2004 HG10

若點 P(a,b) 在直綫 x-y+1=0 上使得點 P 與點 A(1,0) 之間的距離和 點 P 與點 B(3,0) 之間的距離之和為最小,求 a+b 的值。

Suppose P(a, b) is a point on the straight line x - y + 1 = 0 such that the sum of the distance between P and the point A(1,0) and the distance between P and the point B(3.0) is the least, find the value of a + b.

2007 HI10

在平面上點 P 的坐標是 (-3, 4)。以 (0, 0) 為中心,點 P 順時針方向旋轉 45° 後,再沿 y-軸反射到達點 Q=(x,y)。若 z=x+y,求 z 的值。

The coordinates of point P on the plane is (-3, 4). After rotating 45° clockwise about the centre (0, 0) and reflecting along the y-axis, the point P reaches the point Q = (x, y). If z = x + y, find the value of z.

2007 HG9

在座標平面上,點 $A = (-6, 2) \cdot B = (-3, 3) \cdot C = (0, n)$ 及 D = (m, 0) 組成 一個四邊形 ABCD。求 n 的值使得該四邊形 ABCD 的周界為最短。

In the coordinate plane, the points A = (-6, 2), B = (-3, 3), C = (0, n) and D = (m, 0) form a quadrilateral ABCD. Find the value of n so that the perimeter of the quadrilateral *ABCD* is the least.

2007 FG4.2

在座標平面上,點 A(3,7)及 B(8,14)沿直綫 y=kx+c 反射,當中 k 和 c 是 點作逆時針方向 60° 旋轉至點 Q,接著點 Q常數,其像分別是點 C(5,5)及 D(12,10)。若 $R=\frac{k}{a}$,求 R 的值。

On the coordinate plane, the points A(3, 7) and B(8, 14) are reflected about the line y = kx + c, where k and c are constants, their images are C(5, 5) and D(12,10) respectively. If $R = \frac{k}{n}$, find the value of R.

2008 FG1.1

已知座標平面上三點: $O(0,0) \cdot A(12,2)$ 及 $B(0,8) \circ \Delta OAB$ 經直綫 y=6 作 反射後得 ΔPQR 。若 ΔOAB 及 ΔPQR 重疊部分的面積是 m 平方單位, 求m的值。

Given that there are three points on the coordinate plane: O(0, 0), A(12, 2) and B(0, 8). A reflection of $\triangle OAB$ along the straight line y = 6 creates $\triangle POR$. If the overlapped area of $\triangle OAB$ and $\triangle PQR$ is m square units, find the value of m.

2008 FG4.4

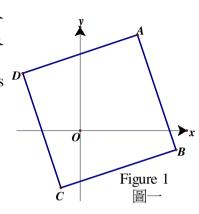
在座標平面上,點 A(6,8) 繞原點 O(0,0) 逆時針轉 20070° 至點 B(p,q)。 求p+q的值。

In the coordinate plane, rotate point A(6, 8) about the origin O(0, 0)counter-clockwise for 20070° to point B(p, a). Find the value of p + a.

2012 HI3

如圖一,ABCD 為一正方形。B和D的座標分 別為 (5,-1) 及 (-3,3)。若 A(a,b)位於第一象 限內, 求 a+b 的值。

In Figure 1, ABCD is a square. The coordinates Dof B and D are (5, -1) and (-3, 3) respectively. If A(a, b) lies in the first quadrant, find the value of a + b.

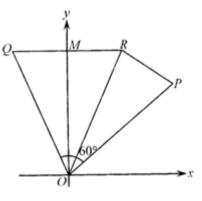


2015 HG3

點 P 的坐標為 $(\sqrt{3}+1,\sqrt{3}+1)$ 。設點 P 繞原

再沿 y-軸反射至點 $R \circ$ 求 PR^2 的值。

The coordinates of P are $(\sqrt{3} + 1, \sqrt{3} + 1)$. P is rotated 60° anticlockwise about the origin to Q. Q. is then reflected along the y-axis to R. Find the value of PR^2 .



Answers

$\frac{2004 \text{ HG10}}{\frac{5}{3}}$	2007 HI10 $3\sqrt{2}$	2007 HG9 $\frac{4}{3}$	2007 FG4.2 $\frac{1}{2}$	2008 FG1.1 8
2008 FG4.4 2	2012 HI3 8	2015 HG3 4		

Created by Mr. Francis Hung
Page 2