SECTION 5.4: COMPARISON TESTS PLUS HINTS

$$\mathbf{A.} \qquad \sum_{n=1}^{\infty} \frac{1}{n2^n}$$

Try a direct comparison to a geometric series.

$$\mathbf{B.} \qquad \sum_{n=1}^{\infty} 2^n$$

Use the Divergence Test.

$$\mathbf{C.} \qquad \sum_{n=1}^{\infty} \frac{n}{2^n}$$

Try the limit comparison test to the geometric series $\sum (2/3)^n = \sum \frac{1}{(3/2)^n}$

$$\mathbf{D.} \qquad \sum_{n=2}^{\infty} \frac{1}{n(\ln n)^3}$$

Integral Test.

$$\mathbf{E.} \qquad \sum_{n=1}^{\infty} \frac{n-4}{n^3 + 2n}$$

Limit comparison test to p-series with p = 2.

$$\mathbf{F.} \qquad \sum_{n=2}^{\infty} \frac{1 + \cos(n)}{e^n}$$

Try a direct comparison to geometric series with terms $(2/e)^n$

$$\mathbf{G.} \qquad \sum_{n=3}^{\infty} \frac{n^2}{\sqrt{n^3 - 1}}$$

Try a direct comparison to p-series with p=-1/2 or Integral Test or Divergence Test.

H.
$$\sum_{n=1}^{\infty} \frac{n^3}{(n^4 - 3)^2}$$

Try a direct comparison to p-series with p=5 or Integral Test.

I.
$$\sum_{n=1}^{\infty} (-1)^n 3^{-n/3}$$

This is a geometric series

$$J. \qquad \sum_{n=2}^{\infty} \frac{1}{n!}$$

Try a direct comparison test to p-series with p=2. For what n-values does the comparison work the right way around??

$$\mathbf{K.} \qquad \sum_{n=1}^{\infty} \frac{n}{n^2 + 1}$$

Integral Test

L.
$$\sum_{n=2}^{\infty} \frac{5}{n^2 - 10}$$

Limit comparison to p-series with p = 2.