

**IE 305 Project  
PART II - Deliverable**

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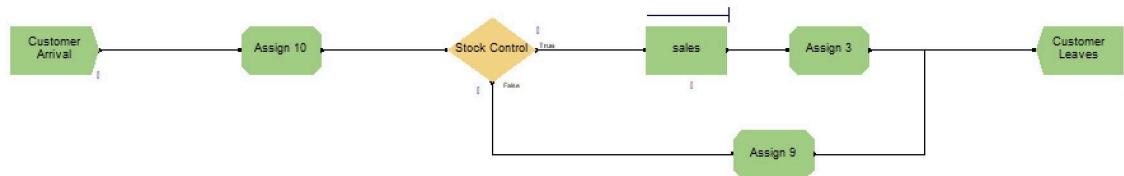
## 1) Overall structure of the Models

The Arena model is composed of three main parts:

1. **Customer demand & sales flow (order arrival → demand assignment → stock decision → sales/leave)**
2. **Production system (Line 1, Line 2, Line 3 → batching → Assembly station → finished harness output)**
3. **Repair Lines**

First two parts are linked through inventory/stock logic: customers can complete a purchase only if sufficient finished products are available; otherwise the customer leaves (dissatisfied customer).

## 2) Customer arrival + demand quantity (Empirical discrete)



- **Customer arrivals** are generated via a Create module (“Customer Arrival”). As specified later in the project instructions, the time between arrivals is modeled as:  
TBA~EXPO(9.23 minutes)  
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- Demand per arriving customer is assigned using an **empirical discrete distribution** in **Assign 10** (demand attribute):

Demand = DISC(

0.0255, 30,  
0.0526, 40,  
0.1562, 50,  
0.3063, 60,  
0.4010, 70,  
0.7722, 80,  
1.0, 90

)

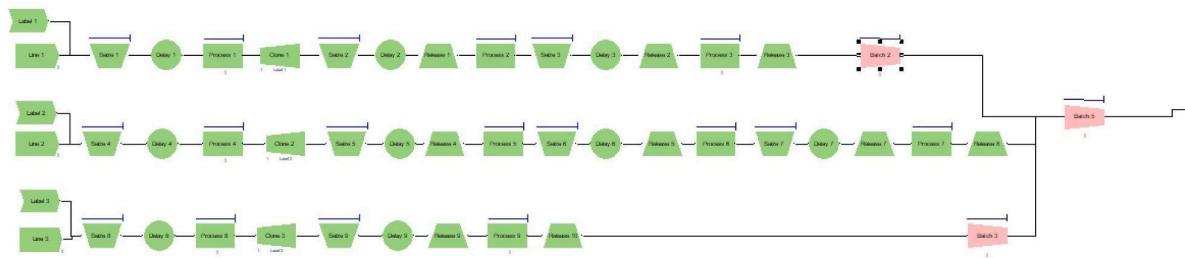
This maps cumulative probabilities (CDF) to observed demand values and preserves the historical frequency of demand.

### 3) Stock control + sales department

After demand is assigned, the model checks whether the order can be fulfilled:

- **Decide module (“Stock Control”)**: checks if available inventory is sufficient for the entity's demand.
  - If **True** → entity proceeds to the **Sales** process.
  - If **False** → entity is routed to a “leave” branch (Dissatisfied Customer).
- **Sales process** is modeled as a **Process module** that seizes the resource **SalesDep**. If the project requires working hours, SalesDep is defined with a **capacity schedule** (open/close times). Recommended **Schedule Rule = Ignore** so that an ongoing sale finishes even if closing time occurs.
- After sales completion, an Assign module updates inventory (e.g., decrements finished goods by Demand) and the customer leaves.

