

Effective business simulation: the income matrix over stores and months

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We will simulate the income matrix (revenue and cost) over regional axis (stores) and historical axis (years and months). This is the typical situation for franchise income analysis where you need to understand the key metrics (revenue, cost, EBITDA, margin) of one franchise or one convenience store network. We assume that the revenue depends on each store with a linear model. We also assume that cost depends on revenue (or fluctuate around revenue) with the affine scaling model as well. In this case, we assume that no cost optimization or business model renovation over the years. Therefore, cost stays the same every year and a small amount of fluctuation is there just to make the data more realistic.

3.1. Regional dimension: stores and their capabilities

We generate 500 stores with formulas in table G1. The store code is generated by hashing method with prefix "st" to make sure that the code is not a number and belongs to the store categories. Each store is associated with two linear coefficients (revenue_base and revenue_scale) to characterize its capabilities.

	st_code	revenue_base	revenue_scale	
1	st5001234	0.978595	0.887946	----- st_code "st" + left(regex_replace(MD5_ASCII([RowCount] + "/st-code") , "\D+", ""), 7)
2	st1063141	0.184222	0.32669	
3	st8805521	0.9272	0.154839	----- revenue_base tonumber(left(regex_replace(MD5_ASCII([RowCount] + "/st-base") , "\D+", ""), 7))/pow(10, 7)
4	st3287523	0.836446	0.562666	
5	st9383355	0.002003	0.61142	----- revenue_scale tonumber(left(regex_replace(MD5_ASCII([RowCount] + "/st-scale") , "\D+", ""), 7))/pow(10, 7)
6	st6058807	0.665612	0.888074	
7	st6848714	0.820366	0.139165	
8	st6335186	0.25748	0.540481	
9	st3293141	0.235614	0.126021	
10	st2165420	0.462991	0.360291	
11	st2071901	0.868066	0.119431	
12	st0365824	0.382462	0.844008	
13	st8807146	0.764952	0.717933	
14	st3822024	0.249985	0.819235	
15	st4941203	0.658129	0.852246	
16	st0788077	0.849378	0.435685	
17	st1380179	0.71903	0.002635	

Table G1. Stores and their capabilities

3.2. Historical dimension: year and month

We will generate the table with 42 rows for 42 months from the year 2016 to 2018 as in table G2. The first month is 2016-04 and the last month is 2019-09. We need to remove some months in the beginning and other months in the end to make the data more realistic. The table has 4 columns. Columns [year] and [month] are increasing sequences. Column [time_ym] is the concatenation of column [year] and [month]. Column [time_rel] is the relative time from month 0 to month 41, which is there for the linear growth model.

	year	month	time_ym	time_rel	
1	2016	4	2016-04-01	0	----- year
2	2016	5	2016-05-01	1	Increasing sequence 2016 to 2019
3	2016	6	2016-06-01	2	
4	2016	7	2016-07-01	3	----- month
5	2016	8	2016-08-01	4	Increasing sequence 1 to 12
6	2016	9	2016-09-01	5	
7	2016	10	2016-10-01	6	----- time_ym
8	2016	11	2016-11-01	7	ToString([year]) + "-"
9	2016	12	2016-12-01	8	+ iif([month]<10, "0", "") + toString([month])
10	2017	1	2017-01-01	9	+ "-01"
11	2017	2	2017-02-01	10	
12	2017	3	2017-03-01	11	----- time_rel
13	2017	4	2017-04-01	12	The increasing sequence from 0 to the end of the month, this
14	2017	5	2017-05-01	13	is used in the revenue function
15	2017	6	2017-06-01	14	
16	2017	7	2017-07-01	15	
17	2017	8	2017-08-01	16	

Table G2. Historical period

3.3. Cell values: linearly-growing revenue and linear cost fluctuation model

We assume that the revenue grows linearly over time (time_rel) in each store (revenue_scale and revenue_base) as in table G3. We add a small amount of fluctuation for each month to revenue to make it more realistic. We have ups and downs sometimes in business. We cannot assume that everything is running smoothly and increasingly every month.

