

Memory for cardinality supports a non-relational account of conservativity

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ELM 1 @ UPenn

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The conservativity constraint

Three potential explanations

Testing their predictions

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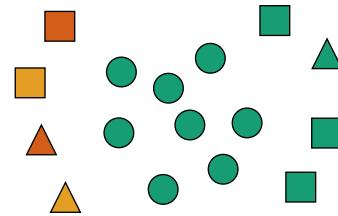
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Natural language determiners are “conservative”

(Barwise & Cooper 1981; Higginbotham & May 1981; Keenan & Stavi 1986)

every circle is green ==

every circle is a circle that is green



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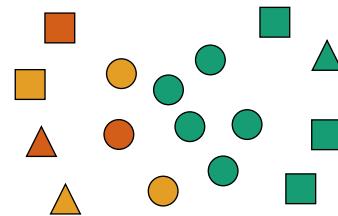
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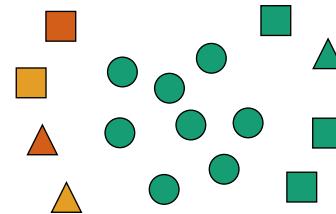
every *circle* is green ==

every *circle* is a *circle* that is green

A determiner **DET** is conservative iff

(1) [[DET N(P)] PRED] ==

(2) [[DET N(P)] [be N(P) that PRED]]



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We can imagine DETs that are not conservative

equi *circles* are green

≈ the circles are equinumerous with
the green things

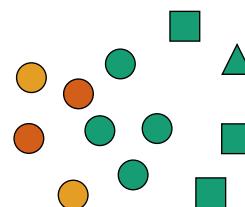
(TRUE; 8=8)

=/=

equi *circles* are *circles* that are green

≈ the circles are equinumerous with
the circles that are green

(FALSE; 8≠4)



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We can imagine DETs that are not conservative

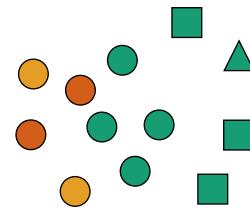
yreve circles are green

\approx the circles include all green things
(FALSE; green non-circles)

=/=

yreve circles are circles that are green

\approx the circles include all circles that are green
(TRUE; only circles are green circles)



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The conservativity constraint

$[[\text{DET } \text{N(P)}] \text{ PRED}] ==$

$[[\text{DET } \text{N(P)}] [\text{be } \text{N(P)} \text{ that PRED}]]$

every, most, ...

yreve, equi, ...

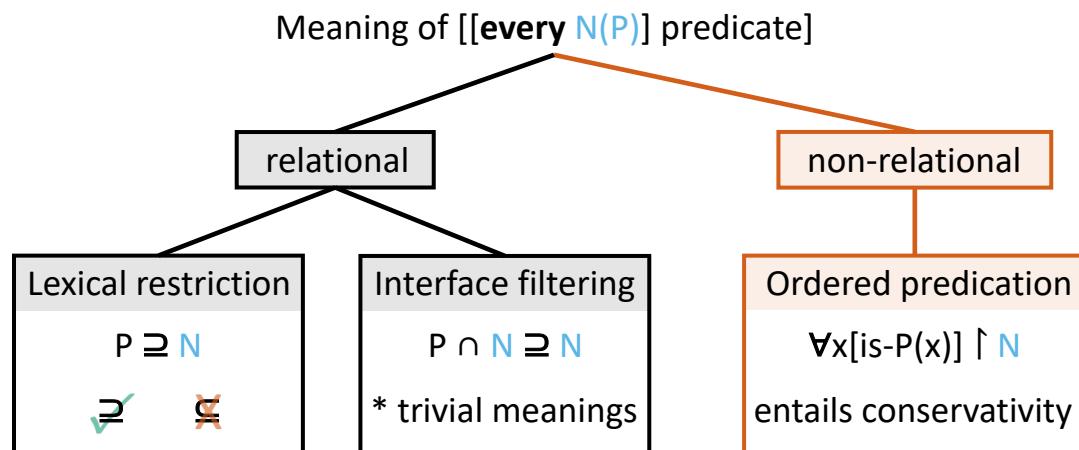
Three potential explanations

Testing their predictions

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Three views of conservativity



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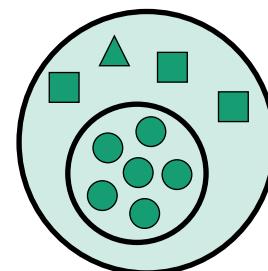
Proposal 1: Lexical restriction

(Keenan & Stavi 1986)

Determiners express relations between sets

(Barwise & Cooper 1981)

every *circle* is green \equiv GREEN-THINGS \supseteq CIRCLES



But only some relations make good DET meanings

$\supseteq(\text{PRED}, \text{NP})$
MOST(PRED, NP)
AT-LEAST-FOUR(PRED, NP)
...

$\subseteq(\text{PRED}, \text{NP})$ ← Meaning of **yreve**
 $=(\text{PRED}, \text{NP})$
EQUAL-IN-NUMBER(PRED, NP)
...

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Proposal 2: Interface filtering

(Romoli 2015; Chierchia 1995; Fox 2002; Sportiche 2005)

[[**Every** circle is green]]

$\equiv_{LF} [\text{every circle } \text{[every circle is green]}]$ (QR & Trace conversion)
 $\approx \text{GREEN-THINGS} \cap \text{CIRCLES} \supseteq \text{CIRCLES}$

[[**Equi** circles are green]]

$\approx |\text{GREEN-THINGS} \cap \text{CIRCLES}| = |\text{CIRCLES}|$

TC = *every!*

[[**Yreve** circle is green]]

$\approx \text{GREEN-THINGS} \cap \text{CIRCLES} \subseteq \text{CIRCLES}$
(always TRUE)

* Trivial meanings

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Proposal 3: Ordered predication

(Pietroski, 2005; 2018)

[[**Every** circle is green]]

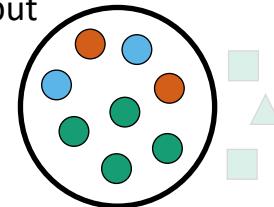
$\equiv_{LF} [\text{every circle } \text{[every circle is green]}]$ (QR)
 $\approx \forall x[\text{is-green}(x)] \upharpoonright \text{CIRCLES}$ (First argument sets domain)

All conservative determiners stateable in this way, but

non-conservative determiners are not (Westerståhl, 2019)

[[**Equi** circle is green]]

$\approx \exists x[\text{green}(x)] \upharpoonright \text{CIRCLES}$
(intended: $|\text{CIRCLES}| = |\text{GREEN-THINGS}|$)



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The conservativity constraint

$[[\text{DET } \text{N}(\text{P})] \text{ PRED}] ==$
 $[[\text{DET } \text{N}(\text{P})] [\text{be } \text{N}(\text{P}) \text{ that PRED}]]$

every, most, ...

yreve equi, ...

Three potential explanations

Lexical restriction

$$\text{P} \supseteq \text{N}$$

Interface filtering

$$\text{P} \cap \text{N} \supseteq \text{N}$$

Ordered predication

$$\forall x[\text{is-P}(x)] \upharpoonright \text{N}$$

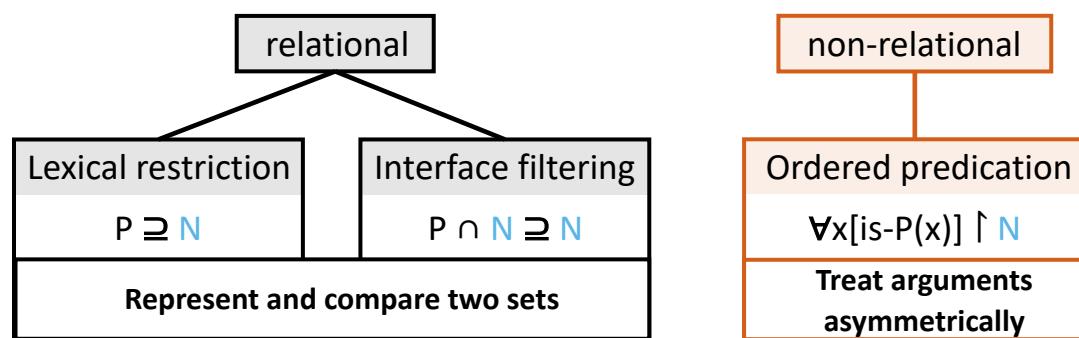
Testing their predictions

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Testing predictions of the three views

