

```
> eq:=a(n+1)=-1.2*a(n)+50;
```

$$eq := a(n+1) = -1.2 a(n) + 50$$

```
> rsolve(eq,a(n));
```

$$a(0) \left(-\frac{6}{5}\right)^n - \frac{250}{11} \left(-\frac{6}{5}\right)^n + \frac{250}{11}$$

```
> ans:=rsolve({eq,a(0)=1000},a(n));
```

$$ans := \frac{10750}{11} \left(-\frac{6}{5}\right)^n + \frac{250}{11}$$

```
> aa:=unapply(ans,n);
```

$$aa := n \rightarrow \frac{10750}{11} \left(-\frac{6}{5}\right)^n + \frac{250}{11}$$

```
> aa(0);
```

$$1000$$

```
> aa(50);evalf(%);
```

$$\frac{6319306136150331749123315765484455978326}{710542735760100185871124267578125} \\ 8.893632738 \cdot 10^6$$

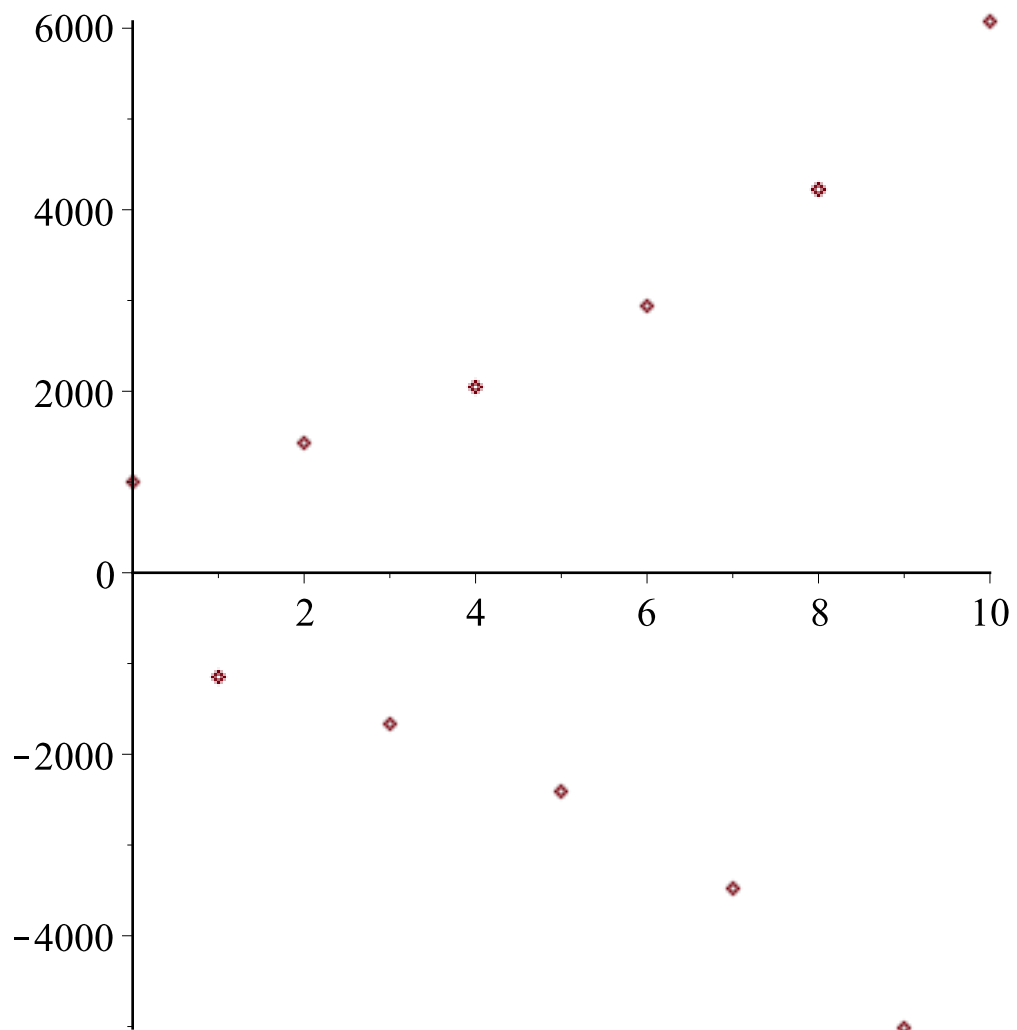
```
> N:=10;
```

$$N := 10$$

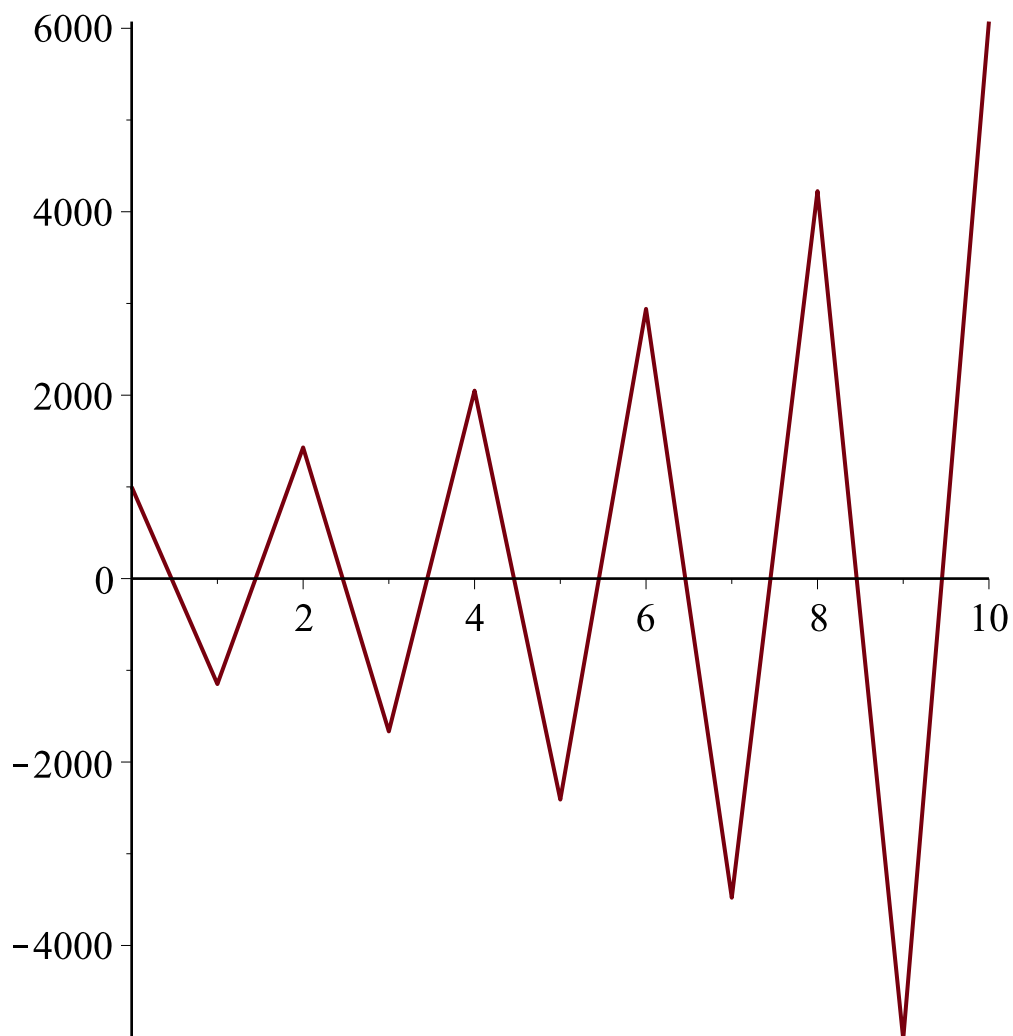
```
> [n,aa(n)]$n=0..N;
```

$$\begin{aligned} & [0, 1000], [1, -1150], [2, 1430], [3, -1666], \left[4, \frac{10246}{5}\right], \left[5, -\frac{60226}{25}\right], \left[6, \frac{367606}{125}\right], \left[7, \right. \\ & \left. -\frac{2174386}{625}\right], \left[8, \frac{13202566}{3125}\right], \left[9, -\frac{78434146}{15625}\right], \left[10, \frac{474511126}{78125}\right] \end{aligned}$$

