
Decay law in radioactivity

Rate of disintegration is proportional to number of radioactive atoms at a instant

Mathematical representation of statement of decay law in radioactivity

$$\frac{dN}{dt} \propto N$$

Derivation for expression of decay equation in radioactivity

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$$\frac{dN}{dt} \propto N$$

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$$\frac{dN}{N} = -\lambda dt$$

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$$\int_{N_0}^N \frac{dN}{N} = -\lambda \int_0^t dt$$

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$$\log_e(N) - \log_e(N_0) = -\lambda t$$

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$$\log_e\left(\frac{N}{N_0}\right) = -\lambda t$$

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$$\frac{N}{N_0} = e^{-\lambda t}$$

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$$N = N_0 e^{-\lambda t}$$

Expression for decay equation in radioactivity

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$$N = N_0 e^{-\lambda t}$$

Nature of graph of decay equation

Exponential

Representation of graph of decay equation

[Illustration Missing]

Exponential

Decay constant in radioactivity

Rate of decay per unit radioactive atom at a instant

Expression for decay constant in radioactivity

$$\lambda = -\frac{\frac{dN}{dt}}{N}$$

Decay constant in terms of time at radioactivity

Reciprocal of time at 37 percentage of radioactive atoms

Derivation for decay constant from decay equation in radioactivity

- $$\lambda = \frac{1}{t}$$
- $$N = N_0 e^{-1}$$
- $$N = 0.37 N_0$$
- $$N = 37\% \text{ of } N_0$$