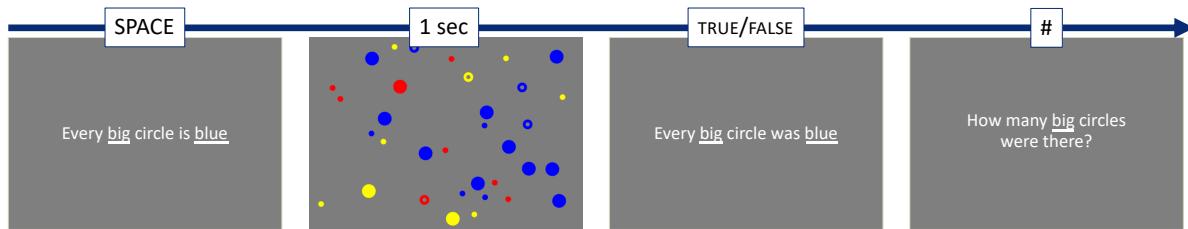
Linking hypothesis: in understanding a declarative sentence, people are biased toward verification strategies that directly compute the relations & operations expressed by the semantic representation under evaluation (Lidz et al. 2011)



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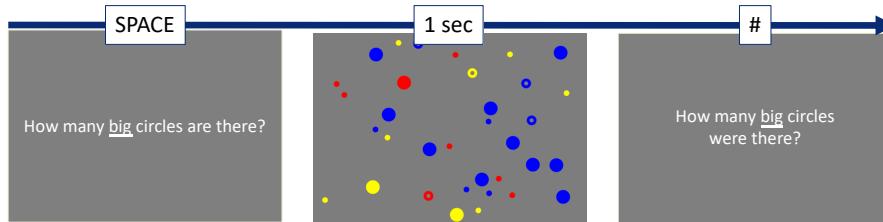
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Which set(s) do participants represent?



#-knowledge on T/F task

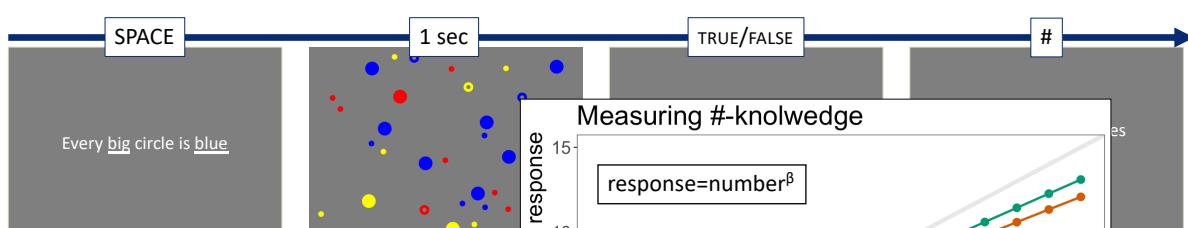
#-knowledge on baseline task



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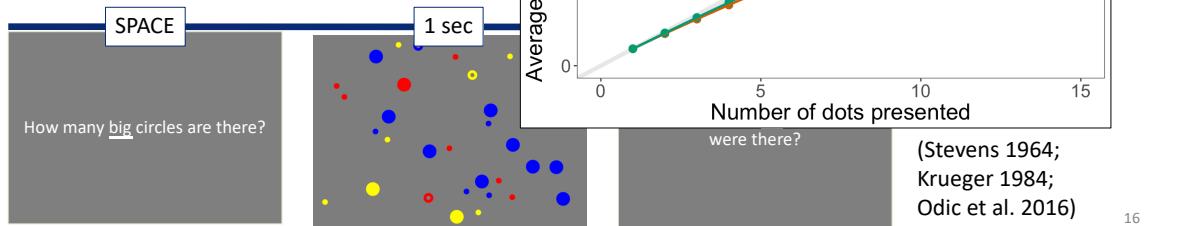
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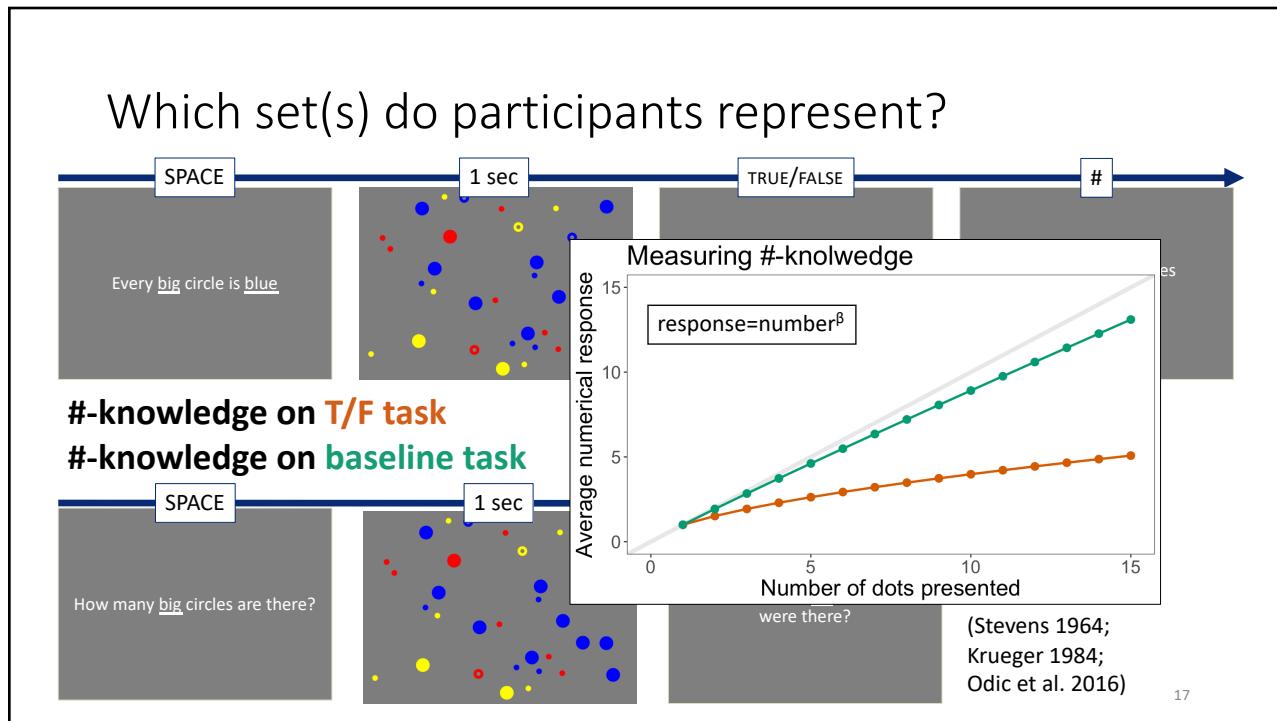


