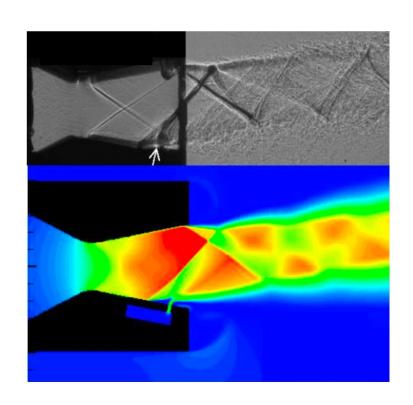


# **ESTACA / AAD (2023)**

**CFD Project** 

Numerical Simulations and Design of Fluidic Thrust Vectoring (FTV)



- Context and objectives
- ➤ The role of a Converging-Diverging (CD) Supersonic Nozzle is to generate thrust by expanding gases in a duct.
- Thrust Vectoring can enhance manoeuvrability by deviating the exhaust flow.
- Modern fighter jets rely on Mechanical Vectoring by changing the geometry of the nozzle.



- ➤ But those systems are heavy and require extra maintenance → promising solution: Fluidic Thrust Vectoring (FTV) based active flow control (AFC).
- ➢ Objective: Design an efficient FTV for given specifications

Final presentation (20 min.) ~mid-May

Part I

Validation of the CFD tool

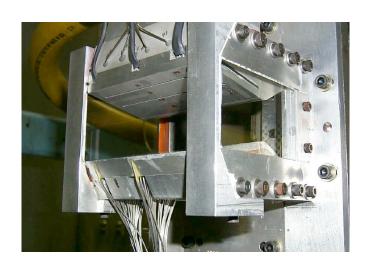
Numerical results ← Experimental data

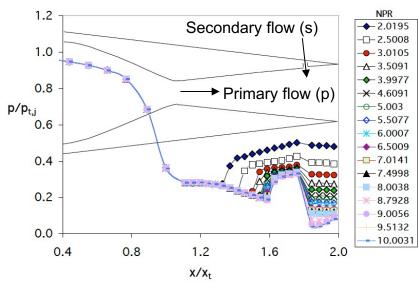
Part II **Design** of nozzles with CFD tool



- Part I (Validation)
- Validation of the CFD workflow on the nozzles of Waithe and Deere (2003)

$$NPR = \frac{p_{t,p}}{p_a}$$





- CFD workflow check:
  - √ Geometry
  - ✓ Mesh
  - ✓ Governing equations
  - ✓ Boundary conditions
  - ✓ Numerical schemes
  - ✓ Post-processing

Figure 9. Centerline, upper surface, static pressures for configuration 1, SPR=0.7.

$$SPR = \frac{p_{t,s}}{p_{t,p}}$$



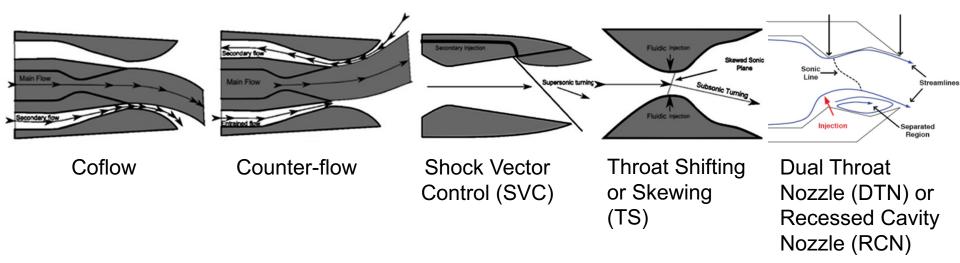
- ► Part II (Design)
- $\triangleright$  Design a FTV nozzle to match the specifications and maximize the efficiency  $\eta$  (station 4 designates the entry of the nozzle).

$M_{\infty}$	Z	Nozzle exit Mach number $M_e$	$rac{p_{t,4}}{p_{t,\infty}}$	$rac{T_{t,4}}{T_{t,\infty}}$	Thrust (Fx)	Fn/Fx
1,8	5 000 m	2,2	2	2,5	10 kN	20%

Primary flow deviation

$$\eta = \frac{\delta_p}{\frac{\text{MFR}_s}{\text{MFR}_{p+s}}}$$

Evaluate different options:





Useful formulas

$$MFR = q_m = 0.04041 \frac{p_t A_t}{\sqrt{T_t}}$$

$$F_{x} = (\Phi(M_{e}) - \Phi(1)) \times p_{t} \times A_{t} \qquad \Phi(M) = \varpi(M) \times (1 + \gamma M^{2}) \times \Sigma(M)$$

$$\frac{A}{A_t} = \frac{1}{M} \left[ \frac{2}{\gamma + 1} \left( 1 + \frac{\gamma - 1}{2} M^2 \right) \right]^{\frac{\gamma + 1}{2(\gamma - 1)}} = \Sigma(M)$$

$$\frac{p}{p_t} = \varpi(M) = \left(1 + \frac{\gamma - 1}{2}M^2\right)^{\frac{-\gamma}{\gamma - 1}}$$

