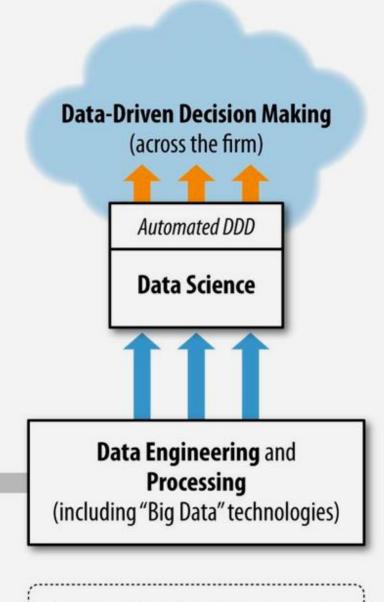
#### Data Science for Business

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# Extracting knowledge from data to solve business problems

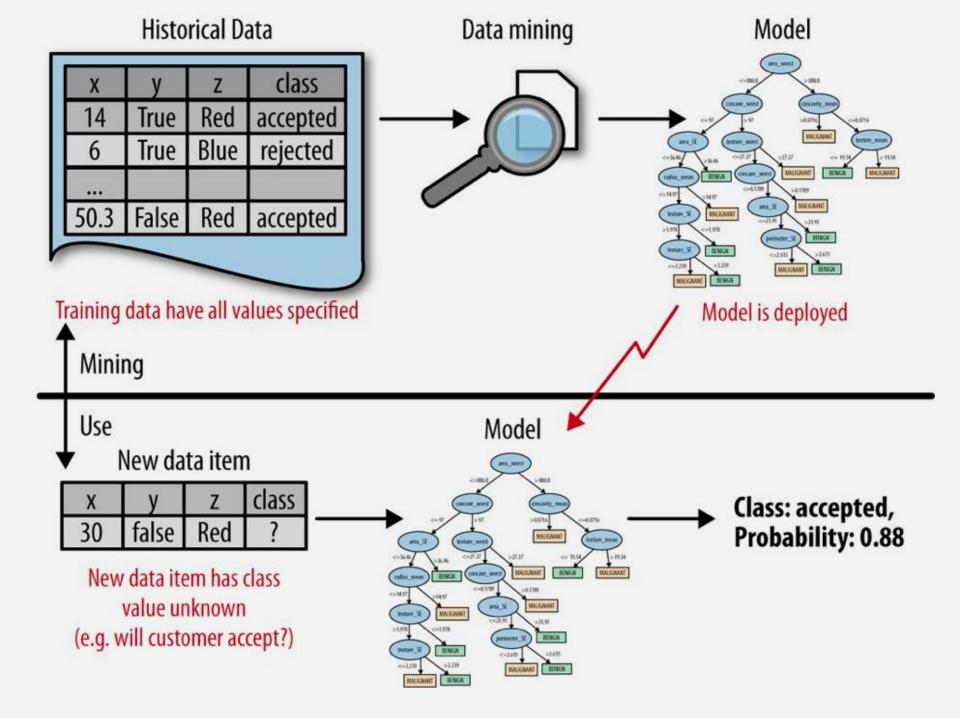


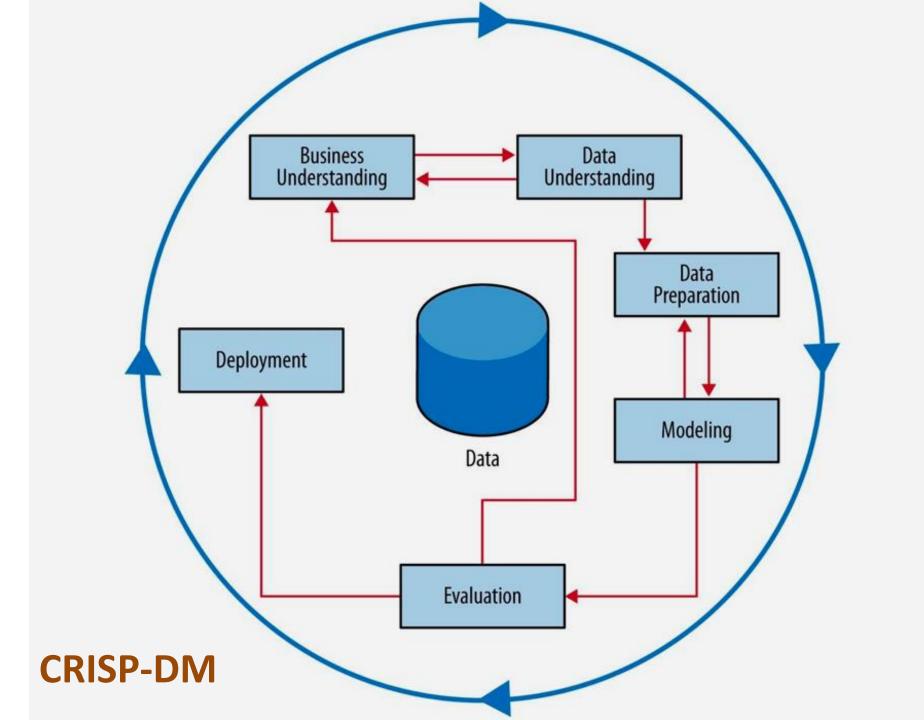
Hadoop, Hbase, MongoDB, SAP HANA

Other positive effects of data processing (e.g., faster transaction processing)

#### Data Science & Data Mining

- Data science is a set of fundamental principles that guide the extraction of knowledge from data.
- Data mining is the extraction of knowledge from data, via technologies that incorporate these principles.





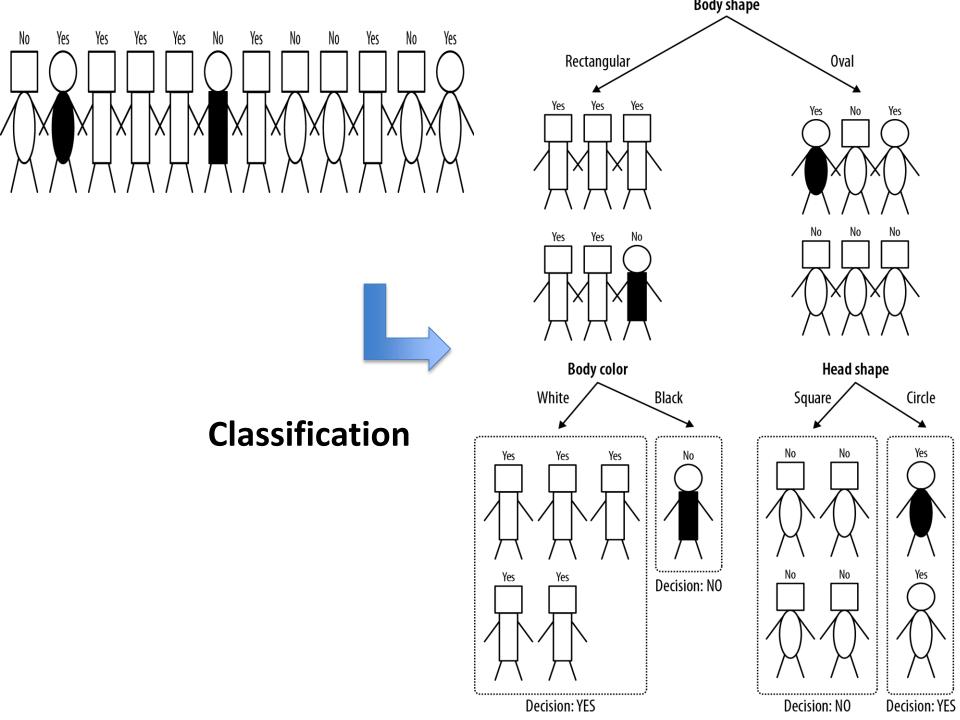
## Modeling

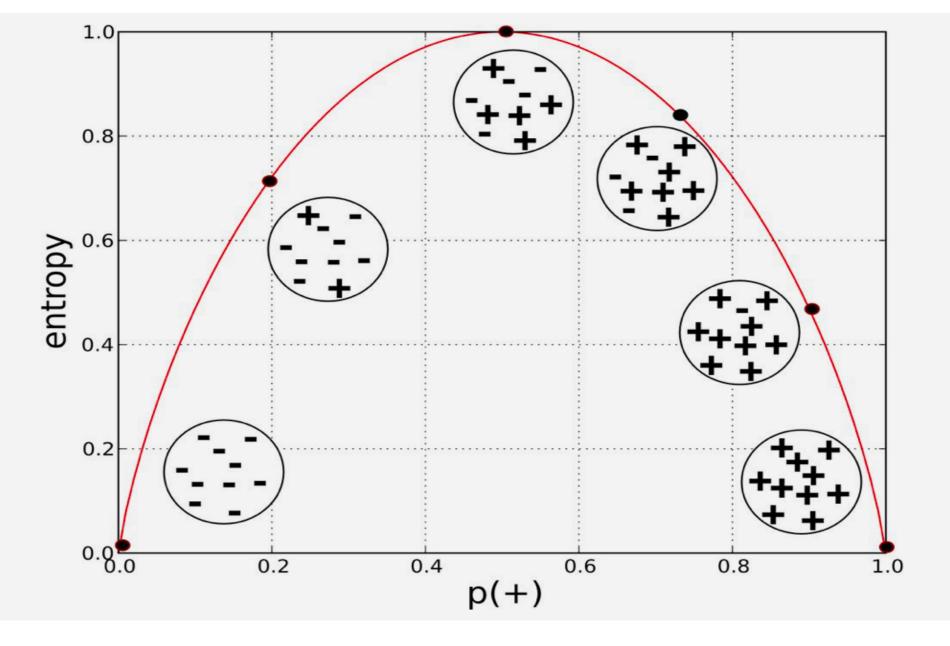
#### Predictive model

- Informative variables
- provide information that reduces uncertainty about something
- Model: simplified representation of reality created to serve a purpose
- A predictive model is a formula for estimating the unknown value of interest. (the formula could be mathematical or a logical statement.)

