## 1992 FG6

如圖所示, $\triangle ABC$  及 $\triangle XYZ$  為等邊三角形,同時亦為一柱體的底和面。P 為BY的中點,

且 
$$BP = 3$$
 cm ,  $XY = 4$  cm 。

As shown in the figure,  $\triangle ABC$  and  $\triangle XYZ$  are equilateral triangles and are ends of a right prism.

P is the mid-point of BY and BP = 3 cm, XY = 4 cm.

**G6.1** 若 
$$a = \frac{CP}{PX}$$
, 求  $a$  的值。If  $a = \frac{CP}{PX}$ , find the value of  $a$ .

**G6.2** 若 
$$CX = \sqrt{b}$$
 cm , 求  $b$  的值。If  $CX = \sqrt{b}$  cm, find the value of  $b$ .

**G6.3** 若 
$$\cos \angle PCX = \frac{\sqrt{c}}{5}$$
 ,求  $c$  的值。If  $\cos \angle PCX = \frac{\sqrt{c}}{5}$ , find the value of  $c$ .

**G6.4** 若 
$$\sin \angle PCX = \frac{2\sqrt{d}}{5}$$
 ,求  $d$  的值。 If  $\sin \angle PCX = \frac{2\sqrt{d}}{5}$ , find the value of  $d$ .

## 1993 FG7

OABC 為一四面體,其中 OA、OB 及 OC 互相垂直。

已知 
$$OA = OB = OC = 6x$$
。

OABC is a tetrahedron with OA, OB and OC being mutually perpendicular. Given that OA = OB = OC = 6x.

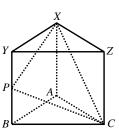
- **G7.1** 若 OABC 的體積為  $ax^3$ , 求 a 的值。 If the volume of OABC is  $ax^3$ , find the value of a.
- G7.2 若 $\Delta ABC$  的面積為 $b\sqrt{3}x^2$  , 求 b 的值。

If the area of  $\triangle ABC$  is  $b\sqrt{3}x^2$ , find the value of b.

**G7.3** 若由 
$$O$$
 至 $\Delta ABC$  的距離為  $c\sqrt{3}x$ ,求  $c$  的值。  
If the distance from  $O$  to  $\Delta ABC$  is  $c\sqrt{3}x$ , find the value of  $c$ .

G7.4 若由 
$$C \subseteq AB$$
 中點的俯角為 $\theta$ ,且  $\sin \theta = \frac{\sqrt{d}}{3}$  ,求  $d$  的值。

If  $\theta$  is the angle of depression from C to the midpoint of AB and  $\sin \theta = \frac{\sqrt{d}}{3}$ , find the value of d.



## 2022 P2Q5

VABC 為一個錐體,其中 VA=VB=VC 及 AB=BC=CA=a m。設它的高 為 h m 及它的總表面積及體積相等。

 $\ddot{a}$  a h 均為正整數, 求 h 的可能值之和。

VABC is a right pyramid with VA = VB = VC and AB = BC = CA = a m. Let its height be h m and its total surface area and volume are the same.

If a and h are both positive integers, find the sum of all possible values of h.

## Answers

1992 FG6.1	1992 FG6.2	1992 FG6.3	1992 FG6.4	1993 FG7.1
1	52	13	3	36
1993 FG7.2	1993 FG7.3	1993 FG7.4	2022 P2Q5	
18	2	6	33	