

Percolate: an anthropological physics platform for social harnessing

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Draft

Percolate is a python package for harnessing the social networks of the user. It is based on the pilars of: analysis, social percolation, creation of audiovisual artifacts, resource recommendation, and ty-pologies. The fields of complex networks and linked data give sci-entific support for the exploitation of the integrated (virtual) social space.

complex networks | software toolbox | anthropological physics

Abbreviations: RDF, resource description framework; BoW, bag of words; PyPI, python package index

Introduction

Results

Packages.

GMANE

Participation

Social

MASS

Percolate

Real Data.

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Current outcomes.

Discussion

Materials and Methods

Definition 1. *The Erdős Sectors S of the network N are defined as the three sectors provenient from the comperrisson of N to an Erdős-Renyi network with the same number of nodes and adges.*

equations [1]

ACKNOWLEDGMENTS. This work was partially supported by a grant from the Spanish Ministry of Science and Technology.

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Reserved for Publication Footnotes