#### Prediction model

- Classification model
- Class-probability estimation model
- Regression model



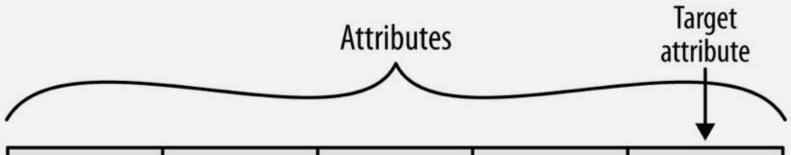


Entropy =  $\sum_{i} -p_{i} \log_{2} p_{i}$ 

### Information gain

- How much pure are the split sets compared to the original set?
- How much an attribute improves entropy?

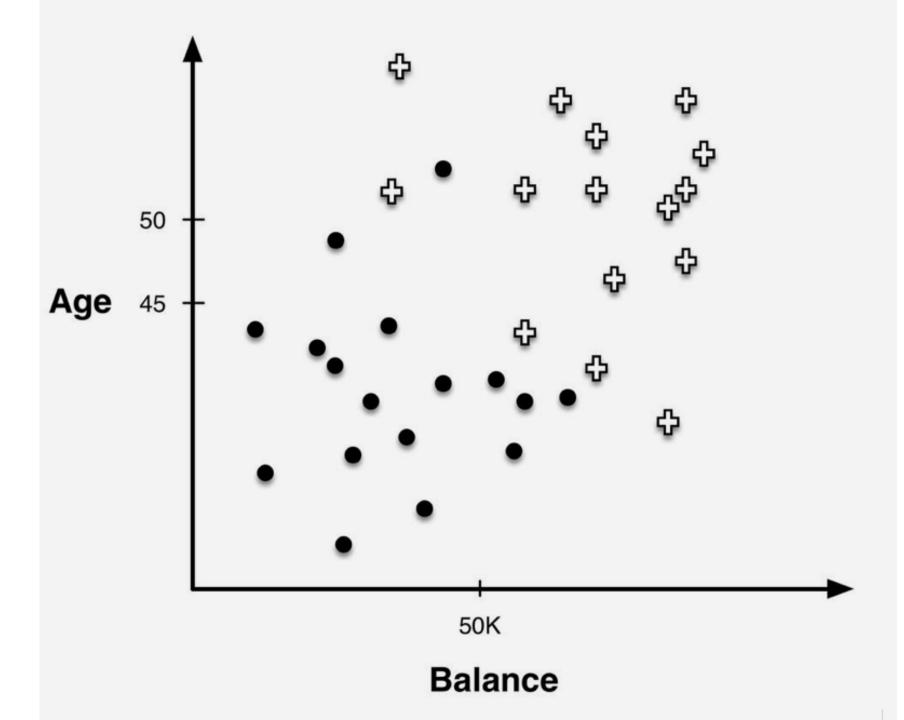
### **Decision Tree**

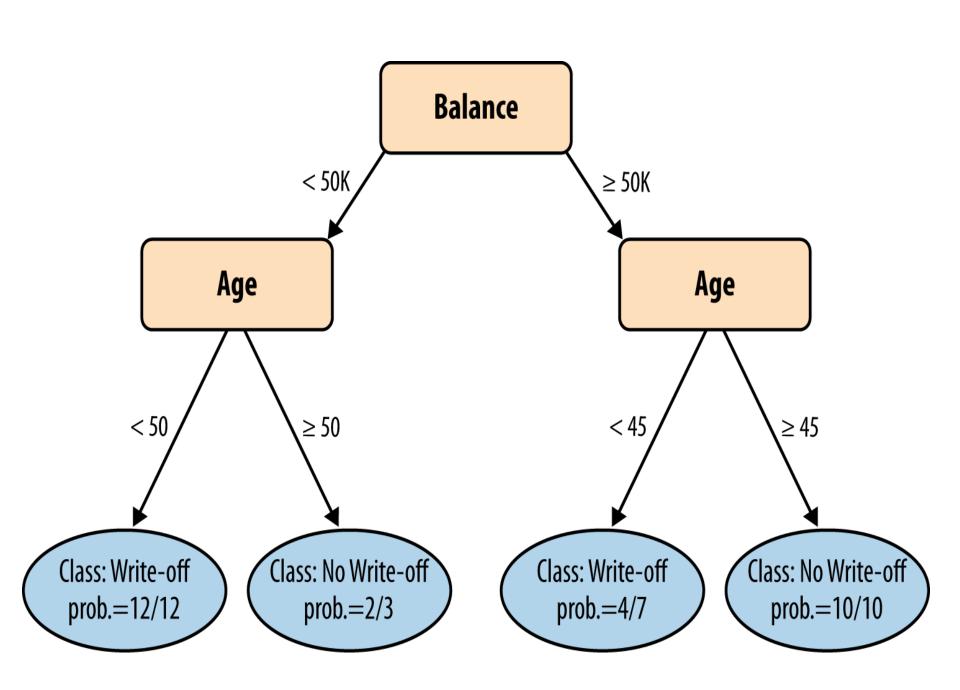


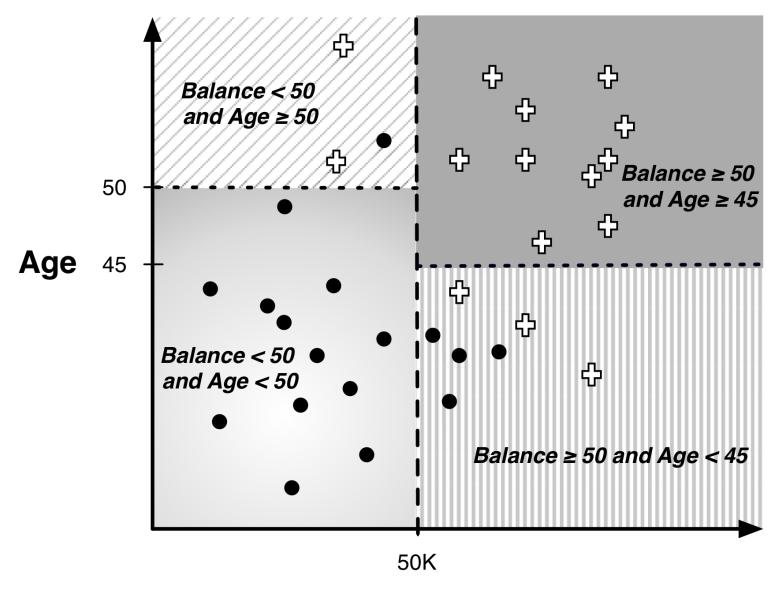
	Name	Balance	Age	Employed	Write-off
	Mike	\$200,000	42	no	yes
	Mary	\$35,000	33	yes	no
•	Claudio	\$115,000	40	no	no
	Robert	\$29,000	23	yes	yes
	Dora	\$72,000	31	no	no

This is one row (example).

