## Super\_Resolution\_GANs\_problem

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The goal of this homework is to super-resolve a very low resolution image (32x32) to a high resolution image (1024x1024) using a trained image prior as discussed in class. The generative prior used here is a style GAN, its code is already provided, and its trained parameters can be downloaded from: https://drive.google.com/uc?id=1TCViX1YpQyRsklTVYEJwdbmK91vklCo8

We start by loading the provided high resolution image, then downscaling it by a factor of 32. We then recover the original high resolution image by minimizing equation 3 in the lecture notes using gradient descent.

```
Mounted at /content/gdrive ['.DS_Store', 'Super_Resolution_GANs_problem.ipynb', '__MACOSX', '__pycache__', 'bicubic.py', 'colab_pdf.py', 'gaussian_fit.pt', 'gt.jpeg', 'stylegan.py', 'synthesis.pt']
```

```
[2]: import numpy as np
from PIL import Image
import matplotlib.pyplot as plt
from tqdm.notebook import tqdm

import torch
import torchvision
```

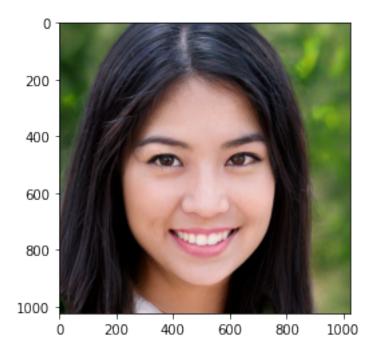
```
from bicubic import BicubicDownSample #Downscaler
from stylegan import G_synthesis #style GAN
```

```
[3]: gt = Image.open(gdrive_path + 'gt.jpeg') #load ground truth high resolution img
gt = torchvision.transforms.ToTensor()(gt)
gt = gt.unsqueeze(0)

print(gt.shape)
plt.imshow(gt.squeeze(0).permute(1,2,0))
```

torch.Size([1, 3, 1024, 1024])

## [3]: <matplotlib.image.AxesImage at 0x7ff55634a210>



```
[4]: device = 'cuda'
gt = gt.to(device)
```

```
[5]: #Downscaling
A = BicubicDownSample(factor=32)
y = A(gt)
y = y.clamp(0,1)

print(y.shape)
plt.imshow(y.cpu().squeeze(0).permute(1,2,0))
```

```
torch.Size([1, 3, 32, 32])
```

## [5]: <matplotlib.image.AxesImage at 0x7ff54d3e4c90>



```
[6]: #Load trained style GAN

model = G_synthesis().to(device)

state_dict = torch.load(gdrive_path + 'synthesis.pt') #enter path to the

downloaded state_dict

model.load_state_dict(state_dict)
```

[6]: <All keys matched successfully>

```
[7]: #Scaling factors
gaussian_fit = torch.load(gdrive_path + "gaussian_fit.pt")
lrelu = torch.nn.LeakyReLU(negative_slope=0.2)
```

```
[8]: #Load noise input to GAN, note that z1 is trainable but z2 is kept fixed.

z1 = torch.randn((1, 18, 512), dtype=torch.float, requires_grad=True, u device=device)

#Generate list of noise tensors

z2 = [] # stores all of the noise tensors

for i in range(18):
    # dimension of the ith noise tensor
```

```
res = (1, 1, 2**(i//2+2), 2**(i//2+2))
new_noise = torch.randn(res, dtype=torch.float, device=device)
new_noise.requires_grad = False
z2.append(new_noise)
```

```
[9]: def mse(gt: torch.Tensor, pred:torch.Tensor)-> torch.Tensor:
    loss = torch.nn.MSELoss()
    return loss(gt,pred)

#Takes as input noise, and returns an image
def G(z1,z2):
    latent = lrelu(z1*gaussian_fit["std"] + gaussian_fit["mean"])
    img = model(latent, z2)
    img = (img + 1)/2
    img = img.clamp(0,1)
    return img
```

Write your code to recover the original image by optimizing over  $z_1$ 

Criterion:  $\min_{\mathbf{z}} \frac{1}{2} ||\mathbf{A}G(\mathbf{z}) - \mathbf{y}||_2^2 + \gamma ||\mathbf{z}||_2^2$ 

```
[11]: def ridge_mse(gt, pred, w, weight_decay=1e-6):
          loss = mse(gt, pred)
          # print(w.shape)
          # print(type(w))
          w_flat = w.flatten()
          loss += weight_decay * torch.linalg.norm(w_flat) / w_flat.size()[0]
          return loss
      def training step(z1, z2, ground truth, learning_rate=1, weight_decay=1e-6,__
       \rightarrownum_steps=10000):
          optimizer = torch.optim.SGD([z1], lr=learning_rate, momentum=0.9)
          scheduler = torch.optim.lr_scheduler.MultiStepLR(optimizer,__
       \rightarrowmilestones=[4000,8000], gamma=0.1)
          losses = []
          with tqdm(range(num_steps)) as tepoch:
            for _ in tepoch:
                # zero the parameter gradients
                optimizer.zero_grad()
                # forward + backward + optimize
                output = G(z1, z2)
                # loss = mse(ground_truth, A(output))
                loss = ridge_mse(ground_truth, A(output), z1, weight_decay)
```

```
loss.backward()
    optimizer.step()

losses.append(loss.item())

tepoch.set_postfix(loss=loss.item())

return z1, output, losses

z1_opt, rec_img, mse_losses = training_step(z1, z2, y)
```

0%| | 0/10000 [00:00<?, ?it/s]

Plot your final image here

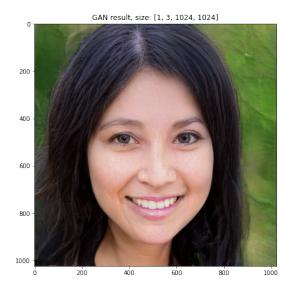
```
[15]: fig, ax = plt.subplots(1, 2)
    fig.set_figheight(8)
    fig.set_figwidth(16)
    fig.suptitle('Comparison between GAN and ground truth', fontsize=16)

ax[0].imshow(rec_img.cpu().detach().squeeze(0).permute(1,2,0))
    ax[0].set_title('GAN result, size: '+ str(list(rec_img.size())))

ax[1].imshow(gt.cpu().squeeze(0).permute(1,2,0))
    ax[1].set_title('ground truth, size: '+ str(list(gt.size())))
```

[15]: Text(0.5, 1.0, 'ground truth, size: [1, 3, 1024, 1024]')

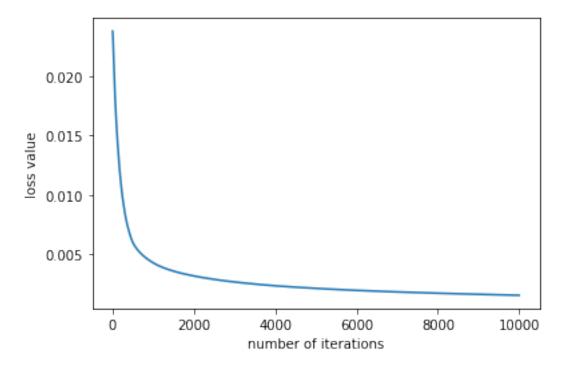
Comparison between GAN and ground truth





Print the MSE between your final image and the ground truth here

After 10000 iterations, the loss value = 0.001585



## 0.0.1 Bonus

As we can see, the final image looks like a high resolution image of a face, but is not very similar to the ground truth. By additionally optimizing over  $z_2$  as well, you can get slightly better results.

For achieving very good results, you can use the code from the following gihub repository: https://github.com/krantirk/Self-Supervised-photo