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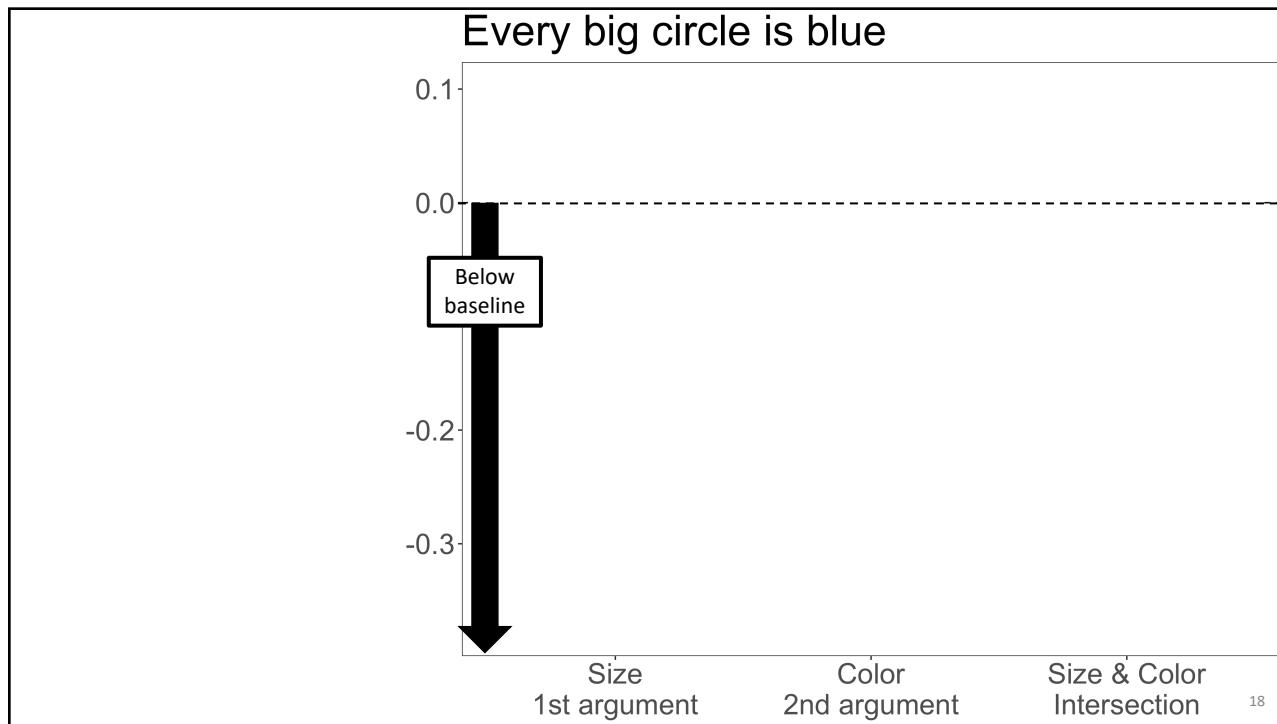
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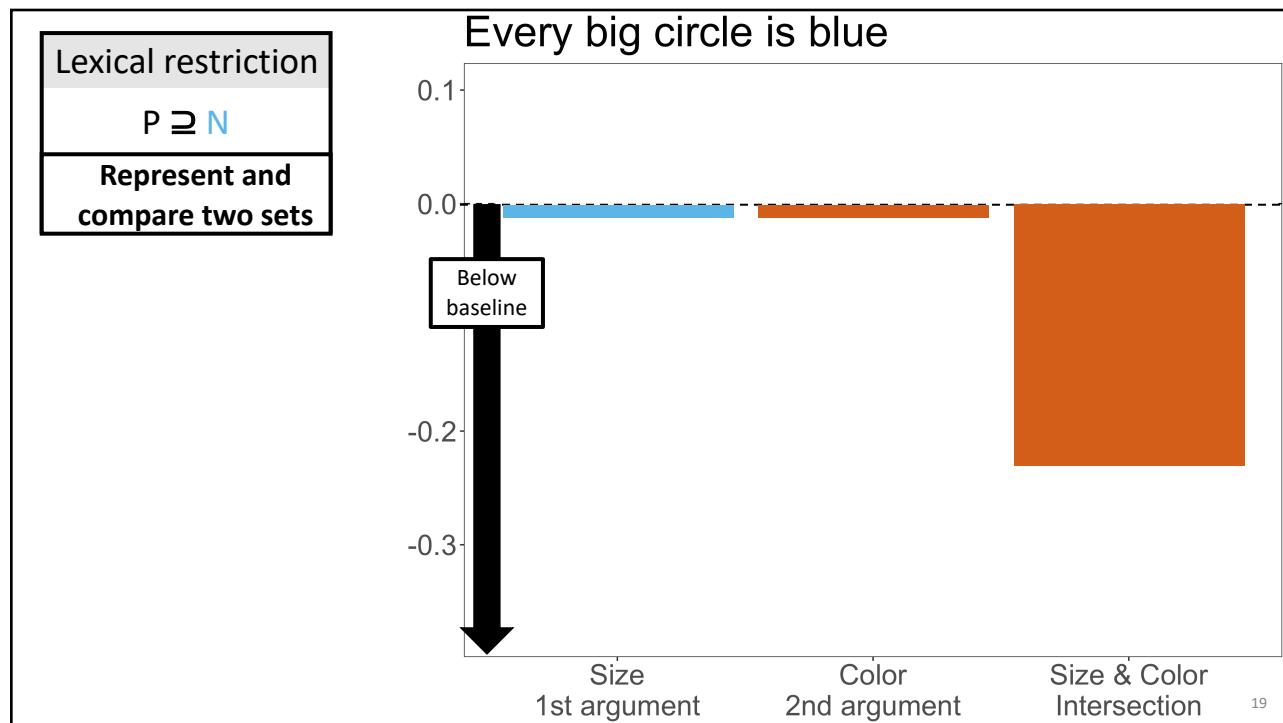
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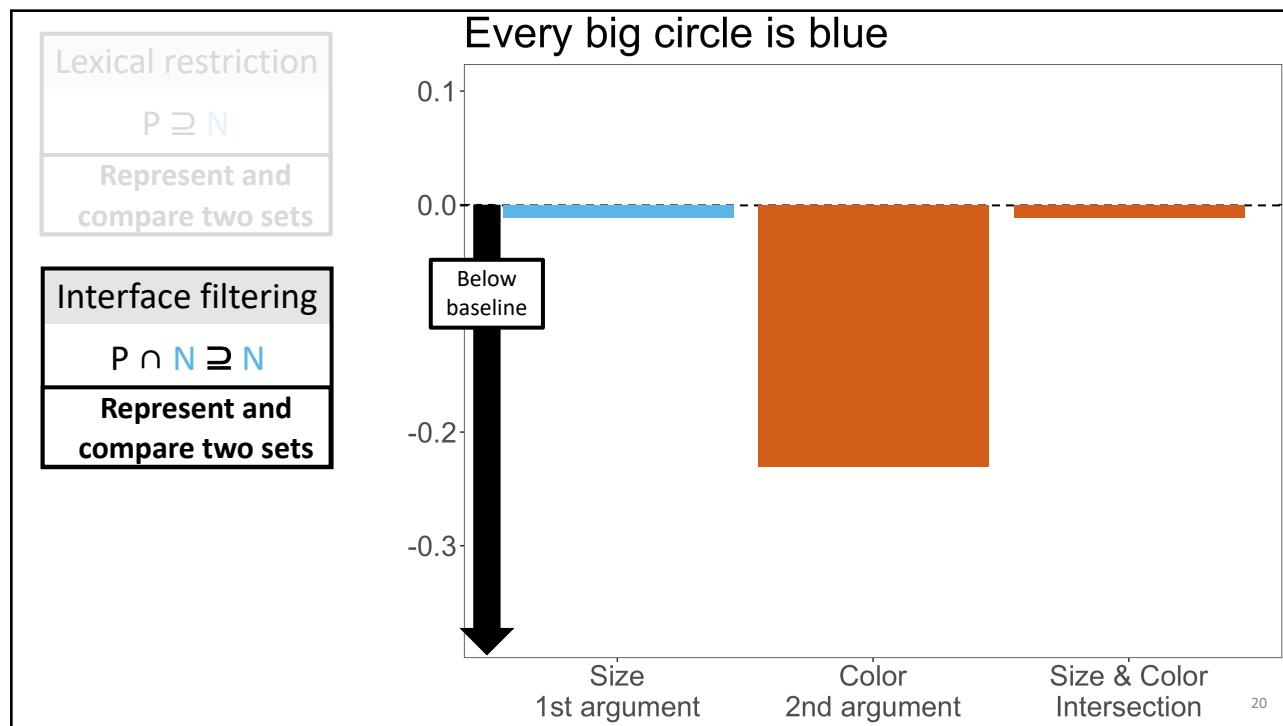