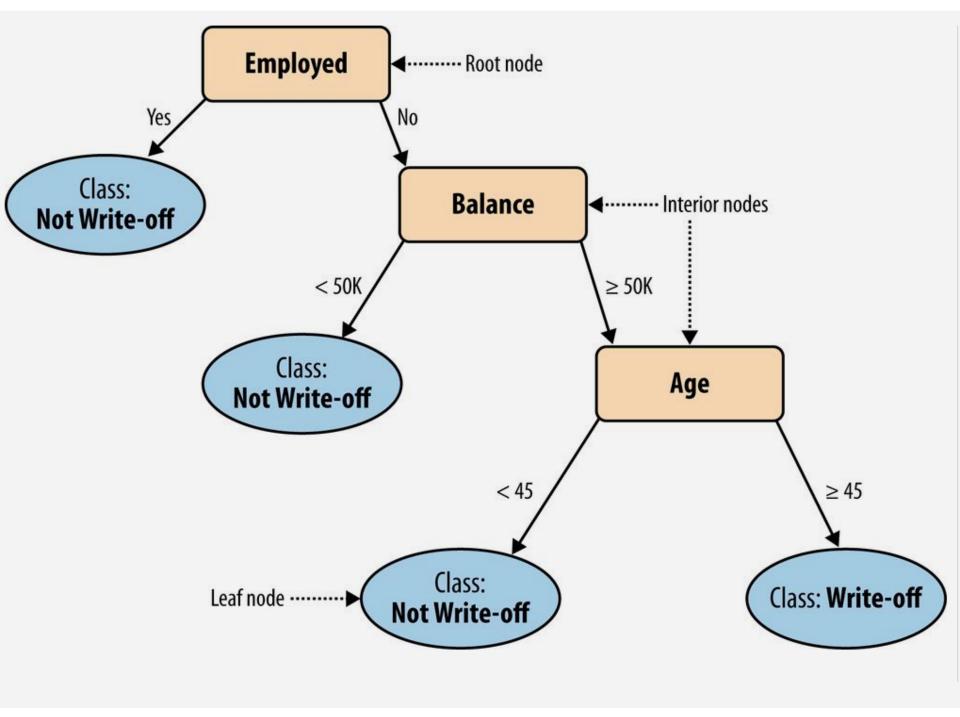
Feature vector is: **<Claudio,115000,40,no>** Class label (value of Target attribute) is **no** 

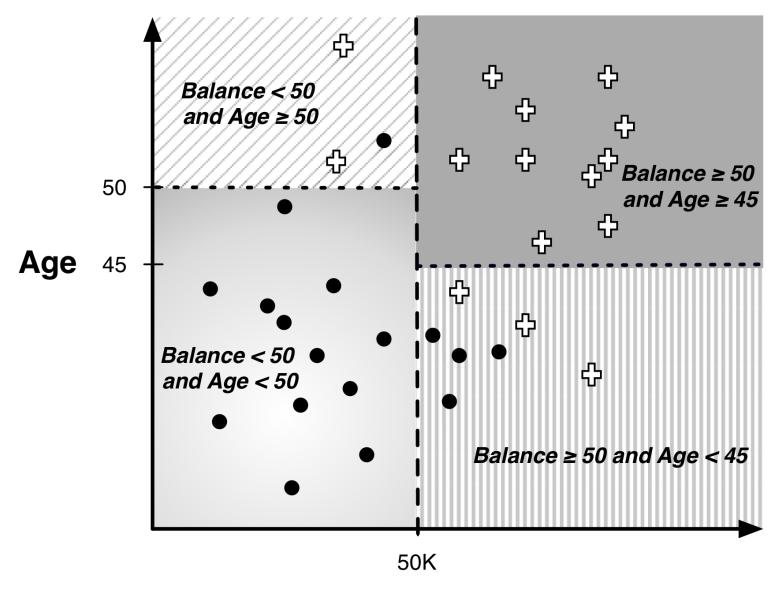






**Balance** 



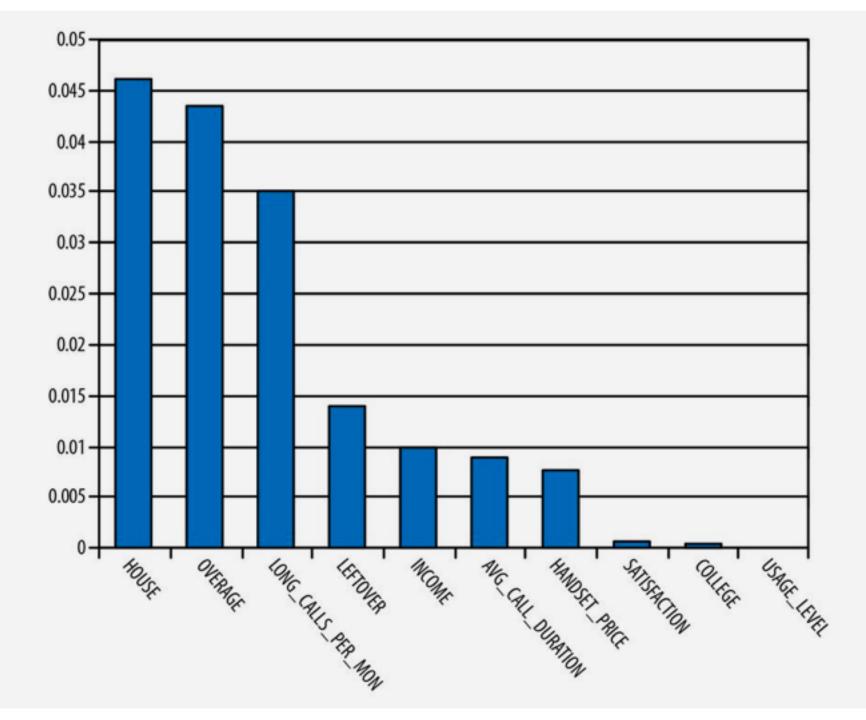


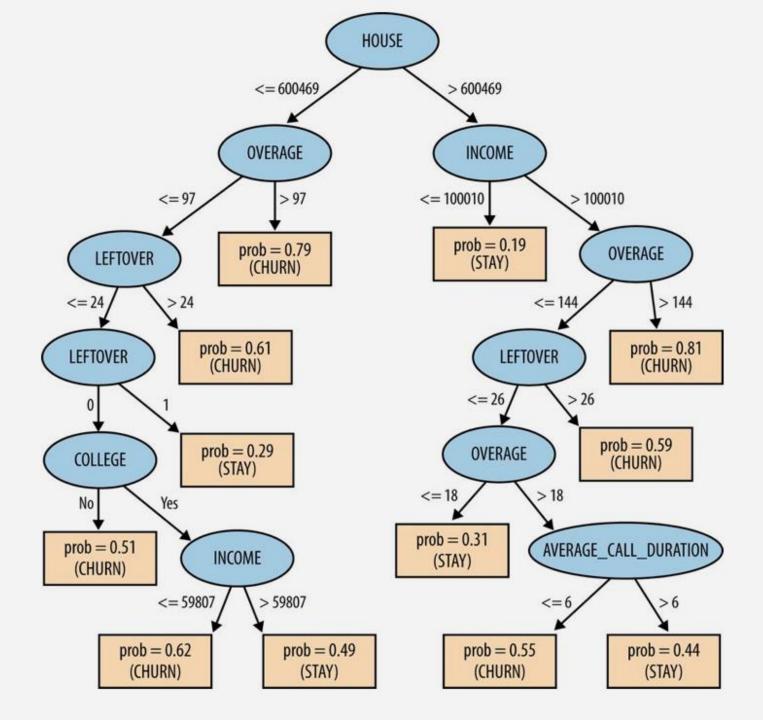
**Balance** 

## Class-probability estimation model

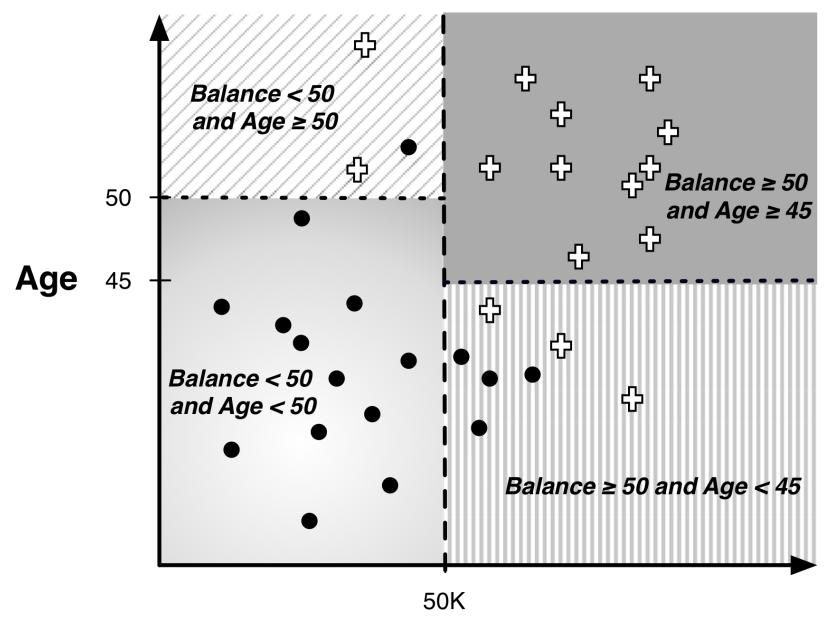
- Frequency-based estimate of class membership probability.
- Laplace correction: to moderate the influence of leaves with only a few instances.

