

## Car Problems

a.  $P(\text{Fuel} = \text{Yes} \mid \text{FM} = \text{Empty}) = \frac{P(\text{Fm}=\text{Empty} \mid \text{Fuel}=\text{Yes}) * P(\text{Fuel}=\text{Yes})}{P(\text{Fm} = \text{Empty} \mid \text{Fuel}=\text{Yes})P(\text{Fuel}=\text{Yes}) + P(\text{Fm} = \text{Empty} \mid \text{Fuel}=\text{No})P(\text{Fuel}=\text{No})} = \frac{0.2 * 0.6}{0.2 * 0.6 + 0.85 * 0.4} = 0.12 / 0.46$

b.  $F(\text{FM}, \text{Fuel}, \text{St}, \text{Sp}) = P(\text{FM} \mid \text{Fuel}) * P(\text{Fuel}) * P(\text{St} \mid \text{Fuel}, \text{SP}) * P(\text{SP})$

c.  $P(\text{Fuel} = \text{No}, \text{SP} = \text{Yes}, \text{FM} = \text{Half}, \text{St} = \text{No}) = 0.4 * 0.8 * 0.1 * 0.99$

d.  $P(\text{St}=\text{yes} \mid \text{Fm}=\text{Empty}) = \alpha \sum_{\text{Fuel}} \sum_{\text{SP}} P(\text{FM} \mid \text{Fuel}) * P(\text{Fuel}) * P(\text{St} \mid \text{Fuel}, \text{SP}) * P(\text{SP})$  with  $\alpha = 1 / P(\text{Fm} = \text{Empty})$

$$= \{ (P(\text{fm}=\text{empty} \mid \text{fuel} = \text{yes}) * P(\text{fuel}=\text{yes}) * P(\text{st}=\text{yes} \mid \text{fuel}=\text{yes}, \text{sp}=\text{yes}) * P(\text{sp}=\text{yes})) \\ + (P(\text{fm}=\text{empty} \mid \text{fuel} = \text{yes}) * P(\text{fuel}=\text{yes}) * P(\text{st}=\text{yes} \mid \text{fuel}=\text{yes}, \text{sp}=\text{no}) * P(\text{sp}=\text{no})) \\ + (P(\text{fm}=\text{empty} \mid \text{fuel} = \text{no}) * P(\text{fuel}=\text{no}) * P(\text{st}=\text{yes} \mid \text{fuel}=\text{no}, \text{sp}=\text{yes}) * P(\text{sp}=\text{yes})) \\ + (P(\text{fm}=\text{empty} \mid \text{fuel} = \text{no}) * P(\text{fuel}=\text{no}) * P(\text{st}=\text{yes} \mid \text{fuel}=\text{no}, \text{sp}=\text{no}) * P(\text{sp}=\text{no})) \} / \\ ((P(\text{Fm} = \text{Empty} \mid \text{Fuel}=\text{Yes})P(\text{Fuel}=\text{Yes}) + P(\text{Fm} = \text{Empty} \mid \text{Fuel}=\text{No})P(\text{Fuel}=\text{No}))$$

$$= \{ 0.2 * 0.6 * 0.95 * 0.8 + 0.2 * 0.6 * 0.1 * 0.2 + 0.85 * 0.4 * 0.01 * 0.8 + 0.85 * 0.4 * 0 * 0.2 \} / (0.2 * 0.6 + 0.85 * 0.4)$$

Part a: 2pts for formula 1pt for numbers

Part b: 3 pts for the formula

Part c: 3 pts for the numbers

Part d: 4pts for formula and 2 pts for numbers. -1 for each error.

## Lime or Lyft?

a.  $\text{Remainder}(\text{Outlook}) = 5/16 (-3/5 \log 3/5 + 2/5 \log 2/5) + 5/16 (0) + 6/16 (-5/6 \log 5/6 + 1/6 \log 1/6)$   
 $\text{Remainder}(\text{Humidity}) = 1/2 (1) + 1/2 (0) \Rightarrow$  least remainder, highest information gain  
 $\Rightarrow$  root attribute

$$\text{Remainder}(\text{Destination}) = 9/16 (-2/9 \log 2/9 + 7/9 \log 7/9) + 7/16 (-2/7 \log 2/7 + 5/7 \log 5/7)$$

[1pt for each correct expression of the remainder of an attribute, 3pts for determining the root attribute]