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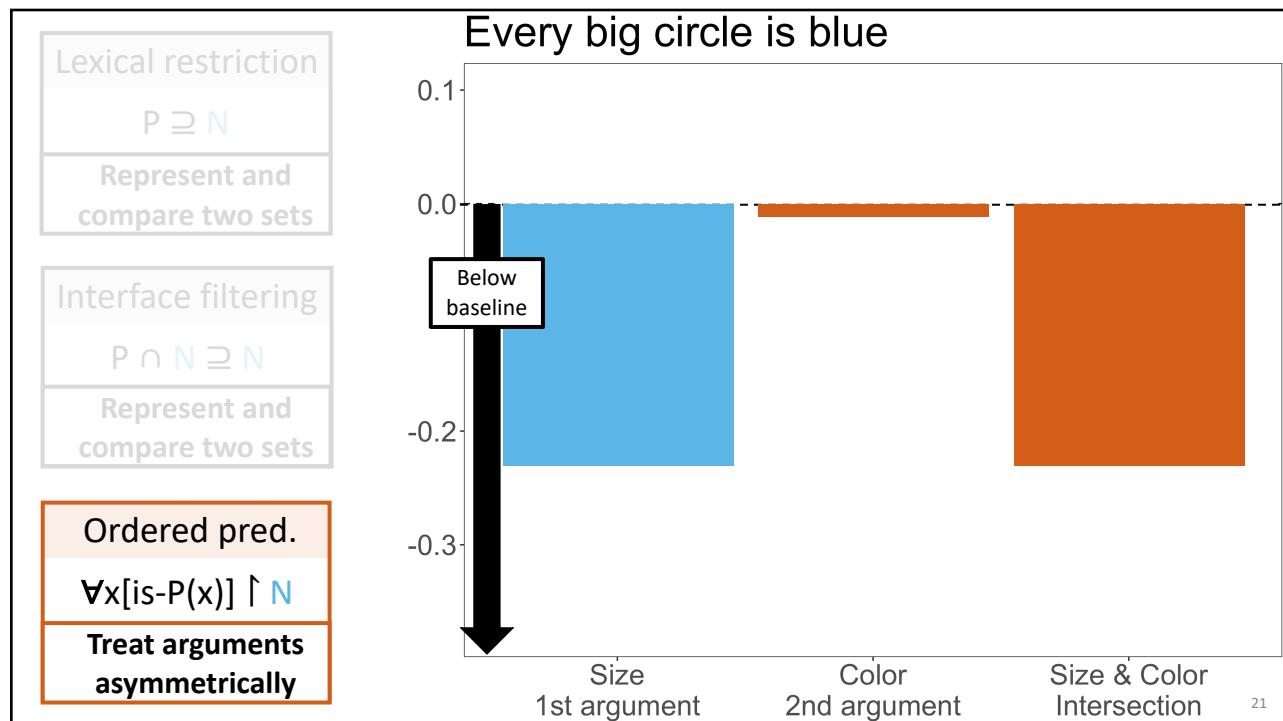
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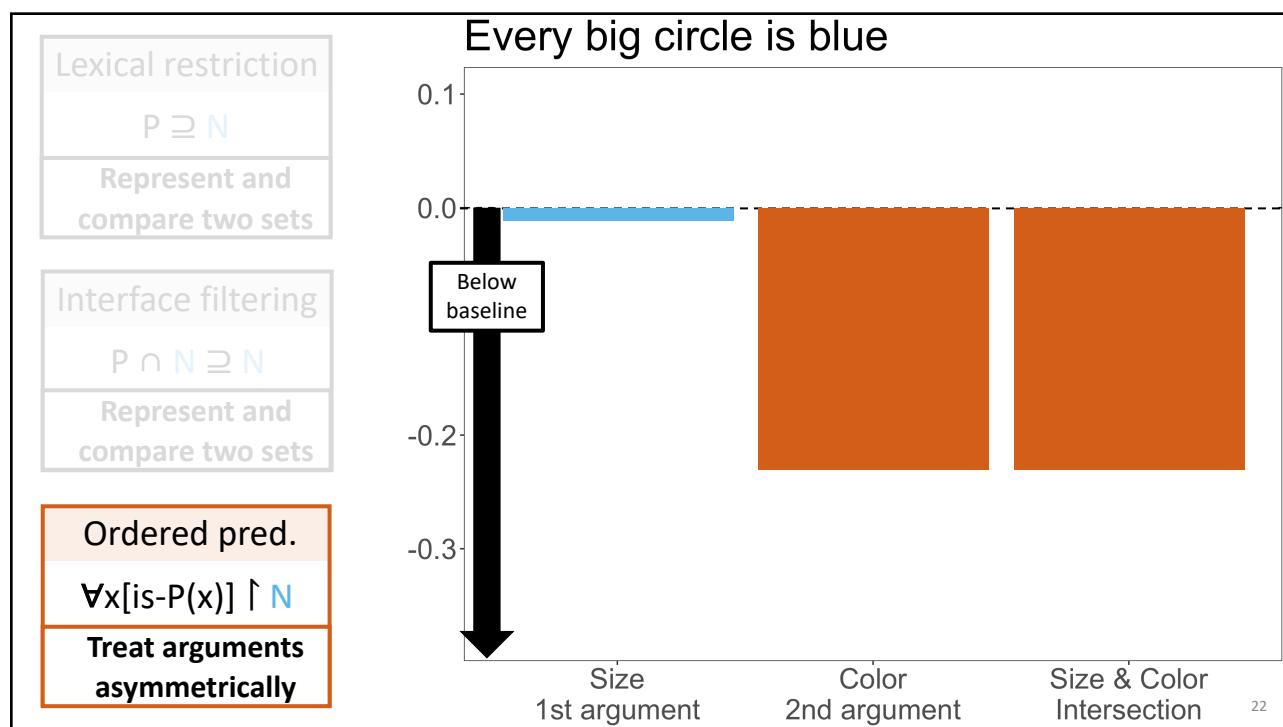
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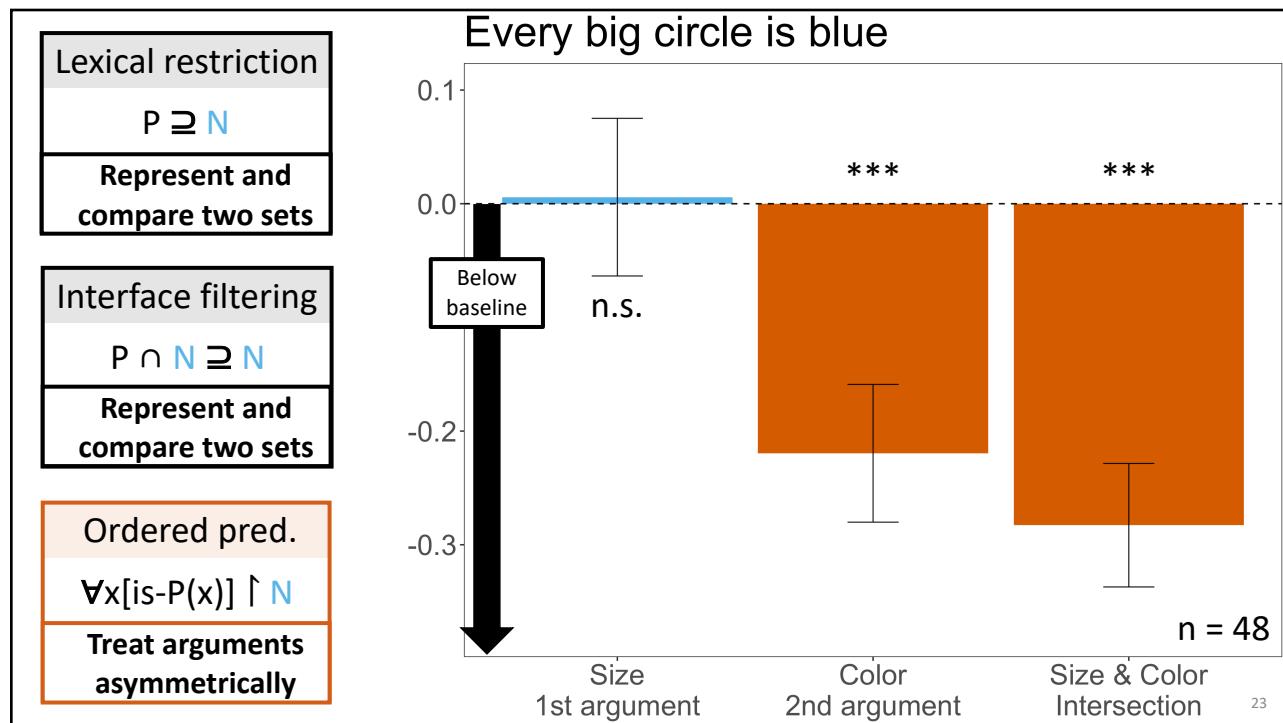