$$p(c) = (n+1)/(n+m+2)$$





#### Linear Model

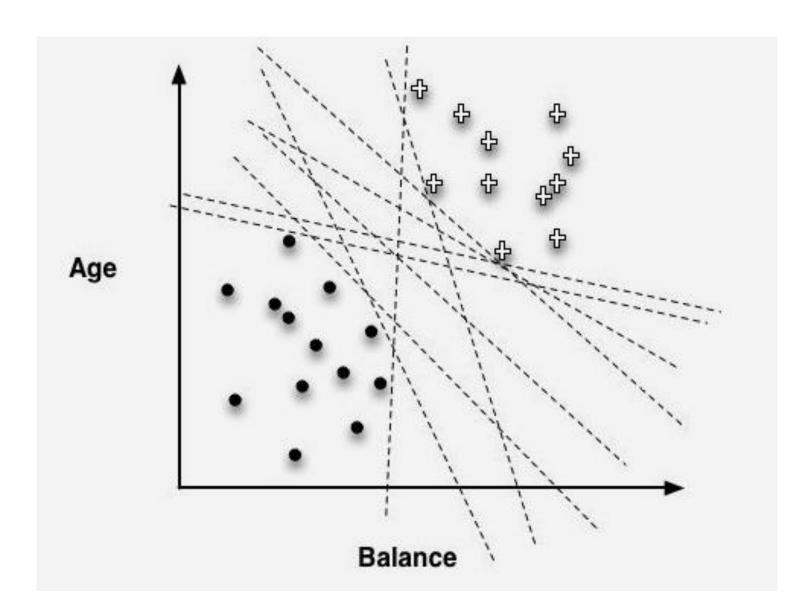


**Balance** 

#### Decision boundary: Age = Balance $\times$ -1.5 + 60 中 中 e 0 中 40 Age 20 20 **Balance**

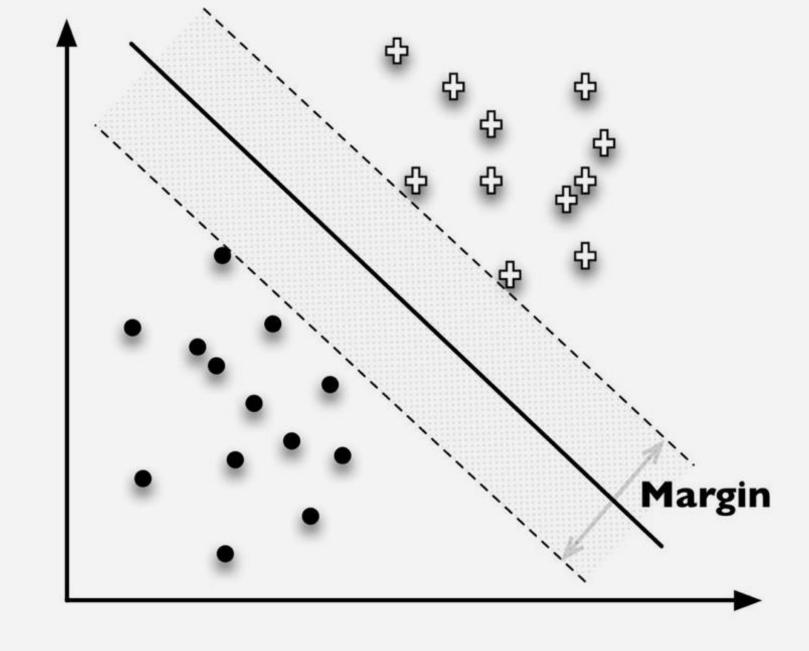
 $f(\mathbf{x}) = 60 - 1.0 \times Age - 1.5 \times Balance$ 

#### Which is the best line to fit the date?



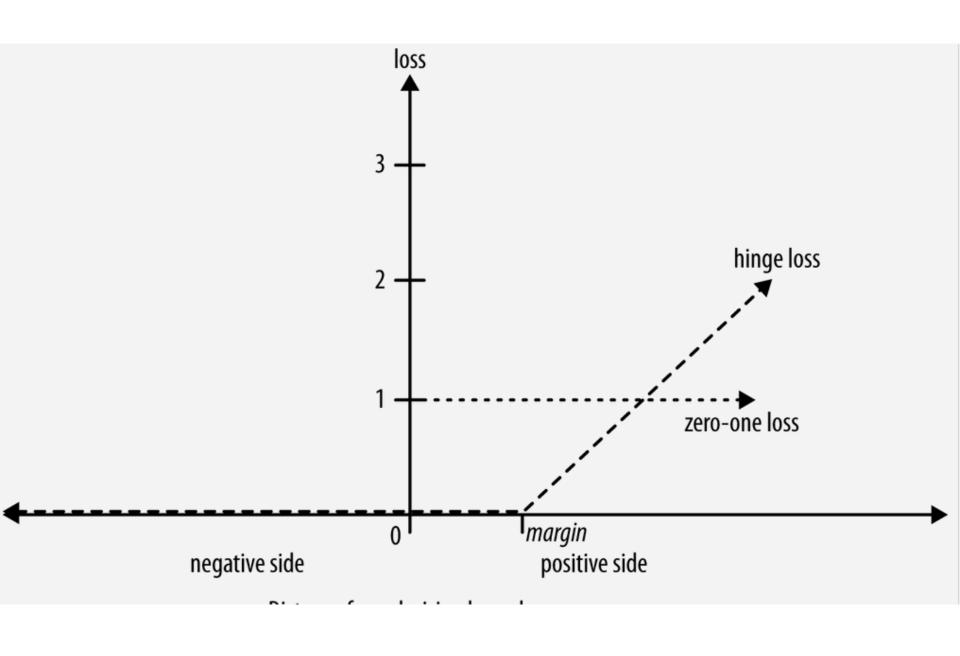
### Objective function

- Linear regression, support vector machines (SVM) and logistic regression are all trying to fit a linear model to data.
- The key difference is that each uses a different objective function.
- Linear regression -> least square
- SVM -> Maximizing the margin
- Logistic regression -> Maximum likehood



Age

**Balance** 



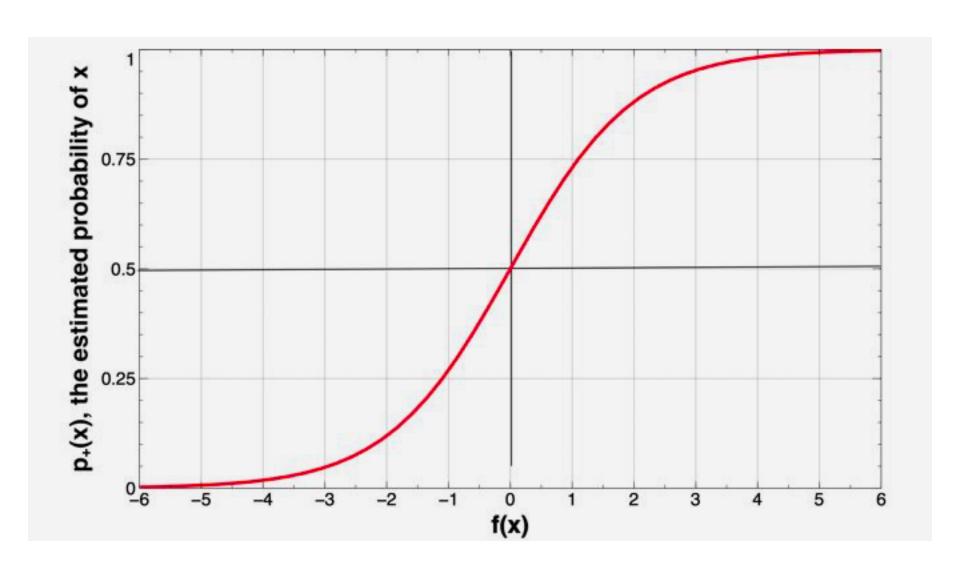
## Class probability estimation

- What is the problem with simply using basic linear model to estimate the class probability?
- f(x) gives the distance from the separating boundary, ranging from  $-\infty$  to  $+\infty$ , while a probability should range from 0 to 1.

