

Assignment Project Exam Help



UNSW
SYDNEY

COMP9020

Foundations of Computer Science

Lecture 1: Course Introduction

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Online stream and Pre-course polls

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Online stream WeChat: cstutorcs Pre-course poll

Acknowledgement of Country

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I would like to acknowledge and pay my respect to the Bedegal people who are the Traditional Custodians of the land on which UNSW is built, and of Elders past and present.

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Who am I?

Why are we here?

How will you be assessed?

What do I expect from you?

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Lecturer: Paul Hunter

Email: paul.hunter@unsw.edu.au

Lectures: Mondays 12-2pm and Fridays 11am-1pm

Consults: Wednesdays 8-9pm and Sundays 8-9pm

Research: Theoretical CS: Algorithms, Formal verification

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Interactions

Lectures:

- Online stream (no video)
- Recordings available on echo360 (through Moodle)

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Consultations:

- Zoom (<https://unsw.zoom.us/j/87992636642>) (passcode: 1+1=2)
- Group-based, student-driven
- Wiki for questions

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Other points of contact:

- Course forums
- Email

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What is this course about?

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What is Computer Science?

“Computer science no more about computers than astronomy is about telescopes”

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– E. Dijkstra

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Computer Science is about

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Course Aims

Computer Science is about exploring the ability, and limitation, of computers to solve problems. It covers:

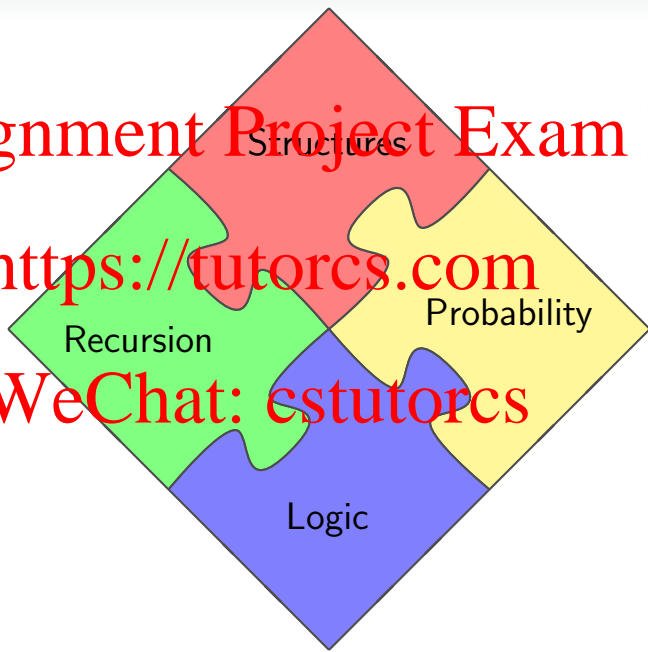
- **What** are computers capable of solving?
- **How** can we get computers to solve problems?
- **Why** do these approaches work?

This course aims to increase your level of mathematical maturity to assist with the fundamental problem of **finding, formulating, and proving** properties of programs.

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- Week 2: Set Theory
- Week 2: Formal Languages
- Week 3: Relations
- Week 4: Functions
- Week 5: Graph Theory

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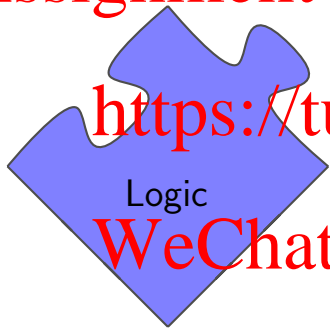
Recursion

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- Week 6: Recursion
- Week 7: Algorithmic Analysis
- Week 7: Induction

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Logic

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- Week 8: Boolean Logic
- Week 8: Propositional Logic

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Probability

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- Week 9: Combinatorics
- Week 9: Probability
- Week 10: Statistics

All course information is placed on the course website

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www.cse.unsw.edu.au/~cs9020/

Content includes:

- Lecture slides and recordings
- Quizzes and Assignments
- Course Forums
- Practice questions
- Challenge questions

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Textbooks:

- KA Ross and CR Wright: Discrete Mathematics
- E. Lehman, FT Leighton, A Meyer:
Mathematics for Computer Science

Alternatives:

- K. Rosen: Discrete Mathematics and its Applications

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Assessment Summary

60% exam, 30% assignments, 10% quizzes:

- 9 quizzes, worth up to 1.67 marks each
- 3 assignments, worth up to 10 marks each
- final exam (3 hours) worth up to 60 marks

Quizzes are available for 48 hours before the first lecture of the week. Assignments due on Mondays of weeks 5, 8 and 11.