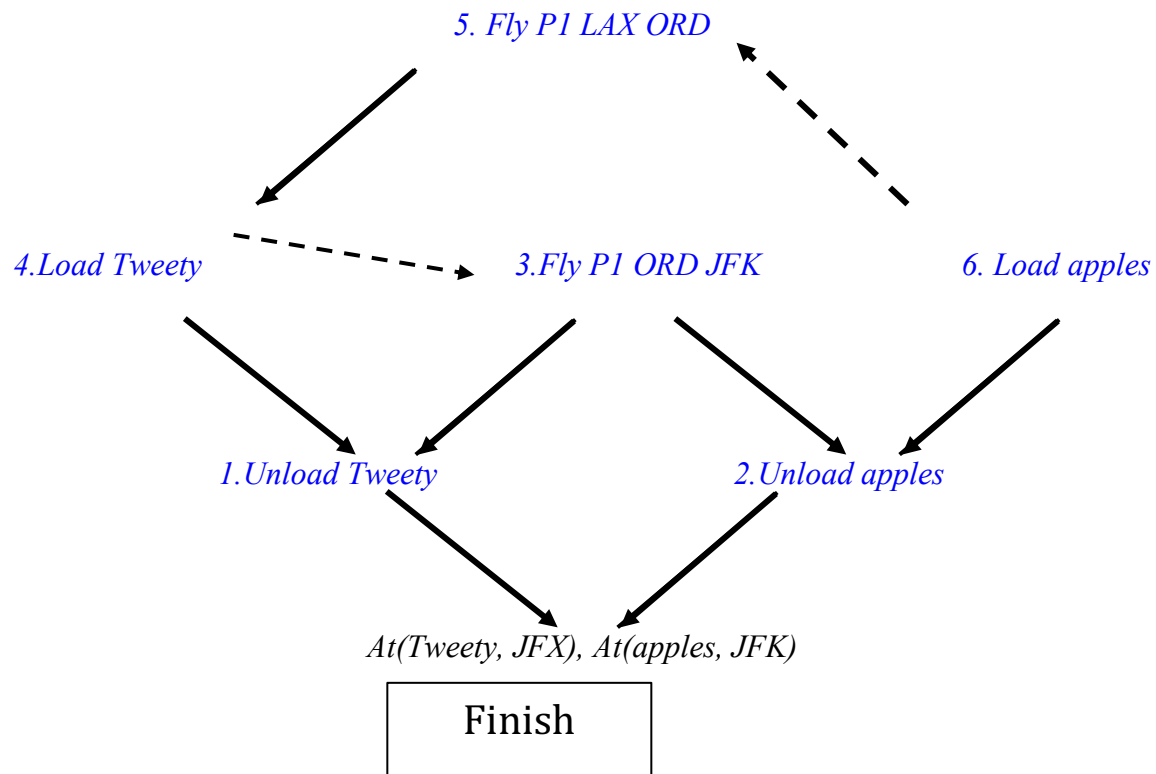
b.  $\text{Lyft?} = (\text{HighHumidity} \wedge \text{Sunny}) \vee (\text{HighHumidity} \wedge \text{Rainy} \wedge \text{Far})$

[2pts for each correct level of the tree, 3pts for the learned concept, no partial credit]

## Cargo Shipping

START

*At(Tweety, ORD), At(P1, LAX), At(apples, LAX), Cargo(Tweety), Cargo(Apples) Plane(P1), Airport(LAX), Airport(JFK), Airport(ORD)*



+1 for correct Action 1-3 and correct causal links to satisfy an open goal  
 +4 for correct Action 4-6 w/correct causal link to an open goal/ordering constraints  
 -3 for extra/incorrect actions  
 -3 for extra/incorrect arrows

True/False

a. T b. F c. F d. T e. F f. F g. T h. F g. T h. F

Multiple choices

(+5pts each -1 for wrong or missing and 0 for none right)

- a. 2
- b. 2
- c. ALL

## Robot Maze

R4=128 and R6=98

4a

S1 32	S2 8	S3 24.5
S4	S5 24.5	S6

4b

$$\begin{aligned}
 128 * \gamma * \gamma * \gamma &\geq 98 * \gamma \\
 \gamma^2 &\geq \frac{98}{128} = \frac{49}{64} \\
 \gamma &\geq \frac{7}{8}
 \end{aligned}$$

Policy changes: S3->S2(Left), S5->S2(Up)

4c

S1 25.6	S2 5.12	S3 19.6
S4	S5 19.6	S6

Part a 3 pts: -1 for each error

Part b 4 pts: formula 3 pts and the final result(policy change) 1 pt

Part c 8 pts: -1 for each error

## Monkey Meal

a)  $\forall x, z ( (\text{Monkey}(x) \wedge \text{Snack}(z)) \Rightarrow \exists y, t ( \text{Food}(y) \wedge \text{Food}(t) \wedge \text{Eats}(x, y, z) \wedge \text{Eats}(x, t, z) \wedge y \neq t) )$

b)  $\exists x ( \text{Monkey}(x) \wedge \text{Failed}(x, \text{Banana}, \text{Morning}) \wedge \forall y ( \text{Monkey}(y) \wedge \text{Failed}(y, \text{Banana}, \text{Morning}) \Rightarrow x = y ) )$

c)  $\neg \exists x ( \text{Monkey}(x) \wedge \text{Failed}(x, \text{Mango}, \text{Morning}) ) \wedge \exists y ( \text{Monkey}(y) \wedge \text{Failed}(y, \text{Banana}, \text{Morning}) )$

d)  $\forall x, z ( \text{Monkey}(x) \wedge \text{Eats}(x, \text{Mango}, z) \Rightarrow \text{Eats}(x, \text{Grapes}, z) )$

e)  $\neg \exists x, z ( \text{Monkey}(x) \wedge \text{Eats}(x, \text{Grapes}, z) \wedge \text{Eats}(x, \text{Nuts}, z) )$

+3pts each for logically equivalent answer