### 4) Production lines (Line 1, Line 2, Line 3)



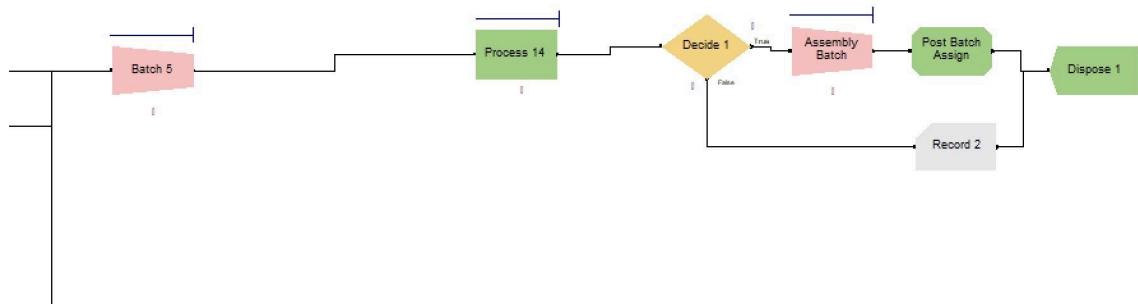
Each production line is modeled as a sequence of:

- **Seize → Delay → Release** logic blocks (machine as a Resource)
- Intermediate processes represent consecutive stations on the line.
- Line 1, Line 2 and Line 3 contain multiple stations (seize-delay-release blocks) and Clone modules.

The production floor is modeled using distinct segments for each line, converging at the assembly station.

- **Line Configuration:**
  - **Line 1:** 3 Stations (Produces Subassembly 1).
  - **Line 2:** 4 Stations (Produces Subassembly 2).
  - **Line 3:** 2 Stations (Produces Subassembly 3).
- **Kanban Logic:** To simulate JIT principles, each station is modeled with a "Seize-Delay-Release" logic where the resource represents the machine. A "Hold" or "Seize" mechanism ensures that a station cannot process a new part unless a Kanban signal is available from the downstream buffer.
- Each line's output is routed to batching logic so that the correct combination of components can feed Assembly.

## 5) Batching + Assembly station



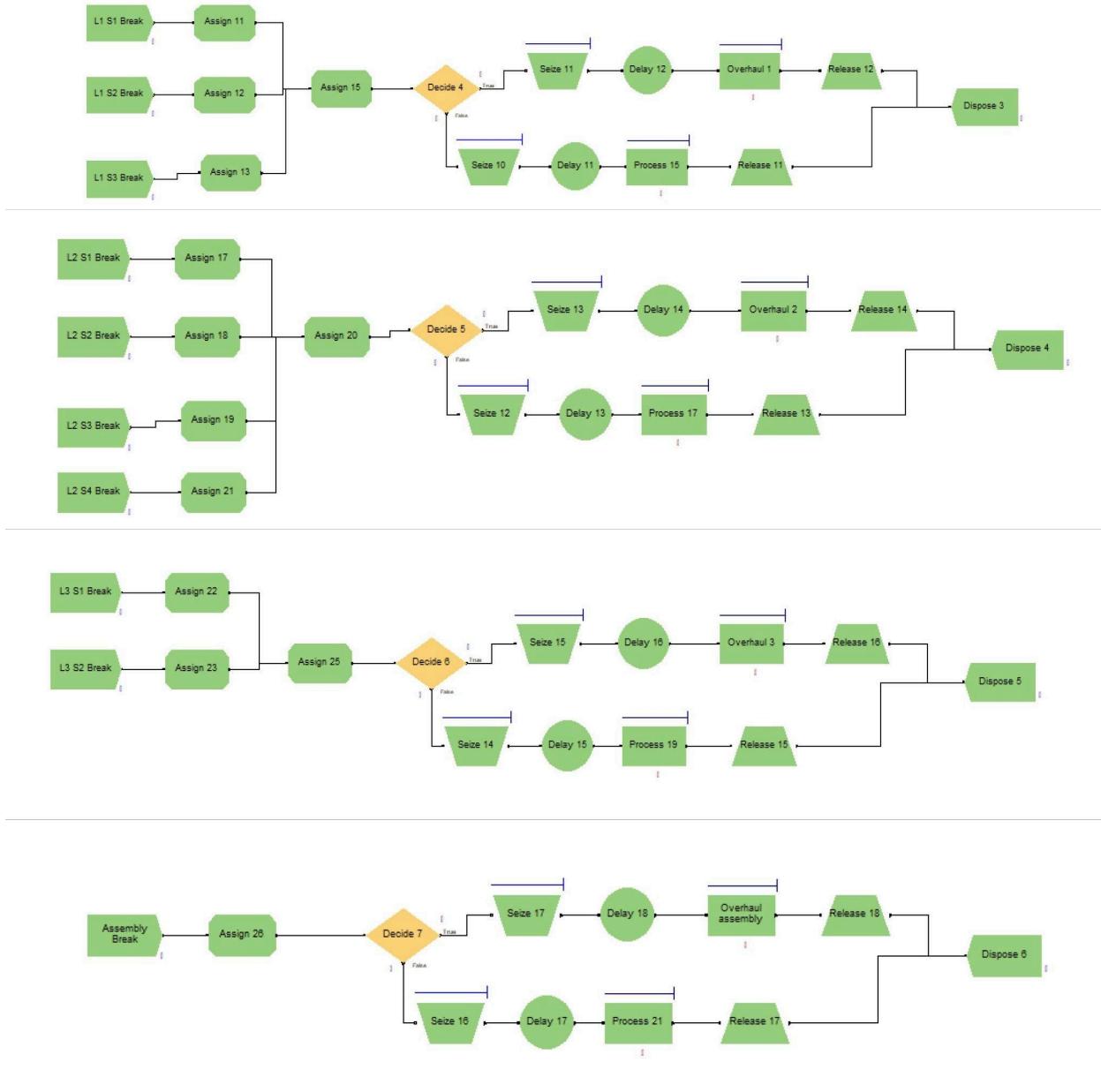
After lines produce components:

