

(1) Quadratic formula for $ax^2 + bx + c = 0$, $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$

MODE MODE 6 3 4 AC 4 (CMPLX) 2

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	B	(14)	x^2	(15)	–
(16)	4	(17)	A	(18)	C	(19)	→	(20)	D
(21)	▲	(22)	((23)	√((24)	D	(25))
(26)	–	(27)	B	(28))	(29)	↓	(30)	2
(31)	÷	(32)	A	(33)	→	(34)	X	(35)	▲
(36)	-	(37)	Ans	(38)	–	(39)	B	(40)	↓
(41)	A	(42)	→	(43)	Y	(44)	▲	(45)	-
(46)	D	(47)	↓	(48)	4	(49)	÷	(50)	A
(51)	→	(52)	M						

Press MODE 1 (COMP) to exit the programme mode.

Example To solve $2x^2 - 3x + 1 = 0$ and find the minimum of $y = 2x^2 - 3x + 1$

Key sequences	Display	Explanation
Prog P4	A [?] 0	Enter into P4 CMPLX mode
2 EXE -3 EXE 1 EXE	B ² - 4AC → D 1. Disp	Discriminant D = 1
EXE	1. Disp	$x = 1$
EXE	1↓2 Disp	$y = \frac{1}{2}$
EXE	-1↓8	Minimum = $-\frac{1}{8}$

Press MODE 1 (COMP) to exit the programme mode.

Example To solve $-x^2 + x - 3 = 0$ and find the maximum of $y = -x^2 + x - 3$

Key sequences	Display	Explanation
Prog P4	A [?] 2	Enter into P4 CMPLX mode
-1 EXE 1 EXE -3 EXE	B ² - 4AC → D -11. Disp	Discriminant D = -11
EXE	1↓2 Disp	
SHIFT EXE	-1.658312395i	$x = \frac{1}{2} - 1.658312395i$
EXE	0.5 Disp	
SHIFT EXE	1.658312395i	$y = \frac{1}{2} + 1.658312395i$
EXE	-11↓4	Maximum = $-\frac{11}{4}$

Press MODE 1 (COMP) to exit the programme mode.

(2) To solve the simultaneous equations : $\begin{cases} ax + by = c \\ dx + ey = f \end{cases}$

(2.1) Transform the equation into $\begin{cases} x + \frac{b}{a}y = \frac{c}{a} \\ x + \frac{e}{d}y = \frac{f}{d} \end{cases}$

(2.2) Press the following keys: MODE 5 1 (Lin) SHIFT 9 1 EXE AC

(b/a) , (c/a) DT

(e/d) , (f/d) DT

(2.3) Then the solutions are: SHIFT 2 1 ►► 1 a EXE solution of x

SHIFT 2 1 ►► 2 b EXE solution of y

(2.4) Press MODE COMP to return to the normal mode.

Example To solve $\begin{cases} x + 2y = 3 \\ 4x + 5y = 6 \end{cases}$; first transform it into $\begin{cases} x + 2y = 3 \\ x + \frac{5}{4}y = \frac{3}{2} \end{cases}$.

Key sequences	Display	Explanation
MODE 5 1	0.	Enter into REG Lin Mode
SHIFT 9 1 EXE AC	0.	Clear the Stat memory
2 , 3 DT	Line = 1.	
1.25 , 1.5 DT	Line = 2.	
SHIFT 2 1 ►► 1 EXE	a -1.	$x = -1$
SHIFT 2 1 ►► 2 EXE	b 2.	$y = 2$

Press MODE 1 (COMP) to exit the REG Lin mode.

(3) To solve a triangle ABC . ①A.S.A.②A.A.S.③S.S.S.④S.A.S.⑤S.S.A.

MODE MODE 6 3 1 AC 1 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?	(6)	→	(7)	M	(8)	:	(9)	?	(10)	→
(11)	B	(12)	:	(13)	Lbl	(14)	0	(15)	:	(16)	?	(17)	→	(18)	D	(19)	:	(20)	If
(21)	D	(22)	=	(23)	1	(24)	:	(25)	Then	(26)	Goto	(27)	1	(28)	:	(29)	IfEnd	(30)	:
(31)	If	(32)	D	(33)	=	(34)	2	(35)	:	(36)	Then	(37)	B	(38)	→	(39)	X	(40)	:
(41)	cos ⁻¹ ((42)	-	(43)	1	(44))	(45)	-	(46)	A	(47)	-	(48)	M	(49)	→	(50)	B
(51)	▲	(52)	M	(53)	→	(54)	A	(55)	:	(56)	X	(57)	→	(58)	M	(59)	:	(60)	Goto
(61)	1	(62)	:	(63)	IfEnd	(64)	:	(65)	If	(66)	D	(67)	=	(68)	3	(69)	:	(70)	Then
(71)	B	(72)	→	(73)	C	(74)	:	(75)	M	(76)	→	(77)	B	(78)	:	(79)	Goto	(80)	2
(81)	:	(82)	IfEnd	(83)	:	(84)	If	(85)	D	(86)	=	(87)	4	(88)	:	(89)	Then	(90)	A
(91)	→	(92)	X	(93)	:	(94)	B	(95)	→	(96)	A	(97)	:	(98)	X	(99)	→	(100)	B
(101)	:	(102)	√((103)	A	(104)	x ²	(105)	+	(106)	B	(107)	x ²	(108)	-	(109)	2	(110)	A
(111)	B	(112)	cos((113)	M	(114))	(115))	(116)	→	(117)	C	(118)	▲	(119)	Goto	(120)	2
(121)	:	(122)	IfEnd	(123)	:	(124)	If	(125)	D	(126)	=	(127)	5	(128)	:	(129)	Then	(130)	A
(131)	→	(132)	Y	(133)	:	(134)	Goto	(135)	3	(136)	:	(137)	IfEnd	(138)	:	(139)	Goto	(140)	0
(141)	:	(142)	Lbl	(143)	1	(144)	:	(145)	cos ⁻¹ ((146)	-	(147)	1	(148))	(149)	-	(150)	A
(151)	-	(152)	B	(153)	→	(154)	C	(155)	:	(156)	D	(157)	=	(158)	1	(159)	⇒	(160)	C
(161)	▲	(162)	D	(163)	=	(164)	5	(165)	⇒	(166)	C	(167)	▲	(168)	D	(169)	=	(170)	6
(171)	⇒	(172)	C	(173)	▲	(174)	M	(175)	sin((176)	A	(177))	(178)	↓	(179)	sin((180)	C
(181))	(182)	→	(183)	X	(184)	▲	(185)	M	(186)	sin((187)	B	(188))	(189)	↓	(190)	sin(
(191)	C	(192))	(193)	→	(194)	Y	(195)	:	(196)	D	(197)	=	(198)	1	(199)	⇒	(200)	Y
(201)	▲	(202)	D	(203)	=	(204)	2	(205)	⇒	(206)	Y	(207)	▲	(208)	If	(209)	D	(210)	=
(211)	6	(212)	:	(213)	Then	(214)	C	(215)	-	(216)	B	(217)	→	(218)	A	(219)	▲	(220)	Goto
(221)	1	(222)	:	(223)	Else	(224)	Goto	(225)	9	(226)	:	(227)	IfEnd	(228)	:	(229)	Lbl	(230)	2
(231)	:	(232)	cos ⁻¹ ((233)	((234)	B	(235)	x ²	(236)	+	(237)	C	(238)	x ²	(239)	-	(240)	A
(241)	x ²	(242))	(243)	÷	(244)	((245)	2	(246)	B	(247)	C	(248))	(249))	(250)	→
(251)	X	(252)	▲	(253)	cos ⁻¹ ((254)	((255)	A	(256)	x ²	(257)	+	(258)	C	(259)	x ²	(260)	-
(261)	B	(262)	x ²	(263))	(264)	↓	(265)	((266)	2	(267)	A	(268)	C	(269))	(270))
(271)	→	(272)	Y	(273)	▲	(274)	cos ⁻¹ ((275)	-	(276)	1	(277))	(278)	-	(279)	X	(280)	-
(281)	Y	(282)	→	(283)	M	(284)	:	(285)	D	(286)	=	(287)	3	(288)	⇒	(289)	M	(290)	▲
(291)	Goto	(292)	9	(293)	:	(294)	Lbl	(295)	3	(296)	:	(297)	If	(298)	B	(299)	≥	(300)	sin ⁻¹ (
(301)	1	(302))	(303)	:	(304)	Then	(305)	Goto	(306)	4	(307)	:	(308)	Else	(309)	Goto	(310)	5
(311)	:	(312)	IfEnd	(313)	:	(314)	Lbl	(315)	4	(316)	:	(317)	If	(318)	Y	(319)	≤	(320)	M
(321)	:	(322)	Then	(323)	0	(324)	▲	(325)	Goto	(326)	9	(327)	:	(328)	Else	(329)	1	(330)	▲
(331)	cos ⁻¹ ((332)	-	(333)	1	(334))	(335)	-	(336)	B	(337)	-	(338)	sin ⁻¹ ((339)	M	(340)	sin(
(341)	B	(342))	(343)	↓	(344)	Y	(345))	(346)	→	(347)	A	(348)	▲	(349)	Goto	(350)	1
(351)	:	(352)	Lbl	(353)	5	(354)	:	(355)	If	(356)	M	(357)	sin((358)	B	(359))	(360)	>
(361)	Y	(362)	:	(363)	Then	(364)	0	(365)	▲	(366)	Goto	(367)	9	(368)	:	(369)	Else	(370)	Goto
(371)	6	(372)	:	(373)	IfEnd	(374)	:	(375)	Lbl	(376)	6	(377)	:	(378)	If	(379)	M	(380)	sin(
(381)	B	(382))	(383)	=	(384)	Y	(385)	:	(386)	Then	(387)	1	(388)	▲	(389)	cos ⁻¹ ((390)	Y
(391)	↓	(392)	M	(393))	(394)	→	(395)	A	(396)	▲	(397)	Goto	(398)	1	(399)	:	(400)	Else
(401)	Goto	(402)	7	(403)	:	(404)	IfEnd	(405)	:	(406)	Lbl	(407)	7	(408)	:	(409)	cos ⁻¹ ((410)	-
(411)	1	(412))	(413)	-	(414)	sin ⁻¹ ((415)	M	(416)	sin((417)	B	(418))	(419)	↓	(420)	Y
(421))	(422)	-	(423)	B	(424)	→	(425)	A	(426)	:	(427)	If	(428)	Y	(429)	≥	(430)	M
(431)	:	(432)	Then	(433)	1	(434)	▲	(435)	A	(436)	▲	(437)	Goto	(438)	1	(439)	:	(440)	Else
(441)	2	(442)	▲	(443)	A	(444)	▲	(445)	6	(446)	→	(447)	D	(448)	:	(449)	Goto	(450)	1
(451)	:	(452)	IfEnd	(453)	:	(454)	Lbl	(455)	9										

Press MODE 1 (COMP) to exit the programme mode.

Example To solve ABC . Given $\angle A = 50^\circ$, $c = AB = 8$, $\angle B = 70^\circ$. ①A.S.A.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
50 EXE 8 EXE 70 EXE	D° 0.	$\angle A = 50^\circ$, $M = 8$, $\angle B = 70^\circ$
1 EXE	60. Disp	Enter into ①A.S.A., $\angle C = 60^\circ$
EXE	7.076415447 Disp	$X = a = 7.076415447$
EXE	8.680508601 Disp	$Y = b = 8.680508601$

Example To solve ABC . Given $\angle A = \frac{\pi}{3}$, $\angle B = 0.75$ rad. $a = BC = 8$. ②A.A.S.

Key sequences	Display	Explanation
SHIFT MODE 2	R 0.	Enter into Radian mode
Prog P1	A° 0.	Enter into Programme P1
π J3 EXE 0.75 EXE 8 EXE	D° 0.	$\angle A = \frac{\pi}{3}$, $\angle B = 0.75$ rad., $X = a = 8$
2 EXE	1.344395102. Disp	Enter into ②A.A.S., $\angle C = 1.344395102$ rad.
EXE	6.296709145 Disp	$Y = b = 6.296709145$
EXE	9.001865524 Disp	$M = c = 9.001865524$

Press SHIFT MODE 1 to return to degree MODE.

Example To solve ABC . Given $a = 3, b = 5, c = 7$. ⓈS.S.S.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
3 EXE 5 EXE 7 EXE	D° 0.	$A = 3, B = 5, C = 7$
3 EXE	21.7867893 <small>Disp</small>	Enter into ⓈS.S.S., $X = \angle A = 21.7867893^\circ$
EXE	38.2132107 <small>Disp</small>	$Y = \angle B = 38.2132107^\circ$
EXE	120. <small>Disp</small>	$M = \angle C = 120^\circ$

Example To solve ABC . Given $a = 3, \angle C = 120^\circ, b = 5$. ⓈS.A.S.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
3 EXE 120 EXE 5 EXE	D° 0.	$A = b = 3, B = a = 3, M = \angle C = 120^\circ$
4 EXE	7. <small>Disp</small>	Enter into ⓈS.A.S., $M = c = 7$
EXE	38.2132107 <small>Disp</small>	$Y = \angle B = 38.2132107^\circ$
EXE	21.7867893 <small>Disp</small>	$X = \angle A = 21.7867893^\circ$

Example To solve ABC . Given $b = 4, c = 2, \angle B = 30^\circ$. ⓈS.A.A.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
4 EXE 2 EXE 30 EXE	D° 0.	$Y = b = 4, M = c = 2, \angle B = 30^\circ$
5 EXE	1. <small>Disp</small>	Enter into ⓈS.A.A., One triangle can be formed
EXE	A 135.5224878 <small>Disp</small>	$\angle A = 135.5224878^\circ$
EXE	C 14.47751219 <small>Disp</small>	$\angle C = 14.47751219^\circ$
EXE	5.605034154 <small>Disp</small>	$X = a = 5.605034154$

Example To solve ABC . Given $b = 1, c = 4, \angle B = 60^\circ$. ⓈS.A.A.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
1 EXE 4 EXE 60 EXE	D° 0.	$Y = b = 1, M = c = 4, \angle B = 60^\circ$
5 EXE	0. <small>Disp</small>	Enter into ⓈS.A.A., No triangle can be formed

Example To solve ABC . Given $b = 3, c = 4, \angle B = 30^\circ$. ⓈS.A.A.

Key sequences	Display	Explanation
Prog P1	A° 0.	Enter into Programme P1
3 EXE 4 EXE 30 EXE	D° 0.	$Y = b = 3, M = c = 4, \angle B = 30^\circ$
5 EXE	2. <small>Disp</small>	Enter into ⓈS.A.A., Two triangles can be formed
EXE	A 108.1896851 <small>Disp</small>	$\angle A = 108.1896851^\circ$
EXE	C 41.8103149 <small>Disp</small>	$\angle C = 41.8103149^\circ$
EXE	5.700169593 <small>Disp</small>	$X = a = 5.700169593$
EXE	A 11.8103149 <small>Disp</small>	Second answer $\angle A = 11.8103149^\circ$
EXE	C 138.1896821 <small>Disp</small>	Second answer $\angle C = 138.1896821^\circ$
EXE	X 1.228033638 <small>Disp</small>	Second answer $X = a = 1.228033638$

- (4) Find the centre, radius of a circle $x^2 + y^2 + Dx + Ey + F = 0$;
and the length of tangent from (x_0, y_0) .

MODE MODE 6 3 2 AC 2 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	D	(12)	:	(13)	-	(14)	A	(15)	↓
(16)	2	(17)	→	(18)	C	(19)	▲	(20)	-
(21)	B	(22)	↓	(23)	2	(24)	▲	(25)	√(
(26)	Ans	(27)	x^2	(28)	+	(29)	C	(30)	x^2
(31)	-	(32)	D	(33))	(34)	→	(35)	M
(36)	▲	(37)	?	(38)	→	(39)	X	(40)	:
(41)	?	(42)	→	(43)	Y	(44)	:	(45)	√(
(46)	X	(47)	x^2	(48)	+	(49)	Y	(50)	x^2
(51)	+	(52)	A	(53)	X	(54)	+	(55)	B
(56)	Y	(57)	+	(58)	D	(59))		

Press MODE 1 (COMP) to exit the programme mode.

Example Find the centre, radius of $x^2 + y^2 + 10x - 8y + 5 = 0$; and the length of tangent from $(3, -2)$

Key sequences	Display	Explanation
Prog P2	A [?] 0.	Enter into Programme P2
10 EXE -8 EXE 5 EXE	-5. Disp	D = 10, E = -8, F = 5
EXE	4. Disp	Centre = (-5, 4)
EXE	6. Disp	Radius = 6
EXE	X [?] 0.	
3 EXE -2 EXE	8.	Length of tangent = 8

Example Find the centre, radius of $4x^2 + 4y^2 - 12x + 16y + 21 = 0$; and the length of tangent from $(2, -2)$. Convert the equation of circle into: $x^2 + y^2 - 3x + 4y + \frac{21}{4} = 0$ first.

Key sequences	Display	Explanation
Prog P2	A [?] 0.	Enter into Programme P2
-3 EXE 4 EXE $\frac{21}{4}$ EXE	3 ↓ ² Disp	D = -3, E = 4, F = $\frac{21}{4}$
EXE	-2. Disp	Centre = $\left(\frac{3}{2}, -2\right)$
EXE	1. Disp	Radius = 1
EXE	X [?] 0.	
2 EXE -2 EXE	Math ERROR	(2, -2) lies inside the circle Length of tangent does not exist

(5) Polynomial division $(ax^4 + bx^3 + cx^2 + dx + e) \div (fx + g)$

MODE MODE 6 3 4 AC 4 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	?	(18)	→	(19)	M	(20)	:
(21)	?	(22)	→	(23)	X	(24)	:	(25)	?
(26)	→	(27)	Y	(28)	:	(29)	-	(30)	Y
(31)	┐	(32)	X	(33)	→	(34)	Y	(35)	:
(36)	A	(37)	┐	(38)	X	(39)	▲	(40)	Ans
(41)	Y	(42)	+	(43)	B	(44)	┐	(45)	X
(46)	▲	(47)	Ans	(48)	Y	(49)	+	(50)	C
(51)	┐	(52)	X	(53)	▲	(54)	Ans	(55)	Y
(56)	+	(57)	D	(58)	┐	(59)	X	(60)	▲
(61)	Ans	(62)	X	(63)	Y	(64)	+	(65)	M

Press MODE 1 (COMP) to exit the programme mode.

Remark: If the polynomial is of degree = 3, $a = 0$.

Example $(4x^4 + 8x^2 + 2x - 1) \div (2x - 1)$

Key sequences	Display	Explanation
Prog P4	A? 0.	Enter into Programme P4
4 EXE 0 EXE 8 EXE 2 EXE -1 EXE 2 EXE -1 EXE	2. Disp	A = 4, B = 0, C = 8, D = 2, M = -1, X = f = 2, Y = g = -1
EXE	1. Disp	
EXE	9┐2 Disp	
EXE	13┐4 Disp	Quotient = $2x^3 + 1x^2 + \frac{9}{2}x + \frac{13}{4}$
EXE	9┐4	Remainder = $\frac{9}{4}$

(6) Polynomial division $(ax^4 + bx^3 + cx^2 + dx + e) \div (x^2 + fx + g)$

MODE MODE 6 3 4 AC 4 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	?	(18)	→	(19)	M	(20)	:
(21)	?	(22)	→	(23)	X	(24)	:	(25)	?
(26)	→	(27)	Y	(28)	:	(29)	-	(30)	X
(31)	→	(32)	X	(33)	:	(34)	-	(35)	Y
(36)	→	(37)	Y	(38)	:	(39)	A	(40)	▲
(41)	B	(42)	+	(43)	A	(44)	X	(45)	→
(46)	B	(47)	▲	(48)	C	(49)	+	(50)	X
(51)	Ans	(52)	+	(53)	A	(54)	Y	(55)	→
(56)	C	(57)	▲	(58)	D	(59)	+	(60)	X
(61)	Ans	(62)	+	(63)	B	(64)	Y	(65)	▲
(66)	M	(67)	+	(68)	C	(69)	Y		

Press MODE 1 (COMP) to exit the programme mode. **Remark:** If the degree of dividend = 3, $a = 0$.

Example $(4x^4 + 8x^2 + 2x - 1) \div (x^2 + 3x - 2)$

Key sequences	Display	Explanation
Prog P4	A? 0.	Enter into Programme P4
4 EXE 0 EXE 8 EXE 2 EXE -1 EXE 3 EXE -2 EXE	4. Disp	A = 4, B = 0, C = 8, D = 2, M = -1, X = f = 3, Y = g = -2
EXE	-12. Disp	
EXE	52 Disp	Quotient = $4x^2 - 12x + 52$
EXE	-178 Disp	
EXE	103	Remainder = $-178x + 103$

If the divisor is $px^2 + fx + g$, where $p \neq 0$, change it into $x^2 + \frac{f}{p}x + \frac{g}{p}$ and divide the quotient by p .

Example $(4x^4 + 7x^3 - 16x^2 - 2x + 7) \div (2x^2 + x - 1)$. First change into $x^2 + \frac{1}{2}x - \frac{1}{2}$.

Key sequences	Display	Explanation
Prog P4	A? 0.	Enter into Programme P4
4 EXE 0 EXE 8 EXE 2 EXE -1 EXE 0.5 EXE -0.5 EXE	4. Disp	A = 4, B = 0, C = 8, D = 2, M = -1, X = f = 0.5, Y = g = -0.5
EXE	-2. Disp	
EXE	11 Disp	Quotient = $\frac{1}{2}(4x^2 - 2x + 11)$
EXE	-4.5 Disp	
EXE	4.5	Remainder = $-4.5x + 4.5$

(7) Newton's Method to find the approximate root $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$ Polynomials up to degree 4

MODE MODE 6 3 4 AC 4 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	?	(18)	→	(19)	M	(20)	:
(21)	?	(22)	→	(23)	X	(24)	:	(25)	Lbl
(26)	1	(27)	:	(28)	((29)	3	(30)	A
(31)	X	(32)	^((33)	4	(34))	(35)	+
(36)	2	(37)	B	(38)	X	(39)	x^3	(40)	+
(41)	C	(42)	X	(43)	x^2	(44)	–	(45)	M
(46))	(47)	↓	(48)	((49)	4	(50)	A
(51)	X	(52)	x^3	(53)	+	(54)	3	(55)	B
(56)	X	(57)	x^2	(58)	+	(59)	2	(60)	C
(61)	X	(62)	+	(63)	D	(64))	(65)	→
(66)	Y	(67)	▲	(68)	If	(69)	Abs((70)	Y
(71)	–	(72)	X	(73))	(74)	≥	(75)	1
(76)	EXP	(77)	-	(78)	1	(79)	0	(80)	:
(81)	Then	(82)	Y	(83)	→	(84)	X	(85)	:
(86)	Goto	(87)	1	(88)	:	(89)	IfEnd		

Press MODE 1 (COMP) to exit the programme mode.

Example To find the approximate root of $f(x) = x^4 + 6x^3 + 3x^2 - 26x - 24 = 0$, initial guess = 1.5

Key sequences	Display	Explanation
Prog P4	A [?] 0.	Enter into Programme P4
1 EXE 6 EXE 3 EXE -26 EXE -24 EXE	X [?] 0.	A = 1, B = 6, C = 3, D = -26, M = -24
1.5 EXE	2.336148649 Disp	1st approximation = 2.336148649
EXE	2.059893868 Disp	2nd approximation = 2.059893868
EXE	2.002375203 Disp	3rd approximation = 2.002375203
EXE	2.00000394 Disp	4th approximation = 2.00000394

(8) To evaluate a 3×3 determinant: $\begin{vmatrix} a & b & c \\ d & e & f \\ g & h & i \end{vmatrix}$.

MODE MODE 6 3 4 AC 4 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	?	(18)	→	(19)	X	(20)	:
(21)	?	(22)	→	(23)	Y	(24)	:	(25)	?
(26)	→	(27)	M	(28)	:	(29)	B	(30)	Y
(31)	M	(32)	–	(33)	M	(34)	X	(35)	C
(36)	:	(37)	?	(38)	→	(39)	M	(40)	:
(41)	Ans	(42)	+	(43)	D	(44)	M	(45)	C
(46)	–	(47)	M	(48)	Y	(49)	A	(50)	:
(51)	?	(52)	→	(53)	M	(54)	:	(55)	Ans
(56)	+	(57)	A	(58)	X	(59)	M	(60)	–
(61)	M	(62)	D	(63)	B				

Press MODE 1 (COMP) to exit the programme mode.

Example To evaluate $\begin{vmatrix} 1 & 2 & 3 \\ 0 & 1 & 4 \\ 1 & 2 & 1 \end{vmatrix}$.

Key sequences	Display	Explanation
Prog P4	A? 0.	Enter into Programme P4
1 EXE 2 EXE 3 EXE 0 EXE 1 EXE 4 EXE 1 EXE 2 EXE 1 EXE	-2.	The value of determinant = -2

(9) To find the vector cross product $(a\vec{i} + b\vec{j} + c\vec{k}) \times (d\vec{i} + e\vec{j} + f\vec{k})$

MODE MODE 6 3 4 AC 4 1

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	?	(18)	→	(19)	X	(20)	:
(21)	?	(22)	→	(23)	Y	(24)	:	(25)	B
(26)	Y	(27)	–	(28)	C	(29)	X	(30)	▲
(31)	C	(32)	D	(33)	–	(34)	A	(35)	Y
(36)	▲	(37)	A	(38)	X	(39)	–	(40)	B
(41)	D								

Press MODE 1 (COMP) to exit the programme mode.

Example To find $(3\vec{i} - 4\vec{j}) \times \left(-\frac{3}{4}\vec{i} + 5\vec{j} + \vec{k}\right)$

Key sequences	Display	Explanation
Prog P4	A? 0.	Enter into Programme P4
3 EXE -4 EXE 0 EXE -0.75 EXE 5 EXE 1 EXE	-4. Disp	coefficient of $\vec{i} = -4$
EXE	-3. Disp	coefficient of $\vec{j} = -3$
EXE	12.	coefficient of $\vec{k} = 12$

answer is $-4\vec{i} - 3\vec{j} + 12\vec{k}$

(10) To solve $f(x) = ax^3 + bx^2 + cx + d = 0$, where $a \neq 0$ and a, b, c, d may be complex numbers.

Calculator Programme for Casio fx-50FH II MODE MODE 6 3 3 AC 3 (CMPLX) 2

(1)	?	(2)	→	(3)	A	(4)	:	(5)	?
(6)	→	(7)	B	(8)	:	(9)	?	(10)	→
(11)	C	(12)	:	(13)	?	(14)	→	(15)	D
(16)	:	(17)	B	(18)	x^3	(19)	–	(20)	9
(21)	↓	(22)	2	(23)	A	(24)	((25)	B
(26)	C	(27)	–	(28)	3	(29)	D	(30)	A
(31)	→	(32)	D	(33)	:	(34)	B	(35)	x^2
(36)	–	(37)	3	(38)	A	(39)	C	(40)	→
(41)	C	(42)	:	(43)	$\sqrt{}$ ((44)	D	(45)	x^2
(46)	–	(47)	C	(48)	x^3	(49)	:	(50)	Ans
(51)	–	(52)	D	(53)	–	(54)	2	(55)	Ans
(56)	((57)	Ans	(58)	=	(59)	D	(60)	→
(61)	D	(62)	:	(63)	$\sqrt[3]{}$ ((64)	Abs((65)	Ans
(66)	\Rightarrow	(67)	Ans	(68)	\angle	(69)	((70)	3
(71)	x^{-1}	(72)	arg((73)	D	(74)	→	(75)	D
(76)	:	(77)	While	(78)	1	(79)	:	(80)	Abs(
(81)	D	(82)	\Rightarrow	(83)	D	(84)	+	(85)	C
(86)	↓	(87)	D	(88)	:	(89)	((90)	Ans
(91)	–	(92)	B	(93))	(94)	↓	(95)	(
(96)	3	(97)	A	(98)	▲	(99)	D	(100)	×
(101)	1	(102)	\angle	(103)	5	(104)	!	(105)	°
(106)	→	(107)	D	(108)	:	(109)	WhileEnd		

Press MODE 1 (COMP) to exit the programme mode.

Remark: to press the degree symbol ° : Press Shift Ans 1 .

Programme demonstration To solve $x^3 - 6x - 9 = 0$

Key sequences	Display	Explanation
AC Prog P3	A [?] 0.	Enter into P3 CMPLX mode
1 EXE 0 EXE -6 EXE -9 EXE	3. Disp	A = 1, B = 0, C = -6, D = -9, 1st ans.= 3
EXE	-1.5 Disp R↔I	
SHIFT EXE	0.866025403 _i Disp R↔I	2nd answer = -1.5 + 0.866025403i
EXE	-1.5 Disp R↔I	
SHIFT EXE	-0.866025403 _i Disp R↔I	3rd answer M = -1.5 – 0.866025403i

Press AC and then MODE 1 to exit the programme mode and the CMPLX mode.

To solve $x^2 + 2x + 3 = 0$. Multiply the equation by X to give $x^3 + 2x^2 + 3x = 0$.

Remaining steps are the same, discard the first answer $X = 0$. Press MODE 1 to exit CMPLX mode.