We will assume that cost is fluctuated around revenue in particular month. The base cost is around 80% revenue over the year, meaning that the business does not conduct cost optimization nor business model innovation. Table G3 shows the revenue and cost model

	st_code	time_ym	time_rel	year	month	st_revenue	st_cost	
1	st5001234	2016-04-01	0	2016	4	497.577933	403.069567	----- revenue
2	st5001234	2016-05-01	1	2016	5	431.360467	358.652051	([revenue_base]*537
3	st5001234	2016-06-01	2	2016	6	524.256321	499.264649	+ 2.5*[revenue_scale]*[time_rel])
4	st5001234	2016-07-01	3	2016	7	585.126978	412.731917	
5	st5001234	2016-08-01	4	2016	8	431.047766	404.023834	* (1 + 0.57*(
6	st5001234	2016-09-01	5	2016	9	482.898524	406.353769	-0.5 + tonumber(left(regex_replace(
7	st5001234	2016-10-01	6	2016	10	676.964079	586.342595	MD5_ASCII([time_ym] + "/rev")
8	st5001234	2016-11-01	7	2016	11	672.539782	553.466518	, "\D+", "", 7))/pow(10, 7)
9	st5001234	2016-12-01	8	2016	12	516.306341	354.64689))
10	st5001234	2017-01-01	9	2017	1	694.597035	474.111841	
11	st5001234	2017-02-01	10	2017	2	559.552977	435.897326	----- cost
12	st5001234	2017-03-01	11	2017	3	421.675843	305.0457	[revenue] * (0.8 + 0.31*(
13	st5001234	2017-04-01	12	2017	4	577.714639	383.994064	
14	st5001234	2017-05-01	13	2017	5	666.536789	543.980595	-0.5 + tonumber(left(regex_replace(
15	st5001234	2017-06-01	14	2017	6	601.504999	516.056555	MD5_ASCII([time_ym] + "/cost")
16	st5001234	2017-07-01	15	2017	7	490.370119	456.409891	, "\D+", "", 7))/pow(10, 7)
17	st5001234	2017-08-01	16	2017	8	658.916792	527.346787))

Table G3. Revenue and cost

3.4. Data exploring

Figure G4 shows the profile of the data. We can display the income matrix in the regional axis (stores) and historical axis (year) and cell values (revenue and cost) in the color format as G5.



Figure G4. Trends and rows

	2016		2017		2018		2019	
st_code	revenue	cost	revenue	cost	revenue	cost	revenue	cost
st0246412	579.9	478.0	1,046.1	807.0	1,409.9	1,136.1	1,186.3	952.9
st0253234	2,552.7	2,108.3	3,573.5	2,753.3	3,826.5	3,073.0	2,740.5	2,196.3
st0278886	294.1	242.1	610.5	471.2	899.4	725.5	793.9	638.1
st0323421	3,730.7	3,081.4	5,192.0	4,000.1	5,521.6	4,433.8	3,931.3	3,150.4
st0338909	2,977.9	2,459.5	4,191.8	3,229.7	4,516.9	3,627.9	3,252.3	2,606.7
st0342557	3,009.3	2,485.1	4,304.0	3,316.5	4,721.5	3,793.3	3,450.2	2,765.9
st0352265	1,254.6	1,035.2	2,022.7	1,559.5	2,495.2	2,008.1	1,987.7	1,595.4
st0365824	1,929.8	1,593.0	2,948.4	2,272.7	3,462.1	2,784.3	2,665.4	2,138.3
st0380194	3,292.2	2,719.2	4,606.2	3,548.9	4,928.9	3,958.3	3,528.0	2,827.4
st0396228	785.4	648.0	1,263.4	974.1	1,555.5	1,251.8	1,237.5	993.3
st0403850	4,722.6	3,900.7	6,565.2	5,058.0	6,972.9	5,599.1	4,959.2	3,974.0

Figure G5. matrix form

The year axis helps us see the growth (CACR) over the years as in figure G6 while the year axis helps us see the seasonality over the months as in figure G7. The store axis helps us understand the main drivers or the key stores that contribute to the cost/revenue growth.

