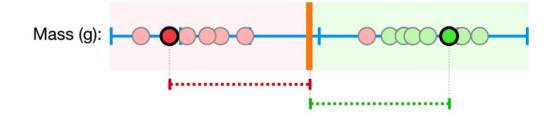
Introduction of Deepfake Representation with Multilinear Regression paper

Dateset

- Dataset: <u>FaceForensics</u> videos
- experiment on images manipulated by DeepFake technique.
- Each 30 sec. extract 1 frame, total 7 frames for each video using OpenCV
- Using pretrained dlib face detector for detecting outer facial landmarks
- Training videos: 720 * 7(frames) = 5040 (images)
- Validation set: 140 videos
- Testing videos: 140 videos
- wd: Datasets/manipulated_sequences/Deepfakes/raw/videos

Support Vector Machine (SVM)

- Binary Classification
- Pros: effective in high dimensional spaces
- Cons: long training time for large datasets



The answer is simple: We use **Cross**Validation to determine how many misclassifications and observations to allow inside of the **Soft Margin** to get the best classification.

PC: StatQuest

Algorithm 1 DeepFake Detection Algorithm Input: D_{real}, D_{fake} were centered by subtracting the mean of the real

training data,

- (1) Preprocessing and data tensor organization: $[U_{real}, S_{real}, V_{real}] \Leftarrow svd(D_{real})$
- $[U_{fake}, S_{fake}, V_{fake}] \Leftarrow svd(D_{fake})$

$$oldsymbol{\mathcal{D}}(:,:,1) = [\mathbf{U}_{\mathrm{real}}\mathbf{S}_{\mathrm{real}}] \ oldsymbol{\mathcal{D}}(:,:,2) = [\mathbf{U}_{\mathrm{fake}}\mathbf{S}_{\mathrm{fake}}]$$

(2) Training data decomposition:

(2) Training data decomposition:
$$\mathcal{T} \times_2 U_{\varepsilon} \times_2 U_{\varepsilon} \Leftarrow M$$
-mode SVD(\mathcal{D})

- dimensionality $\mathbb{R}^{2\times 3}$. Normalize the rows of U_c to have length
- (4) Computer the extended core

$$\mathcal{T} := \mathcal{D} \times_2 \mathbf{U}_{\epsilon}^{\mathrm{T}} \times_3 \mathbf{U}_{\epsilon}^{\dagger} \tag{16}$$

- (5) Centering: validation and test data is centered by subtracting the mean of the real training data. (6) Test data decomposition of a centered d_{test}:
- $\mathbf{d}_{\text{test}} \simeq \mathcal{T} \times_2 \mathbf{r}_{\text{f}}^{\text{T}} \times_3 \mathbf{r}_{\text{c}}^{\text{T}} \Leftarrow \text{Multilinear Projection}(\mathcal{T}, \mathbf{d}_{\text{test}})$

$$\mathbf{d}_{\text{test}} \simeq \mathbf{7} \times_2 \mathbf{r}_{\text{f}} \times_3 \mathbf{r}_{\text{c}} \Leftarrow \text{Multilinear Projection}(\mathbf{7}, \mathbf{d}_{\text{test}})$$

(7) Finding linear SVM decision boundaries using validation set (8) classifying all $\mathbf{d}_{test} \in \text{test set}$

Feature & Result

- Evaluate the decision boundaries
- Frames in the range 2980-5000, the accuracy is around 82 %. Otherwise, could be considered noise
- The range 2980-5000 class is more separable linearly.

$\mathbf{U}_c \in \mathbb{R}^{2 imes 3}, \mathbf{U}_f \in \mathbb{R}^{5040 imes R_f}$							R_f	TN/140	TP/140	ACC
1	721	1441	2161	2881	3601	4321	1-5040	98	101	0.7107
							1-720	107	93	0.7143
			\supset				721-2160	100	90	0.6786
					\supset		2161-3600	112	122	0.8000
						- 3	3601-5040	113	98	0.7536
							4321-5040	111	89	0.7143
							2161-5040	117	112	0.8179
							2980-5000	118	112	0.8214
							2881-5040	117	103	0.7857