```
> plot([n,aa(n)]$n=0..N,style=point);
```



```
> plot([ [n,aa(n)]$n=0..N] );
```



```
> eq1:=S(n+1)=S(n)+0.06*S0;
```

$$eq1 := S(n+1) = S(n) + 0.06 S0$$

```
> ans:=rsolve({eq1,S(0)=S0},S(n));
```

$$ans := \frac{47}{50} S0 + \frac{3}{50} S0 (n+1)$$

```
> A:=unapply(ans,n,S0);
```

$$A := (n, S0) \rightarrow \frac{47}{50} S0 + \frac{3}{50} S0 (n+1)$$

```
> A(1,S0);evalf(%);
```

$$\frac{53}{50} S0$$

$$1.060000000 S0$$

```
> eq2:=S(n+1)=S(n)+0.04/12*S(n);
```

$$eq2 := S(n+1) = 1.003333333 S(n)$$

```
> ans:=rsolve({eq2,S(0)=S0},S(n));
```

$$ans := S0 \left(\frac{1003333333}{1000000000} \right)^n$$

```
> B:=unapply(ans,n,S0);
```

```

B := (n, S0) → S0  $\left( \frac{1003333333}{1000000000} \right)^n$ 
> evalf(B(12, S0));
1.040741539 S0
> eq3:=S(n+1)=S(n)+0.04/4*S(n);
eq3 := S(n + 1) = 1.010000000 S(n)
> ans:=rsolve({eq3, S(0)=S0}, S(n));
ans := S0  $\left( \frac{101}{100} \right)^n$ 
> C:=unapply(ans, n, S0);
C := (n, S0) → S0  $\left( \frac{101}{100} \right)^n$ 
> evalf(A(1, S0)); evalf(B(12, S0)); evalf(C(4, S0));