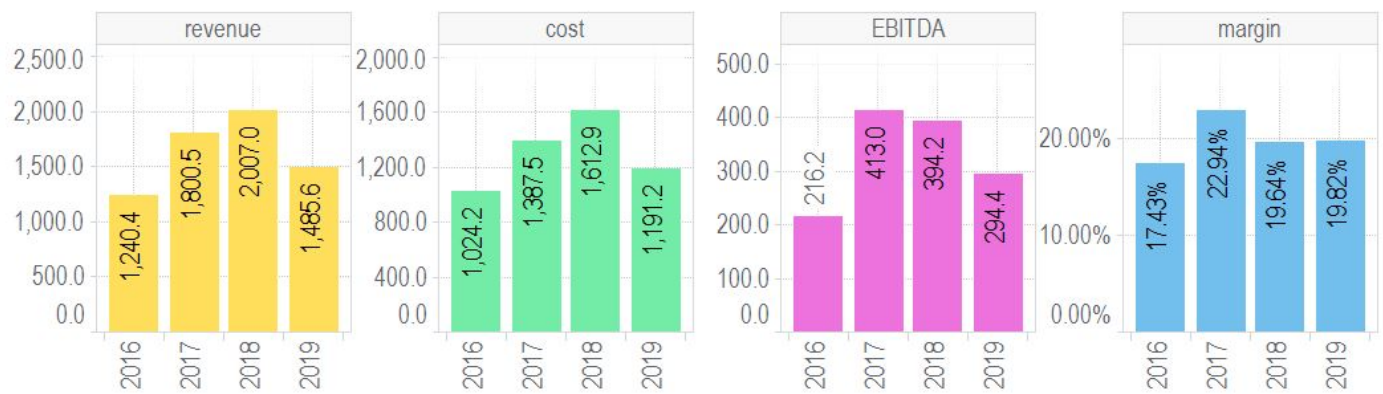


Figure G6. growth analysis

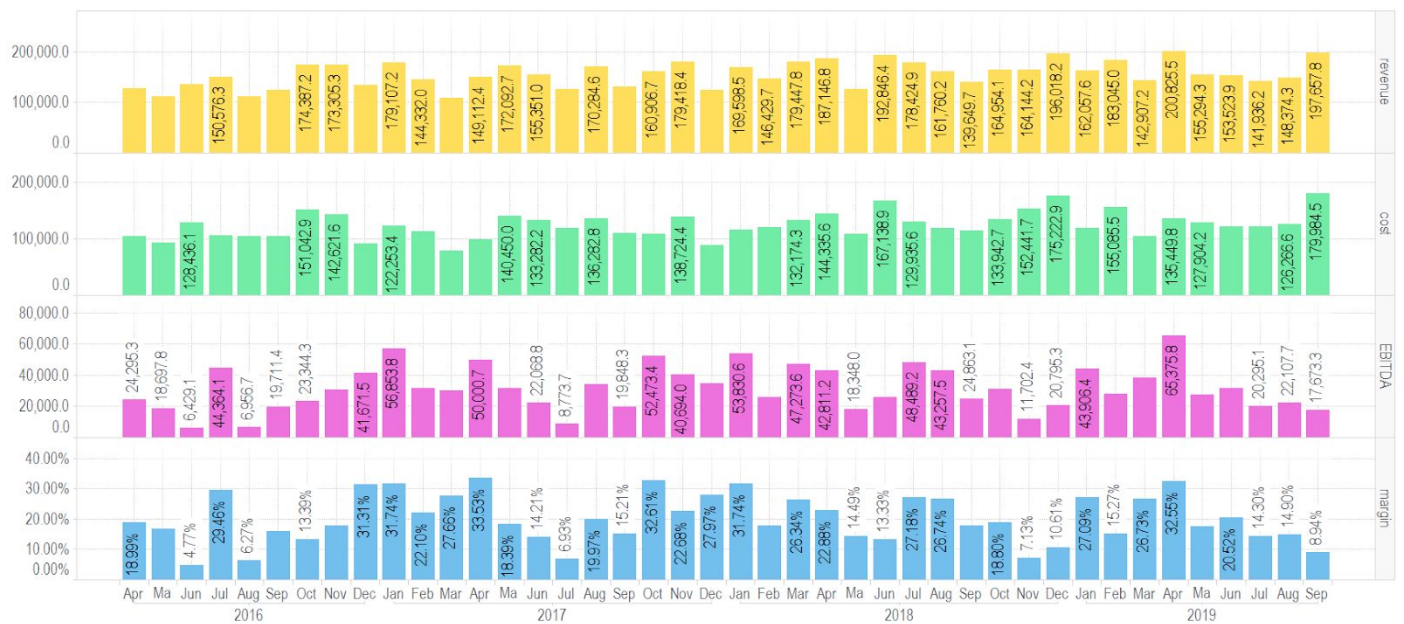


Figure G7. seasonality analysis

3.5. Summary

We have generated the income matrix with revenue and cost over stores and months. Each store can have revenue line item and cost line item to show its performance (RCEM) over time. Revenue line item can be modeled as a linear function of time, where linear coefficients show the revenue-generating capacity of the store.

Cost can be generated in the same manner. Or we just assume the stochastic affine transformation of revenue. Without cost optimization or business model renovation, the cost/revenue rate is constant over the years.



Figure G8. store by store main driver analysis