Lab1

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1 Theory

Sound processing is a field that involves manipulating sound signals, typically in digital form, to create new effects or modify existing sounds. The process includes various techniques like synthesis, filtering, and effects processing. In this lab, we will focus on audio synthesis, which is the creation of sound from simple waveforms, and basic audio manipulation, such as filtering and pitch shifting.

1.1 Looking at the sampling rate of audio file

```
[5]: len(signal[0])
```

[5]: 8083456

1.2 Playing the audio file

```
[6]: import numpy as np
import audiofile as af
import sounddevice as sd

# Path to your audio file
audio_path = "/Users/Tufan File/vdo/Happy Birthday To You Ji - Funny Hindi
→Birthday Song (Part 1) - Funzoa Mimi Teddy, Krsna Solo.mp3"
```

```
# Read the audio file
signal, sampling_rate = af.read(audio_path)
print(f"Original Signal Shape: {signal.shape}")
print(f"Sampling Rate: {sampling_rate} Hz")

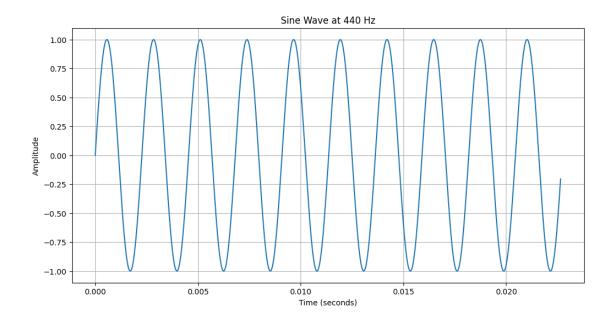
# Handle multi-channel audio by converting it to mono
if len(signal.shape) > 1: # If more than one channel
    signal = np.mean(signal, axis=1) # Convert to mono
    print(f"Converted to Mono Signal Shape: {signal.shape}")

# Play the audio file
print("Playing audio...")
sd.play(signal, samplerate=sampling_rate)
sd.wait() # Wait until playback finishes
print("Audio playback finished.")
```

Original Signal Shape: (2, 8083456) Sampling Rate: 44100 Hz Converted to Mono Signal Shape: (2,) Playing audio... Audio playback finished.

1.3 Plot the 440 sine wave

```
[9]: import numpy as np
     import matplotlib.pyplot as plt
     # Parameters
     frequency = 440 # Frequency in Hz
     sampling rate = 44100 # Sampling rate in Hz
     duration = 5.0 # Duration in seconds
     # Generate time points
     t = np.linspace(0, duration, int(sampling_rate * duration), endpoint=False)
     # Generate sine wave
     sine_wave = np.sin(2 * np.pi * frequency * t)
     # Plot the waveform
     plt.figure(figsize=(12, 6))
     plt.plot(t[:1000], sine_wave[:1000]) # Plot the first 1000 samples for better_
     \hookrightarrow visibility
     plt.title("Sine Wave at 440 Hz")
     plt.xlabel("Time (seconds)")
     plt.ylabel("Amplitude")
     plt.grid()
     plt.show()
```



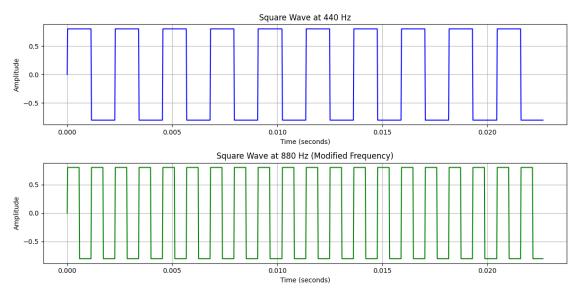
1.4 Square Wave Synthesis with Amplitude and Frequency Manipulation

```
[10]: import numpy as np
      import matplotlib.pyplot as plt
      # Parameters
      frequency = 440 # Frequency in Hz
      amplitude = 0.8 # Amplitude (0 to 1)
      sampling_rate = 44100 # Sampling rate in Hz
      duration = 5.0 # Duration in seconds
      # Generate time points
      t = np.linspace(0, duration, int(sampling_rate * duration), endpoint=False)
      # Generate square wave
      square_wave = amplitude * np.sign(np.sin(2 * np.pi * frequency * t))
      # Manipulate frequency (double it for demonstration)
      new_frequency = 880  # New frequency in Hz
      square_wave_new = amplitude * np.sign(np.sin(2 * np.pi * new_frequency * t))
      # Plot the original and modified square waves
      plt.figure(figsize=(12, 6))
      # Original square wave
      plt.subplot(2, 1, 1)
      plt.plot(t[:1000], square_wave[:1000], color="blue")
```

```
plt.title("Square Wave at 440 Hz")
plt.xlabel("Time (seconds)")
plt.ylabel("Amplitude")
plt.grid()

# Modified square wave (new frequency)
plt.subplot(2, 1, 2)
plt.plot(t[:1000], square_wave_new[:1000], color="green")
plt.title("Square Wave at 880 Hz (Modified Frequency)")
plt.xlabel("Time (seconds)")
plt.ylabel("Amplitude")
plt.grid()

plt.tight_layout()
plt.show()
```



