



# Lab Manual

## Practical and Skills Development

# CERTIFICATE

THE ASSIGNMENT ENTERED IN THIS REPORT HAVE BEEN  
SATISFACTORILY PERFORMED BY

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**Course Code** : CSE1021  
**School Name** : SCAI  
**Slot** : B11+B12+B13  
**Class ID** : BL2025260100796  
**Semester** : FALL 2025/26

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### Practical Index

S. No.	Title of Practical	Date of Submission	Signature of Faculty
1	<b>Defined a function called aliquot_sum(n) that returns the sum of all proper divisors of n is less than n</b>	16nov (sunday)	
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**Practical No: 1**

**Date:** 16NOV

**TITLE:** Write a function called aliquot\_sum(n) which checks whether the sum of proper divisors of n is greater than n .

**AIM/OBJECTIVE(s):** Wanted to define a function which checks whether the sum of proper divisors of n is greater than n .

**METHODOLOGY & TOOL USED:** Will check whether the given number gives remainder zero or not,if zero its proper divisor and will keep on doing this by increasing the i by 1.

**BRIEF DESCRIPTION:** Will check whether the given number gives remainder zero or not,if zero its proper divisor and will keep on doing this by increasing the i by 1.



### **RESULTS ACHIEVED:**

```
A = int(input("enter a number: "))

total = 0

for i in range (1 , A):

    if A % i == 0:

        total += i

print(total)
```

### **DIFFICULTY FACED BY STUDENT:**

### **CONCLUSION:**





## Practical No: 2

Date: 18NOV

- TITLE:**a)Write a function Modular Multiplicative Inverse mod\_inverse(a, m) that finds the number x such that  $(a * x) \equiv 1 \pmod{m}$ .
- b)Write a function Lucas Numbers Generator lucas\_sequence(n) that generates the first n Lucas numbers (similar to Fibonacci but starts with 2, 1).
- c)Implement the probabilistic Miller-Rabin test is\_prime\_miller\_rabin(n, k) with k rounds.

- AIM/OBJECTIVE(s):**a) find a function which can calculate inverse of two numbers.
- b) to create a fibonacci but it should start with 2.
- c) to find a function which can tell us whether a number is prime,coprime or composite.

- METHODOLOGY & TOOL USED:**a) used greatest common divisor function to check whether the number is factor of the given number or not.
- b)Defined the range from 2 as given in question and subtracted 1 from first term and 2 from second term.
- c)First checked in particular range if the given number is prime or not then checked for  $2^{**n}$  terms.



- BRIEF DESCRIPTION:**
- a) used greatest common divisor function to check whether the number is factor the given number or not.
  - b)Defined the range from 2 as given in question and subtracted 1 from first term and 2 from second term.
  - c)First checked in particular range if the given number is prime or not then checked for  $2^{**n}$  terms.

**RESULTS ACHIEVED:**

```
a)def mod_inverse(a: int, m: int) -> int:
```

```
    if not isinstance(a, int) or not isinstance(m, int):
        raise TypeError("Both a and m must be integers.")
    if m <= 1:
        raise ValueError("Modulus m must be greater than 1.")
```

```
def extended_gcd(x, y):
    if y == 0:
        return x, 1, 0
    gcd, x1, y1 = extended_gcd(y, x % y)
    return gcd, y1, x1 - (x // y) * y1
```



```
gcd, x, _ = extended_gcd(a, m)
```

```
if gcd != 1:
```

```
    raise ValueError(f"No modular inverse exists for a={a} and m={m}  
(gcd={gcd}).")
```

```
return x % m
```

```
try:
```

```
    print(mod_inverse(3, 15)) # output: 4, since (3*4) % 11 == 1 or 3,15  
no mod exist
```

```
    print(mod_inverse(10, 18)) # output: 12, since (10*12) % 17 == 1 or  
10,18 no mod exoist
```

```
except (ValueError, TypeError) as e:
```

```
    print("Error:", e)
```

```
b)def lucas_sequence(n):
```

```
    if not isinstance(n, int):
```

```
        raise TypeError("n must be an integer.")
```

```
    if n < 0:
```

```
        raise ValueError("n must be a non-negative integer.")
```

```
    if n == 0:
```

```
        return []
```

```
    elif n == 1:
```

```
        return [2]
```

```
    elif n == 2:
```



```
return [2, 1]

lucas_nums = [2, 1]

for _ in range(2, n):
    lucas_nums.append(lucas_nums[-1] + lucas_nums[-2])

return lucas_nums

if __name__ == "__main__":
    try:
        terms = 15

        print(f'First {terms} Lucas numbers:', lucas_sequence(terms))
    except (TypeError, ValueError) as e:
        print("Error:", e)
    c)import random

def is_prime_miller_rabin(n: int, k: int = 5) -> bool:

    if n <= 1:
        return False
    if n <= 3:
        return True
    if n % 2 == 0:
        return False
```



```
# Write n-1 as 2^r * d with d odd

r, d = 0, n - 1

while d % 2 == 0:

    r += 1

    d //= 2


for _ in range(k):

    a = random.randrange(2, n - 1)

    x = pow(a, d, n)

    if x == 1 or x == n - 1:

        continue

    for _ in range(r - 1):

        x = pow(x, 2, n)

        if x == n - 1:

            break

    else:

        return False

return True

if __name__ == "__main__":

    test_numbers = [2, 7, 88, 17, 19, 40, 563, 1235, 7019, 999983]

    for num in test_numbers:

        print(f'{num} -> {\'Prime\' if is_prime_miller_rabin(num, k=10) else \'Composite\'}')
```



**DIFFICULTY FACED BY STUDENT:**faced difficulty while taking the range and finding how to check a number is composite or not.

**CONCLUSION:**a),b),c) found a function which can calculate the modulus, lucas numbers that start from 2 and a function which tells the number is prime composite or non prime.