Probability	Odds	Log-odds
0.5	50:50 or 1	О
0.9	90:10 or 9	2.19
0.999	999:1 or 999	6.9
0.01	1:99 or 0.0101	-4.6
0.001	1:999 or 0.001001	-6.9

$$\log\left(\frac{p_{+}(\mathbf{x})}{1 - p_{+}(\mathbf{x})}\right) = f(\mathbf{x}) = w_0 + w_1 x_1 + w_2 x_2 + \cdots$$

$$p_{+}(\mathbf{x}) = \frac{1}{1 + e^{-f(\mathbf{x})}}$$



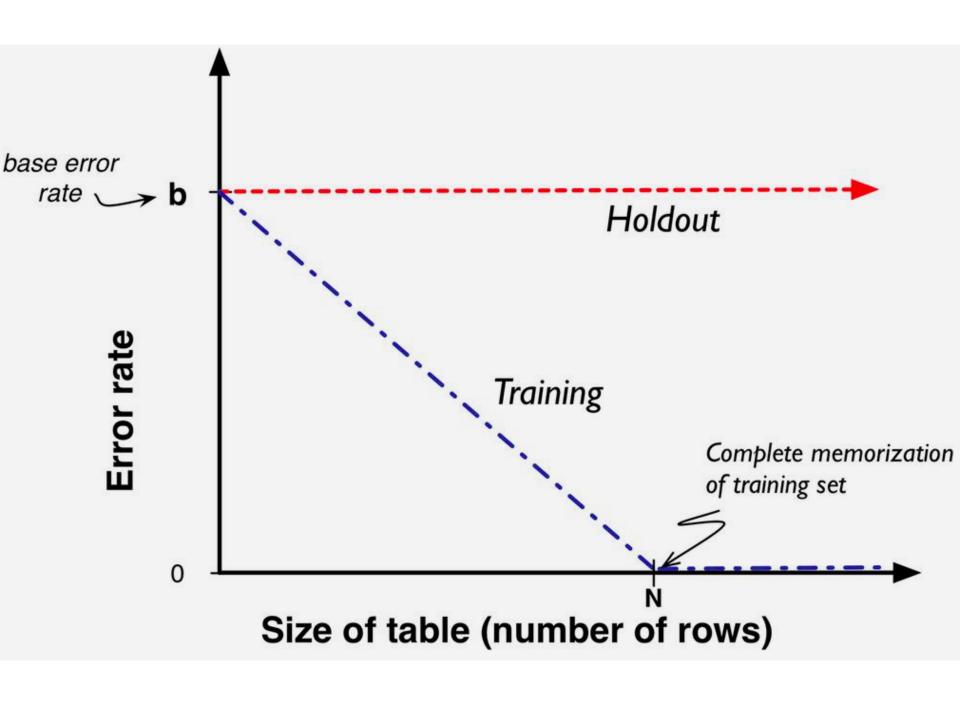
# Objective function for Logistic Regression

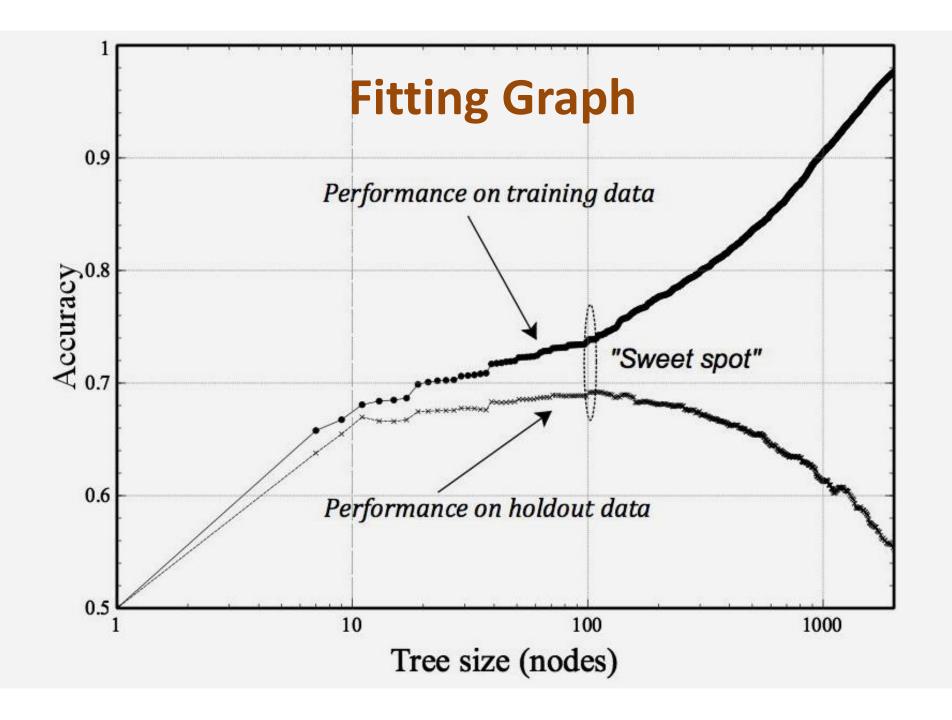
$$g(\mathbf{x}, \mathbf{w}) = \begin{cases} p_{+}(\mathbf{x}) & \text{if } \mathbf{x} \text{ is a } + \\ 1 - p_{+}(\mathbf{x}) & \text{if } \mathbf{x} \text{ is a } \bullet \end{cases}$$

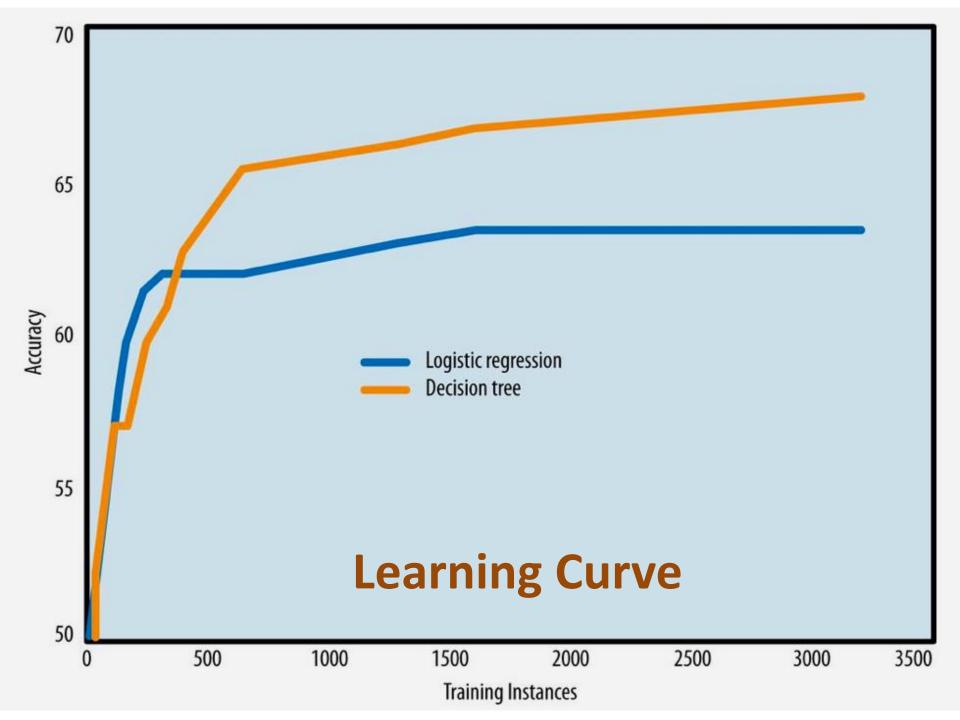
## Overfitting

### Overfitting

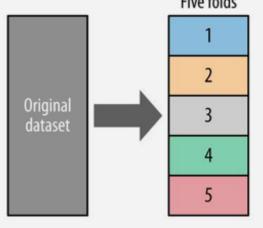
- If we allow ourselves enough flexibility in searching for patterns in a particular dataset, we will find patterns.
- These "patterns" may be just chance occurrences in the data, while we are interested in patterns that generalize – that predict well for instances that we have not yet observed.
- For example, a table model memorizes the training data and performs no generalization.

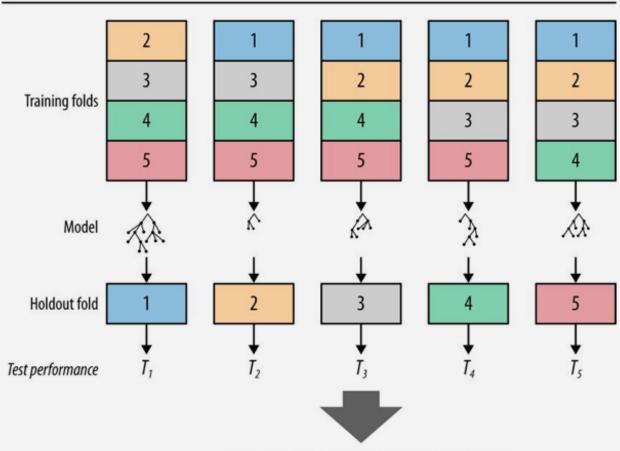






#### **Cross-Validation**





Mean and standard deviation of test sample performance

# What is a good model?

### **Evaluation**

- Classifiers
- Ordering
- Class probability

## Bad Positive & Harmless Negative

- Positive: worthy of attention
- Negative: uninteresting
- A classifier is screening through a large population consisting mostly of negatives and looking for a small number of positive instances.
- The number of mistakes made on negative examples (false positive) may be dominant, though the cost of each mistakes made on positive example (false negative) will be higher.

## Accuracy?

accuracy = Number of correct decisions made Total number of decisions made

## **Confusion Matrix**

	p	n
$\mathbf{Y}$	True positives	False positives
N	False negatives	True negatives

#### Problems with unbalanced classes

- A Tele company has churn rate of 0.01%.
- Is a model with 95% accuracy good?