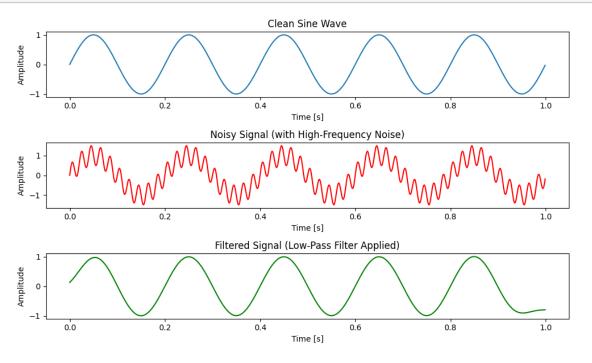
1.5 Implementing the low-pass filter on a noisy sine wave and observe the effect

```
import numpy as np
import matplotlib.pyplot as plt
from scipy.signal import butter, filtfilt

# Step 1: Generate a noisy sine wave
fs = 1000 # Sampling frequency (samples per second)
t = np.arange(0, 1, 1/fs) # Time vector
f_signal = 5 # Frequency of the sine wave in Hz
f_noise = 50 # Frequency of the noise in Hz
```

```
# Generate a clean sine wave
clean_signal = np.sin(2 * np.pi * f_signal * t)
# Add noise (high-frequency component)
noise = 0.5 * np.sin(2 * np.pi * f_noise * t)
# Noisy signal
noisy_signal = clean_signal + noise
# Step 2: Design a low-pass filter
def butter lowpass(cutoff, fs, order=4):
   nyquist = 0.5 * fs
   normal cutoff = cutoff / nyquist
   b, a = butter(order, normal_cutoff, btype='low', analog=False)
   return b, a
# Apply the low-pass filter to remove high-frequency noise
cutoff_frequency = 10  # Cutoff frequency for the low-pass filter
b, a = butter_lowpass(cutoff_frequency, fs)
# Apply the filter using filtfilt (zero-phase filtering)
filtered_signal = filtfilt(b, a, noisy_signal)
# Step 3: Plot the results
plt.figure(figsize=(10, 6))
# Plot the clean signal
plt.subplot(3, 1, 1)
plt.plot(t, clean_signal, label='Clean Sine Wave')
plt.title('Clean Sine Wave')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
# Plot the noisy signal
plt.subplot(3, 1, 2)
plt.plot(t, noisy_signal, label='Noisy Signal', color='r')
plt.title('Noisy Signal (with High-Frequency Noise)')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
# Plot the filtered signal
plt.subplot(3, 1, 3)
plt.plot(t, filtered_signal, label='Filtered Signal', color='g')
plt.title('Filtered Signal (Low-Pass Filter Applied)')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
```

```
plt.tight_layout()
plt.show()
```



