

Ahsanullah University of Science & Technology

Department of Computer Science
& Engineering.

Course No : CSE 3110
Course Title : Digital System Design Lab.
Assignment No: 02.

Submitted By -

Section - C

Lab Group - C1

Group - 07

ID - 18.01.04.103

18.01.04.104

18.01.04.117

Introduction :

Booth's multiplication algorithm is a multiplication algorithm that multiplies two signed binary numbers in two's complement form.

The algorithm was invented by Andrew Donald Booth in 1950. Booth's algorithm can be implemented by repeatedly adding (with ordinary unsigned binary addition) one of two predetermined values A and S to a product P , then performing a rightward arithmetic shift on P .

Problem Statement:

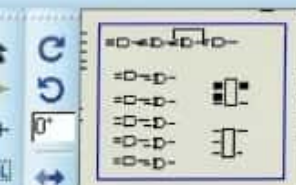
Design a 5×5 booth multiplier.

Equipment and Budget :

Equipment	Estimated Cost (per Unit) Taka.
7408 (AND Gate)	80
7432 (OR Gate)	40
7486 (X-OR Gate)	50
7483 (Parallel Adder)	160
7474 (D-Flip Flop)	150
74273 (D-Flip Flop Array)	30
Bread Board	480
Jumper wire	150
Total Cost	1140



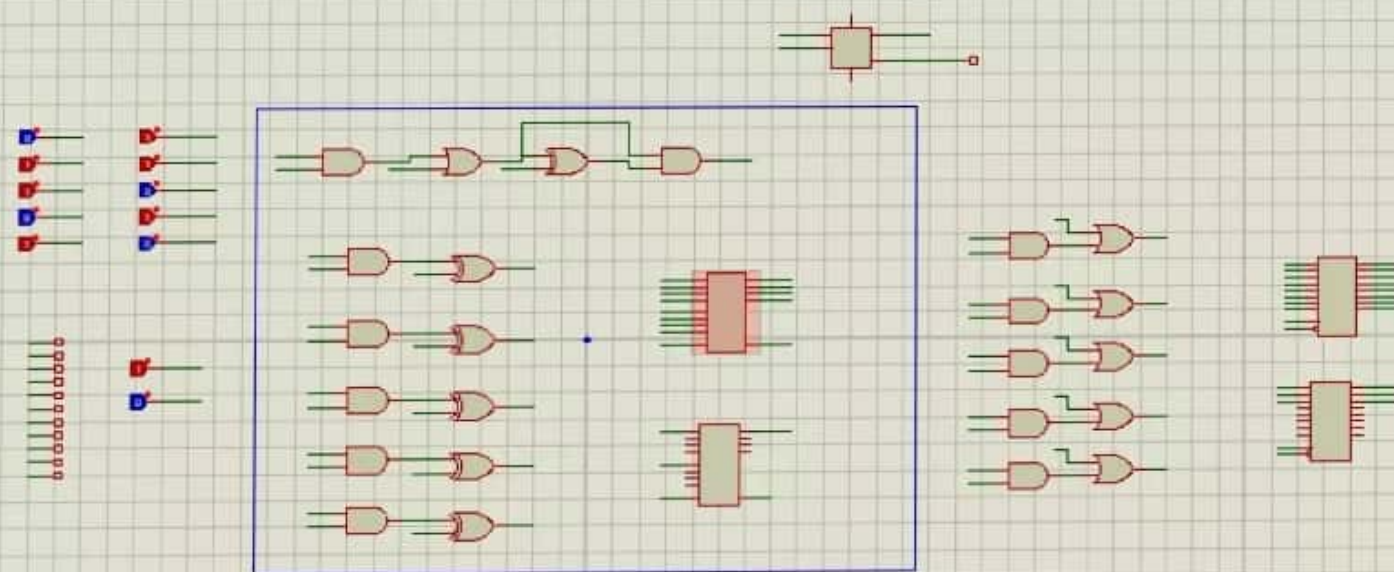
Schematic Capture x



GRAPHICS

COMPONENT

PIN
PORT
MARKER
ACTUATOR
INDICATOR
VPROBE
IPROBE
TAPE
GENERATOR
TERMINAL
SUBCIRCUIT
2D GRAPHIC
WIRE DOT
WIRE
BUS WIRE
BORDER
TEMPLATE

**5 x 5 Bit Booth's Multiplier**

Activate Windows
Go to Settings to activate

Result :

Example : Find $13 \times (-6)$ using booth's algorithm.

Here, multiplicand, $m = 13 = 01101$
multiplier, $r = -6 = 11010$

$$\therefore A = 01101000000$$

$$S = 10011000000$$

$$P = 00000110100$$

Step 1: $P = 00000110100$, The last two bits are 00.

$$\therefore P = 00000011010 \quad [\text{Arithmetic right shift}]$$

Step 2: $P = 00000011010$. The last two bits are 10.

$$\text{So, } P = 10011011010 ; [P = P + S]$$

$$\therefore P = 11001101101 \quad [\text{Right shift}]$$

Step 3: $P = 11001101101$, The last two bits are 01.

$$\text{So } P = 00110101101 ; [P = P + A]$$

$$\therefore P = 00011010110 ; [\text{Right shift}]$$

Step 4 :

$P = 00011010110$. The last two bits are 10.

so, $P = 10110010110$; $[P = P + S]$

$\therefore P = 11011001011$ $[Right\ shift]$

Step 5 :

$P = 11011001011$

The last two bits are 11.

so, $P = 11101100101$; $[Right\ shift]$

\therefore The product is 1110110010 ,

which is -78 .

Conclusion :

Though we have proved our result successfully for all outputs, we might face problem as —

1. Used equipment can be damaged if carefully not handled.
2. Using unnecessary wire can cause of short circuit.
3. Use of unnecessary gates may make implementation difficult.