## ERRATA TO "EXTREMAL PRIMES FOR ELLIPTIC CURVES WITH COMPLEX MULTIPLICATION"

Maknys's argument for the equidistribution result quoted as Proposition 2 is incomplete. In its place, one can substitute the following estimate, which is within the reach of current technology.

**Proposition** 2'. Let K be an imaginary quadratic field. Fix  $\mu, \nu \in \mathcal{O}_K$  with  $\mu \neq 0$  and with  $\nu \mod \mu$  an invertible residue class. As  $x \to \infty$ ,

So the all imaginary quadratic field. Fix 
$$\mu, \nu \in \mathcal{O}_K$$
 with  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  are  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  are  $g$  are  $g$  and  $g$  ar

when  $2\pi \ge \theta_2 - \theta_1 > x^{-0.251}$ . Here the estimate is uniform in the  $\theta_i$ .

Our proof requires only minor modifications (one should now define  $\mathcal{X}(\varpi) = \{X \in \mathbb{R} : X < N\varpi \le X + X/\log X\}$ ). We thank Joshua Stucky for bringing this issue to our attention and for helpful correspondence.