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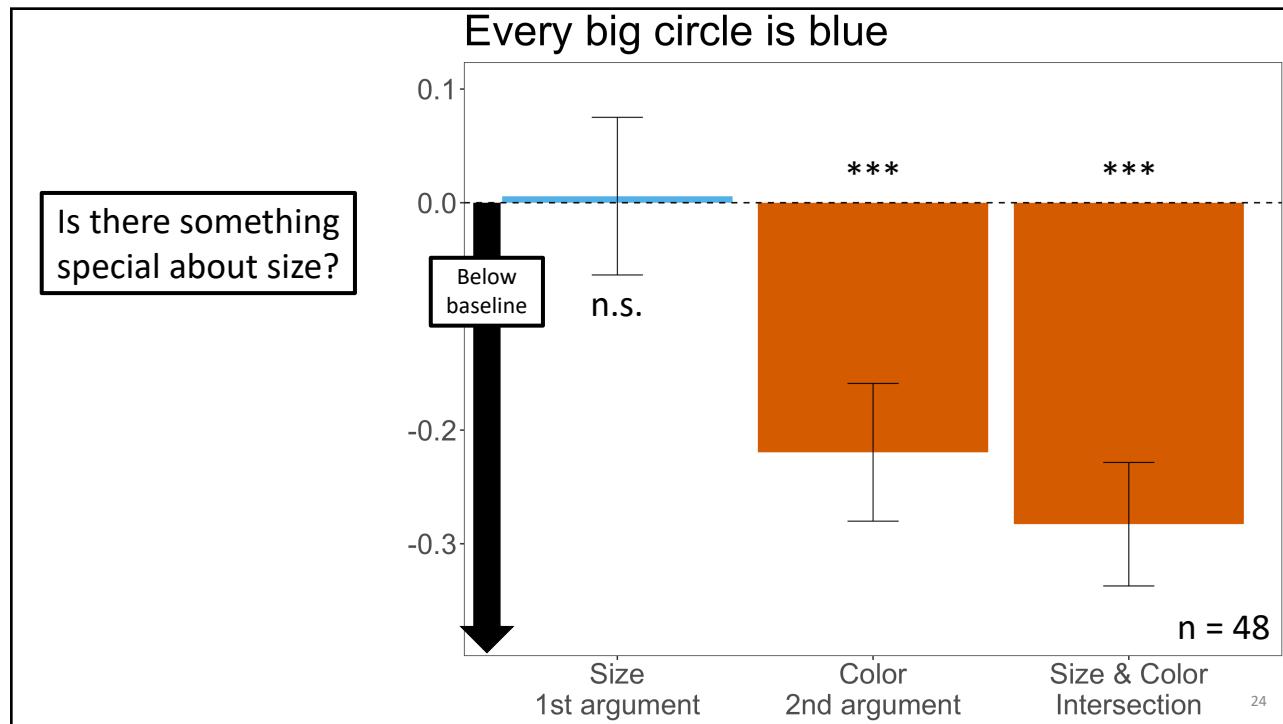
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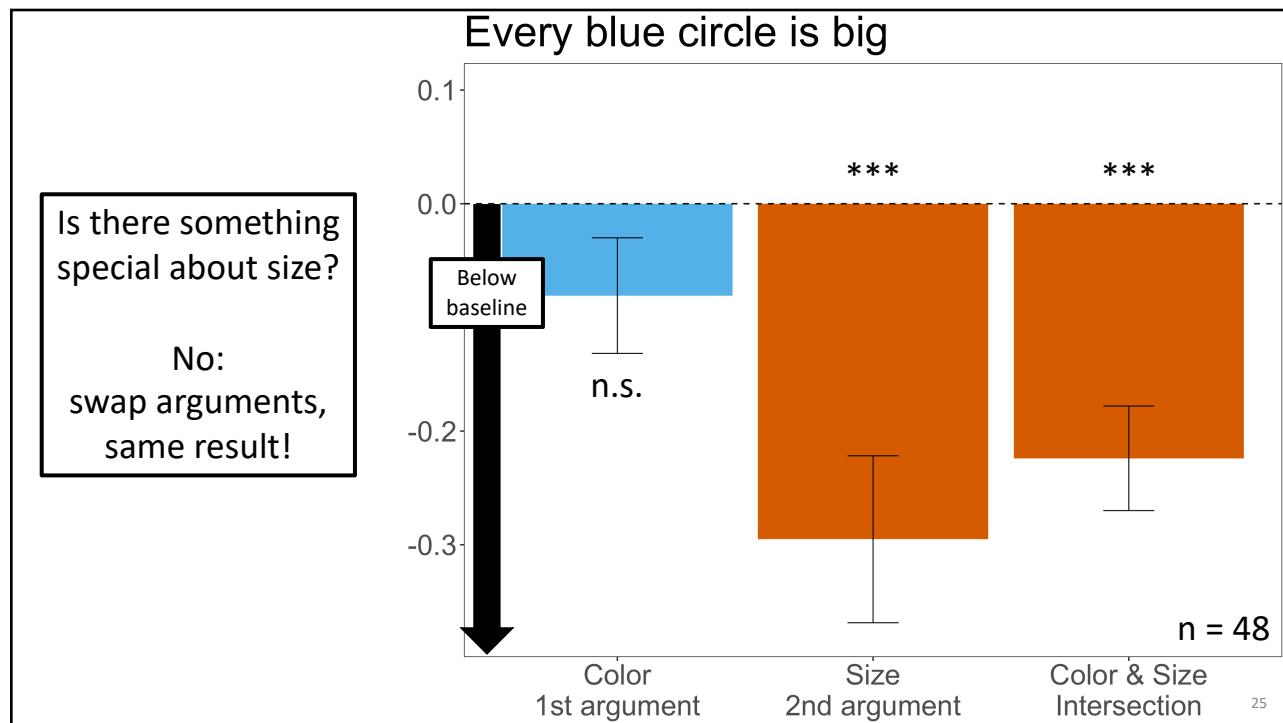
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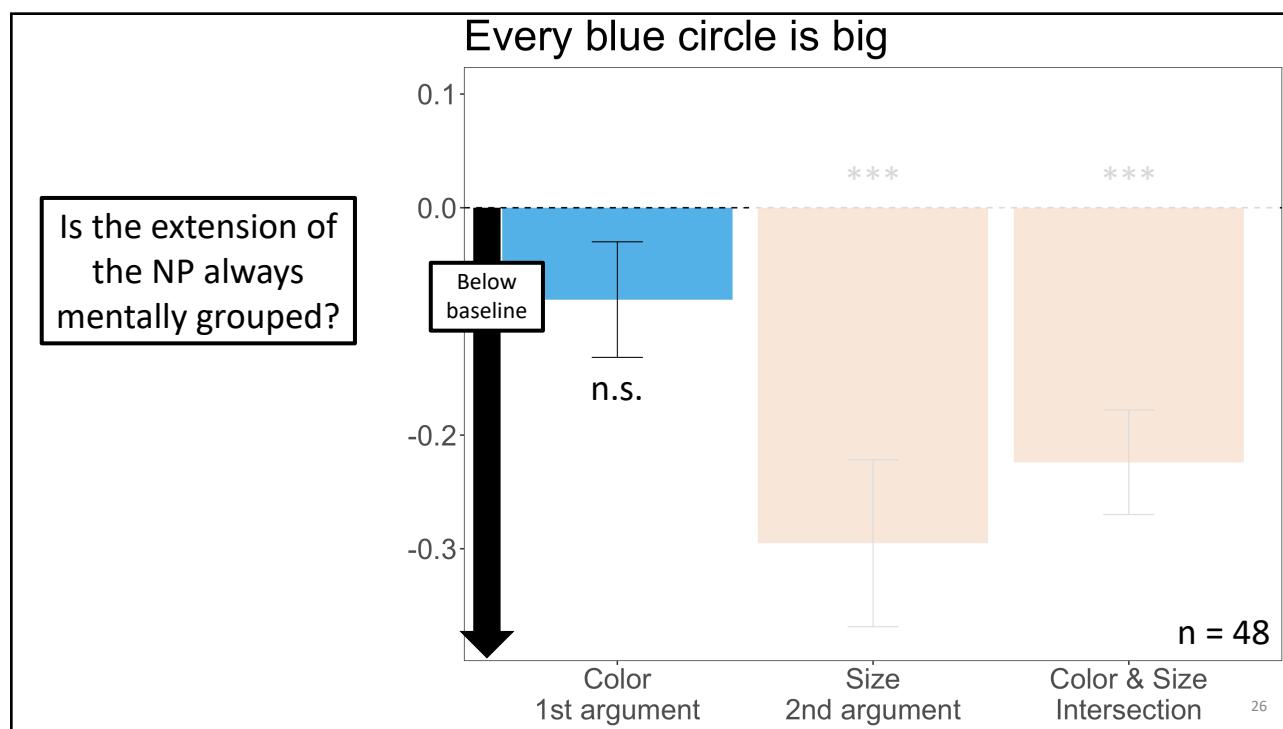


