Contents

1	Fun	ctions		
	1.1	bigrange – range-like generator functions		
		1.1.1	count – count up	
			range – range-like iterator	
		1.1.3	$arithmetic_progression - arithmetic_progression$ iterator .	
		1.1.4	geometric progression – geometric progression iterator .	
		1.1.5	multirange – multiple range iterator	
			multirange restrictions – multiple range iterator with re-	
			strictions	

Chapter 1

Functions

1.1 bigrange – range-like generator functions

1.1.1 count – count up

```
	ext{count(n: } integer = 0 \ ) 
ightarrow iterator
```

Count up infinitely from n (default to 0). See itertools.count.

n must be int, long or rational.Integer.

1.1.2 range – range-like iterator

```
\begin{array}{l} \text{range(start: } \textit{integer}, \text{ stop: } \textit{integer}{=}\text{None, step: } \textit{integer}{=}1 \text{ )} \\ \rightarrow \textit{iterator} \end{array}
```

Return a range-like iterator which generates a finite integer sequence.

It can generate more than sys.maxint elements, which is the limitation of the range built-in function.

The argument names do not correspond to their roles, but users are familiar with the range built-in function of Python and understand the semantics. Note that the output is not a list.

Examples

```
>>> range(1, 100, 3) # built-in
[1, 4, 7, 10, 13, 16, 19, 22, 25, 28, 31, 34, 37, 40, 43, 46, 49, 52, 55, 58, 61, 64, 67, 70, 73, 76, 79, 82, 85, 88, 91,
```

```
94, 97]
>>> bigrange.range(1, 100, 3)
<generator object at 0x18f8c8>
```

1.1.3 arithmetic_progression – arithmetic progression iterator

Return an iterator which generates an arithmetic progression starting from init and difference step.

1.1.4 geometric_progression – geometric progression iterator

```
	ext{geometric\_progression(init: } integer, 	ext{ ratio: } integer) \ 	o iterator
```

Return an iterator which generates a geometric progression starting from init and multiplying ratio.

1.1.5 multirange – multiple range iterator

```
multirange(triples: list of range triples) \rightarrow iterator
```

Return an iterator over Cartesian product of elements of ranges.

Be cautious that using multirange usually means you are trying to do brute force looping.

The range triples may be doubles (start, stop) or single (stop,), but they have to be always tuples.

Examples

1.1.6 multirange_restrictions – multiple range iterator with restrictions

```
\begin{array}{c} \text{multirange\_restrictions(triples: } \textit{list of range triples}, **kwds: \textit{keyword arguments}) \\ & \rightarrow \textit{iterator} \end{array}
```

multirange_restrictions is an iterator similar to the multirange but putting restrictions on each ranges.

Restrictions are specified by keyword arguments: ascending, descending, strictly_ascending and strictly_descending.

A restriction ascending, for example, is a sequence that specifies the indices where the number emitted by the range should be greater than or equal to the number at the previous index. Other restrictions descending, strictly_ascending and strictly_descending are similar. Compare the examples below and of multirange.

Examples

```
>>> bigrange.multirange_restrictions([(1, 10, 3), (1, 10, 4)], ascending=(1,))
<generator object at 0x18f978>
>>> list(_)
[(1, 1), (1, 5), (1, 9), (4, 5), (4, 9), (7, 9)]
```

Bibliography