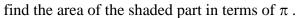
#### 1990 HG10

以 $A \cdot B$  及 C 為圓心的三個圓兩兩相切如圖四。若 $A \cdot B$  及 C 共綫,且 PQ 是兩個較小圓的公切綫,其中 PQ = 4,

試以 π 表陰影面積。

Three circles, with centres A, B and C respectively, touch one another as shown in figure 4. If A, B and C are collinear and PQ is a common tangent to the two smaller circles, where PQ = 4,



### 1991 HI18

在圖中, $XA = 10 \text{ cm} \cdot AB = 2 \text{ cm} \cdot XD = 8 \text{ cm}$  及 DC = x cm,求 x 的值。

In the figure, XA = 10 cm, AB = 2 cm, XD = 8 cm and DC = x cm. Find the value of x.



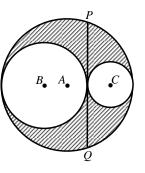
在圖中,PA 切圓於A,O 為圓心。 如果 PA = 6,BC = 9,PB = d,求d 的值。 In the figure, PA touches the circle with centre O at A. If PA = 6, BC = 9, PB = d, find the value of d.

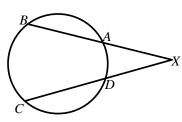
# 2003 FG4.4

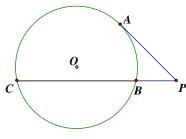
如圖, $\triangle ABC$  是等邊三角形,M 及 N 分別 是 AB 及 AC 的中點,F 是直綫 MN 與圓 ABC 的交點。若  $d=\frac{MF}{MN}$ ,求 d 的值。

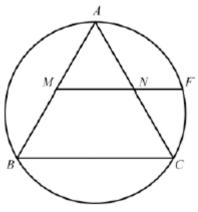
In the figure,  $\triangle ABC$  is an equilateral triangle, points M and N are the midpoints of sides AB and AC respectively, and F is the intersection of the line MN with the circle ABC.

If  $d = \frac{MF}{MN}$ , find the value of d.









#### 2008 FG3.1

如圖,PQRS是一個圓內接四邊形,其中S在直綫 RT上且TP為該圓的切綫。

In the figure, PQRS is a cyclic quadrilateral, where S is on the straight line RT and TP is tangent to the circle. If RS = 8 cm, RT = 11 cm and TP = k cm, find the value of k.

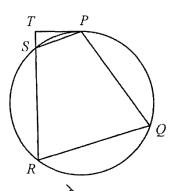
### 2010 FG4.4

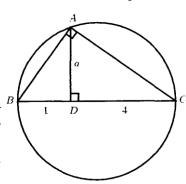
在圖中,BEC 是一半圓形及 F 是直徑 BC 上的一點。已知 BF:FC=3:1,AB=8 及 AE=4。求 EC 的長度。

In the figure, BEC is a semicircle and F is a point on the diameter BC. Given that BF : FC = 3 : 1, AB = 8 and AE = 4. Find the length of EC.

#### 2011 FG1.1

在圖中,BC 為圓的直徑,A 為圓上的一點, $AB \cdot AC$  及 AD 為綫段,而且 AD 垂直  $BC \circ$  若 BD = 1,DC = 4 及 AD = a,求 a 的值。 In the figure, BC is the diameter of the circle. A is a point on the circle, AB and AC are line segments and AD is a line segment perpendicular to BC. If BD = 1, DC = 4 and AD = a, find the value of a.





## 2015 HI10

 $B \cdot H \otimes I$  為圓上的點。C 是該圓外的一點。BC 是該圓在點 B 的切綫。BC HC和 BC H

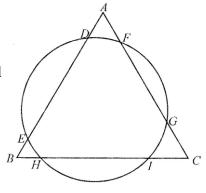
$$BC = 12 \cdot DC = 6$$
 及  $GC = 9$  ,求  $\frac{\Delta BDH$ 的面積 的值。

B, H and I are points on the circle. C is a point outside the circle. BC is tangent to the circle at B. HC and IC cut the circle at D and G respectively. It is given that HDC is the angle bisector of  $\angle BCI$ , BC = 12, DC = 6 and GC = 9.

Find the value of  $\frac{\text{area of } \Delta BDH}{\text{area of } DHIG}$ 

#### 2015 HG9

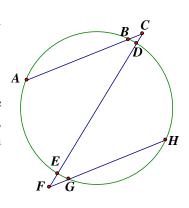
已知圖中的 ABC 為等邊三角形,AF = 2、FG = 10、GC = 1 及 DE = 5。求 HI 的值。 Given that, in the figure, ABC is an equilateral triangle with AF = 2, FG = 10, GC = 1 and DE = 5. Find the value of HI.



