

BILGI UNIVERSITY
Faculty of Engineering and Natural Sciences
Department of Electrical and Electronics Department

Course: EEEN 352 System Dynamics and Control

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Exam/Date: Quiz-1/17.04.2020, 09:00 – 10:00, **Duration:** 45 min.

Signature:

Student Name:

Student Number:

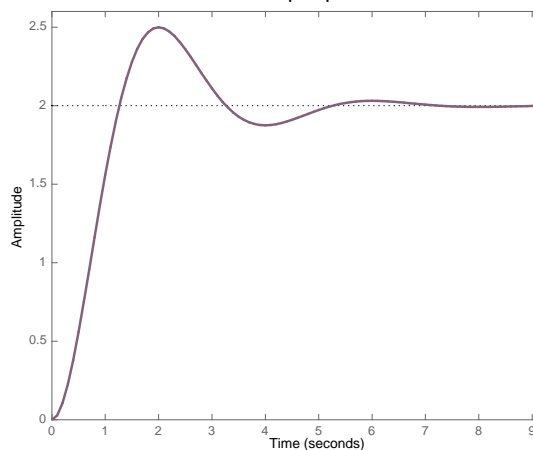
Problem. For each of the transfer function **(i, ii, iii)**, a response plot **(iv)** and given specs **(v)**, all representing second order systems, do the following so that you can fill in the table with your results.

- Find the natural frequency and damping ratio values, then determine the locations of the poles
- Determine the kind of the unit step time responses (overdamped, undamped, etc.) and write their general forms,
- Find the steady-state, c_{ss} , and peak values, c_{max} , of the responses. *Necessary formulas are at the bottom.*
- Find the settling and peak times, T_s and T_p (if appropriate), respectively.
- Propose new transfer functions that produce unit step responses two times (2x) slower in terms of settling time while maintaining the same form (the same ζ) and steady-state values.

(i) $G_1(s) = \frac{18}{(s+2)(s+5)}$, **(ii)** $G_2(s) = \frac{12}{s^2+4s+16}$, **(iii)** $G_3(s) = \frac{12.5}{s^2+5s+6.25}$,

(iv) $G_4(s)$: The plot,

(v) $G_5(s)$: 10% OS, $T_s = 4$ sec, $c_{final} = 3.5$

Transfer Functions	Step Response				
	(i) $G_1(s)$	(ii) $G_2(s)$	(iii) $G_3(s)$	(iv) $G_4(s)$	(v) $G_5(s)$
Questions					
1. ω_n	1, i	1, ii	1, iii	1, iv	1, v
2. ζ , %OS	2, i	2, ii	2, iii	2, iv	2, v
3. Poles	3, i	3, ii	3, iii	3, iv	3, v
4. Kind	4, i	4, ii	4, iii	4, iv	4, v
5. General Form	5, i	5, ii	5, iii	5, iv	5, v
6. T_s	6, i	6, ii	6, iii	6, iv	6, v
7. T_p	7, i	7, ii	7, iii	7, iv	7, v
8. c_{ss}	8, i	8, ii	8, iii	8, iv	8, v
9. c_{max}	9, i	9, ii	9, iii	9, iv	9, v
10. New (10, i-iii) and Proposed (10, iv-v) Tr. Fn.	10, i	10, ii	10, iii	10, iv	10, v

$$T_p = \frac{\pi}{\omega_n \sqrt{1-\zeta^2}}, T_s \cong \frac{4}{\zeta \omega_n}, \%OS = 100 \cdot e^{-\zeta \pi / \sqrt{1-\zeta^2}}, \zeta = \frac{-\ln(\%OS/100)}{\sqrt{\pi^2 + \ln^2(\%OS/100)}}, \lim_{t \rightarrow \infty} f(t) = \lim_{s \rightarrow 0} sF(s), \quad \text{Good luck!}$$