1.060000000 S0
1.040741539 S0
1.040604010 S0
> evalf(A(5, S0)); evalf(B(12*5, S0)); evalf(C(4*5, S0));
1.300000000 S0
1.220996570 S0
1.220190040 S0
> evalf(A(10, S0)); evalf(B(12*10, S0)); evalf(C(4*10, S0));
1.600000000 S0
1.490832623 S0
1.488863734 S0
> evalf(A(15, S0)); evalf(B(12*15, S0)); evalf(C(4*15, S0));
1.900000000 S0
1.820301519 S0
1.816696699 S0
> evalf(A(20, S0)); evalf(B(12*20, S0)); evalf(C(4*20, S0));
2.200000000 S0
2.222581910 S0
2.216715217 S0
> eq:=S(n+1)=S(n)+0.05/12*S(n)-R;
eq := S(n + 1) = 1.004166667 S(n) - R
> ans:=rsolve({eq, S(0)=200000}, S(n));
ans := 200000  $\left( \frac{1004166667}{1000000000} \right)^n + \frac{1000000000}{416667} R - \frac{1000000000}{416667} R \left( \frac{1004166667}{1000000000} \right)^n$ 
> sol:=unapply(ans, n, R);
sol := (n, R) → 200000  $\left( \frac{1004166667}{1000000000} \right)^n + \frac{1000000000}{416667} R - \frac{1000000000}{416667} R \left( \frac{1004166667}{1000000000} \right)^n$ 
> evalf(solve(sol(360, R)=0, R));
1073.643295
> 360*1073.643295;

```

L

$3.865115862 \cdot 10^5$