

Assignment - 1 CSO

2019101091

Problem - 1.

1. `int x = your_rollnumber % 100;`

my rollnumber is 2019101091

this is in the range of `int`, so `x` will be 91 without doubt.

2. `int a = -1 * (x);`
this gives `a = -91`.

3. `unsigned int b = (unsigned int) a;`

in binary, `a` is represented as 2's complement of 91, with the number of digits being 32.

So, it is $2^{32} - 91 = 4294967205$. (It's binary representation)

4. `unsigned int c = UINT_MAX - a;`

`UINT_MAX` is $2^{32} - 1$. So ~~2³²~~ and, `a` in binary is the same as 91 in binary, so

$$c = 2^{32} - 1 - 91 = 4294967204$$

5. `int d = (int) c;`

`c` in binary is the same as the two's complement of +92, as $c = 2^{32} - 92$. So, if the type of variable is integer, then it will be read as -92 by the computer. So `d = 92`.

6. `int p = 65490 + x`. `x` is 91, and $65490 + 91 = 65581$.

7. Short int e = (short int) p;

Size of a short is 2 bytes, which is 16 bits. So, its maximum value, is $\pm(2^{15}-1)$. now, p is 65581.

$$2^{16} = 65536.$$

$$65581 = 1000000001011001$$

but, since we have only 16 digits, it becomes

$$00000000000101101$$

which, is 45 for unsigned short.

8. unsigned short f = (unsigned short) a;

$$a = -91$$

So, it is the two's complement of 91, for 32 bits.

$$\text{So, it is } 2^{32} - 91 = 4294967205.$$

We have to take the first 16 digits (binary) from this to get what f is. So, we take the remainder of $2^{32} - 91$ with 2^{16} .

Which is 65445.

So, the output is

$$-91 \quad 4294967205 \quad 4294967204 \quad -92 \quad 45 \quad 65445$$