(not (j=(+ (f (x1) (0)) (* (- (1)) (x3))) (- (1)))))		
Proof/Definition of all		
(not (
Proof/Definition of a!2		
(= (:= (f (x1) (0)) (x3)) (:= (+ (f (x1) (0)) (* (- (1)) (x3))) (0)))		
Proof/Definition of al3		
$\frac{-}{else}$ definition $\frac{-}{else}$ accorted		
something asserted		
Proof/Definition of a!5		
(= (-(x3) (f(x1) (0))) (+(x3) (*(-(1)) (f(x1) (0)))))		
Proof/Definition of a!6		
$(\xi = (+ (x3) (* (- (1)) (f (x1) (0)))) (1))$		
Proof/Definition of a!7		
(= (+ (x3) (* (- (1)) (f (x1) (0)))) (+ (* (- (1)) (f (x1) (0))) (x3)))		
Proof/Definition of a!9		
(i) = (i)		
Proof/Definition of a!10 —— definition		
$\frac{else}{else} \text{asserted} \frac{else}{else} \text{rewrite} \text{definition}$		
something $something$ $else$		
$\frac{1}{something}$ mp		
Proof/Definition of al4		
(=(:= (-(x3) (f(x1) (0))) (1)) (a!7))		
Proof/Definition of a!8		
(= (a!10) (j= (+ (f (x1) (0)) (* (- (1)) (x3))) (- (1))))		
Proof/Definition of all11		
(= (a!7) (j= (+ (f (x1) (0)) (* (- (1)) (x3))) (- (1))))		
Proof/Definition of a!12 definition	— definition	
alaa	else	
$\frac{etse}{something}$ rewrite ${else}$ definition	$\frac{else}{something}$ rewrite ${else}$ definition ${else}$ definition	
$\frac{1}{else}$ definition $\frac{something}{something}$ monotonicity $\frac{1}{else}$ definition	$\frac{1}{something} = \frac{eise}{something}$ monotonicity $\frac{eise}{something}$ rewrite $\frac{1}{else}$ definition	
mp	trans	— definition
something	something	$\frac{else}{}$ mp
	something	r
Proof/Definition of a!13 —— definition		
<u>else</u> th-lemma — definition — definition — definition		
$something \qquad \qquad else \qquad \qquad else \qquad \qquad else \qquad \qquad \qquad else \qquad \qquad \qquad else \qquad \qquad \qquad else \qquad else \qquad \qquad else $		
something unit-resolu	ation	
эотсыыцу		