1.6 Applying pitch shifting to a sine wave and plot the resulting waveform

```
import numpy as np
import matplotlib.pyplot as plt

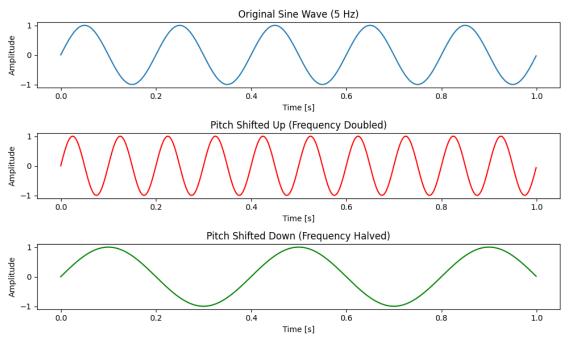
# Step 1: Generate a sine wave
fs = 1000  # Sampling frequency (samples per second)
t = np.arange(0, 1, 1/fs)  # Time vector
f_original = 5  # Original frequency of the sine wave (in Hz)

# Generate the original sine wave
original_signal = np.sin(2 * np.pi * f_original * t)

# Step 2: Apply pitch shifting
# Shift the pitch up and down by a factor
pitch_up_factor = 2  # Shift the pitch up by a factor of 2 (10 Hz)
pitch_down_factor = 0.5  # Shift the pitch down by a factor of 0.5 (2.5 Hz)

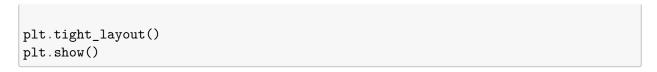
# Create the pitch-shifted signals
shifted_up_signal = np.sin(2 * np.pi * f_original * pitch_up_factor * t)
shifted_down_signal = np.sin(2 * np.pi * f_original * pitch_down_factor * t)
```

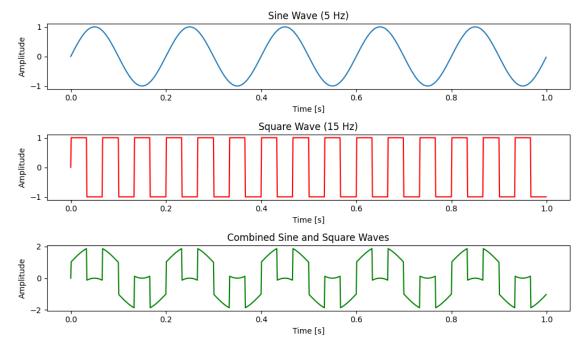
```
# Step 3: Plot the results
plt.figure(figsize=(10, 6))
# Plot the original sine wave
plt.subplot(3, 1, 1)
plt.plot(t, original_signal, label='Original Sine Wave')
plt.title('Original Sine Wave (5 Hz)')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
# Plot the pitch-shifted up signal
plt.subplot(3, 1, 2)
plt.plot(t, shifted_up_signal, label='Pitch Shifted Up (10 Hz)', color='r')
plt.title('Pitch Shifted Up (Frequency Doubled)')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
# Plot the pitch-shifted down signal
plt.subplot(3, 1, 3)
plt.plot(t, shifted_down_signal, label='Pitch Shifted Down (2.5 Hz)', color='g')
plt.title('Pitch Shifted Down (Frequency Halved)')
plt.xlabel('Time [s]')
plt.ylabel('Amplitude')
plt.tight_layout()
plt.show()
```



1.7 Exolpring the effect of combining multiple waveform (eg., sine and square waves)

```
[13]: import numpy as np
      import matplotlib.pyplot as plt
      # Parameters
      fs = 1000 # Sampling frequency (samples per second)
      t = np.arange(0, 1, 1/fs) # Time vector
      # Original frequencies
      f_sine = 5 # Frequency of the sine wave (in Hz)
      f_square = 15  # Frequency of the square wave (in Hz)
      # Generate the individual waveforms
      sine_wave = np.sin(2 * np.pi * f_sine * t)
      square_wave = np.sign(np.sin(2 * np.pi * f_square * t)) # Square wave with 15_
       \hookrightarrow Hz
      # Combine the sine and square waves (simple addition)
      combined_wave = sine_wave + square_wave
      # Plot the results
      plt.figure(figsize=(10, 6))
      # Plot the sine wave
      plt.subplot(3, 1, 1)
      plt.plot(t, sine_wave, label=f'Sine Wave ({f_sine} Hz)')
      plt.title('Sine Wave (5 Hz)')
      plt.xlabel('Time [s]')
      plt.ylabel('Amplitude')
      # Plot the square wave
      plt.subplot(3, 1, 2)
      plt.plot(t, square_wave, label=f'Square Wave ({f_square} Hz)', color='r')
      plt.title('Square Wave (15 Hz)')
      plt.xlabel('Time [s]')
      plt.ylabel('Amplitude')
      # Plot the combined wave
      plt.subplot(3, 1, 3)
      plt.plot(t, combined_wave, label='Combined Waveform', color='g')
      plt.title('Combined Sine and Square Waves')
      plt.xlabel('Time [s]')
      plt.ylabel('Amplitude')
```





[]: