1982 FG10.2

 $(2^{48}-1)$ 可被兩個介乎於 60 至 70 之間的整數整除,求該兩數。

If $(2^{48} - 1)$ is divisible by two whole numbers between 60 and 70, find them.

1993 HI7

若 x 和 y 為質數,且滿足 $x^2-y^2=117$,求 x 的值。

If x and y are prime numbers such that $x^2 - y^2 = 117$, find the value of x.

1993 FI5.3

已知 $2^{16}-1$ 共有四質因子,求其中最大的一個,以c表它。

It is known that $2^{16} - 1$ has four distinct prime factors, determine the largest one, denoted by c.

1995 HG4

若 x 及 y 為正整數,且 $x^2 = y^2 + 2000$,求x 的最小值。

Suppose x and y are positive integers such that $x^2 = y^2 + 2000$,

find the least value of x.

1997 HI1

設 n 為一正整數。若 $n^2 = 29p + 1$,其中 p 為質數,試求 n 之值。

Let *n* be a positive integer.

If $n^2 = 29p + 1$, where p is a prime number, find the value of n.

1999 FG2.3

設c為質數,若11c+1是一正整數之平方,求c之值。

Let *c* be a prime number.

If 11c + 1 is the square of a positive integer, find the value of c.

2010 FGS.1

已知n為一正整數。若 $n^2 + 5n + 13$ 為一完全平方數,求n的值。

Given that n is a positive integer.

If $n^2 + 5n + 13$ is a perfect square, find the value of n.

2011 HI5

整數 x 減去 12 後是一個整數的平方。將 x 加上 19 後則是另一個整數的平方。求 x 的值。

An integer x minus 12 is the square of an integer. x plus 19 is the square of another integer. Find the value of x.

2011 HG4

已知 n 為一正整數,且 $n^4 - 18n^2 + 49$ 為一質數。求 n 的值。

Given that n is a positive integer and $n^4 - 18n^2 + 49$ is a prime number, find the value of n.

2013 FG3.1

若 m 和 n 是正整數且 $m^2 - n^2 = 43$, 求 $m^3 - n^3$ 的值。

If m and n are positive integers with $m^2 - n^2 = 43$, find the value of $m^3 - n^3$.

2016 FG4.1

若 a 及 b 為整數,且 a^2 與 b^2 相差 144,求 d=a+b 的最大值。

Let a and b are two integers and the difference between a^2 and b^2 is 144, determine the largest possible value of d = a + b.

2018 FI1.1

已知 $x^2 = y^2 - 4y$, 其中 x 及 y 為整數。求 A = x + y 的最大值。

Given that $x^2 = y^2 - 4y$, where x and y are integers.

Determine the largest value of A = x + y.

2018 FI1.3

設 C 為正整數。已知 $144+2^{C}$ 為平方數,求 C 的值。

Let C be a positive integer.

Given that $144 + 2^C$ is a perfect square, determine the value of C.

2022 P1Q13

已知 $a^{2x}-b^{2y}=1672$,其中 $a \cdot b \cdot x$ 及 y 為正整數。求 ax+by 的最小值。

Given that $a^{2x} - b^{2y} = 1672$, where a, b, x and y are positive integers.

Find the minimum value of ax + by.

Answers

1982 FG10.2	1993 HI7	1993 FI5.3	1995 HG4	1997 HI1
63, 65	11	257	45	30
1999 FG2.3	2010 FGS.1	2011 HI5	2011 HG4	2013 FG3.1
13	4	237	4	1387
2016 FG4.1	2018 FI1.1	2018 FI1.3	2022 P1Q13	
72	4	8	23	