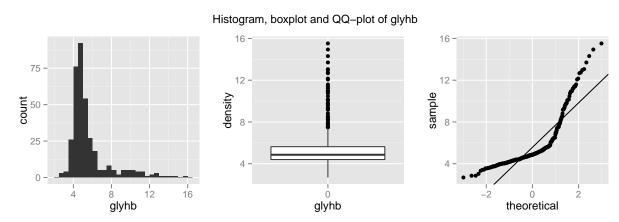
## Statistics 135 – Lab Project

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### 1 Background

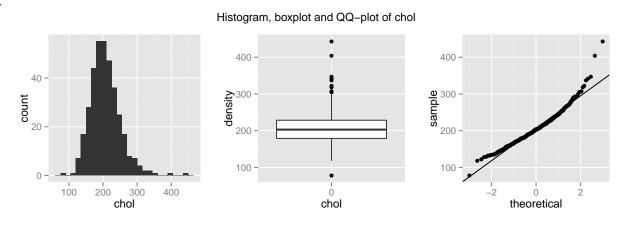
### 2 Accessing Data, Visualization and Summarization

1.

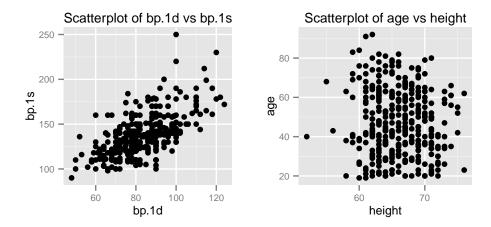


The mean, median and mode of glyhb are all approximately 5. The distribution of glyhb is left-skewed.

2.



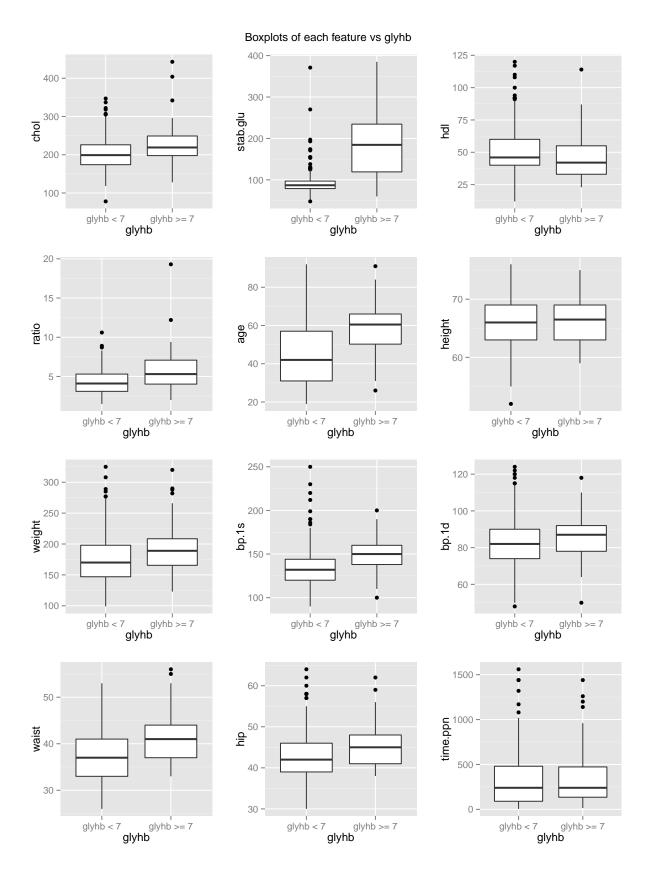
The mean, median and mode of chol are all approximately 200. The distribution of chol is better approximated with a Gaussian distribution.

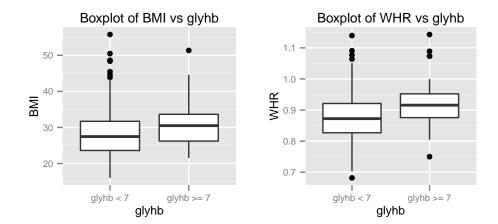


The scatterplot of bp.1s and bp.1d is near-linear, so they are approximately dependent. The scatterplot of age and weight is random, so they are approximately independent.

4.

- chol: The two distributions have small difference, so it may BE a relevant feature.
- stab.glu: The two distributions have substantial difference, so it may BE a relevant feature.
- hdl: The two distributions have small difference, so it may BE a relevant feature.
- ratio: The two distributions have small difference, so it may BE a relevant feature.
- age: The two distributions have substantial difference, so it may BE a relevant feature.
- height: The two distributions have little difference, so it may NOT BE a relevant feature.
- weight: The two distributions have small difference, so it may BE a relevant feature.
- bp.1s: The two distributions have small difference, so it may BE a relevant feature.
- bp.1d: The two distributions have small difference, so it may BE a relevant feature.
- waist: The two distributions have small difference, so it may BE a relevant feature.
- hip: The two distributions have small difference, so it may BE a relevant feature.
- time.ppn: The two distributions have small difference, so it may NOT BE a relevant feature.





6. In light of these first experiments, hdl, stab.glu, age, weight, bp.1s, bp.1d, waist and hip seem related to the presence of type II diabetes; chol, ratio, height and time.ppn seem unrelated to the presence of type II diabetes.