- **Batch modules** combine required components into kits for assembly.
- The merged kit enters the **Assembly station** (Process 14) modeled as:
  - Seize (Assembler resource)
  - Delay (assembly time)
  - Release

After assembly:

- A Decide module (Decide 1) routes entities:
  - **True:** completed harness goes through final batch/assignment and is disposed as "finished output".
  - **False:** routed to a record block for tracking scraps.

## 6. Repair Lines



- **Independent Clocks:** Each machine has its own "Create" module generating failures at intervals of  $EXPO(8)$  hours. This ensures that if one machine fails, it does not reset the "clock" for other machines.
- **Entity Definition:** A specific entity type is used for all failures. This separates maintenance activities from production statistics, preventing the inflation of throughput numbers.
- **Identification (Indexing):** To efficiently handle multiple machines within a single loop, we used Resource Sets and Attributes.
  - Each failure entity is assigned an attribute MyIndex (1, 2, or 3) upon creation.

- This index allows the logic to seize the specific machine from a Set (Set\_L1\_Machines) corresponding to the breakdown.

The project requires that every 10th failure triggers a major overhaul. We implemented this using Variable Arrays:

- Tracking: Arrays such as *L1\_FailCount(MyIndex)* track the cumulative number of failures for each specific machine.
- Decision Logic: A "Decide" module checks the condition:  
 $\text{MOD}(\text{FailCount}(\text{MyIndex}), 10) == 0$   
 If True, the entity proceeds to the Overhaul Path; if False, it proceeds to the Regular Repair Path.

## Throughput Estimation

We checked the number of outputs of the ending process at each line to find the throughputs of each line.

### A) Standalone throughputs of Line 1 / Line 2 / Line 3 (no breakdowns)

**Reported outputs :**

- Line 1 standalone throughput (no repairs): 4192 **units/day**
- Line 2 standalone throughput (no repairs): 2013 **units/day**
- Line 3 standalone throughput (no repairs): 8694 **units/day**

### B) Assembly throughput without breakdowns/repairs

We run the full integrated model **with breakdowns disabled** and measure output at the final Dispose.

The completed output count is:

- **Assembly throughput (no breaks) = 1097 output entities / day**

### C) Assembly throughput with breakdowns/repairs

We could not run the model with the repairs properly. But our full design is included in the file.

## Daily demand rate (Harnesses/Day) — Verification calculation

Daily demand rate is used to verify whether the simulated demand scale is reasonable.

1. Expected demand per arriving customer:

$$E[D] = \sum x \cdot p(x)$$

Using the empirical distribution:

$$E[D] \approx 72.859$$

2. Expected number of arrivals per day depends on **operating minutes** MM:

$$E[Narrivals/day] = M \cdot 9.23$$

- If your system is open 24 hours:  $M = 1440$  →  $\approx 155.99 \approx 155.99$  arrivals/day
  - If open HH hours:  $M = 60H$
3. Therefore expected daily demand in harness units:

$$E[Demand/day] = M \cdot 9.23 \times 72.859$$