### 2016 HI12

如圖所示,ABC,CDEF 及 FGH 皆為直綫,且 ABC // FGH 。 AB = 42 , GH = 40 , EF = 6 及 FG = 8 。 已知 ABC 與 FGH 之間的距離為 41 , 求 BC 的值。

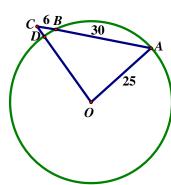
As shown in Figure 2, ABC, CDEF and FGH are straight lines, ABC // FGH, AB = 42, GH = 40, EF = 6 and FG = 8. Given that the distance between ABC and FGH is 41, find the value of BC.



## 2017 HG4

在圖中,O 是圓心。弦 AB 及半徑 OD 的延 綫相交於 C。已知 OA = 25、AB = 30及 BC = 6。求 CD 的長。

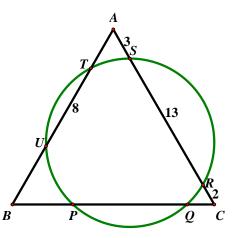
In the figure, O is the centre of the circle. Chord AB and radius OD are produced to meet at C. Given that OA = 25, AB = 30 and BC = 6, find the length of CD.



### 2017 HG9

在圖中,ABC 是一個等邊三角形且與一 圓相交於六點  $: P \cdot Q \cdot R \cdot S \cdot T \not B U \circ$ 若 AS = 3,SR = 13, $RC = 2 \not B UT = 8$ , 求 BP - QC 的值。

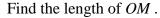
In the figure, ABC is an equilateral triangle intersecting the circle at six points P, Q, R, S, T and U. If AS = 3, SR = 13, RC = 2 and UT = 8, find the value of BP - QC.



## 2018 HG3

如圖所示,OAB 是一個以 O 為圓心的 扇形。N 為半徑 OM 與 AB 的交點。已 知 AN=12 , BN=7 及 3ON=2MN 。 求 OM 的長度。

As shown in the figure, OAB is a sector with centre O. N is the intersecting point of radius OM and AB. Given that AN = 12, BN = 7 and 3ON = 2MN.

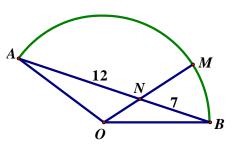


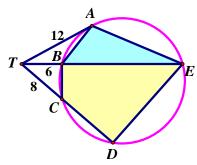
# 2018 FG7

如圖所示, $A \times B \times C \times D$  及 E 為圓上的點。 T 是該圓外的一點。TA 是該圓在點 A 的切綫, TBE 及 TCD 為直綫。已知 TBE 是  $\angle ATD$  的 角平分綫、 $TA=12 \times TB=6$  及 TC=8。 求  $\Delta ABE$  與四邊形 BCDE 的面積比。

As shown in the figure, A, B, C, D and E are points on the circle. T is a point outside the circle such that TA is a tangent to the circle at A and TBE and TCD are straight lines. It is given that TBE is the angle bisector of  $\angle ATD$ , TA = 12, TB = 6 and TC = 8.

Find the ratio of the area of  $\triangle ABE$  to the area of quadrilateral BCDE.

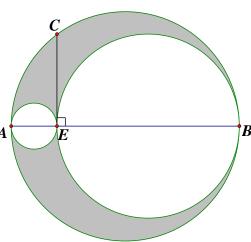




### Last updated: 2023-07-13

### 2018 FG1.2

已知兩圓的直徑為 AE 及 BE,內接於直徑為 AB 的圓中。若  $CE \perp AB$ ,AB=10,CE=4 及陰影 部份總面積為  $w\pi$ ,求 w 的值。 Given that the two circles, one with diameter AE and the other with diameter BE, are inscribed by a larger A circle with diameter AB. If  $CE \perp AB$  with AB=10 and CE=4, and the total area of the shaded regions is  $w\pi$ , determine the value of w.



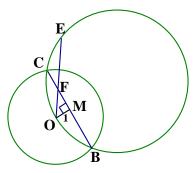
### 2019 FG4.3

如圖所示,兩圓相交於 B imes C 兩點。 $M \not\in BC$  的中點。O 在大圓上,使得  $OM \perp BC$ 。OM = 1 imes OC = 3 及 OE = 5。

若  $\gamma = OF$ , 求  $\gamma$  的值。

Two circles intersect at B, C as shown in the figure. M is the mid-point of BC. O is a point on the larger circle, so that  $OM \perp BC$ . OM = 1, OC = 3 and OE = 5.

If  $\gamma = OF$ , determine the value of  $\gamma$ .



## **Answers**

1990 HG10 2π	1991 HI18 7	2000 FG1.4 3	$2003 \text{ FG4.4}$ $\frac{1+\sqrt{5}}{2}$	2008 FG3.1 $\sqrt{33}$
2010 FG4.4 4	2011 FG1.1 2	2015 HI10 36 55	$2015 \text{ HG9}$ $2\sqrt{14}$	$   \begin{array}{c}     2016 \text{ HI12} \\     \frac{17}{3}   \end{array} $
2017 HG4 4	2017 HG9 3	2018 HG3 10	2018 FG7 9 16	2018 FG1.2 8
2019 FG4.3 1.8				