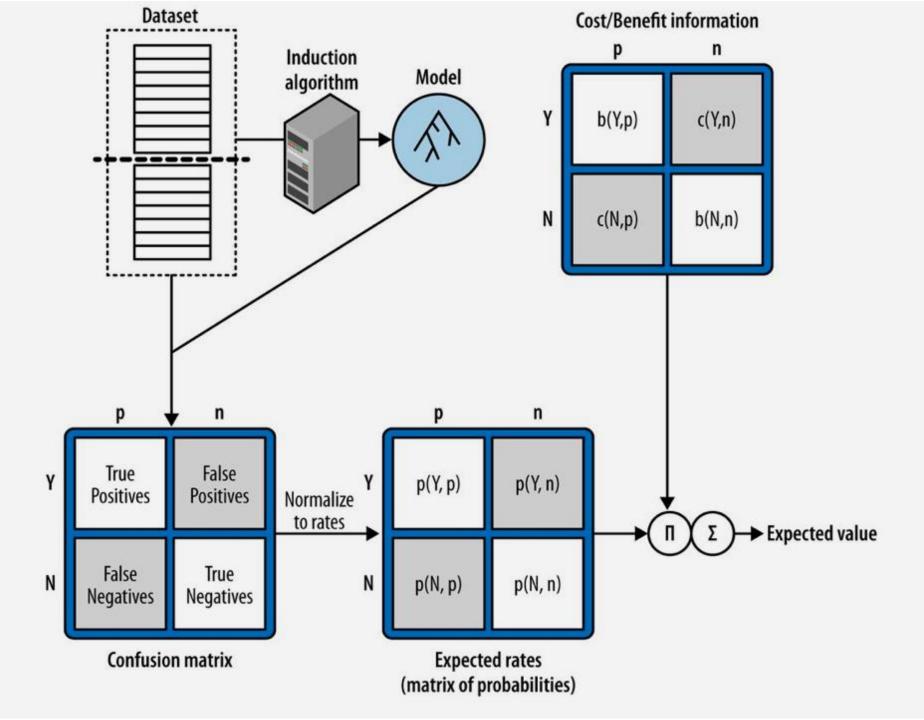
# Problems with unequal costs and benefits

- How much we care about different errors?
   (false negatives & false positives)
- What are the good results for the correct prediction? (true positives & true negatives)
- The expected value is the weighted average of the values from different possible outcomes where the weight to each value is the probability of occurrence.

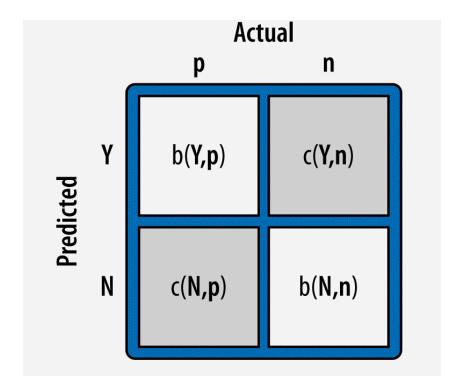
## Example

- Promotion cost: \$1
- Product-related cost: \$100
- Product price: \$150

Who are the customers this campaign should target to make a profit?



	p	n
Y	56	7
N	5	42



T = 110  

$$p(\mathbf{Y},\mathbf{p}) = 56/110 = 0.51$$
  $p(\mathbf{Y},\mathbf{n}) = 7/110 = 0.06$   
 $p(\mathbf{N},\mathbf{p}) = 5/110 = 0.05$   $p(\mathbf{N},\mathbf{n}) = 42/110 = 0.38$ 

Expected profit = 
$$p(\mathbf{Y},\mathbf{p}) \cdot b(\mathbf{Y},\mathbf{p}) + p(\mathbf{N},\mathbf{p}) \cdot b(\mathbf{N},\mathbf{p}) + p(\mathbf{N},\mathbf{n}) \cdot b(\mathbf{N},\mathbf{n}) + p(\mathbf{Y},\mathbf{n}) \cdot b(\mathbf{Y},\mathbf{n})$$

$$p(x, y) = p(y) \cdot p(x \mid y)$$

Expected profit = 
$$p(\mathbf{Y}|\mathbf{p}) \cdot p(\mathbf{p}) \cdot b(\mathbf{Y}, \mathbf{p}) + p(\mathbf{N}|\mathbf{p}) \cdot p(\mathbf{p}) \cdot b(\mathbf{N}, \mathbf{p}) + p(\mathbf{N}|\mathbf{n}) \cdot p(\mathbf{n}) \cdot b(\mathbf{N}, \mathbf{n}) + p(\mathbf{Y}|\mathbf{n}) \cdot p(\mathbf{n}) \cdot b(\mathbf{Y}, \mathbf{n})$$

Expected profit = 
$$p(\mathbf{p}) \cdot [p(\mathbf{Y}|\mathbf{p}) \cdot b(\mathbf{Y},\mathbf{p}) + p(\mathbf{N}|\mathbf{p}) \cdot b(\mathbf{N},\mathbf{p})] \cdot p(\mathbf{n}) \cdot [p(\mathbf{N}|\mathbf{n}) \cdot b(\mathbf{N},\mathbf{n}) + p(\mathbf{Y}|\mathbf{n}) \cdot b(\mathbf{Y},\mathbf{n})]$$

#### **Correct & Error Rate**

- True positive rate
- True negative rate
- False positive rate
- False negative rate

#### **Correct & Error Rate**

When the instance is actually positive

- True positive rate
- False negative rate

When the instance is actually negative

- True negative rate
- False positive rate

T = 110	
P = 61	N = 49
$p(\mathbf{p}) = 0.55$	$p(\mathbf{n}) = 0.45$
$tp \ rate = 56/61 = 0.92$	fp rate = 7/49 = 0.14
$fn \ rate = 5/61 = 0.08$	$tn \ rate = 42/49 = 0.86$

# Sensitivity & Specificity

• Sensitivity: 有病者被檢出為有病的機率 (true positive rate)

有病者: TP + FN

Sensitivity 高 = FN 低, 即 false negative 少, 只要是檢驗結果是negative, 沒病機率高

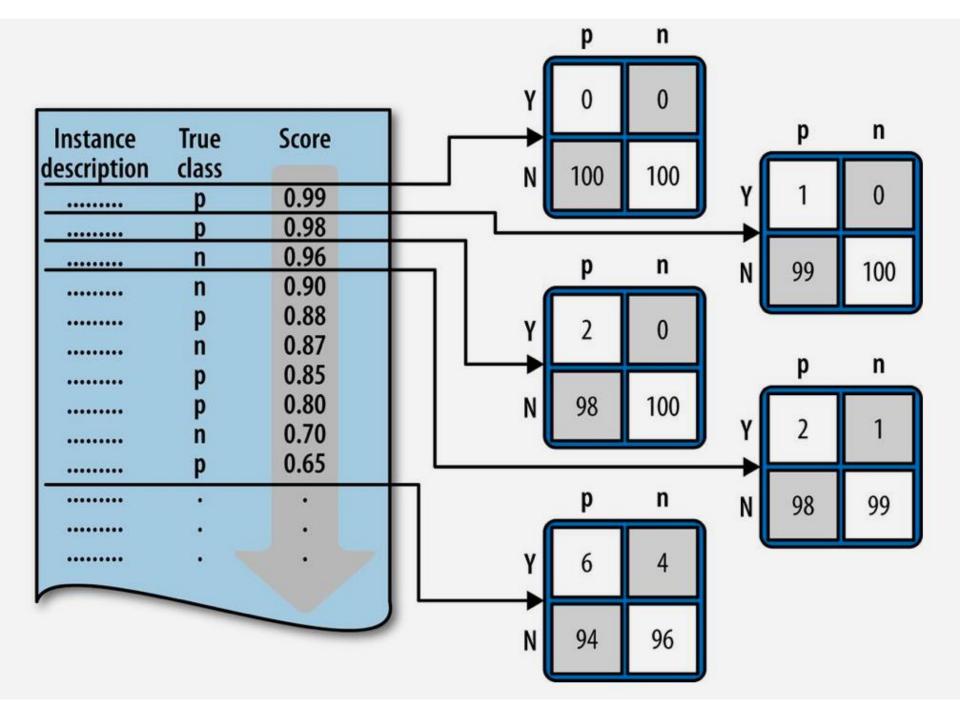
• Specificity: 沒病者被檢出為沒病的機率

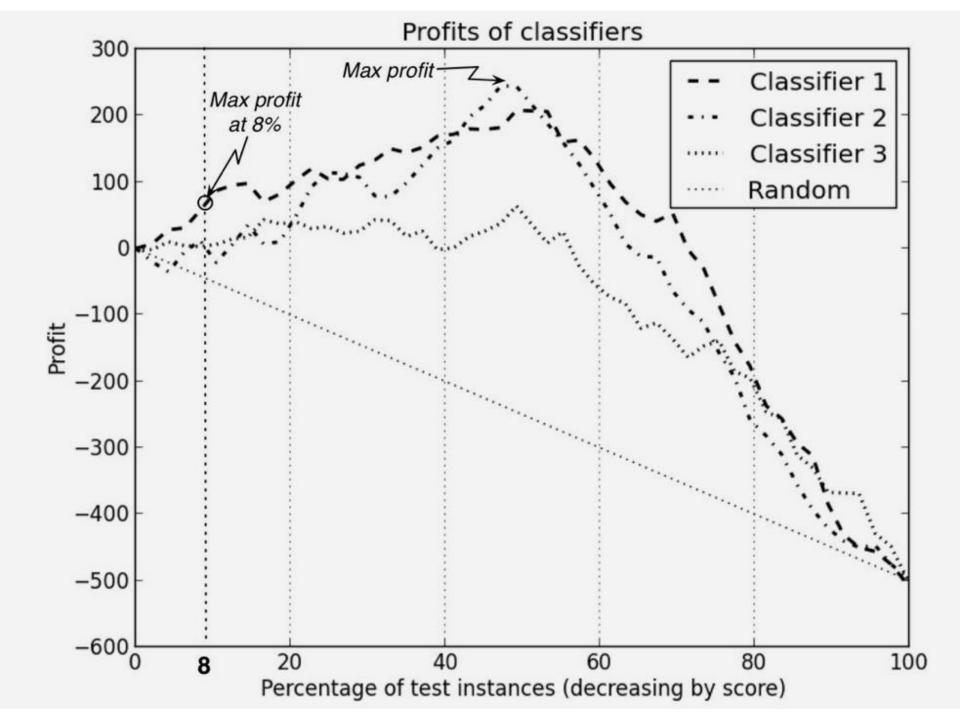
沒病者: TN + FP

Specificity 高 = FP低, 即 false positive 少,只要是檢驗結果是positive, 有病機率高

### **Evaluation**

- Classifiers
- Ordering
- Class probability





# Which model do you choose?

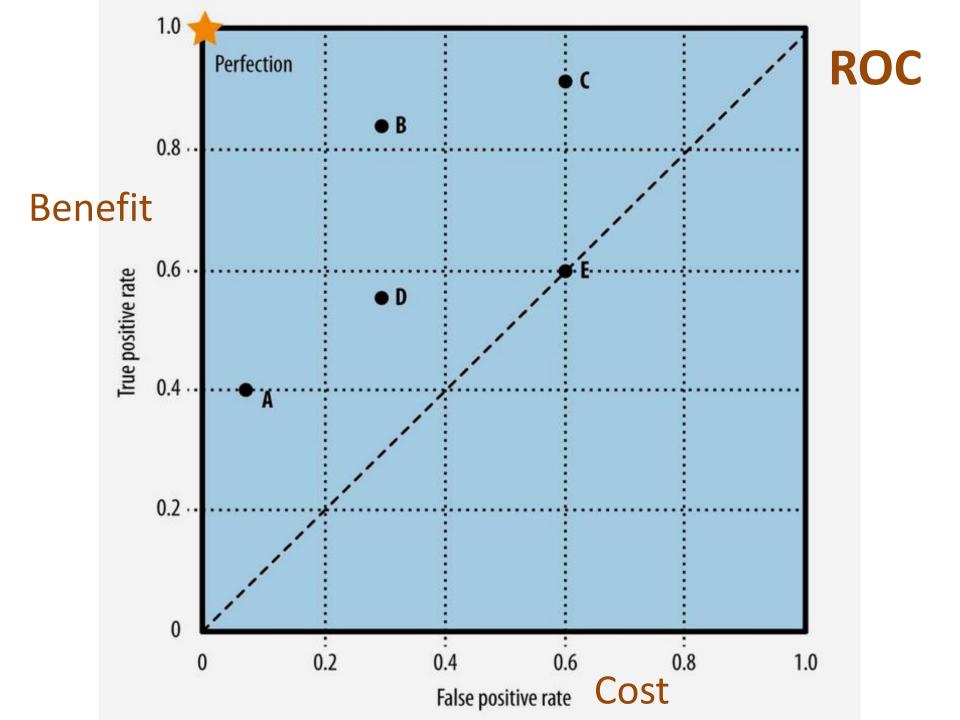
If you have unlimited budget

 If you have 100,000 customers and \$40,000 budget (each offer costs \$5)

# Limits of profit curve

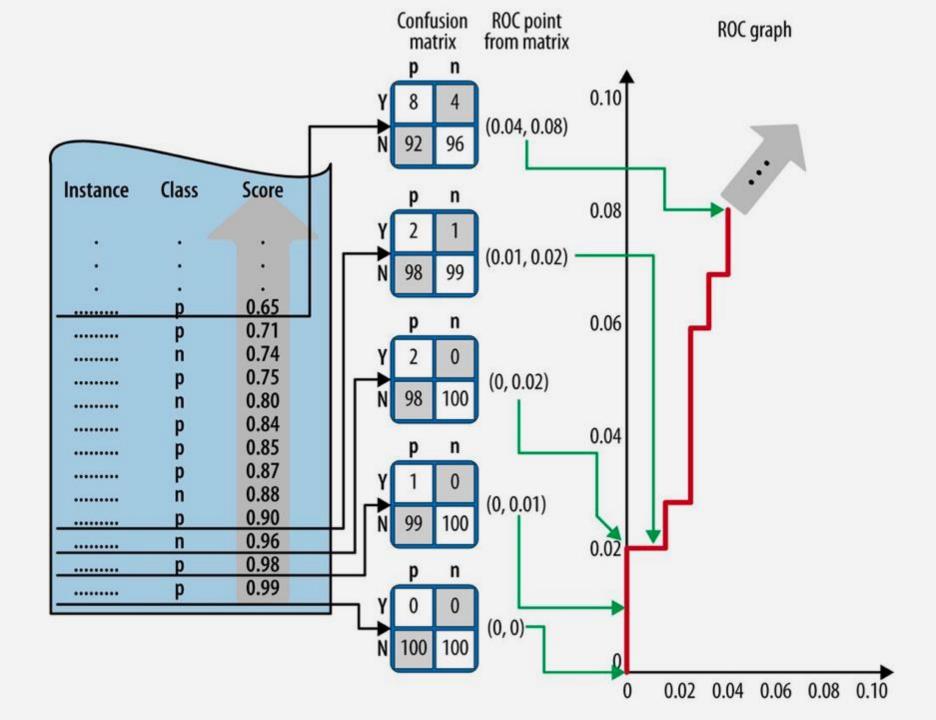
The class priors p(p) & p(n)