#### 3 Parametric Inference

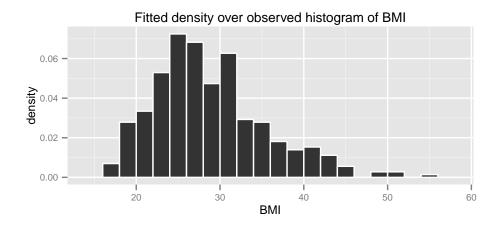
1.

$$X \sim Gamma(\alpha, \beta) = \frac{\beta^{\alpha}}{\Gamma(\alpha)} x^{\alpha - 1} e^{-\beta x}$$
 
$$E(X) = \frac{\alpha}{\beta}$$

$$E(X^{2}) = Var(X) + [E(X)]^{2}$$
$$= \frac{\alpha}{\beta^{2}} + \left(\frac{\alpha}{\beta}\right)^{2}$$
$$= \frac{\alpha(\alpha + 1)}{\beta^{2}}$$

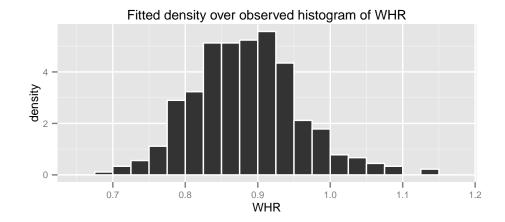
$$\begin{cases} E(X) = \frac{\alpha}{\beta} \\ E(X^2) = \frac{\alpha(\alpha+1)}{\beta^2} \end{cases} \implies \begin{cases} \alpha = \frac{[E(X)]^2}{Var(x)} \\ \beta = \frac{E(X)}{Var(x)} \end{cases} \implies \begin{cases} \hat{\alpha}_{MOM} = \frac{\overline{X}_n}{\frac{1}{n}\sum_{i=1}^n (X_i - \overline{X}_n)^2} \\ \hat{\beta}_{MOM} = \frac{\overline{X}_n^2}{\frac{1}{n}\sum_{i=1}^n (X_i - \overline{X}_n)^2} \end{cases}$$

## alpha beta ## 2.5% 15.77434 0.5420062 ## 97.5% 21.52204 0.7547185

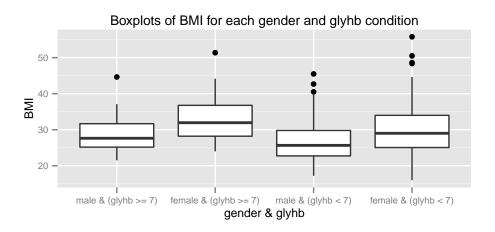


$$\hat{\mu}_{MLE} = \overline{X}_n$$

$$\hat{\sigma}_{MLE}^2 = \frac{1}{n} \sum_{i=1}^n (X_i - \overline{X}_n)^2$$

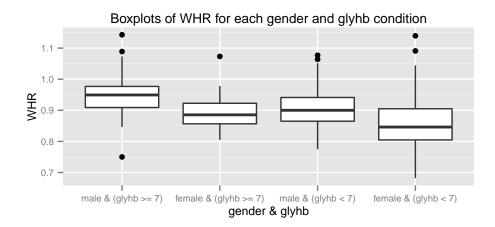


```
CIs.BMI
## $`male & (glyhb >= 7)`
##
          mu
               sigma
## 2.5% 26.84307 3.427979
## 97.5% 31.01954 7.085508
##
 $`female & (glyhb >= 7)`
##
          mu
## 2.5% 31.05788 4.846527
## 97.5% 35.72685 8.152714
##
##
 $`male & (glyhb < 7)`</pre>
##
          mu
               sigma
## 2.5% 25.46761 4.762291
## 97.5% 27.43883 6.386971
##
## $`female & (glyhb < 7)`
##
          mu
               sigma
## 2.5% 28.78206 6.225949
## 97.5% 30.85951 7.839278
```



- On average, emales have higher BMI than males.
- On average, eople with type II diabetes (glyhb >= 7) have higher BMI than people without type II diabetes (glyhb < 7).
- People with type II diabetes (glyhb >= 7) have larger confidence intervals of both mean and standard deviation than people without type II diabetes (glyhb < 7), regardless of gender.

```
CIs.WHR
## $`male & (glyhb >= 7)`
##
           mu
                 sigma
## 2.5% 0.9188920 0.04389852
## 97.5% 0.9800054 0.10382869
##
##
 $`female & (glyhb >= 7)`
##
           mu
## 2.5% 0.8728465 0.04107824
## 97.5% 0.9149814 0.07667731
##
 $`male & (glyhb < 7)`</pre>
##
##
           mu
                 sigma
## 2.5% 0.8948607 0.05534934
## 97.5% 0.9170900 0.07072515
##
##
 $`female & (glyhb < 7)`</pre>
##
           mu
                 sigma
## 2.5% 0.8445763 0.06156524
## 97.5% 0.8650507 0.07899223
```



- On average, males have higher WHR than females.
- On average, people with type II diabetes (glyhb >= 7) have higher WHR than people without type II diabetes (glyhb < 7).
- People with type II diabetes (glyhb >= 7) have larger confidence intervals of both mean and standard deviation than people without type II diabetes (glyhb < 7), regardless of gender.

## 4 Testing

- 1.
- 2.
- 3.
- 4.
- 5.
- 6.

# 5 Regression

- 1.
- 2.
- 3.
- 4.
- 5.
- 6.
- 7.