

CONTROL LAB 4

PRELAB (On Paper)

Unity feedback system which has a $G(s) = \frac{K(s+2)}{s^2-4s+13}$ transfer function.

- i) Draw root locus.
- ii) Determine the points where the root loci cross the imaginary axis and find the gain on these points.
- iii) Determine the angle of departure from the complex-conjugate open-loop poles.
- iv) Determine the points where the root loci cross the real axis.

1)

Movement equation of the system in the following figure can be written as $m\ddot{x}(t) + b\dot{x}(t) + kx(t) = f(t)$. Assume that $M=1$ kg, $b=10$ Ns/m, and $k=20$ N/m.

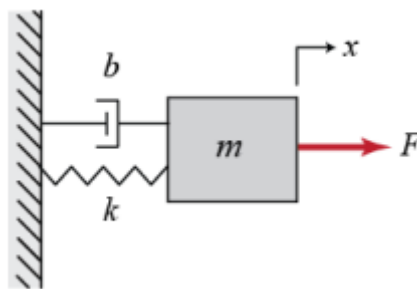


Fig. System

- i) If system output $x(t)$ is controlled by proportional controller, find K_p ranges which make to underdamped, critically damped, overdamped, undamped system's response. Is there a K_p range that makes the system stable? If it is, state this range. / **On Paper**/
- ii) Draw step response of system for K_p ranges. / **On Simulink**/

2)

A) Given open-loop transfer function $G(s) = \frac{1}{s+1}$, draw root locus control system on MATLAB.

i) Check the root locus by adding a pole $s = -2$ point.

ii) Check the root locus by adding a pole $s = -4$ point.

B) Given open-loop transfer function $G(s) = \frac{1}{s(s+1)(s+4)}$, draw root locus control system on MATLAB

i) Check the root locus by adding a zero $s = -5$ point.

ii) Check the root locus by adding a zero $s = -2$ point.

iii) Check the root locus by adding a zero $s = -0.5$ point.

C) It is desired that given open-loop transfer function $G(s) = \frac{(s+2)}{s^2-4s+13}$ to stabilize without exceeding 52% overshoot. Find the required gain by root locus method and obtain the unit step response on MATLAB.