3 Sep 2025 Normal Subgings Factor (Quotient) groups

Golomp JNSG Subagi.

We southest N is nowmal in G (N & G) It and all ner frall a GG D J J D Z D Cit. and AN

Conjugate of N It N Q G Hun

aNa"-N frak at G aN=Na frakatg

(c) = and = r coincide

10112 toof (a) 1001-

H < G (exercise) DAH M Gabelian = every Bulogs. is normal prime that divides 161 and p is the smallest (construction) [6:4] = p politice ワッド

Thun G/N = (G/N)=1 = (G/N)=r is a ging With operation. an. bn det abn Assume N & G

Mosem

well-defined Why!

Then a b = a & b in 3 n 2 E a b i N , Sabn = a b in. i identity eliminat en = N (Recoll aN=N => aEN 11 = 14 Then ab= a'n b'n2 n2 = 14 . Then ab= a'n b'n2 Loof an-a'n gin abn-a'ln But b'N-Nb'. X/ Might by Brooks With N, b'-b'. n3 with M2FN. Q=Qin, With MEN b=binz mzeh (aN) II of I. サンノン

Thus ka kin NOK, Then kidiki (becoure NAG) (x) It KAG, two KN &G (normal, n. R= Kin for all NEN, ECK, (in) It KEG ama NNK= Jeb, tem In part, NK=KN is a subgring of G. Theorem KN 6G With NGG. Thun VAUNY X MANUXY (i) Proof (i) RENOIK, REK MY-N/KINKI

1 R R2 C NK F DN C DN F MUNXINX FIXZUXOZ HO ·ソノスリヘメロスンリン・ス(iii) (n, kg). (n2 k2) = n, kg, n2 kg, John NK Subgerry of G. Mer generally THUS NKINNINKY · (sonode) (ii) clear,

Binitiasy, we start with KING (NUK) Clouin KN subagraf G. (RIN). (Ranz) - Leta, B. n. Lanze KN EK C. n. Panze KN Exercise That Mis Schootin, HKR HXK MY UNADYY = XYU ADY um Sonkand-1-e, Cehk-kn nkn'e K because KAGG RNOK = Les TY - MOYY Smy , η Γ NEN BEK 1 4 N 4 1

Skaland Frin (V) 96 G (RN):97