

Computer Networks Lab Report

111701019

Md Talha Yaseen Khan

Lab – 3 (MAC Protocols)

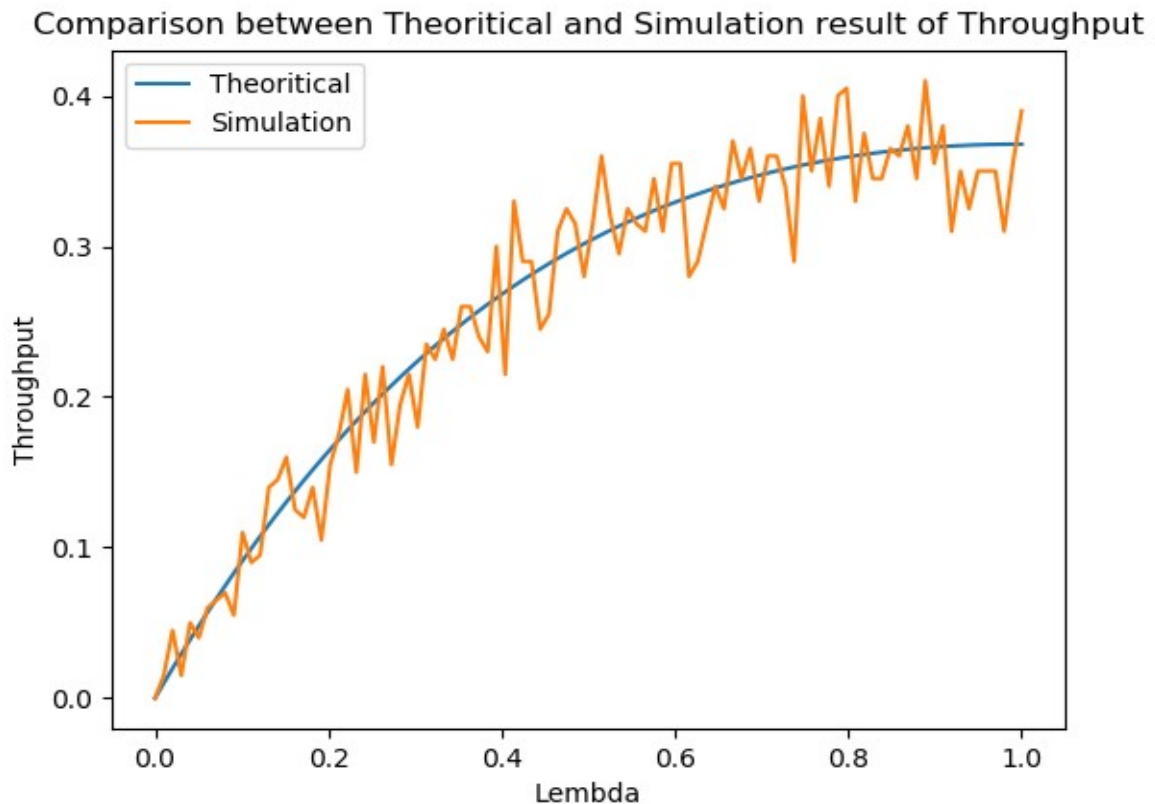
1.

a) Slotted ALOHA

- This code required 3 inputs
 - n (Number of users per slot, which is 100 here)
 - nL (Number of λ you want to generate)
 - nS (Number of slots)
- Users are generating frame with probability λ/n .
 - $X_i = \{ 0 ; \text{if not generated} \mid 1 ; \text{if generated} \}$
 - $G = \text{Expected Transmisson} = \sum 0(1 - \lambda/n) + 1(\lambda/n) = \lambda$
 - Throughput for Slotted ALOHA = $S = G e^{-G} = \lambda e^{-\lambda}$ (For theoretical prediction)
- For simulation result, I am generating “ nL ” random λ where $\lambda \in [0, 1]$ and simulating the throughput for each λ .
- Then by fixing a λ , for each “ nS ” slots and “ n ” users in each slots generating frame with probability λ/n and checking for collision. If “frames” value comes 1 means only one frame transmitted i.e. no collision and if there are only one frame generated the increasing successfully frame generated count (cnt) by 1.
- Then calculating throughput (= number of successfully generated user frame / total slots) and appending this on throughput list.
- Repeat above steps for every λ .

- Then plotted the both theoretical and simulation result graph in one frame for comparison.

Below is the comparison between theoretical and simulated result of throughput for ($n = 100$, $nL = 100$ and $nS = 200$).



b) p-persistent CSMA

- This code required 3 inputs
 - n (Number of users per slot, which is 100 here)
 - nL (Number of λ you want to generate)
 - nS (Number of slots)
- First I stored value of \mathbf{p} in a list named pS ($pS[0] = 0.5$ and $pS[1] = 0.01$). And then initialized a 2D list for simulation result throughput for both \mathbf{p} .
- Then generating “ nL ” random λ , where $\lambda \in [0, 1]$ and simulating the throughput for each λ for both \mathbf{p} .

- Then by fixing a λ , for each “nS” slots and “n” users in each slots generating frame with probability λ/n and storing value in “frameGen” and adding into queued list for that user.
- If channel is found idle and frames are queued, then sending frame with probability $p = pS[k]$ and waiting for to send in start of next slot with probability $1-p$.
- If frame is sent, increase the frameCnt (counting frame which are sent) by 1 and append that user into the sentUser and decrease the queued value by 1.
- Set timer when slot became again idle is 3.
- If more than 1 or no frame sent, increase queued value by 1 for each sent users and if only one frame sent, increase the successful frame count by 1.
- Then calculating throughput (= number of successfully generated user frame / total slots) and appending this on throughput list.
- Repeat above steps for every λ .
- Then plotted the simulation result for both $p = 0.5$ and $p = 0.01$ graph in one frame for comparison.

Below is the comparison between simulated result for both $p = 0.5$ and $p = 0.01$ of throughput for ($n = 100$, $nL = 100$ and $nS = 200$).