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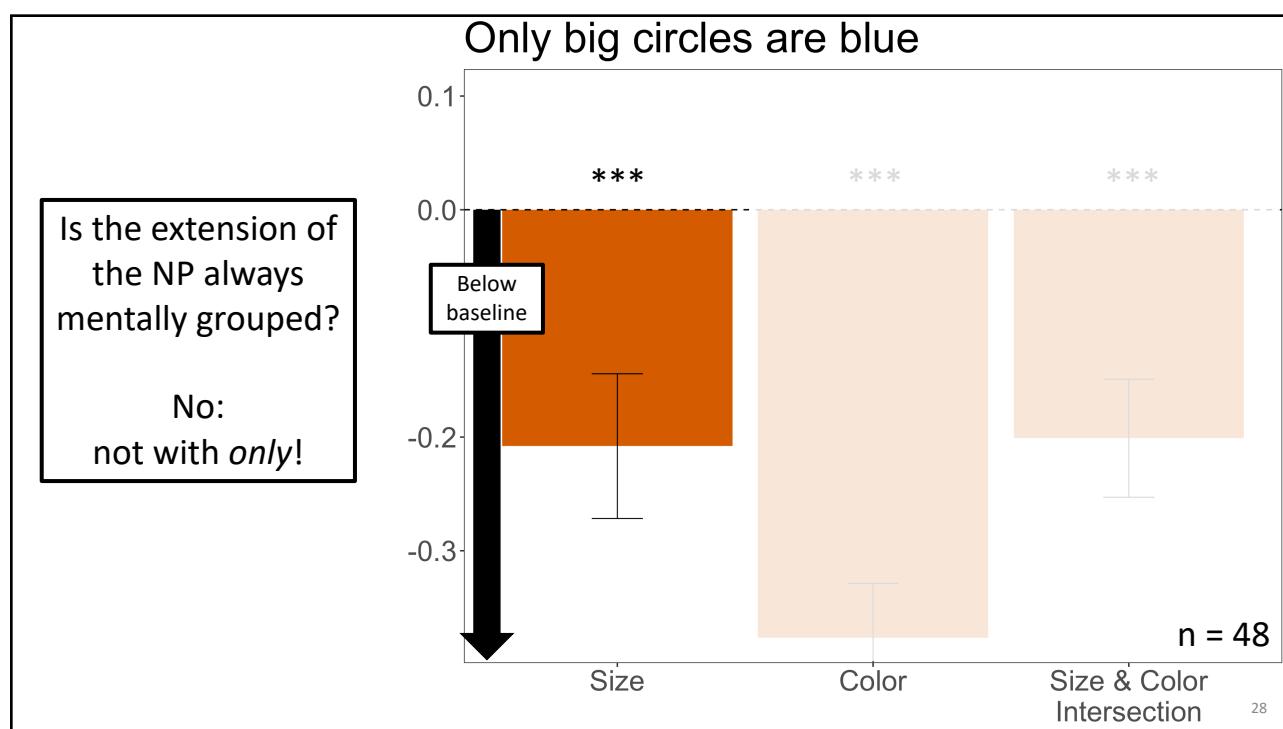
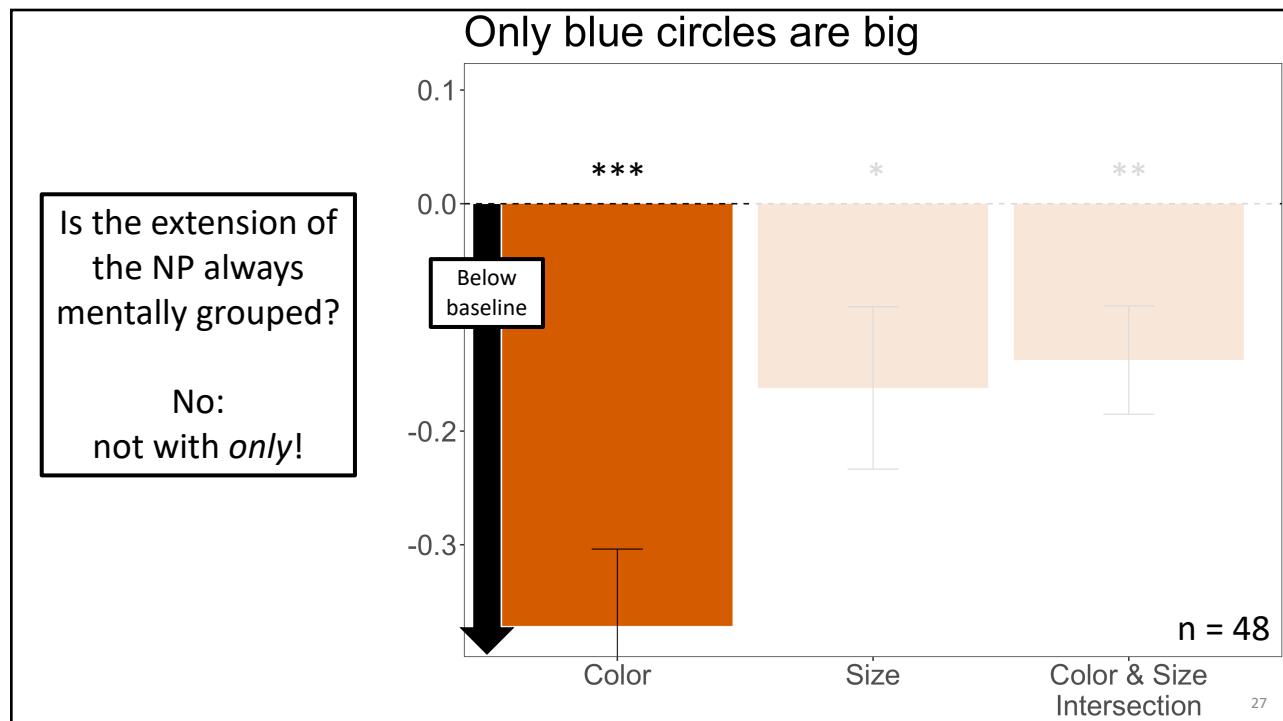
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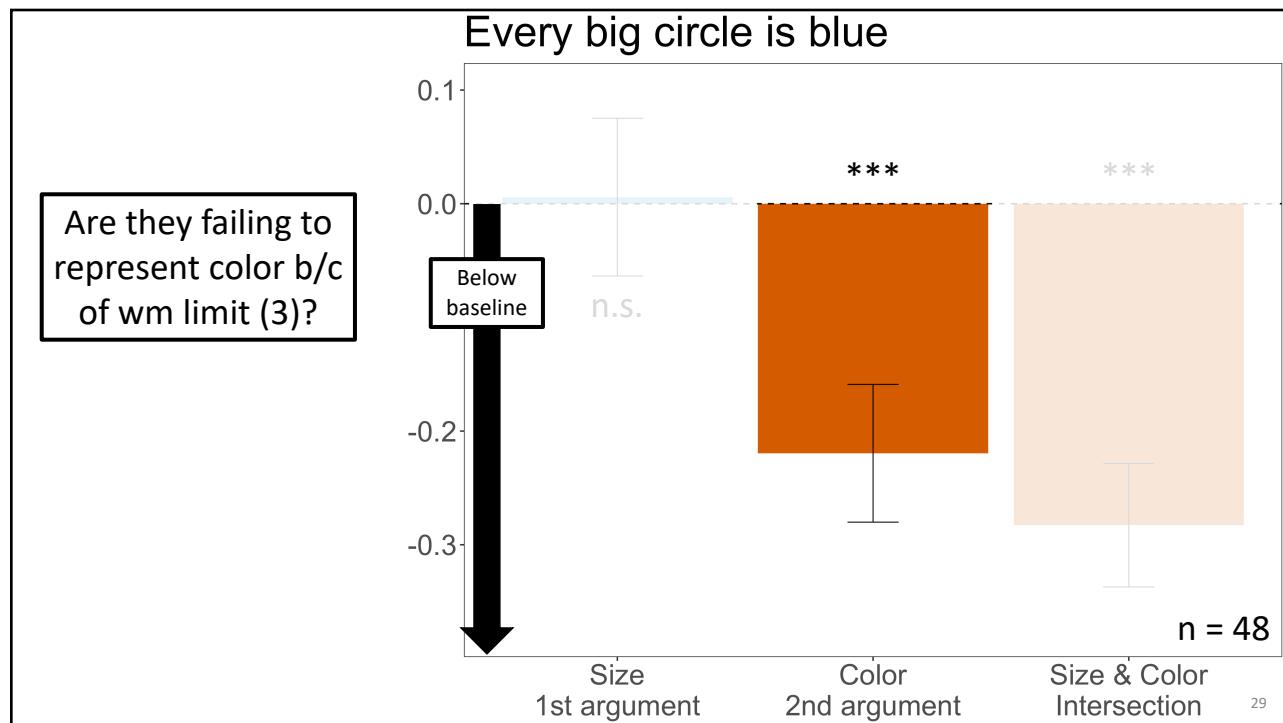
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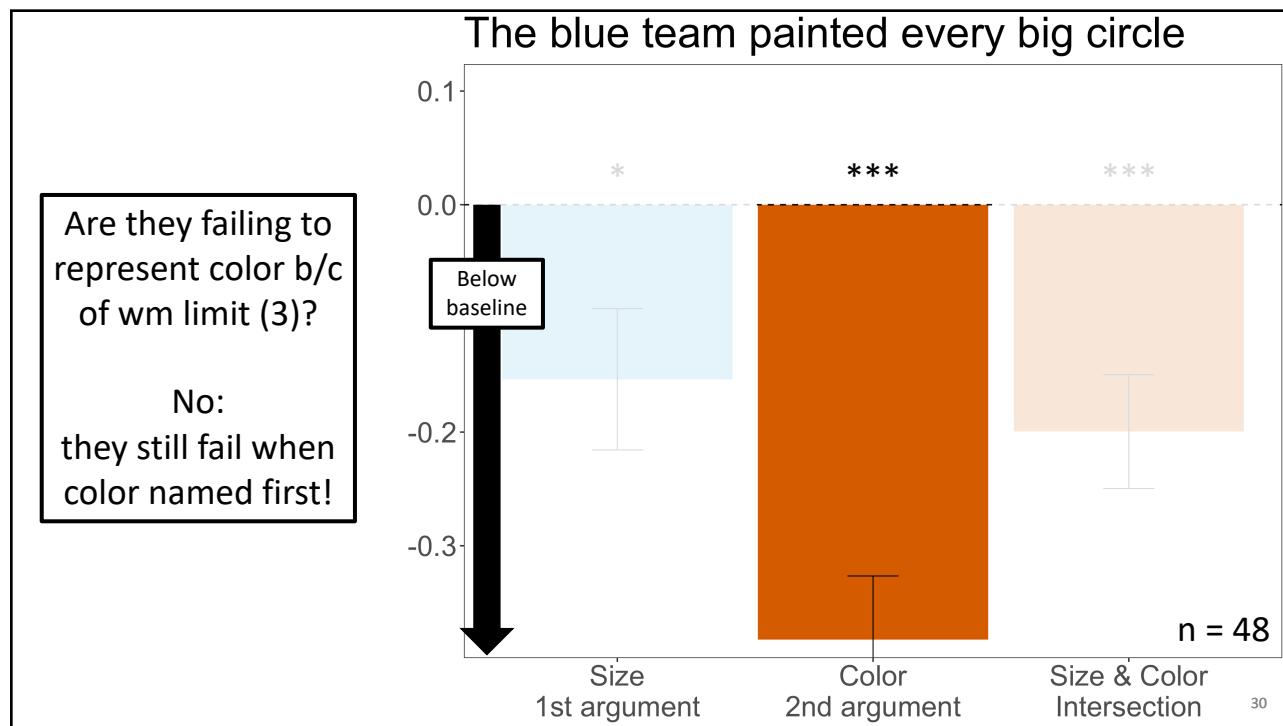
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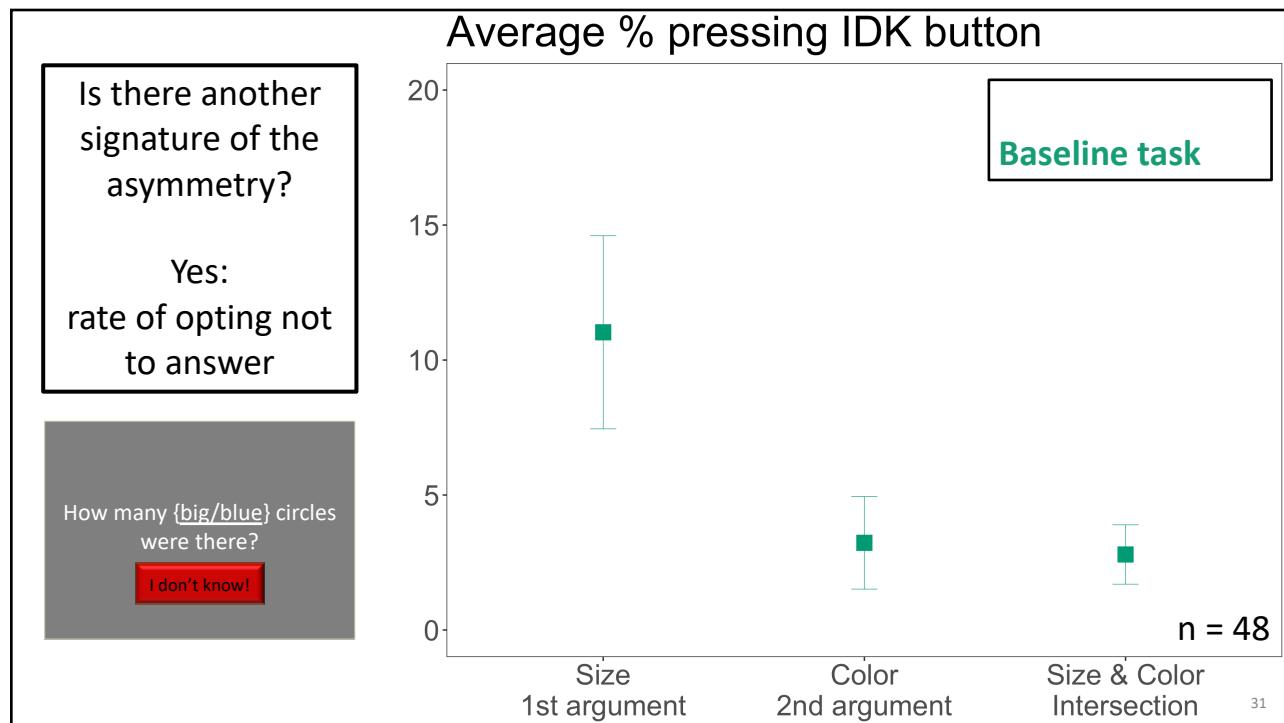