You must achieve 40% on the final exam to pass

Your final score will be taken from your 6 best quiz results, 3 assignments and final exam.

Late policy and Special Consideration

All assessments are submitted through the course website

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Lateness policy

- Assignments: 5% of total grade off raw mark per 24 hours or part thereof
- Quizzes: Late submissions not accepted
- Exam: Late submissions not accepted

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If you cannot meet a deadline through illness or misadventure you need to apply for [Special Consideration](#).

More information

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View the course outline at:

<https://webcms3.cse.unsw.edu.au/COMP9020/22T2/outline>

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Particularly the sections on **Student conduct** and **Plagiarism**.

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Why are we here?

How will they be assessed?

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What do I expect from you?

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Learning Objectives

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- Your understanding of the material
- Your ability to work with the material

NB

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How you get an answer is as, if not more important than what the answer is.

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Why?

Guidelines for good mathematical writing

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Mathematical writing should be:

- Clear
- Logical
- Convincing

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NB

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All submitted work must be typeset. Diagrams may be hand drawn.

Examples

Example (Bad)

Ex 1 a) ~~20~~ 51 b) 72 c) 12

Ex 2: $(A \cup B) \cap (B \cap A) = (A \cap B) \cup (B \cap A) = (A \cup B) \cap (A \cup B) = (A \cup B) \cap (A \cup B) = (A \cup B) \cap (A \cup B)$
 $= (A \cup B) \cap (A \cup B) = (A \cup B) \cap (A \cup B) = (A \cup B) \cap (A \cup B)$ by DeM, Dist

Ex 3 a) Yes b) No c) Yes d) No e) Yes Ex 4 a) True b) False
~~Ex 5~~

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Examples

Example (Good)

Ex 2

$$(A \setminus B) \cup (B \setminus A) = (A \cap B^c) \cup (B \cap A^c) \quad (\text{Def.})$$

$$\begin{aligned} &= ((A \cap B^c) \cup B) \cap ((A \cap B^c) \cup A^c) \quad (\text{Dist.}) \\ &= (A \cup B) \cap (B^c \cup B) \quad (\text{Dist.}) \\ &\quad \cap (A \cup A^c) \cap (B^c \cup A^c) \end{aligned}$$

$$= (A \cup B) \cap (A^c \cup B^c) \quad (\text{Ident.})$$

$$= (A \cup B) \cap (A \cap B)^c \quad (\text{DeM.})$$

$$= (A \cup B) \setminus (A \cap B) \quad (\text{Def.})$$

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Examples

Example (Good)

Ex. 4a

We will show that if R_1 and R_2 are symmetric, then $R_1 \cap R_2$ is symmetric.

Suppose $(a, b) \in R_1 \cap R_2$.

Then $(a, b) \in R_1$ and $(a, b) \in R_2$.

Because R_1 is symmetric, $(b, a) \in R_1$; and because R_2 is symmetric, $(b, a) \in R_2$.

Therefore $(b, a) \in R_1 \cap R_2$.

Therefore $R_1 \cap R_2$ is symmetric.

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Proofs

A large component of your work in this course is giving **proofs** of **propositions**.

A **proposition** is a statement that is either true or false.

Example

Propositions:

- $3 + 5 = 8$
- All integers are either even or odd
- There exist a, b, c such that $1/a + 1/b + 1/c = 4$

Not propositions:

- $3 + 5$
- x is even or x is odd
- $1/a + 1/b + 1/c = 4$

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Common proposition structures include:

If A then B $(A \Rightarrow B)$

A if and only if B $(A \Leftrightarrow B)$

For all x , A $(\forall x.A)$

There exists x such that A $(\exists x.A)$

\forall and \exists are known as **quantifiers**

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A large component of your work in this course is giving **proofs** of **propositions**.

A proof of a proposition is an argument to convince the reader/marker that the proposition is true.

A **proof** of a proposition is a finite sequence of logical steps, starting from base assumptions (**axioms** and **hypotheses**), leading to the proposition in question.