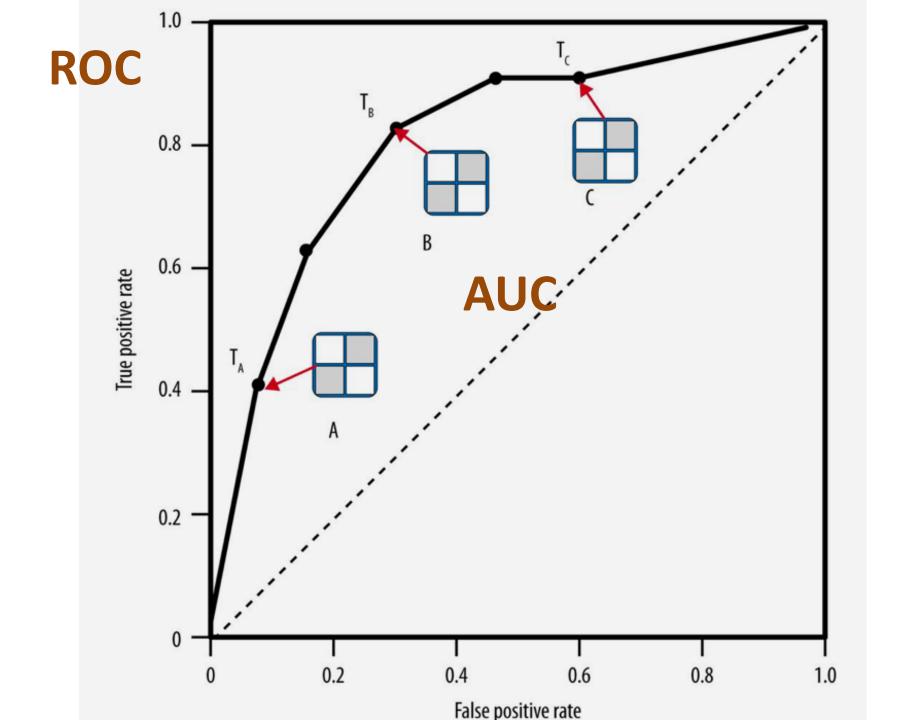
The costs and benefits

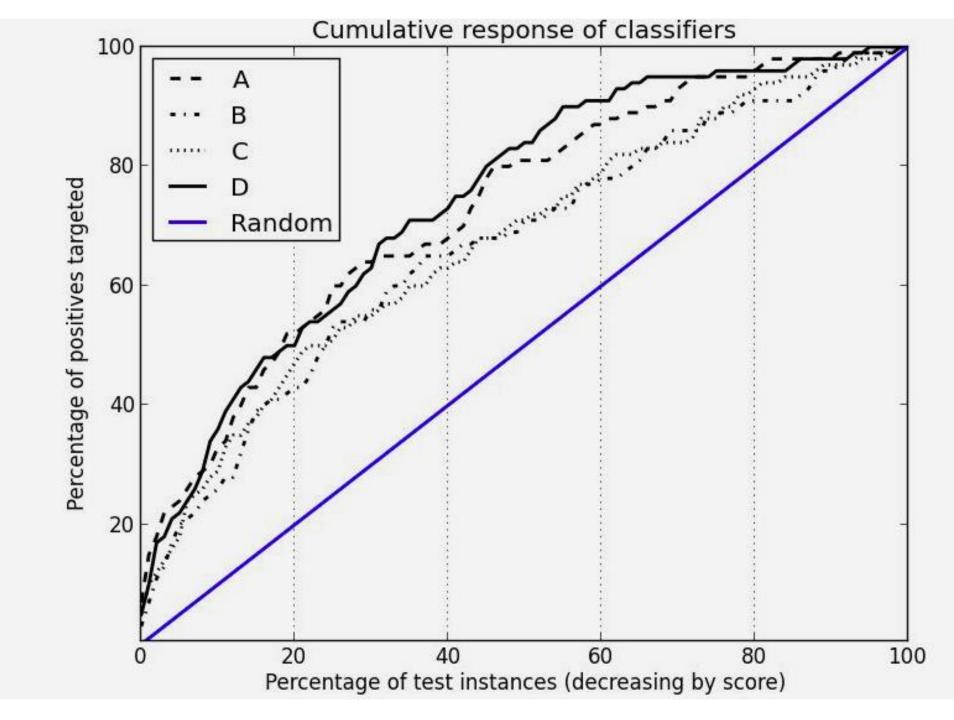


#### ROC

- (0,0): never issuing a positive
- (1,1): unconditionally issuing positives
- (1,0): perfect classification
- (0.5,0.5): guessing positive 50% of the time
- (0.9,0.9): guessing positive 90% of the time
- Many real-world domains are dominated by negative cases, so the performance in the far lefthand side of the ROC graph is more interesting than elsewhere.

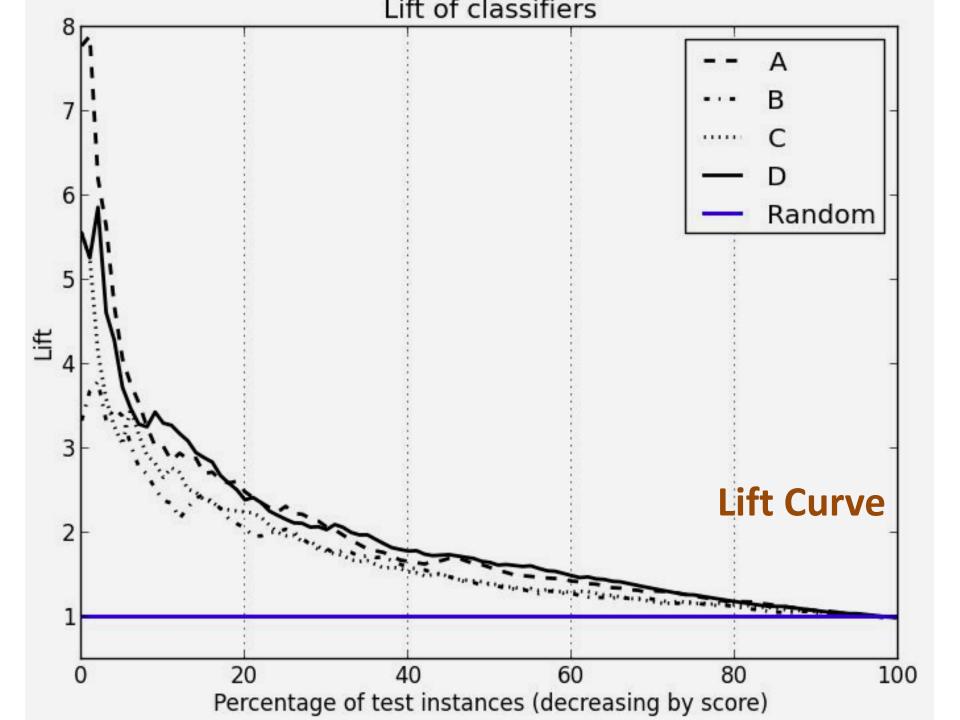






#### Lift Curve

- The lift of a classifier represents the advantage it provides over random guessing.
- Consider a list of 100 customers, half of them are positive instances. If you scan down the list and stop halfway.....
- If the list is sorted randomly, you would expect to see only half the positives. (a lift of 1).
- If the classifier is perfect, the lift is 2.
- Unlike for ROC curves, the lift curve assumes that the test set has exactly the same target class priors as the population to which the model will be applied.



**Business Problems and Analysis Tasks** 

# Data-Analytic Thinking

- Business problems rarely are classification problems, regression problems or clustering problems.
- View business problems from a data perspective with structure and principles to guide you to the solutions.
- Bring together intuition, creativity, common sense and domain knowledge.

# Targeting the best prospects for a charity mailing

- Would we want to model the probability of responding to the offer for each prospective donor.
- Would we like to maximize the total amount of donations? (the amount for this campaign or for the lifetime)
- Would we like to maximize the total amount of profit?

Expected benefit of targeting =  $p(R \mid \mathbf{x}) \cdot v_R + [1 - p(R \mid \mathbf{x})] \cdot v_{NR}$ 

Expected benefit of targeting =  $p(R \mid \mathbf{x}) \cdot v_R(\mathbf{x}) + [1 - p(R \mid \mathbf{x})] \cdot v_{NR}(\mathbf{x})$ 

$$p(R \mid \mathbf{x}) \cdot (d_R(\mathbf{x}) - c) + [1 - p(R \mid \mathbf{x})] \cdot (-c) > 0$$

$$p(R \mid \mathbf{x}) \cdot d_R(\mathbf{x}) - p(R \mid \mathbf{x}) \cdot c - c + p(R \mid \mathbf{x}) \cdot c > 0$$

$$p(R \mid \mathbf{x}) \cdot d_R(\mathbf{x}) - p(R \mid \mathbf{x}) \cdot c - c + p(R \mid \mathbf{x}) \cdot c > c$$

#### **Selection Bias**

- The data we are using to build the model may well be biased – meaning that they are selected randomly from the population to which you intend to apply the model.
- The data are from past donation from the individual who did respond in the past.
- Some people may donate \$10 each and every time they're asked. Others may give \$100 and then feel they need not donate for a while.

# Targeting the offer to customers who would churn when their contracts expire

- Do we really want to target our offer to those with the highest probability of defection?
- Targeting those with the highest value?
- Targeting those whom we would lost the most value If they were to leave.
- Assessing the expected benefit of not targeting.

$$EB_T(\mathbf{x}) = p(S \mid \mathbf{x}, T) \cdot (u_s(\mathbf{x}) - c) + [1 - p(S \mid \mathbf{x}, T)] \cdot (u_{NS}(\mathbf{x}) - c)$$

$$EB_{notT}(\mathbf{x}) = p(S \mid \mathbf{x}, notT) \cdot u_s(\mathbf{x}) + [1 - p(S \mid \mathbf{x}, notT)] \cdot u_{NS}(\mathbf{x})$$

$$VT = p(S \mid \mathbf{x}, T) \cdot u_S(\mathbf{x}) - p(S \mid \mathbf{x}, notT) \cdot u_S(\mathbf{x}) - c$$

$$= [p(S \mid \mathbf{x}, T) - p(S \mid \mathbf{x}, notT)] \cdot u_S(\mathbf{x}) - c$$

$$= \Delta(p) \cdot u_S(\mathbf{x}) - c$$

# Competitive Advantage

### Differences

- Netflix vs. Blockbuster
- Amazon vs. Barnes & Noble
- Amazon vs. eBay

# Sustaining competitive advantages via data science

- Data and data science capabilities are assets to every company? (Web to Dell vs. Web to Compaq)
- Your competitors enjoy the same value from these assets?
- Formidable historical advantage; unique intellectual property; complementary assets

#### **KSF**

- Data and the capability to extract useful knowledge from data should be regarded as key strategic assets.
- Management must think data-analytically
- Management must create a culture to nurture data science and data scientists

# The material is excerpted from "Data Science for Business" Foster Provost and Tom Fawcett