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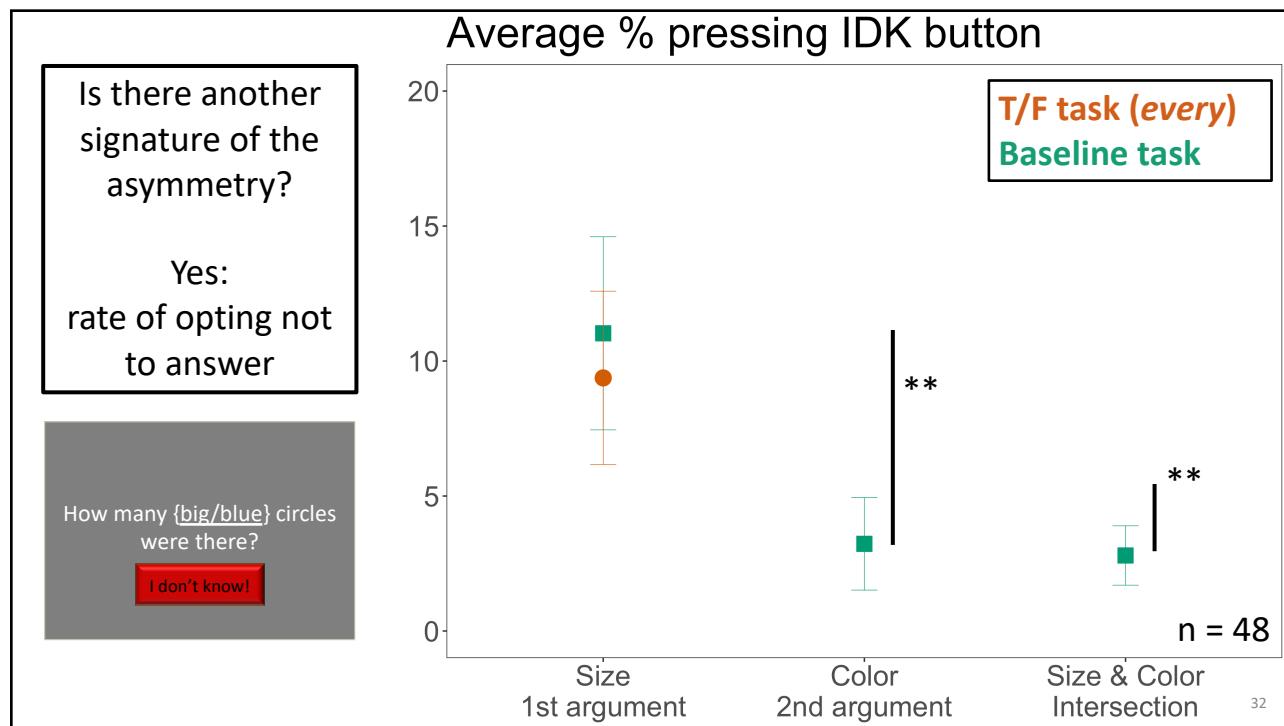
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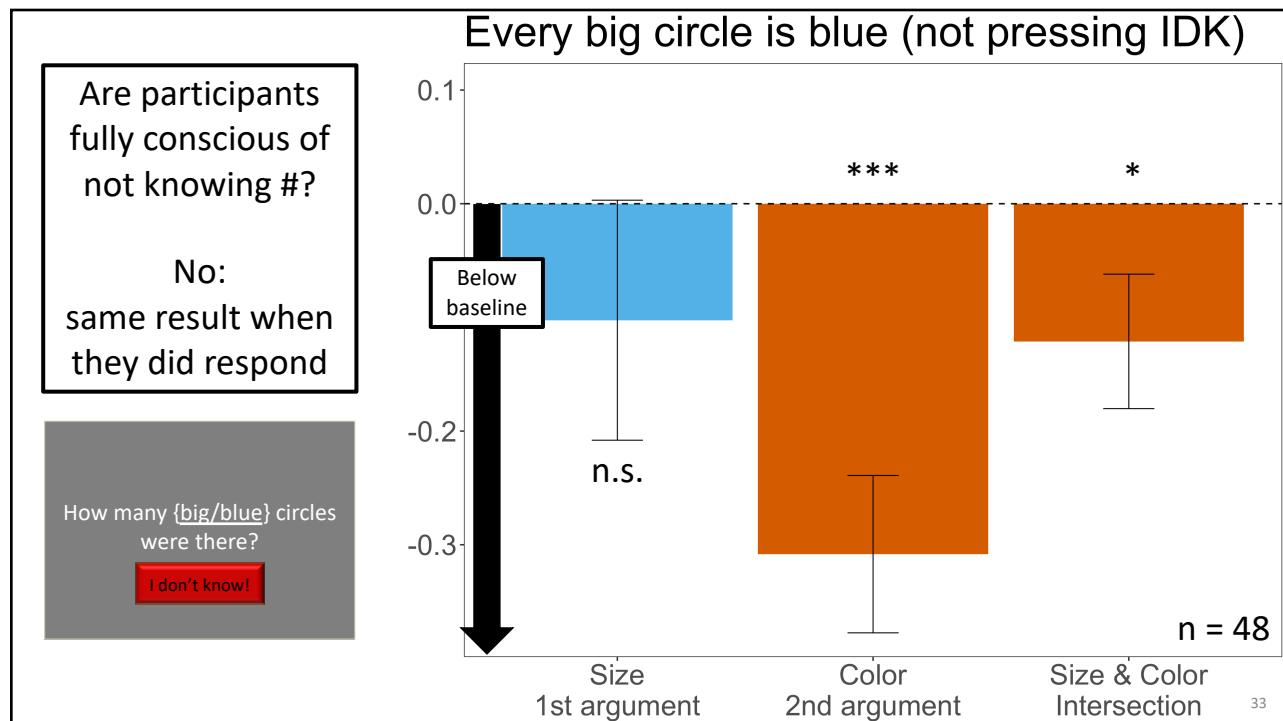
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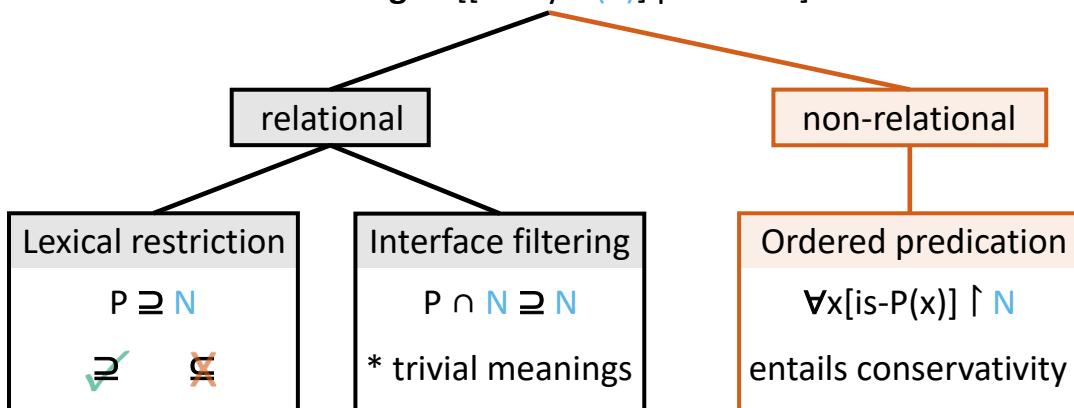


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Three views of conservativity

Meaning of [[every N(P)] predicate]



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Three views of conservativity

Meaning of [[every N(P)] predicate]

Takeaway:

Participants only mentally group the extension of *every's* **first argument**
 \rightarrow *every's* meaning does not express a relation b/t sets, in line with ordered predication

non-relational

Ordered predication
 $\forall x[\text{is-}P(x)] \upharpoonright N$
entails conservativity

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