyset : 0 - \emptyset_{2016}}$$

$$\left(\frac{1 \preccurlyeq ?^{\infty}}{i_1 i_2 i_3} \right)^1$$

$$(?^{\infty} : \lessdot_1) = n(?^1 : \sqrt[3]{xyz})$$

$$\left(\frac{\lessdot^{-1}}{\sqrt[3]{xyz}}\right)^{\frac{1}{\S}} + \left(\frac{\lessdot^{-1}}{\Delta} - x\right)$$

$$i_3^{-y} = (1_? = \pi - y)$$

$$(?^{\infty} : \lessdot_2) = n(i_n^b = i_n)$$

$$\frac{\lessdot^{-1}}{0t} = \frac{\lessdot^{-1}}{\Delta} - x, \quad \frac{\lessdot^{-1}}{+t} = \frac{\lessdot^{-1}}{\Delta} + x$$

$$2i_2^{0-\downarrow} + t = i_1$$

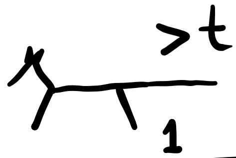
$$(?^{\infty} : \lessdot_3) = /\!/^{\infty} + (x\log(-x))$$

$$\left(\frac{\lessdot^{-1}}{\triangle : i}\right)^{\frac{1}{/\!/} + y\log(-y)}$$

$$(\ \text{'''|} : \ \ )$$

$$(?^{\infty} : \lessdot_4) = /\!\!/^{\infty} : n \bullet$$

$$\left(\dot{|} - (\frown + \frown)\right)^{\sqsubset^{p}} = \lessdot_4$$



$$(?^{\infty} : \lessdot_5) = /\!\!/^{\infty} : n \,|$$

$$n = 2(| + \triangle^{\infty}) + 2(| - \triangle^{\infty})$$

$$\sqsubset_{(a - \ulcorner : \sqrt[3]{xyz})}$$

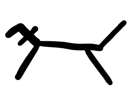
$$(?^{\infty} : \lessdot_6) = n(a^b) + n(a^{\frac{1}{b}})$$

$$\lessdot^{-1} : (\dot{|}^{b}_{3} + 0t) \neq \odot + ?^{\infty} : \lessdot_6$$

$$1^{\frown} - t = 1$$

$$(?^{\infty} : \lessdot_7) = n(a^b = c) + n(a^b)$$

$$\lessdot^{-1} : (c : (a^b = c_1)) \approx \lessdot^{-1} : (a : (a^b = c))$$



$$(\; : i_2)^{\frown} - t = i_2$$

$$(?^{\infty} : \lessdot_8) = n(a^b = c) + n(a^b_? = c) + n(n_? a^b = c)$$

$$n_? \dot{\lambda} \neq n_? \dot{\Delta} \approx n_? \succ\!\!\prec \neq n_? i^{\frac{1}{n}} \neq n_? 1$$

$$(\dot{\Delta}_3 + \ulcorner)^{\frown} + t = 1^1$$

$$(?^{\infty} : \lessdot_9) = n(a^b - t = c) + n(? = a^b - t = c) + n(a^1 + 0t)$$

$$(\partial y)_{-1} : (\lessdot^{-1})_n = (\partial y)_1 : (\lessdot^{-1})_{n+1}$$

$$\dot{i}_1^{\frown} - t = (n\dot{\lambda} = \odot + \square)$$

$$(?^{\infty} : \lessdot_{10}) = n(<a + a + >a)$$

$$\partial^{-1} : (<a) = \partial^{-1} : (>a) - Z$$

$$\begin{cases} 1 = (1 + (-1) \\ 1^{\left(\frac{1}{c\log 1}\right)^p} \end{cases}$$

$$(?^{\infty} : \lessdot_{11}) = \lessdot \subset$$

$$\subset^{\lessdot} = ((\Delta + \Delta - \Delta) = -(\Delta + \Delta - \Delta))$$

$$\frown^0 = \frac{\varnothing^0}{\circ} + i\frown + \Delta^{\infty}$$

$$(?^{\infty} : \lesssim_{12}) = n^{n}$$

$$260 = (6 \times 4^{-\frac{1}{\lesssim}} + 2)0, \quad 26 \circ^{0} \odot = (24 + 2) \circ^{0} \odot$$

$$13 \frac{\square}{\Psi^{0} \cdot 0}$$

$$(?^{\infty} : \lesssim_{13}) = n(a^{b}=c) + n(a^{b})$$

$$\left(\frac{⌂}{i_{1}}\right)^{1} + t = (z^{0} + n)$$

$$(?^{\infty} : (\lesssim_{14.1} + \lesssim_{14.2})) = n(\| \sqsubset : n)^{-1}$$

$$2 \times 20^{2} + 3 \times 20 + (15 + 4) = 4 \times 6^{3} + 2 \times 6 + 3$$

$$1 + 1 = 1 \times 2$$

$$(?^{\infty} : (\lesssim_{15.1} + \lesssim_{15.2} + \lesssim_{15.3})) = \lesssim_{15.1} \log(\lesssim_{15.2} + \lesssim_{15.3})$$

$$((\eth^{-1})_{-1} : \lesssim_{15.1})^{\lesssim} + t = \eth\, y : \lesssim_{15.3}$$

5

$$(?^{\infty} : \lesssim_{16}) = n^{n}$$

$$16 \pitchfork \mathring{o} = 4 \times (4 \pitchfork \mathring{o})$$

$$2 \sigma^{0}_{\odot}$$

$$(?^{\infty} : \lesssim_{17}) = n(a^{b} = c) + n(? = a^{b} = c) + \cdots$$

$$\frac{\lesssim^{-1}}{-t} = \frac{\lesssim^{-1}}{+t}$$

$$\dot{\Delta}^{1}_{J} - \sqrt[3]{xyz}$$

$$(?^{\infty} : \lesssim_{18}) = n(1^{1} : i_{n})$$

$$/ \; : (\bar{\sqcap} : i_{2}) \not\simeq (/ \; : \bar{\sqcap}) : i_{2}$$

$$({}^{\cdot} : \dot{1}_{2})$$

$$(?^{\infty} : \lesssim_{19}) = n(n)$$

$$76 = 24 \times 2 + 28$$

$$35$$