Example

Prove: $3 \times 2 = 2 \times 3$

$$\begin{aligned} 3 \times 2 &= (2 + 1) \times 2 \\ &= (2 \times 2) + (1 \times 2) \\ &= (2 \times 2) + (2 \times 1) \\ &= 2 + (2 \times 2) \\ &= (2 \times 1) + (2 \times 2) \\ &= 2 \times (1 + 2) \\ &= 2 \times 3. \end{aligned}$$

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Proofs: How much detail?

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- Depends on the context (question, expectation, audience, etc)
- Each step should be justified (excluding basic algebra and arithmetic)

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Proofs: pitfalls

Starting from the proposition and deriving true **is not valid**.

Example

Prove: $0 = 1$

$0 = 1$
So (mult. by 2) $0 = 2$

So (subtract 1) $-1 = 1$

So $(-1)^2 = (1)^2$
So $1 = 1$ which is true.

Does this mean that $0 = 1$?

Proofs: pitfalls

Make sure each step is logically valid

Example

$$-20 = -20$$

$$\text{So } 25 - 45 = 16 - 36$$

$$\text{So } 5^2 - 2 \cdot 5 \cdot \frac{9}{2} = 4^2 - 2 \cdot 4 \cdot \frac{9}{2}$$

$$\text{So } 5^2 - 2 \cdot 5 \cdot \frac{9}{2} + \left(\frac{9}{2}\right)^2 = 4^2 - 2 \cdot 4 \cdot \frac{9}{2} + \left(\frac{9}{2}\right)^2$$

$$\text{So } \left(5 - \frac{9}{2}\right)^2 = \left(4 - \frac{9}{2}\right)^2$$

$$\text{So } 5 - \frac{9}{2} = 4 - \frac{9}{2}$$

Does this mean that $5 = 4$?

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Proofs: pitfalls

Make sure each step is logically valid

Example

Suppose $a = b$. Then,

$$\begin{aligned} a^2 &= ab \\ \text{So } a^2 - b^2 &= ab - b^2 \end{aligned}$$

$$\text{So } (a - b)(a + b) = (a - b)b$$

$$\text{So } a + b = b$$

$$\text{So } a = 0$$

This is true no matter what value a is given at the start, so does that mean everything is equal to 0?

Proofs: pitfalls

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For propositions of the form $\forall x.A$ where x can have infinitely many values:

- You cannot enumerate infinitely many cases in a proof.
- Only considering a finite number of cases is not sufficient.

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Example

For all n , $n^2 + n + 41$ is prime

True for $n = 0, 1, 2, \dots, 39$. Not true for $n = 40$.

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The order of quantifiers matters when it comes to propositions:

Example

- For every number x , there is a number y such that y is larger than x
- There is a number y such that for every number x , y is larger than x

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Proof strategies: direct proof

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Proposition form	You need to do this
$A \Rightarrow B$	Assume A and prove B
$A \Leftrightarrow B$	Prove "If A then B" and "If B then A"
$\forall x.A$	Show A holds for every possible value of x
$\exists x.A$	Find a value of x that makes A true

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Proof strategies: contradiction

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To prove A is true, assume A is false and derive a contradiction.

That is, start from the negation of the proposition and derive false.

Example

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Prove: $\sqrt{2}$ is irrational

Proof: Assume $\sqrt{2}$ is rational ...

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Negating propositions

Proposition form	Its negation
$A \text{ and } B$	not A or not B
$A \text{ or } B$	not A and not B
$A \Rightarrow B$	A and not B
$A \Leftrightarrow B$	A and not B , or B and not A
$\forall x. A$	$\exists x. \text{ not } A$
$\exists x. A$	$\forall x. \text{ not } A$

Proof strategies: contrapositive

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To prove a proposition of the form “If A then B” you can prove “If not B then not A”

Example

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Prove: If $m + n \geq 73$ then $m \geq 37$ or $n \geq 37$.

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Proof strategies: dealing with \forall

How can we check infinitely many cases?

- Choose an **arbitrary** element: an object with no assumptions about it (may have to check several cases)
- Induction (see week 5)

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Example

Prove: For every integer n , n^2 will have remainder 0 or 1 when divided by 4.

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Note: “Arbitrary” is not the same as “random”.